# Bio 723: Statistical Computing for Biologists

Paul M. Magwene

Modern biological data is...

- ► Heterogeneous sequence data, species distributions, protein concentrations, . . .
- ► High-dimensional genome-wide, GIS, ...
- ► Copious time series, population surveys, global monitoring stations, . . .

To be an effective analyst of biological data you must have. . .

- ▶ Biological knowledge and intuition What does the data mean? What are the key questions? What are interesting patterns or findings in the data?
- Computational skills sort, filter, transform, and transform data and work with in an efficient and reproducible manner
- Statistical skills build and interpret quantitative statements (models)
  about patterns in your data, distinguish interesting "signal" from "noise" of
  natural biological variability and experimental design

### Course Goals

- 1. Learn to visualize and explore complex biological data using R, a programming language and statistical computing environment
- Introduce multivariate statistics from a geometric perspective, emphasizing the geometry of vector spaces.
- Illustrate how to carry out common scientific computing tasks like simulation and building bioinformatics pipelines
- Provide the tools and knowledge to conduct reproducible computational and statistical research.

### Course mechanics

- Instructor and TA contact information
- Texts
- Syllabus
- Grading
- ► Expectations and Policies

### Class structure

#### 1. Lectures

- ► Typically 60-75 minutes
  - Emphasize the mathematical basis of the methods/approaches from both a geometric and algebraic basis
  - Discuss algorithms underlying the methods
- 2. Hands-on
- ► Walk through some examples
  - Apply the techniques and concepts to real data
  - Highlight available R libraries

## Goals for today's class session

- ► Make sure you have a working R/RStudio environment
- Make sure you know how to evaluate commands in the R terminal
- Make sure you know how to create and knit an RMarkdown document
- Review R data types numerics (double, integer, complex), logicals, character
- ▶ Review R data structures vectors, lists, data frames



In-class demonstration of RStudio interface.

RMarkdown
In-class demonstration of creating and knitting an RMarkdown document.
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## Data types

- ▶ Refers to the types of values that can be represented in a computer program
- ▶ Determine the representation of values in memory
- ▶ Constrains the operations you can perform on those values

In R data types are usually inferred by the interpretter rather than specified by the user, though occassionally you may find it necessary to specify a data type.

## Numeric data types in R

► Floating point values ('doubles') – represent real numbers (continuous values)

```
> x <- 10.0
> typeof(x)
[1] "double"
```

▶ Integers – represent whole numbers. The default numeric type is double, so you must explicitly ask for integers.

```
> x <- as.integer(10)
> typeof(x)
[1] "integer"
```

Complex numbers – numbers with a real and "imaginary" part. We won't be explicitly using complex numbers in this course, but they sometimes appear unexpectedly in some calculations.

```
> x <- 1+1i
> typeof(x)
[1] "complex"
```

# Arithmetic operations on numerical data types

```
> 10 + 2 \# addition
[1] 12
> 10 - 2 # subtraction
Γ17 8
> 10 * 2 # multiplication
Γ1 20
> 10 / 2 # division
Γ17 5
> 10 ^ 2 # exponentiation
Γ1] 100
> 10 ** 2 # alternate exponentiation
Γ17 100
> 10 %% 4 # modulus (remainder after division)
[1] 2
> 4-5 / 2 # operator precedence matters!
[1] 1.5
> (4-5)/2 # parentheses help you specify/disambiguate precedence.
[1] -0.5
```

## Basic mathematical functions

```
> sqrt(10) # square root
[1] 3.162278
> 10 ^ 0.5 # same as square root
[1] 3.162278
> sqrt(-1) # NaN means "Not a Number"
[1] NaN
> sqrt(-1 + 0i) # But works if we use complex type
[1] 0+1i
> exp(1) # exponential function
[1] 2.718282
> log(100) # log base e
[1] 4.60517
> log10(100) # log base 10
Γ17 2
> log2(8) # log base 2
Γ17 3
> factorial(5) # factorial function: 5 * 4 * 3 * 3 * 1
Γ1] 120
> pi # R knows some useful constants
[1] 3.141593
> cos(2*pi) # cosine, also sin, tan, ...
Γ1 1
```

```
Logical (Boolean) type

> x <- TRUE
> typeof(x)

[1] "logical"
> y <- FALSE
> typeof(FALSE)

[1] "logical"
> !TRUE # logical negation of TRUE

[1] FALSE
> !y # logical negation (NOT) of value in y

[1] TRUE
```

### Numerical comparison operators return logical types:

```
> 4 < 5  # less than
[1] TRUE
> 10 >= 9  # greater than or equal to
[1] TRUE
```

### Comparison operations can be assigned to variables:

```
> x <- 1 > 2
> y <- 2 >= 2
> x & y # Logical AND
[1] FALSE
> x | y # Logical OR
[1] TRUE
> isTRUE(x) # returns true if x is logical and true
[1] FALSE
```

# Character (string) type

```
> x <- "Hello" # enclosed in double quotes
> y <- 'World' # or single quotes
> z <- 'You said "Hello World"  # allows nesting</pre>
```

#### Simple character functions:

```
> paste(x, y) # concatenate strings
[1] "Hello World"
> paste(x, y, sep = "") # concatenate with no space
[1] "HelloWorld"
> strsplit("Hello world!", split=" ") # split on space
[[1]]
[1] "Hello" "world!"
```

The stringr package contains many useful string manipulation functions.

#### Data structures

- Represent different ways collections of data are stored in memory or accessed by the user
- ► Homogenous or heterogeneous with respect to data types
- Different data structures are more efficient for particular modes of access or to represent different types operations

## Vectors

Homogenous ordered list of items

```
> x <- c(2, 4, 6, 8)
> y <- c("hello", "world", "how", "are", "you?")</pre>
```

Vectors always have a length (possibly zero) and a type

```
> length(x)
[1] 4
> typeof(x)
[1] "double"
> length(y)
[1] 5
> typeof(y)
[1] "character"
```

### Indexing vectors

Accessing the objects in a vector is accomplished by "indexing".

The elements of the vector are assigned indices  $1 \dots n$  where n is the length of the vector

```
> x <- c(2,4,6,8)
> length(x)
[1] 4
> x[1]
[1] 2
> x[2]
[1] 4
> x[4]
[1] 8
> x[length(x)] # why might this be preferred way to get last value?
[1] 8
```

Indexing past the end of a vector returns NA (Not Available) values:

```
> x[5]
[1] NA
```

# Single objects of core data types in $\ensuremath{\mathsf{R}}$ are themselves vectors

```
> x <- 1
> length(x)
[1] 1
> x[1] # can be indexed like any other vectors
[1] 1
> is.vector(x) # function to test whether something is vector
[1] TRUE
```

# Elements of a vector will be coerced to be the same type

```
> x <- c(1+1i, 2+1i, 'Fred', 10)
> x
[1] "1+1i" "2+1i" "Fred" "10"
> typeof(x)
[1] "character"
```

## Arithmetic operators and most math functions work on numerical vectors

Arithmetic operators and comparison work element-by-element on vectors.

```
> x <- c(2, 4, 6, 8)
> y <- c(0, 1, 2, 10)
> x + y
[1] 2 5 8 18
> x * y
[1] 0 4 12 80
> x<sup>2</sup>
[1] 4 16 36 64
> sqrt(x)
[1] 1.414214 2.000000 2.449490 2.828427
> x < y
[1] FALSE FALSE FALSE TRUE</pre>
```

# Vectors can be indexed by other vectors, including logical vectors

```
> x <- c(2, 4, 6, 8)
> x[c(2,4)] # get 2nd and 4th elements of x
[1] 4 8

> x <- c(2, 4, 6, 8)
> y <- c(0, 1, 2, 10)
> x[x > y] # get elements of x where x > y
[1] 2 4 6
```

### Lists

Lists in R are like vectors but the elements of a list are arbitrary objects (even other lists). Lists are "heteregeneous".

```
> x <- list('Bob',27, 10, c(720,710))
> typeof(x)
[1] "list"
> x
[[1]]
[1] "Bob"
[[2]]
Γ17 27
[[3]]
[1] 10
[[4]]
[1] 720 710
```

## **Indexing Lists**

Items in lists are accessed in a different manner than vectors.

- ► Typically you use double brackets ([[]])to return the element at index i
- ▶ Single brackets always return a list containing the element at index i

```
> x <- list('Bob', 27, 10, c(720,710))
> x[1]
[[1]]
[1] "Bob"
> typeof(x[1])
[1] "list"
> x[[1]]
[1] "Bob"
> typeof(x[[1]])
[1] "character"
```

### List elements can have names

```
> x <- list(name='Bob',age=27, years.in.school=10)
> x
$name
[1] "Bob"

$age
[1] 27

$years.in.school
[1] 10
```

### Named list objects can be accessed via the \$ operator

```
> x$years.in.school
[1] 10
```

## The names of list elements can be accessed with the names() function

```
> names(x)
[1] "name" "age" "years.in.school"
```

### Data frames

## Data frames represent data tables (data sets)

- ▶ Each column in the table has the same number of rows
- Every item in a given column has to be of the same type.
- ► Columns in a data frame must have names

# Data frame indexing and shape

### Shape

```
> nrow(example.df) # number of rows
[1] 3
> ncol(example.df) # number of columns
[1] 3
```

### Indexing columns by name or position

```
> example.df$age
[1] 40 42 28
> example.df[3]
   grade
1   C
2   A
3   B
```

### Indexing with a vector to subset columns

```
> example.df[c("name","grade")]
   name grade
1 Paul C
2 Mary A
3 Peter B
```