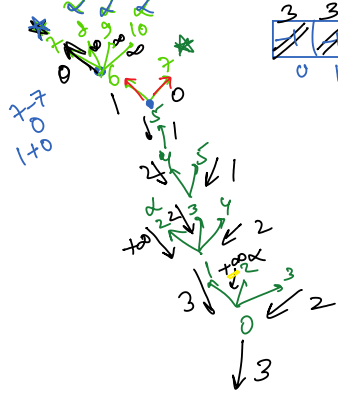


Climb Stairs with min moves

3	3	0	2	1	2	4	0
0	1	2	3	4	5	6	7



```

if (src > dest) return Integer.MAX_VALUE;
if (src == dest) return 0;

if (dp[src] != -1) {
    return dp[src];
}

int minMoves = Integer.MAX_VALUE;
for (int jumps = 1; jumps <= arr[src]; jumps++) {
    int ans = csmMemo(src + jumps, dest, arr, dp);
    minMoves = Math.min(minMoves, ans + 1);
}

dp[src] = minMoves;
return dp[src];
    
```

$(\infty + 1)$

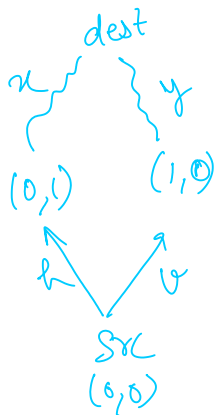
$\min(x+1, y+1, z+1)$
 $\rightarrow 1 + \min(4, 4, 2)$

4	3	2	1	1	0	5
0	1	2	3	4	5	



$\infty + 1 = -\infty$

Minimum Cost Maze Path



$fun(sr, sc, dr, dc, arr)$

$int x = fun(sr, sc+1, dr, dc, arr)$
 $int y = fun(sr+1, sc, dr, dc, arr)$

$(arr[sr][sc]) + \min(x, y)$

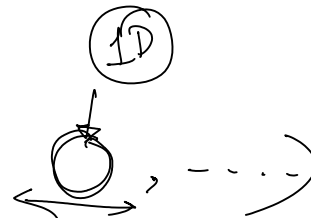
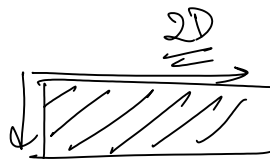
014282
 436504
 124146
 207322
 315924
 270851

```

public static int minCost(
    dc, int[][] arr, int[][] dp) {
    if (sr > dr || sc > dc)
        return -1;
    if (sr == dr && sc == dc)
        return dp[sr][sc];

    // horizontal
    int x = minCostMemo(sr, sc+1, dr, dc, arr, dp);
    // vertical
    int y = minCostMemo(sr+1, sc, dr, dc, arr, dp);

    int ans = arr[sr][sc] + Math.min(x, y);
    dp[sr][sc] = ans;
    return ans;
}
    
```



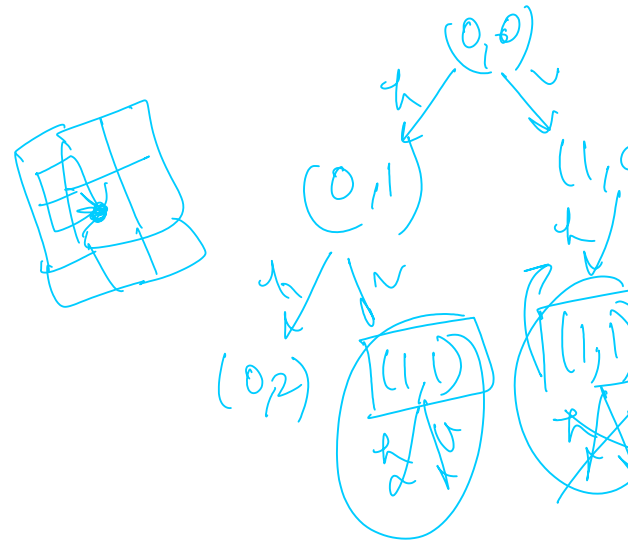
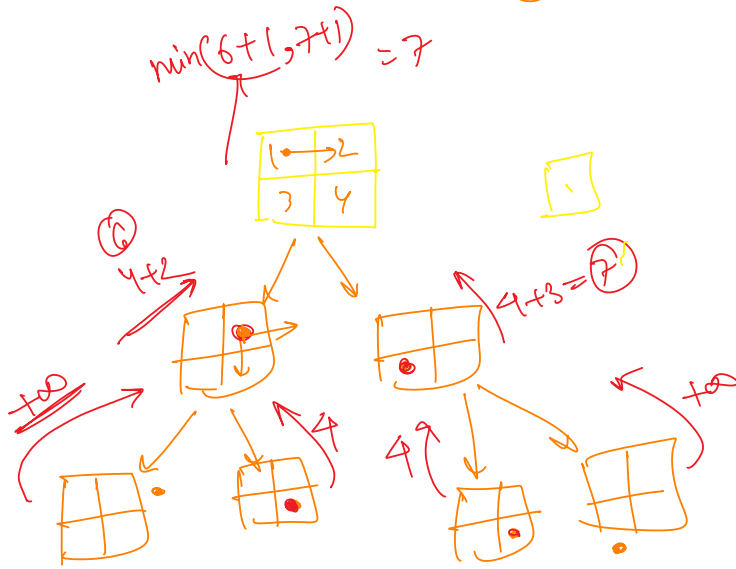
$\rightarrow \dots \rightarrow (2D DP) \leftarrow dp[i][j][k]$

```
int Memo(int sr, int sc, int dr, int dc)
{
    return Integer.MAX_VALUE;
    dc) return arr[dr][dc];
}

sr, sc + 1, dr, dc, arr, dp);
sr + 1, sc, dr, dc, arr, dp);
] + Math.min(x, y);
```

$\text{fun}(k_1, k_2, k_3) \Leftarrow \text{3D DP} \Leftarrow \text{dp}[i][j][k]$
 $\text{fun}(k_1, k_2, k_3) \Leftarrow \text{2D DP} \Leftarrow \text{dp}[i][j]$
 $\text{fun}(k, k) \Rightarrow \text{1D DP} \Rightarrow \text{dp}[i] =$

meaning $\text{dp}[i][j] = \text{min cost to travel from } (i,j) \text{ to } (n-1, m-1)$
 using 2 moves (h/v)

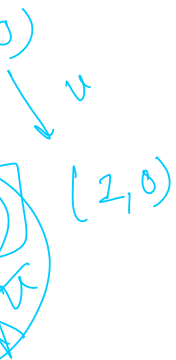


1 ₂₃	2 ₂₂	2 ₂₀	1 ₁₈	1 ₁₇
3 ₂₇	4 ₂₈	6 ₂₄	2 ₁₈	3 ₁₆
4 ₂₄	7 ₂₅	0 ₁₈	5 ₁₈	4 ₁₃
2 ₂₀	2 ₁₈	7 ₁₉	5 ₁₄	2 ₉
5 ₂₁	4 ₁₆	3 ₁₂	2 ₉	7 ₇

$7+2=$

$v \rightarrow y =$

$3 \rightarrow x = 9$



$$= 9$$

$$h \rightarrow x = 7$$

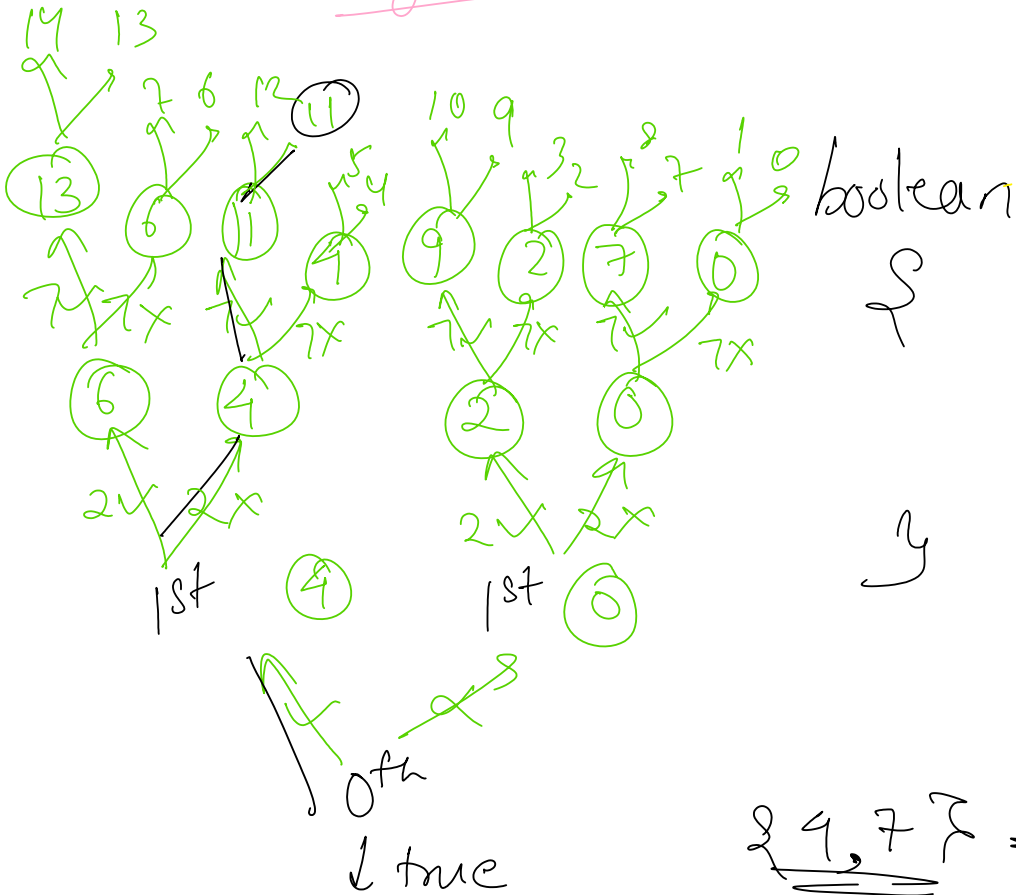
∞



Target Sum Subsets

{ 4, 2, 7, 13 }

↑ ↑ ↑



boolean

{

}

f(arr, idx, 0)

{ 4, 7 } = 11

Target = 11

curr_sum, target - sum)