

## UNIT 4: Life history

### 1 Introduction

- **Life history** refers to patterns of how organisms allocate resources to key components underlying reproductive success:
- Give a one-word example of such a component
  - Answer: Survival
  - Answer: Growth
  - Answer: Reproduction
  - Answer: Dispersal

### Diversity

- Differing life-history **strategies** are part of the reason for the remarkable diversity of life
  - Organisms that are too similar are not expected to co-exist
    - \* One will out-compete the other
  - But two organisms may be able to exploit the same resources using different life-history strategies

### Oaks and dandelions

- We can think of acorns as machines for making more acorns, and dandelion seeds as machines for making more dandelion seeds
- Both have access to very similar biochemical machinery. Both use the same resources.
  - Answer: Water, sunlight, nutrients
- What are some differences?
  - Answer: Oak trees are bigger
  - Answer: Oak trees wait longer to reproduce

- **Answer:** Oak trees reproduce many times
- **Answer:** Oak trees put much more energy into each seed
- **Answer:** Dandelion seeds are dispersed by wind, acorns by animals

## Scales of competition

- Organisms compete with other individuals of the same species
- They also compete with other species
- We think about life history on different scales
  - Evolution within populations
  - Competition between populations

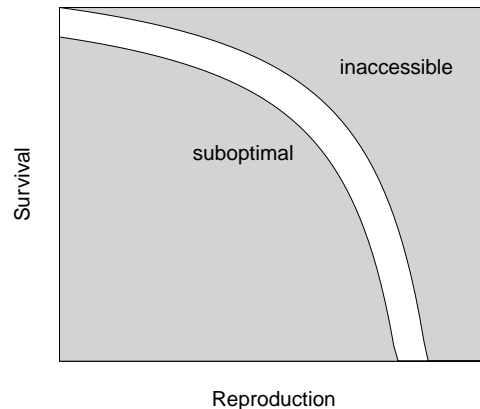
## 2 Tradeoffs

- Some evolutionary changes simply help organisms function better
- Most have advantages and disadvantages
  - Building a strong immune system may reduce growth rates
  - A leaf that produces a lot of energy at high light may not be able to produce any at low light
- A **tradeoff** occurs when improvements in one area come at a cost of disadvantages in another area

## Optimization frontiers

- We expect tradeoffs because:
  - organisms have limited **resources**
  - organisms are under natural selection in a complex world

## Optimization frontiers



## Optimization frontiers

- Under natural selection, we expect organisms to be near the frontier of high fitness
- While they're near this frontier, it will be hard to improve one quality without a tradeoff that hurts another quality

## Evolution and optimization

- We often think of organisms as making “choices” that maximize their evolutionary fitness.
- What is really happening here?
  - **Answer:** Natural selection is selecting random variants
  - **Answer:** On average, variants which survive are better at producing offspring over the long-term than those which don't survive

## Programmed optimization

- Organisms pursue very sophisticated strategies to optimize fitness
- But they don't know they're doing this

- Plants sensing water environments
- People pursuing sexual opportunities

### Tradeoff: Quick maturation vs. large final size

- A key component of a life history is how quickly an organism matures
- Organisms that mature quickly can reproduce quickly
- Organisms that mature slowly have more time to get large, or build lasting structures, before they reproduce
  - they typically reproduce more (or for a longer time period) in the long run
  - or allocate more energy to each offspring, giving the offspring a better chance to be successful

### Tradeoff: large reproductive output vs. longevity

- Survival-reproduction balance: at a given time, organisms face a trade-off between:
  - energy spent on producing offspring
    - \* produce more offspring, or give more resources to helping each get started in life
  - energy reserved for survival and future offspring
    - \* spend less energy reproducing this year, but live for longer

### Semelparity

- The extreme case of this balance is called **semelparity**: the life-history strategy of reproducing only once
- Many organisms are semelparous
  - We can imagine that converting all your resources to reproduction once you start could be very efficient
- Many organisms are **iteroparous**: they reproduce many times

## Cole's paradox

- Why are many organisms iteroparous?
- If  $\lambda = f + p$ , surely it is easier to increase  $f$  by spending on reproduction, than to increase  $p$ , which can never be larger than 1.
- Raising  $p$  from 0 to 1 becoming *immortal* instead of annual, is only as good as increasing  $f$  by 1

## Responses to Cole

- What are some reasons why it makes evolutionary sense for organisms to be iteroparous, in light of Cole's arguments?
  - **Answer:** "Closing the loop":  $f$  is not seeds per plant, it's plants per plant; not as high as you think
  - **Answer:** Population regulation: the long-term average value of  $\lambda$  is 1, so increasing  $f$  by 1 is a *lot*
  - **Answer:** Risky environments: long-lived organisms can deal better with variation in offspring success.

## Tradeoff example: many offspring vs. high-quality offspring

- Apart from how much energy to put into offspring now vs. later, organisms can make many or few offspring, using a given amount of energy
- What is a vivid example of ecologically similar organisms that produce wildly different numbers of offspring?
  - **Answer:** Oaks vs. pines
- What are potential advantages of producing fewer offspring with the same amount of energy?
  - **Answer:** Greater chance of survival (or reproductive success)
  - **Answer:** Dispersal

## Tradeoff: direct investment vs. dispersal investment

- Plants' investment in reproduction may not go directly to the offspring, but instead to mechanisms to help the offspring disperse
  - **Answer:** Edible fruits
  - **Answer:** Helicopter attachments
  - **Answer:** Exploding seed pods
- This may be particularly important to plants because of the “eggs in one basket” problem
  - **Answer:** Parent-assisted dispersal is often their only chance to move.

## 3 The $r$ vs. $K$ metaphor

- Regulated growth provides a powerful metaphor for life-history trade-offs involving growth vs. competitive ability
- Recall  $r$  and  $K$  from our regulated population models.
  - **Answer:**  $r$  is the per-capita rate of growth, units ...
    - \* **Answer:**  $[1/t]$
  - **Answer:**  $K$  is the stable, equilibrium level that we expect a population to reach, units ...
    - \* **Answer:**  $[\text{pop}]$  or  $[\text{pop density}]$

### $r$ vs. $K$ strategies

- We call organisms that tend to out-perform other species at low densities “ $r$ -strategists”
  - They do well in recently disturbed, uncrowded environments
- We call organisms that tend to out-perform other species at high densities “ $K$ -strategists”
  - They do well in stable, crowded environments

## ***r*-strategists**

- All organisms tend to do well in uncrowded environments, but *r*-strategists are selected to do better than other species
- They are selected for a high rate of exponential growth during the relatively short time that the environment is uncrowded
- Why do we call them *r*-strategists, and not  $\mathcal{R}$ -strategists?
  - **Answer:** Because they are selected to maximize  $r_{\max}$ , the *rate* of exponential growth
  - **Answer:** A species with a high value of  $\mathcal{R}_{\max}$ , but a slow life cycle, may not have enough time to capitalize on the opportunity

## ***K*-strategists**

- *K*-strategists are selected to do well in crowded environments
- *K* measures that maximum density at which a species can “make a living” – by keeping  $\mathcal{R} = 1$
- Measuring *K* between species can be tricky

## **Maples and marigolds Measuring *K***

- Which is the *K* strategist: maple trees or marigolds?
  - **Answer:** Maple trees do better at competing under stable conditions
- Which has a higher value of *K*?
  - In [indiv/ha]?
  - In [kg/ha]?
- To compare species, we attempt to measure *K* in units that reflect the effect of crowding on the competitive environment
  - biomass; area covered; resource consumed

## Example: trees

- Assuming there is a tradeoff between  $r_{\max}$  and  $K$ , would you expect individuals with high  $r_{\max}$ , or high  $K$ , to do well:
  - In an empty, suitable habitat after a fire, flood or other major **disturbance**?
    - \* **Answer:** High  $r_{\max}$  leads to faster exponential growth
  - In a crowded, stable old-growth forest?
    - \* **Answer:** High  $K$  means you can continue doing well when the forest is already too crowded for others

## $r$ vs. $K$ strategists

- All species are selected for characteristics relating to both  $r_{\max}$  and  $K$
- But it is often useful to compare species based on which they emphasize more heavily
  - There will often be tradeoffs between  $r_{\max}$  and  $K$
- Species that specialize in colonizing disturbed environments are thought of as  $r$  strategists
  - Apple trees are often the first to reproduce in abandoned fields
- Species that specialize in stable environments are thought of as  $K$  strategists
  - Hemlock trees do best in stable, closed forests

## Life-history characteristics

- Compared to  $K$  strategists,  $r$  strategists should:
  - Have relatively fast life cycles
    - \* Reach maturity earlier
    - \* Allocate more resources to reproduction (and thus reproduce more and survive less)
  - Produce more offspring, with less resources for each



- \* This allows high growth rates in the absence of competition
- \* In crowded conditions, these “quick” offspring may be out-competed by offspring with more resources
- Be more aggressive about dispersal
  - \* **Answer:** They need to find the next empty, suitable habitat before this one gets too crowded

## Biology is complicated

- The  $r$ - $K$  dichotomy is useful for thinking about strategies, but organisms don’t always fit it perfectly
- Some species live long, but don’t invest a lot in each offspring
  - Sea turtles, pine trees
- Some species mature slowly but reproduce only once
  - 17-year locusts, century plants
- Every species life history has specific, important *details*
  - But general principles are very important to guide our understanding

## Changing conditions

- Recall,  $\lambda$  is usually between 1 and  $\mathcal{R}$ , gets closer to 1 when the life cycle is
  - **Answer:** slower
- When conditions are good ( $\mathcal{R} > 1$ ), should organisms be fast or slow to maximize  $\lambda$ ?
- When conditions are bad ( $\mathcal{R} < 1$ ), should organisms be fast or slow, to maximize  $\lambda$ ?

## Changing life history

- Some organisms have evolved to change their life history patterns in response to good or bad conditions
  - **Answer:** Move slow when things are bad, and fast when things are good
- Examples
  - **Answer:** Many animals reach sexual maturity faster under good conditions
  - **Answer:** Trees may survive longer under bad conditions (by growing slowly and not allocating energy to reproduction)
  - **Answer:** Bacteria enter “stationary state” when conditions are bad – don’t reproduce or grow at all, but may survive for a long time

## Applications

- How would  $r$  and  $K$  strategists differ in their response to human activities/disturbance?
  - **Answer:**  $r$  strategists will generally deal with disturbance better
- Would  $r$  or  $K$  strategists be more useful for human production (eg. biofuels, agriculture, drug production etc.)?
  - **Answer:**  $r$  strategists are likely to respond better to human attempts to manipulate the environment to their advantage
  - **Answer:**  $K$  strategists may be more sustainable to grow for a long time in a stable environment

## 4 Bet hedging

- In a risky world, you never want to put all your eggs in the same basket
  - If all your offspring are in similar conditions, they can all do well together – or they can all die together

- Strategies that usually do well aren't good enough
  - The species we see now have survived for billions of years (if we include ancestral species, who also had to survive)
    - \* Floods, fires, ice ages, disease outbreaks
- All “successful” organisms have strategies for spreading risk
  - **Answer:** By successful organism, I mean surviving organism

## Averaging

- Mathematically, we can think about bet-hedging strategies in terms of averages
- Arithmetic means are means with respect to addition:
  - $x + y + z = m + m + m$
- Geometric means are means with respect to multiplication:
  - $x * y * z = m * m * m$

## Averaging

- A population has a different growth rate ( $\lambda$ ) each year. The long term growth rate would be the same if it grew by what constant amount each year?
  - **Answer:** The geometric mean growth rate
- A farmer harvests dandelion seeds from 5 different fields. Each field produces a different number of seeds. The harvest would be the same if each field produced what constant amount?
  - **Answer:** The arithmetic mean seed production

### Example: plant Q

- Plant Q is an annual plant.
- Each successful adult produces 30 offspring on average
- In a good year, 20% of these offspring survive to reproduce; in a normal year 2% of the offspring survive to reproduce; in a bad year 0.2% of the offspring survive to reproduce
- The three kinds of year are equally likely
- What is the long term average growth rate of the population?
  - **Answer:** The geometric mean of 6, 0.6 and 0.06:  $\lambda = 0.6$

### Plant D

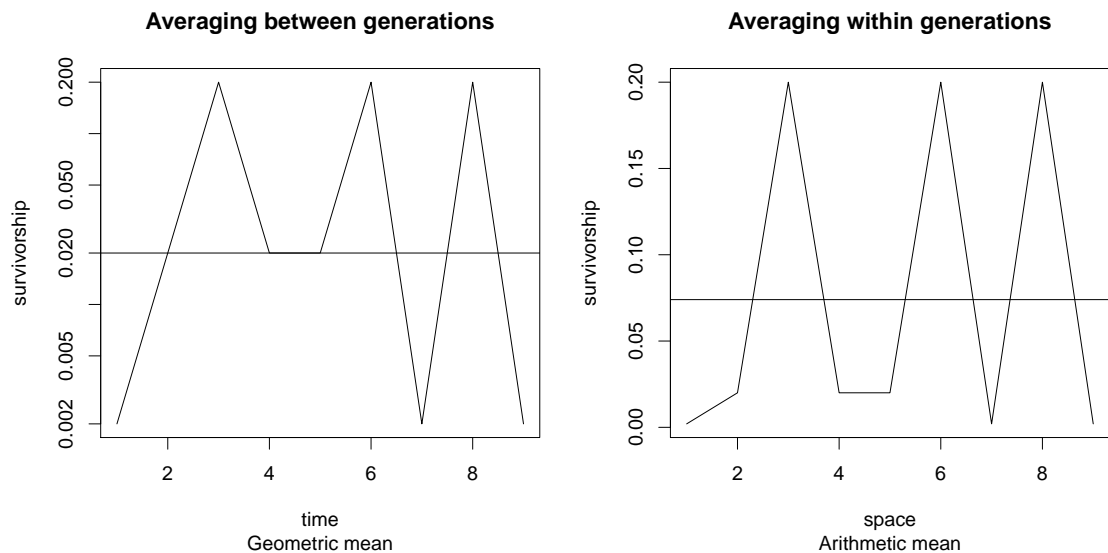
- Plant D is similar to plant Q, except that it produces seeds that disperse over great distances
- Because it has to invest in dispersal mechanisms, it only produces half as many seeds.
- The seeds of the new variety do just as well as those of plant Q, but they disperse so far (in this hypothetical example) that 1/3 of them experience good, normal and bad conditions every year.
- What is the average growth rate of the new variety?
  - **Answer:** Survival follows the arithmetic mean:  $\lambda = 1.11$

### Averaging

- Variation between organism generations is multiplicative; we understand its effect using the geometric mean
  - **Answer:** Because we multiply per-capita success in each generation to find out what happens to the population
- Variation within a generation is additive; we understand its effect using the arithmetic mean

- **Answer:** Because lifetime reproductive success is calculated by adding components from different places or time periods
- The arithmetic mean is greater than the geometric mean. When variation is high, it can be much greater
  - Therefore, organisms benefit from averaging within generations, rather than between generations

## Comparing averages



## Dispersal, spreading risk over space

- As an organism, do I want my offspring to grow up where I grew up, or to disperse?
- Advantages of staying home
  - **Answer:** Dispersal is costly
  - **Answer:** Home is apparently a good place to survive
    - \* **Answer:** the parent survived and is reproducing
- Advantages of dispersal
  - **Answer:** Reduce competition between offspring

- **Answer:** Distribute risk – if you don’t disperse, *all* of your offspring could die if there is a disturbance

## Spreading risk over time

- Organisms that disperse spread their risk across space
- But some disturbances (bad weather, disease outbreaks) may cover very large areas
- Many organisms also have mechanisms for spreading risk over time
  - Iteroparity
  - Delayed development: many semelparous organisms have mechanisms that allow a fraction of their offspring to remain **dormant** (ie., wait) before developing

## Why is it called bet hedging?

- Bet hedging means reducing your risk, or not betting everything you have on any one choice, even if it’s a good choice.
  - **Answer:** If you don’t disperse in space, or spread out risk in time, you are “betting” all of your offspring on a single environment

## 5 Sex ratios

- Should organisms allocate more resources to producing males or females?
  - **Answer:** They should allocate more resources to females because it is females that limit the growth rate
  - **Answer:** They should allocate the same amount of resources to males and females because males and females contribute the same amount of fitness to the next generation
  - **Answer:** They should allocate more resources to males, because males have greater potential reproductive success

### The balance argument

- In a sexual population, half of all the alleles in each generation come from males, and half from females
- Therefore, the total fitness of males and the total fitness of females in the population is equal
- Therefore, individuals should allocate resources equally to offspring of each type
  - **Answer:** If the population on average is allocating more to one type, individuals who allocate more to the other type would do better than average

### Example: elephant seals

- Male elephant seals can control large territories and mate with very large numbers of females
- Females produce at most 12 offspring over the course of their lives
  - And do all of the work of raising them
- To maximize their fitness, should female elephant seals produce more male offspring, or more female offspring?

## Elephant seal details

- Imagine a population where 90% of elephant seals born are males. A certain “generation” of 400 elephant seals produces 600 successful offspring (counting in a reasonable, closed-loop way).
- What is the average fitness of the males and the females in this generation?
  - **Answer:** Half of the genes, and half of the fitness comes from 360 males; half from 40 females
  - **Answer:** Males’ average fitness is  $300/360=0.83$ ; females’ is  $300/40 = 7.5$

## Sex ratio and balance

- Imagine a population where organisms use the same amount of resources to produce male or female offspring
- Thus, the *number* of offspring I can make does not depend on sex
- If everyone else is making more males than females, what should I do?
  - **Answer:** Make more females, because that will increase my average fitness
- How should this population evolve?
  - **Answer:** To a balanced sex ratio

## Allocation and balance

- The balance argument is based on the idea that organisms have resources that they control and use for growth and reproduction
- What if organisms invest more resources in producing one sex than the other?
  - What balances is the amount of *resources* spent on each sex
- Example: what if elephant seal mothers invest twice as much per males as per female, so their male offspring can compete?



- **Answer:** This means they can “choose” to produce one male, or two females
- **Answer:** Thus, the population will balance when male fitness is twice as high as female fitness
- **Answer:** This happens when there are twice as many females as males – the *investment* in the two sexes is the same.

### Example: Fig wasps

- Many species of fig wasps have sex inside figs
  - Most sex is between brothers and sisters
  - How can the mother maximize fitness in this case?
    - \* **Answer:** Have mostly female offspring

### Fig wasp details

- Why does the balance argument not work in this case?
- Males have higher mean fitness than females in this population
- Would a mother benefit by producing more males than others do?
  - **Answer:** No, because these males would not have the same access to the females as their siblings do
  - **Answer:** Producing more males because *average* male fitness is higher works only if the new males can share in the average fitness

### Female-biased sex ratios

- In most organisms (not all) females contribute more direct resources to producing offspring than males
- Such organisms should invest more in females than in males whenever sex with kin is likely
  - The kin group produces more offspring overall
- If organisms invest more per individual male, this could also bias the sex ratio in the same direction

## Variation in reproductive success

- You should recall that in many animals males have very large variation in reproductive success
- Variation in reproductive success does not affect the balance argument:
  - We expect equal total resources to be used for females and males
- Instead it affects allocation per individual
  - **Answer:** Giving male offspring more resources has greater benefits than for female offspring
  - **Answer:** Organisms should use more resources per male, and thus produce fewer male offspring

## Equids

- Horses and zebras produce offspring at similar rates through their adult lives
- The healthiest, middle-aged mares produce a greater fraction of males
  - Presumably they are allocating more resources to these males (because they have more resources available)
- It is not clear from studies whether they produce fewer males than females over their lifespan to compensate (balance would predict that they should)
- These animals show skewed sex ratios of adults, probably for a related reason
  - **Answer:** Males pursue high-risk development strategies, and therefore have lower survival
  - **Answer:** High-risk, aggressive development increases the chance of being dominant and reproductively successful