Bingheng Wang For DT-LMME the relution between like and liken is inspired by the initial condition. Similiarly, why not figure out the general relution between Et and Et from the institut fundition of CT MA t=0, $\hat{\chi}_{olT} = \hat{\chi}_{o} + (\vec{p}^{T}) \lambda_{o}$: initial boundary condition if $CT-\mu\mu\bar{E}$. (9) the siz: $\hat{x}_{t|T} = \hat{x}_{t|T} + P_t^{\bullet} \cdot \lambda_t$ (general solution/relation between $\hat{x}_{t|T}$ and $\hat{x}_{t|T}$) \$11 = Ft. \$117 + Gt. wet (10) We = & R. Gt. Nt 1 = - [HTR(Yt-H-XHT)+FTAt] (11) Substituting Rest = Rest + Pt At $\mathcal{X} \quad (10) \rightarrow \hat{x}_{t|T} = \bar{f}_t \hat{x}_{t|T} + \bar{G}_t Q^{\dagger} \bar{G}_t^{T} \hat{\Lambda}_t$ Differentiating (4) w.r.t time: Rtit = Rut + Pt. nt + Pt. nt (15) Substituting (11) who (13) yields: Schit = *tit + Pt Nt - Pt [HR (yt - H. xtl) + Ft Nt] C9) = 2Ht + Port - ETT POL HR (4+ - HR+ HP+ A+) + For A+] = Itit + Pt nt - Pt [HTR (yo - H. Sint) - HRHPONT + FT nt] = \$\frac{1}{2}\text{tl} + \frac{1}{12}\hat{1} + - P_4 H'R (y_4 - H. \hat{2}\text{tl}) + P_4 H'R HP4 \hat{1} + - P_4 \hat{1}_4 \hat{1} Eliminating wy from (10) using we = & . At it gives.
Substituting (2) rato (12) gives: EtIT = Ft Rut + FtPs . At + G+ Q G+ At (15) Congranny (14) & (15) yields: K $\hat{x}_{t+1t} = \bar{F}_{t} \cdot \hat{x}_{t+1t} + P_{t} \cdot H^{T}_{R} (y_{t} - H \cdot \hat{x}_{t+1t})$ x 010 = X Pt = Ft. Pt + Pt. Ft + Gt a. Gt - PtHRHPt $P_o = P^T$ given. (16) Eq. (16) is exactly the sum as Kalman-Bucy Potor! Ny =0. No = -[HTR (Ye - H. Rober - H. Pent) + Ft ne] (17) lastly, the general solution to CT-LMAT 17 given by $\hat{\mathcal{X}}_{tlt} = \hat{\mathcal{X}}_{tlt} + \mathcal{V}_{t} \lambda_{t}$

Bingheng Wang Wart