

- The independent variables I am using here are:
  1. Distance
  2. Season (Summer, Winter, Fall and Spring)
  3. Day of the week (Monday to Sunday)

As suggested, I ran separate analysis for bike and scooter and below are the coefficient values.

For Bike:

Dependent variable df['usage\_count'] on Day level

**Winter:**

**Coefficient Values:**

const	-1.257730
distance	0.000677
Friday	-0.260182
Monday	-0.147638
Saturday	-0.366728
Sunday	-0.269151
Thursday	-0.161503
Tuesday	0.016061
Wednesday	-0.068588

**Summer:**

**Coefficient Values:**

const	3.411706
distance	0.000407
Friday	0.527003
Monday	0.344872
Saturday	0.652011
Sunday	0.519432
Thursday	0.483410
Tuesday	0.435831
Wednesday	0.449148

- The above results indicate that distance has a minimal impact on the event count.
- In the winter model, events are expected to be lower on Friday, Monday, Saturday, Sunday, Thursday, and Wednesday compared to Tuesday.
- In the summer model, all days are expected to have higher event counts compared to the reference day.

For E-scooter:

**Summer:**

**Coefficient Values:**

const	-6.288729
distance	0.001010
Friday	-0.777862
Monday	-1.038573
Saturday	-0.743120
Sunday	-0.912105
Thursday	-0.890540
Tuesday	-0.958197
Wednesday	-0.968332

**Winter**

**Coefficient Values:**

const	111.888936
distance	-0.008260
Friday	16.150443
Monday	16.003775
Saturday	15.900499
Sunday	15.803646
Thursday	16.087227
Tuesday	16.006627
Wednesday	15.936719

- In the summer model, the expected number of e-scooter trips increases by  $\exp(0.001010) \approx 1.001$  times.
- In the winter model, the expected number of e-scooter trips decreases by  $\exp(-0.008260) \approx 0.992$  times.