

The pitfalls of summarisation and imputation on label free mass spectrometry based proteomics

Lieven Clement

European Bioconductor Meeting 2019, December 9-11, 2019, Brussels,
Belgium

Transcriptomics & single cell omics



Proteomics

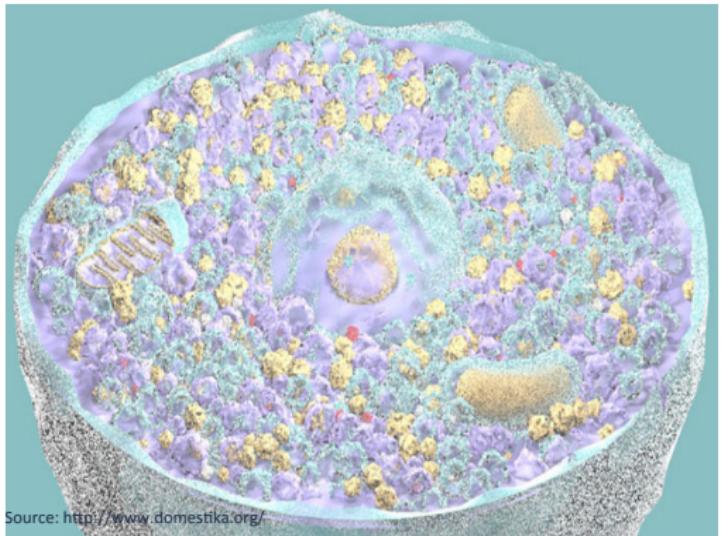
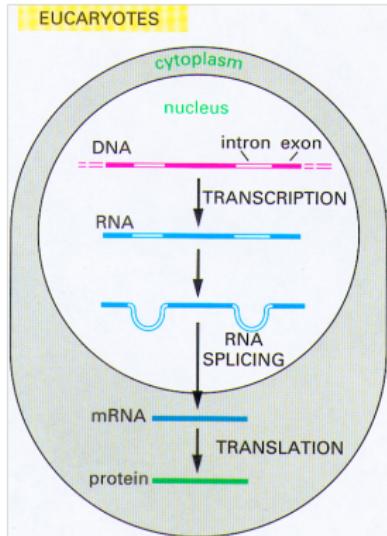


Meta-omics



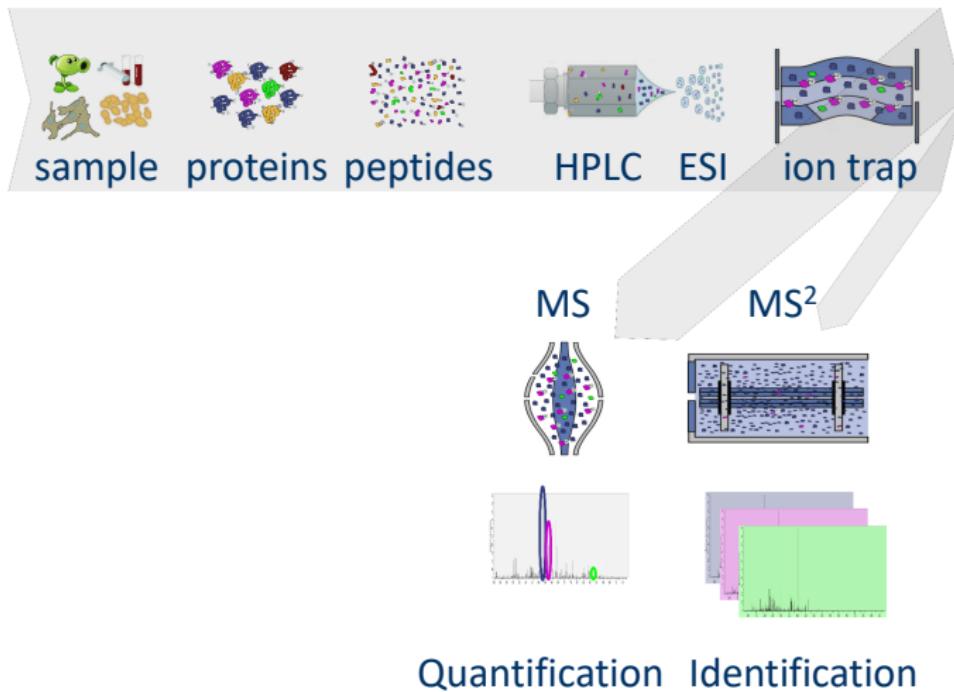
- Students Adriaan Sticker & Ludger Goeminne
- Lennart Martens Lab (proteomics informatics)
- Kris Gevaert Lab (wetlab)

- ① Introduction
- ② Comparison of popular tools
- ③ Robust summarisation & Inference
- ④ Missing Peptides
- ⑤ Wrap-up

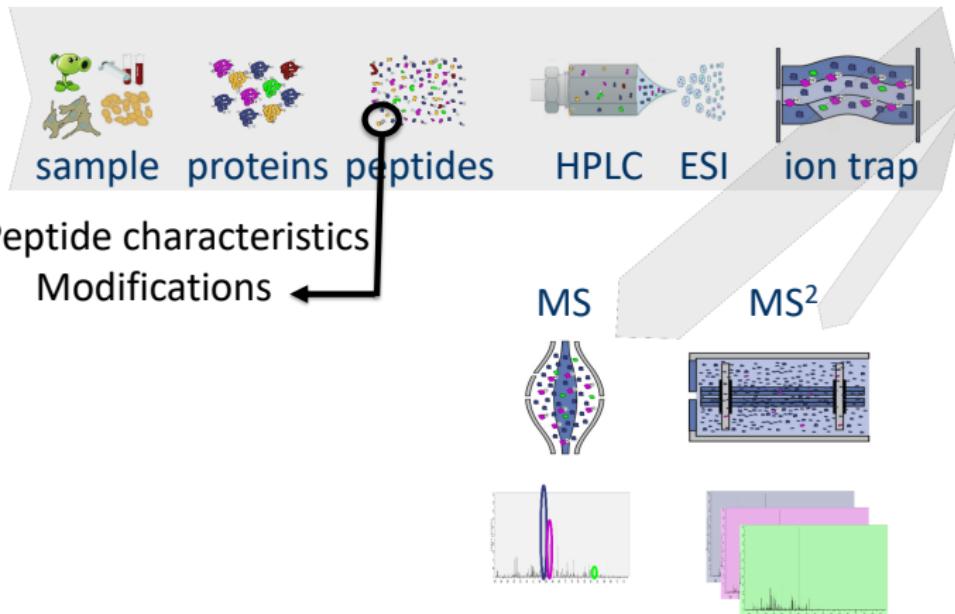


Source: <http://www.domestika.org/>

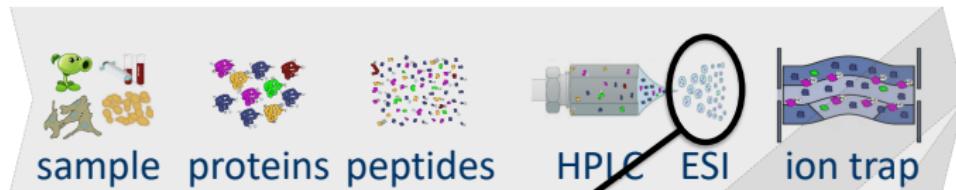
Challenges in Label Free MS-based Quantitative proteomics



Challenges in Label Free MS-based Quantitative proteomics

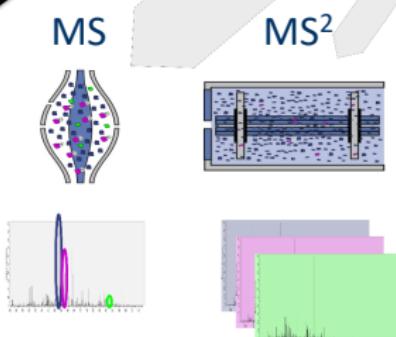


Challenges in Label Free MS-based Quantitative proteomics



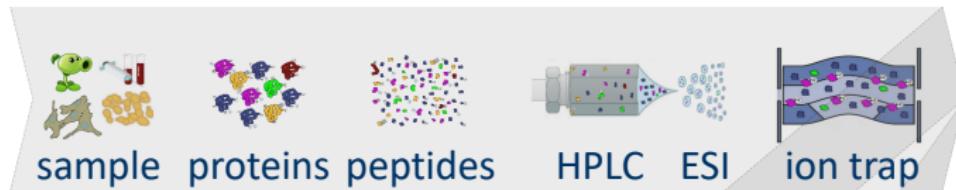
Peptide characteristics

- Modifications
- Ionisation efficiency
 - Outliers
 - Huge variability



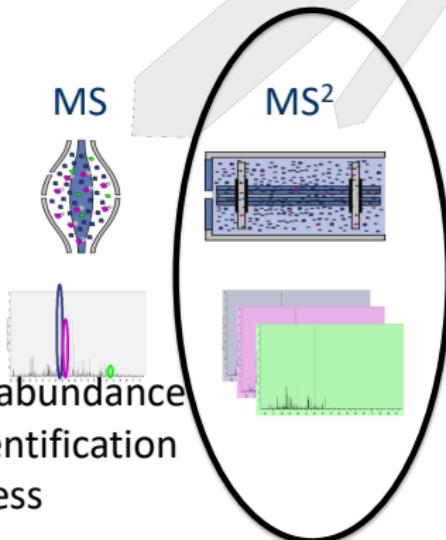
Quantification Identification

Challenges in Label Free MS-based Quantitative proteomics

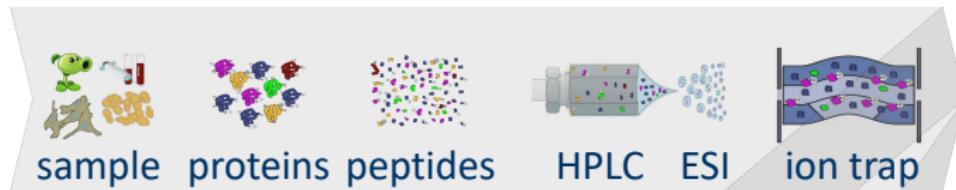


Peptide characteristics

- Modifications
- Ionisation efficiency
 - Outliers
 - Huge variability
- MS² selection on peptide abundance
 - Context dependent Identification
 - Non-random missingness

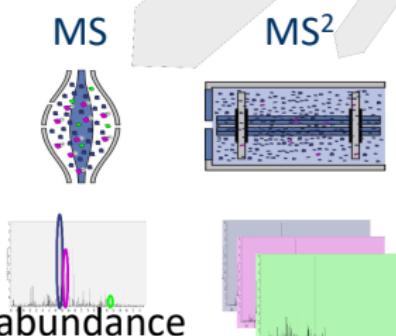


Challenges in Label Free MS-based Quantitative proteomics



Peptide characteristics

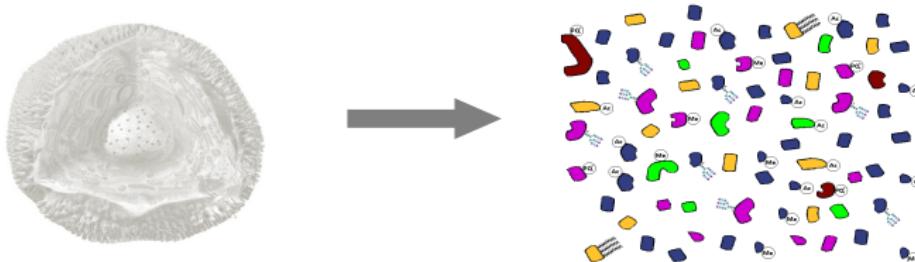
- Modifications
- Ionisation efficiency
 - Outliers
 - Huge variability
- MS² selection on peptide abundance
 - Context dependent Identification
 - Non-random missingness



Unbalanced peptides identifications across samples and messy data

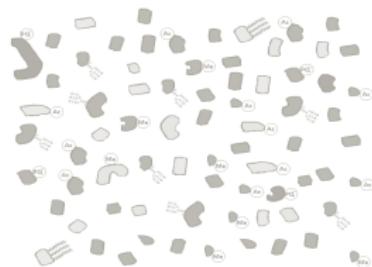
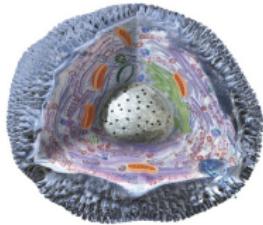
Challenges in Label Free MS-based Quantitative proteomics

MS-based proteomics returns **peptides**:
pieces of proteins

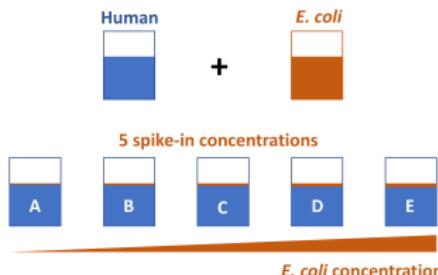


Challenges in Label Free MS-based Quantitative proteomics

We need information on protein level!

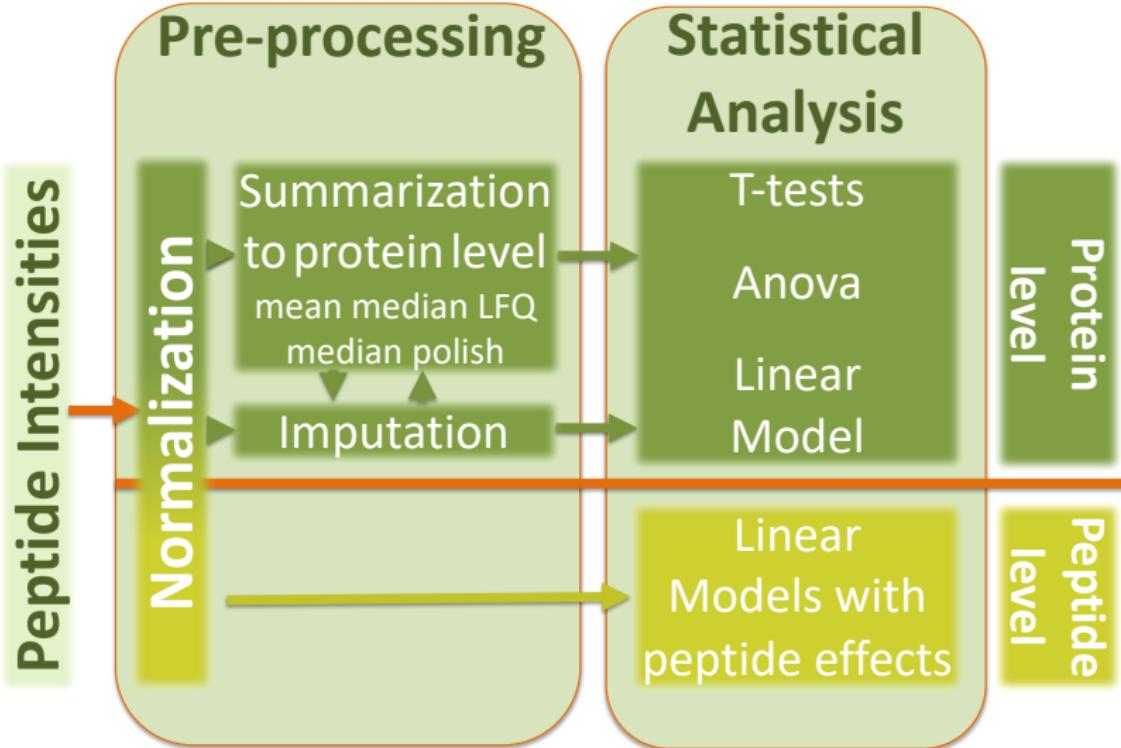


Spike-in study (Shen et al. 2018)



- 4 repeats per spike-in condition
- Trypsin-digested human proteome
- After MaxQuant search with match between runs option
 - Only 50% of all peptides are quantified in all samples
→ **vast amount of missingness**

- ① Introduction
- ② Comparison of popular tools
 - ① Overview tools
 - ② Difference in performance
 - ③ Impact of summarisation
- ③ Robust summarisation & Inference
- ④ Missing Peptides
- ⑤ Wrap-up



MSqRob workflow (Goeminne et al. 2016 MCP, PMID: 26566788)

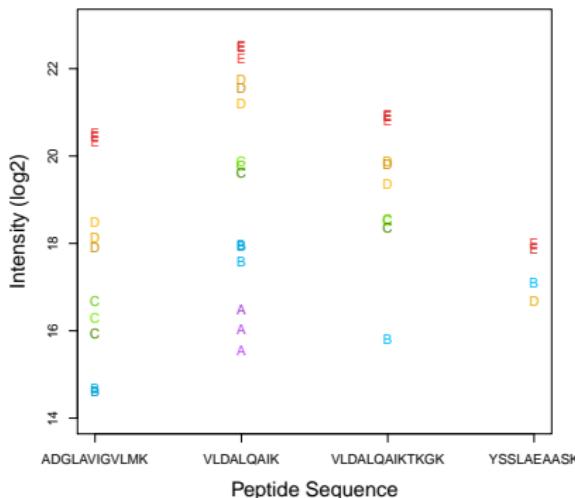
$$y_{grp} = \beta_g^{group} + u_r^{\text{run}} + \beta_p^{\text{pep}} + \epsilon_{rp}$$

protein-level

- β_g^{group} : spike-in
- random run effect $u_r^{\text{run}} \sim N(0, \sigma_{\text{run}}^2)$
→ Addresses pseudo-replication

peptide-level

- peptide specific effect β_p^{pep}
- within run error $\epsilon_{rp} \sim N(0, \sigma_{\epsilon}^2)$



MSqRob workflow (Goeminne et al. 2016 MCP, PMID: 26566788)

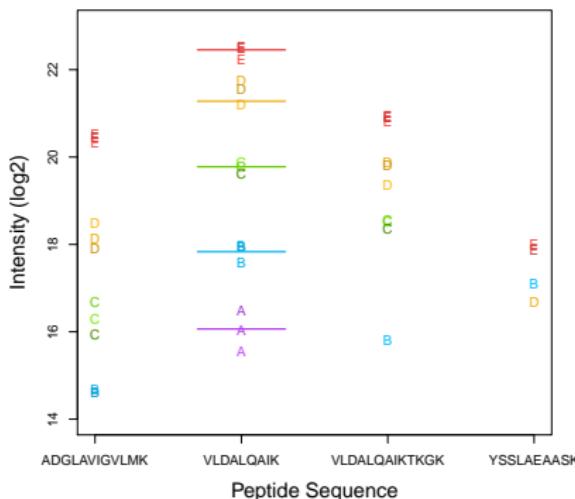
$$y_{grp} = \beta_g^{group} + u_r^{\text{run}} + \beta_p^{\text{pep}} + \epsilon_{rp}$$

protein-level

- β_g^{group} : spike-in
- random run effect $u_r^{\text{run}} \sim N(0, \sigma_{\text{run}}^2)$
→ Addresses pseudo-replication

peptide-level

- peptide specific effect β_p^{pep}
- within run error $\epsilon_{rp} \sim N(0, \sigma_{\epsilon}^2)$



MSqRob workflow (Goeminne et al. 2016 MCP, PMID: 26566788)

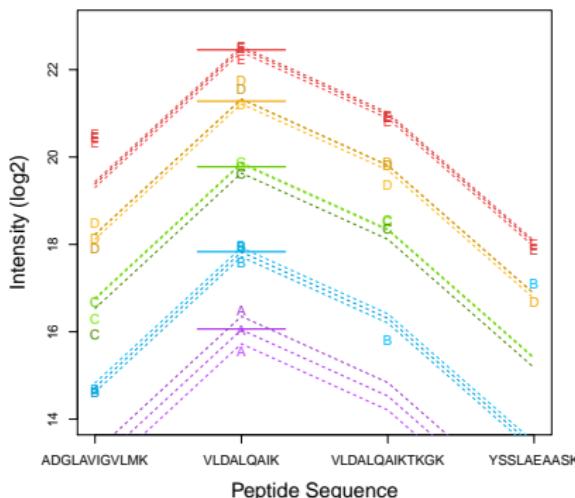
$$y_{grp} = \beta_g^{group} + u_r^{\text{run}} + \beta_p^{\text{pep}} + \epsilon_{rp}$$

protein-level

- β_g^{group} : spike-in
- random run effect $u_r^{\text{run}} \sim N(0, \sigma_{\text{run}}^2)$
→ Addresses pseudo-replication

peptide-level

- peptide specific effect β_p^{pep}
- within run error $\epsilon_{rp} \sim N(0, \sigma_{\epsilon}^2)$



MSqRob workflow (Goeminne et al. 2016 MCP, PMID: 26566788)

$$y_{grp} = \beta_g^{group} + u_r^{\text{run}} + \beta_p^{\text{pep}} + \epsilon_{rp}$$

protein-level

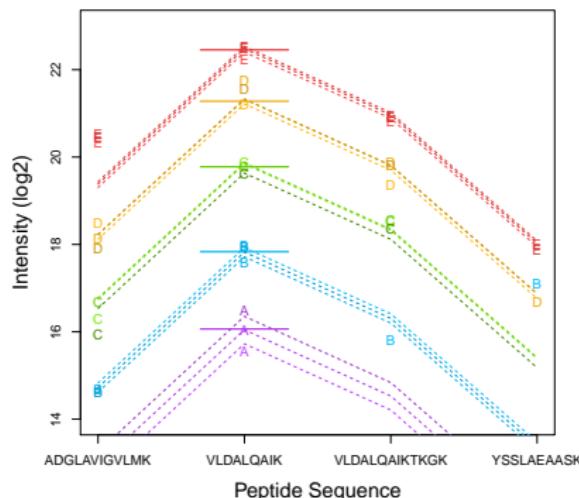
- β_g^{group} : spike-in
- random run effect $u_r^{\text{run}} \sim N(0, \sigma_{\text{run}}^2)$
→ Addresses pseudo-replication

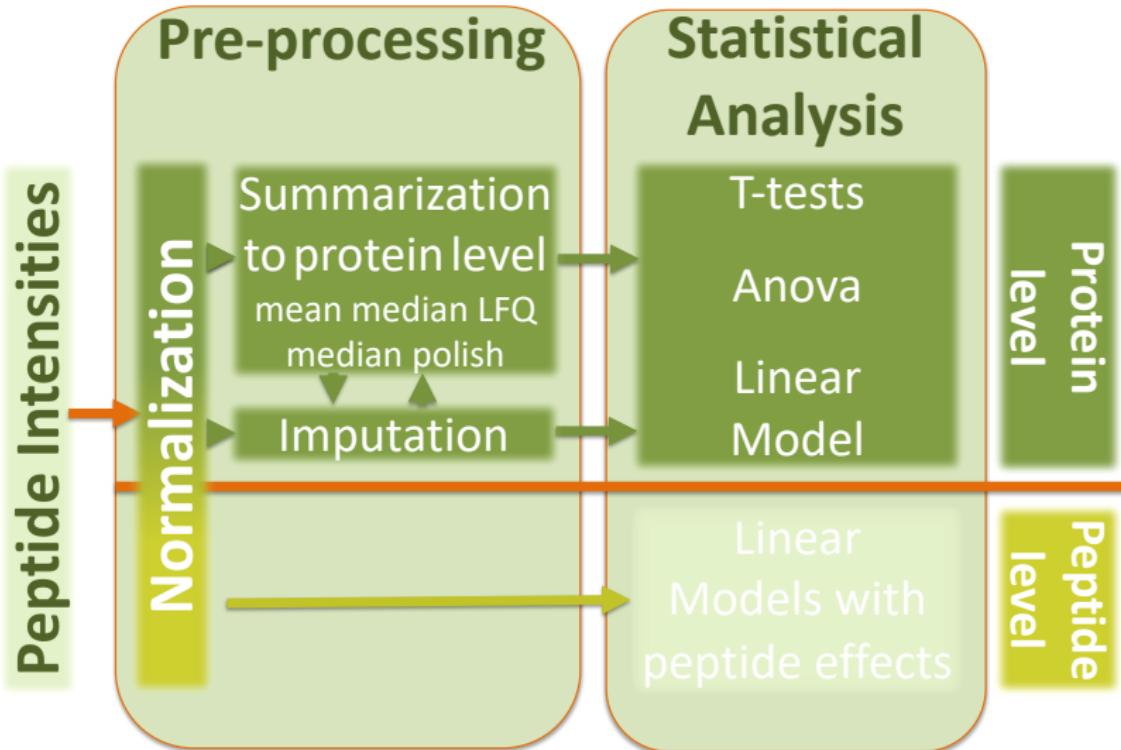
peptide-level

- peptide specific effect β_p^{pep}
- within run error $\epsilon_{rp} \sim N(0, \sigma_{\epsilon}^2)$

Estimation

- ① Robust regression for outliers
- ② Penalise β^{treat} (Ridge regression)
- ③ Empirical Bayes variance estimation

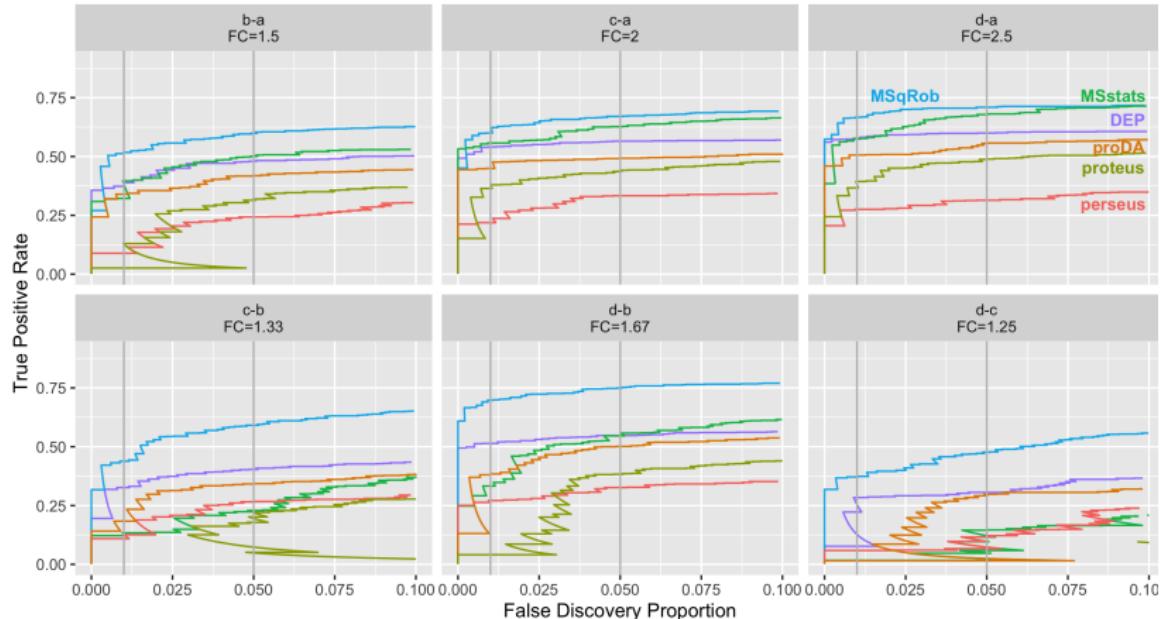




Summarisation based methods

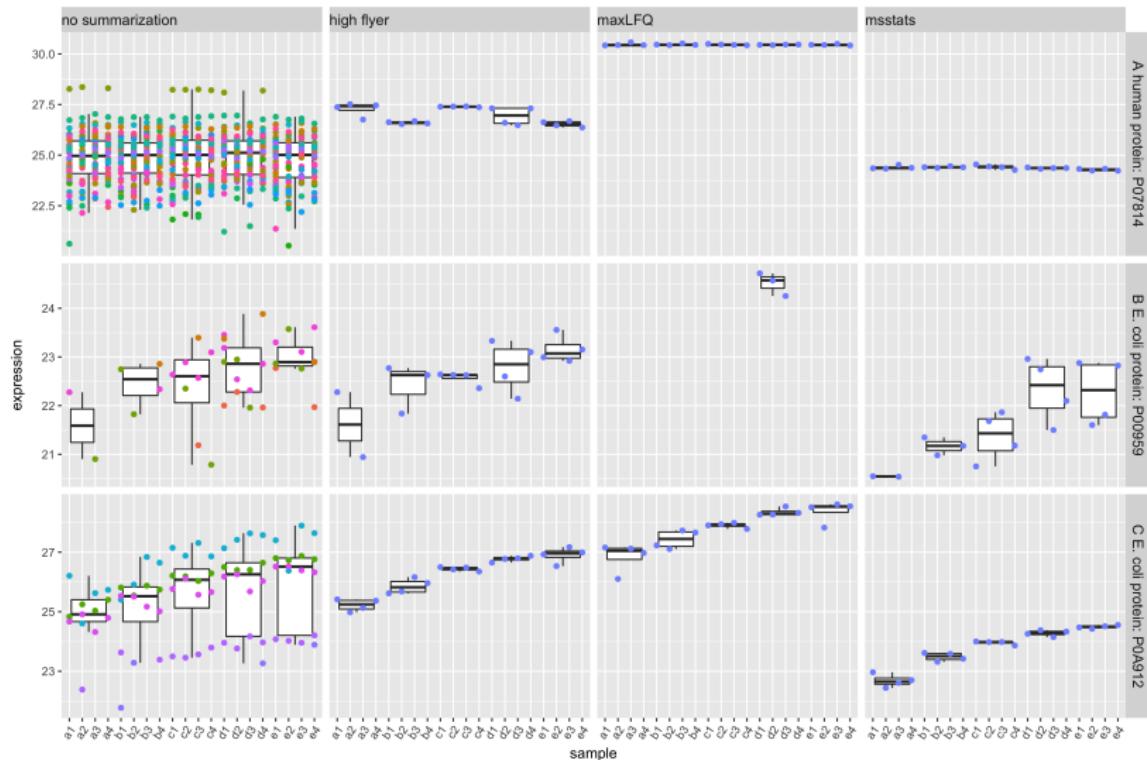
- Perseus: MaxLFQ summarization & Inference with t-test
- Proteus
 - Summarization: average of 3 high-flyers
 - Inference: limma (linear model + EB)
- DEP
 - Summarization: MaxLFQ
 - Imputation at protein level: missingness at random and by low abundance
 - Inference: limma
- proDA
 - Summarization: MaxLFQ
 - probabilistic dropout model
 - Inference: linear model + EB
- MS-stats
 - Summarization with peptide-based model (median polish)
 - Imputation at peptide level: missingness by low abundance
 - Inference: linear model

$$TPR = \frac{TP}{TP + FN} = \frac{\text{E. coli}}{\text{All E. coli}}$$



$$FDP = \frac{FP}{TP + FP} = \frac{\text{Human}}{\text{E. coli} + \text{Human}}$$

Summarisation



- ① Introduction
- ② Comparison of popular tools
- ③ Robust summarisation & Inference
 - ① Robust Summarisation
 - ② Robust Inference
 - ③ Results
- ④ Missing Peptides
- ⑤ Wrap-up

Fit MSqRob mixed model in two-stage approach

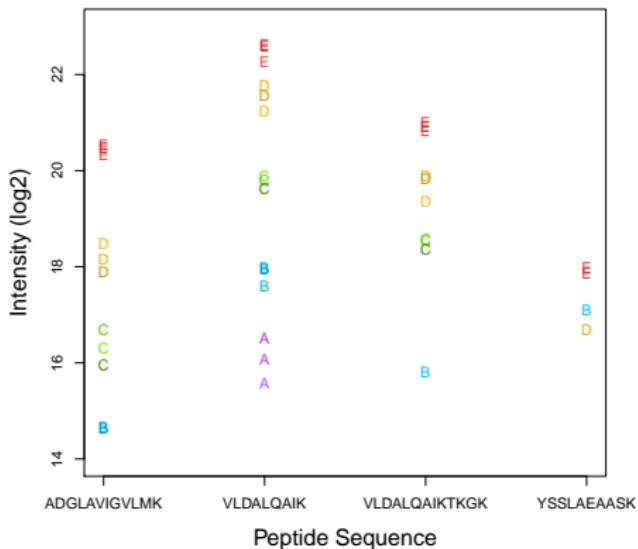
MSqRob

- No protein summaries available
- Difficult to disseminate
- Unclear to calculate degrees of freedom to adopt t-tests for inference in experiments with small sample sizes

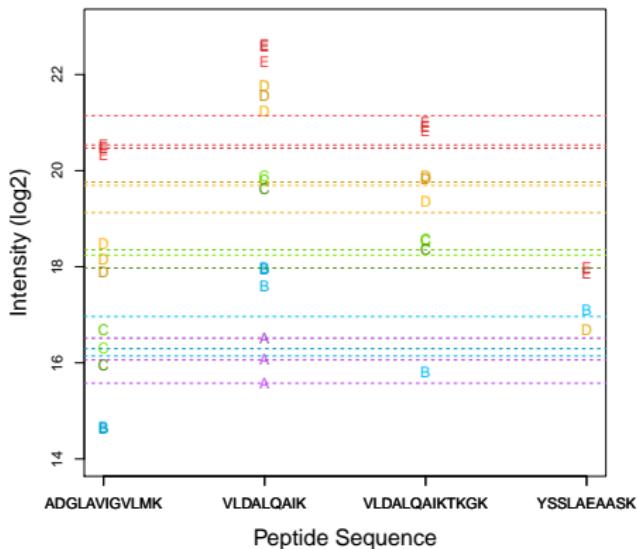
→ Modular approach

- ① Summarize peptides to proteins using robust regression
- ② Robust penalized regression of protein level summaries

Summarisation with peptide based model



Summarisation with peptide based model



Protein by protein analysis of peptide data with linear model

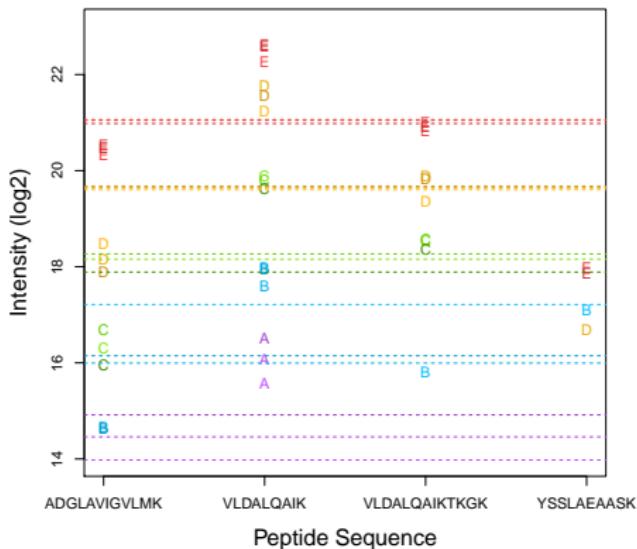
peptide level

$$y_{rp} = \epsilon_{rp}$$

protein level

$$\beta_r^{\text{run}}$$

Summarisation with peptide based model

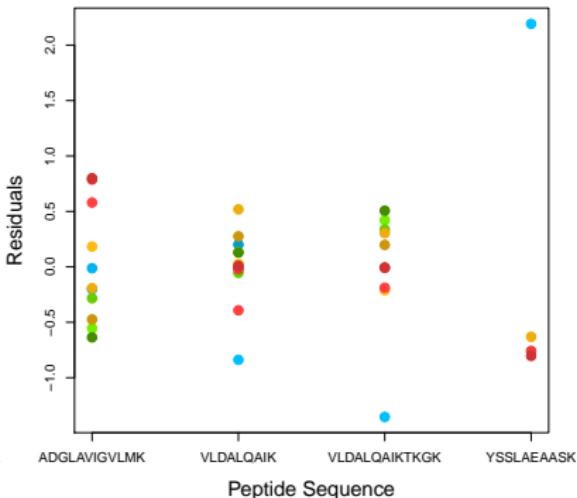
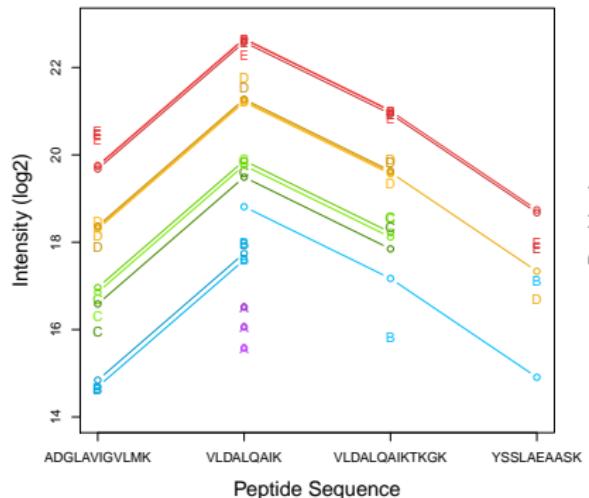


Protein by protein analysis of peptide data with linear model

$$\text{peptide level} \quad \text{protein level}$$
$$y_{rp} = \beta_p^{\text{pep}} + \epsilon_{rp} \quad + \quad \beta_r^{\text{run}}$$

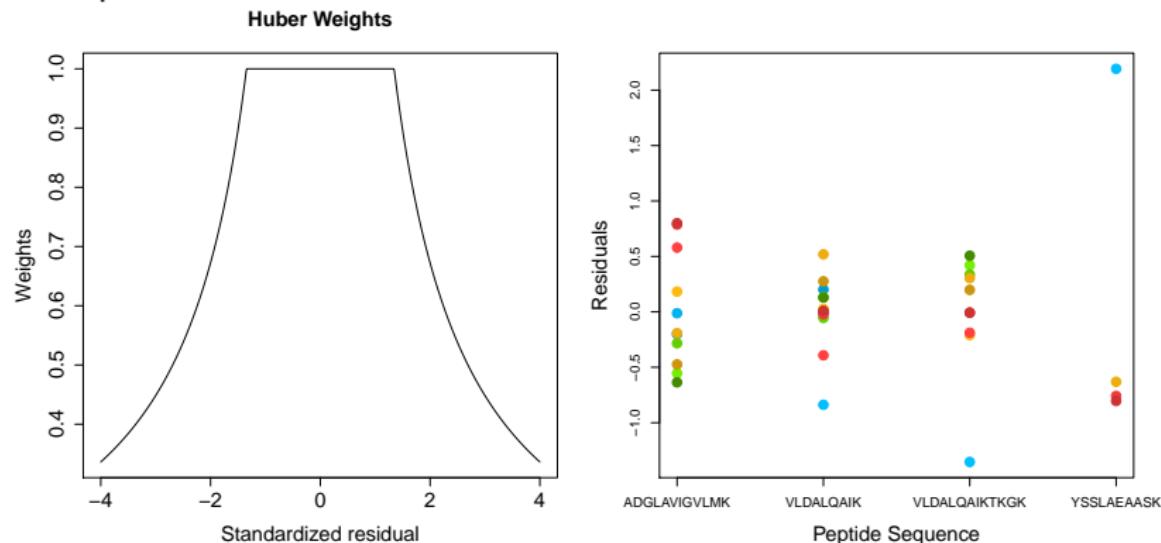
Robust estimation using observation weights

- Outlying peptide intensities: incorrect peptide identification, post-translational modifications, ...



Robust estimation using observation weights

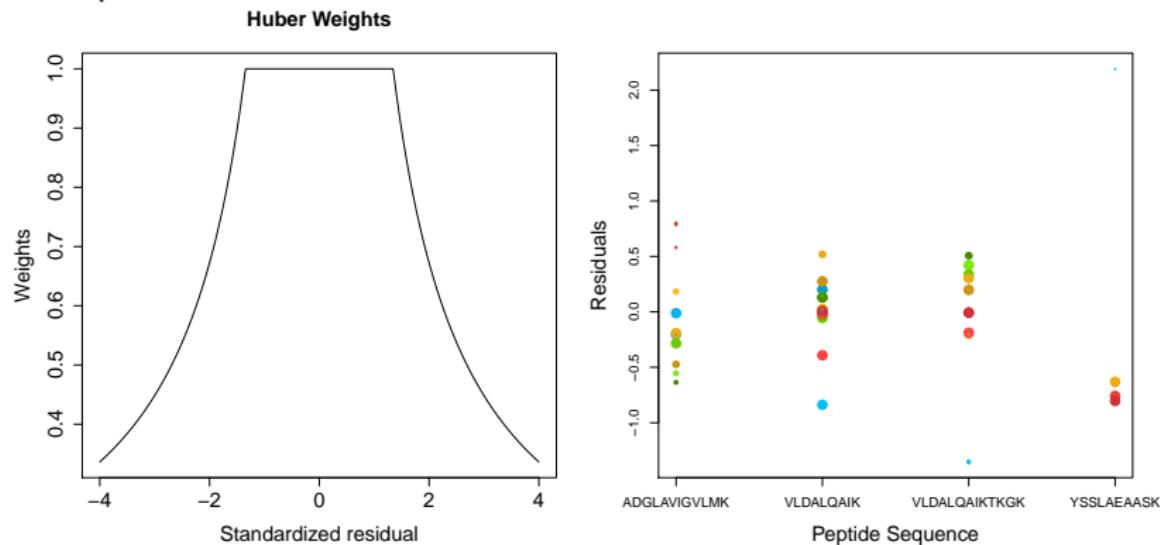
- Outlying peptide intensities: incorrect peptide identification, post-translational modifications, ...



- M-estimation: implemented by iteratively fitting model with observation weights

Robust estimation using observation weights

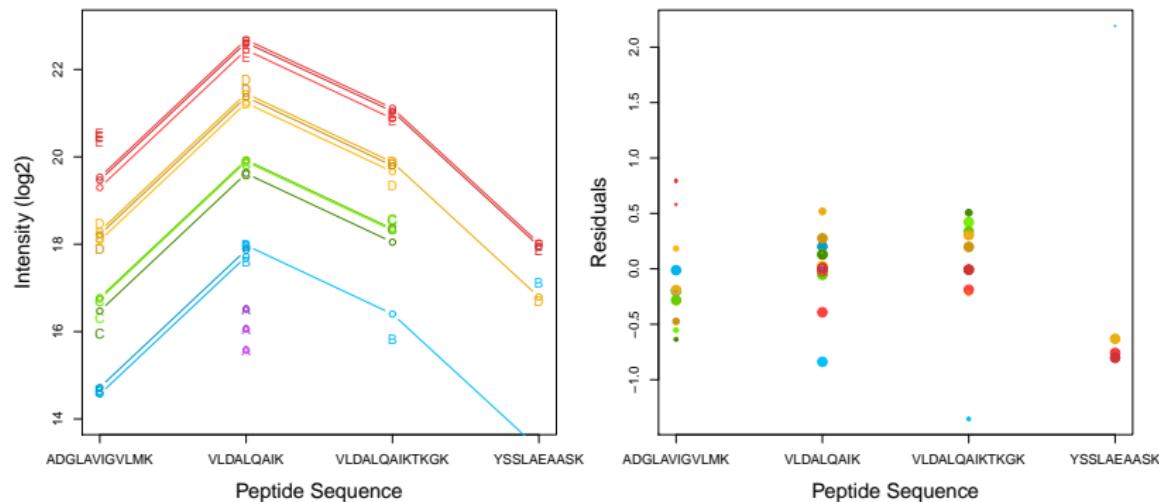
- Outlying peptide intensities: incorrect peptide identification, post-translational modifications, ...



- M-estimation: implemented by iteratively fitting model with observation weights

Robust estimation using observation weights

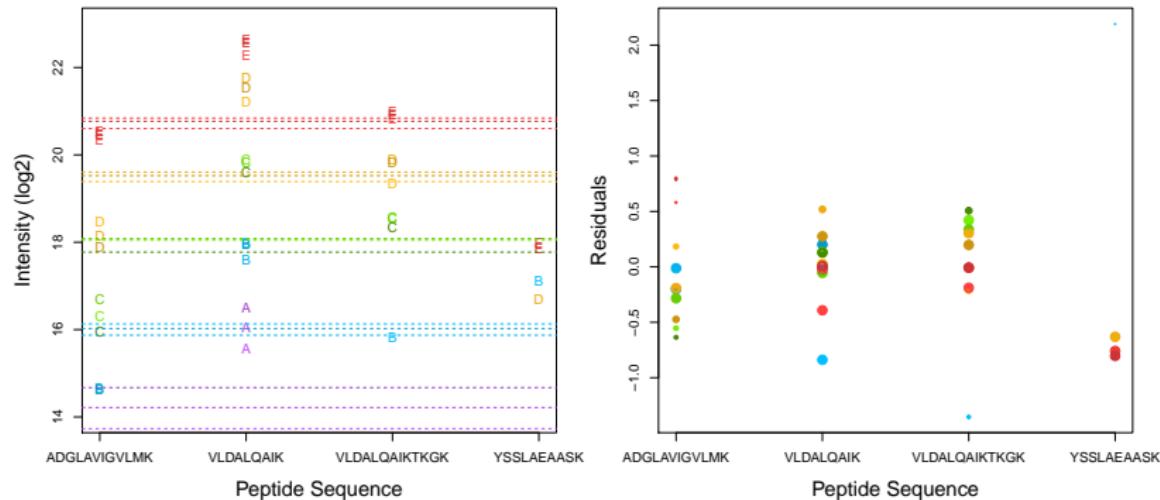
- Outlying peptide intensities: incorrect peptide identification, post-translational modifications, ...



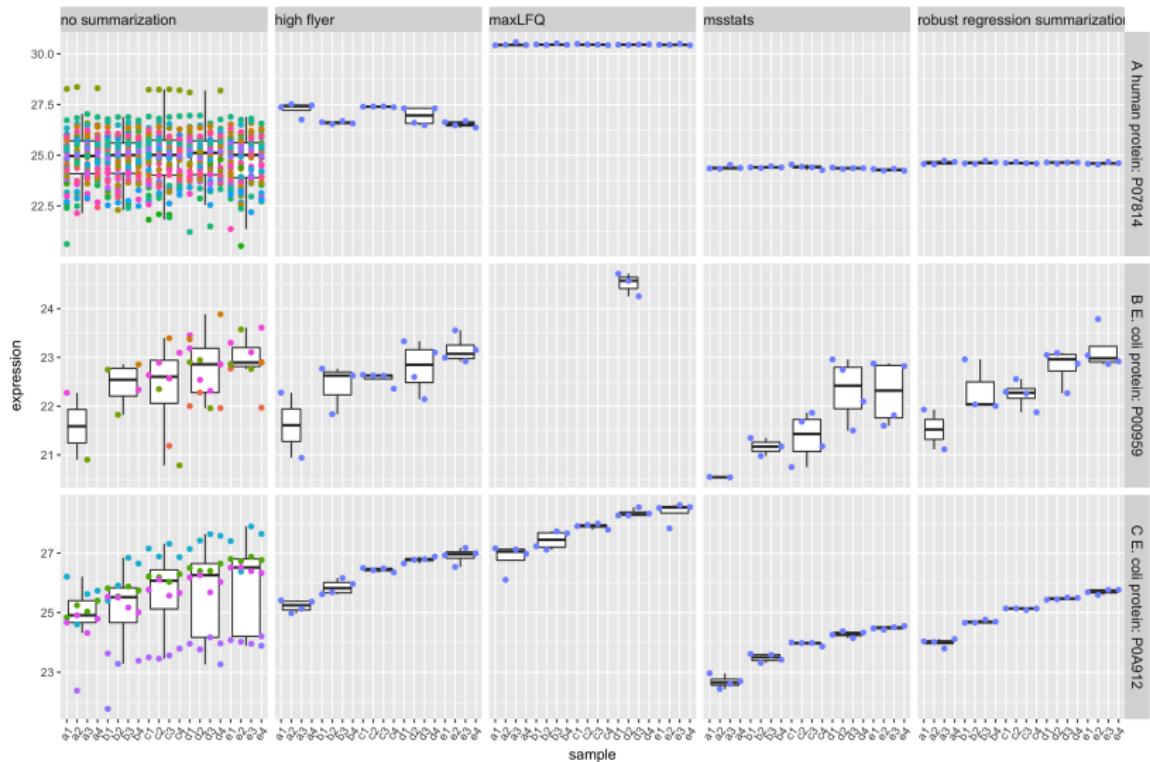
- M-estimation: implemented by iteratively fitting model with observation weights

Robust estimation using observation weights

- Outlying peptide intensities: incorrect peptide identification, post-translational modifications, ...



- M-estimation: implemented by iteratively fitting model with observation weights

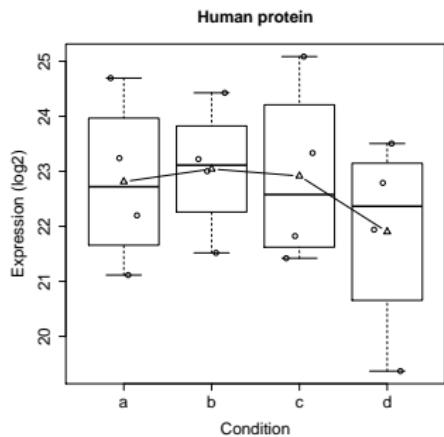


- ① Introduction
- ② Comparison of popular tools
- ③ Robust summarisation & inference
 - ① Robust Summarisation
 - ② **Robust Inference**
 - ③ Results
- ④ Missing Peptides
- ⑤ Wrap-up

Inference upon summarisation: Protein level model

$$y_r = \beta_0 + \beta_{g(r)}^{group} + \epsilon_r$$

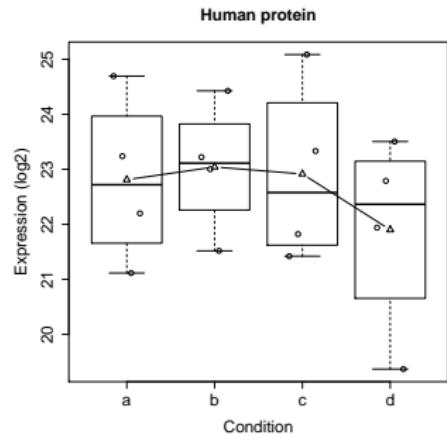
- y_r : protein summary of run r
- $\sum_{g=1}^G \beta_g^{group} = 0$



Inference upon summarisation: Protein level model

$$\begin{aligned}y_r &= \beta_0 + \beta_{g(r)}^{group} + \epsilon_r \\&= \mathbf{X}_r^t \boldsymbol{\beta} + \epsilon_r\end{aligned}$$

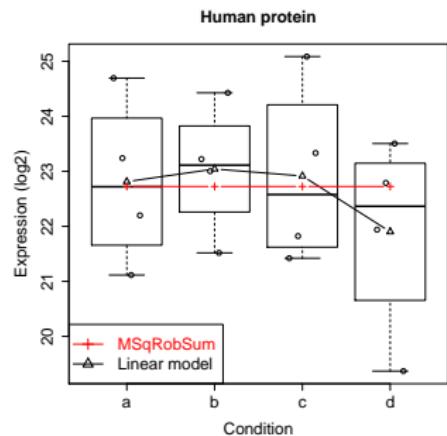
- y_r : protein summary of run r
- $\sum_{g=1}^G \beta_g^{group} = 0$
- $\boldsymbol{\beta} = [\beta_0, \beta_1^{group}, \dots, \beta_G^{group}]^t$
- $\mathbf{X}_r^t = [1 \quad x_{r1}^{group} \dots x_{rG}^{group}]$
- $x_{rg}^{group} = 1$ if run r in group g
 $x_{rg}^{group} = 0$ otherwise



Inference upon summarisation: Protein level model

$$\begin{aligned}y_r &= \beta_0 + \beta_{g(r)}^{group} + \epsilon_r \\&= \mathbf{X}_r^t \boldsymbol{\beta} + \epsilon_r\end{aligned}$$

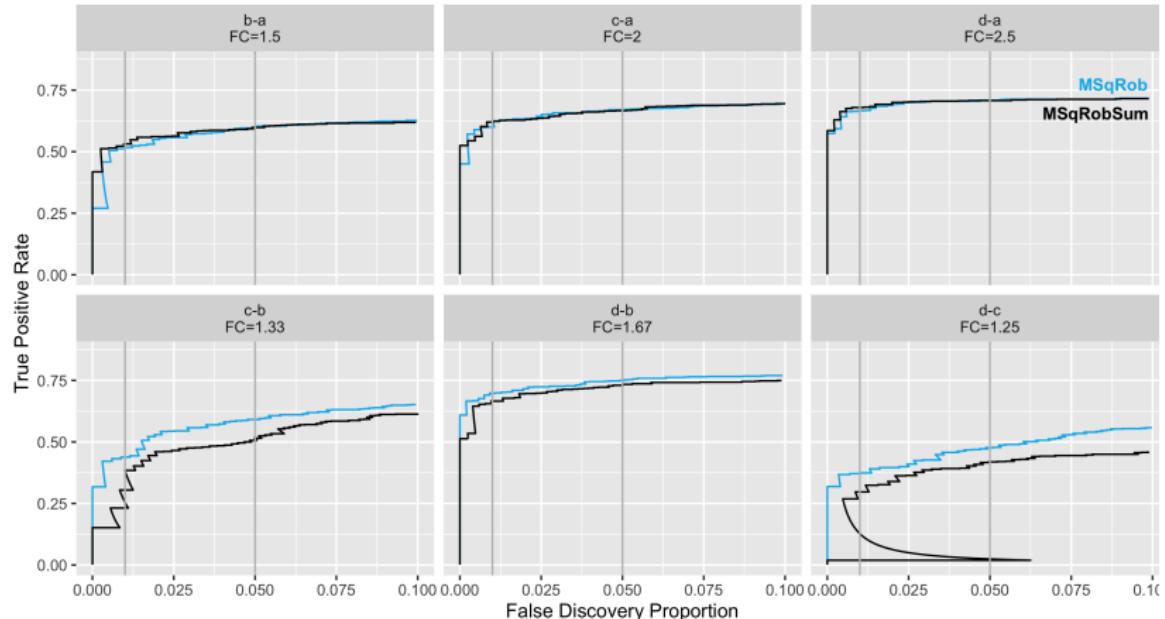
- y_r : protein summary of run r
- $\sum_{g=1}^G \beta_g^{group} = 0$
- $\boldsymbol{\beta} = [\beta_0, \beta_1^{group}, \dots, \beta_G^{group}]^t$
- $\mathbf{X}_r^t = [1 \quad x_{r1}^{group} \dots x_{rG}^{group}]$
- $x_{rg}^{group} = 1$ if run r in group g
 $x_{rg}^{group} = 0$ otherwise



MSqRobSum: robust M-estimation + ridge regression

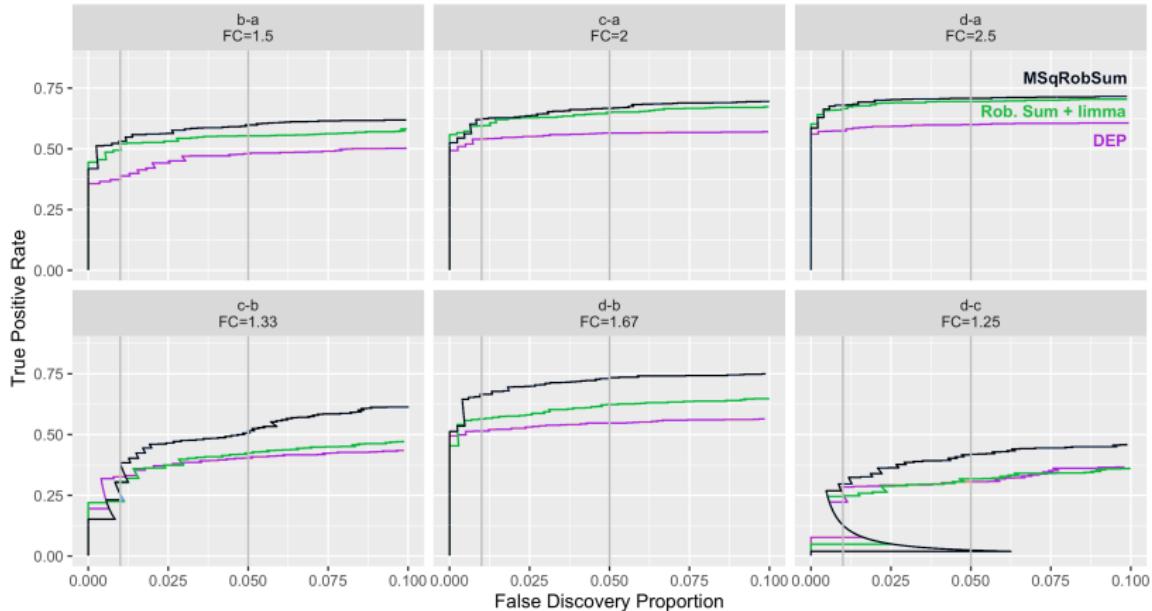
- ① Introduction
- ② Comparison of popular tools
- ③ Robust summarisation & Inference
 - ① Robust Summarisation
 - ② Robust Inference
 - ③ Results
 - MSqRobSum vs MSqRob
 - Modular Approach
 - Fold Change Estimates
- ④ Missing Peptides
- ⑤ Wrap-up

MSqRobSum vs MSqRob

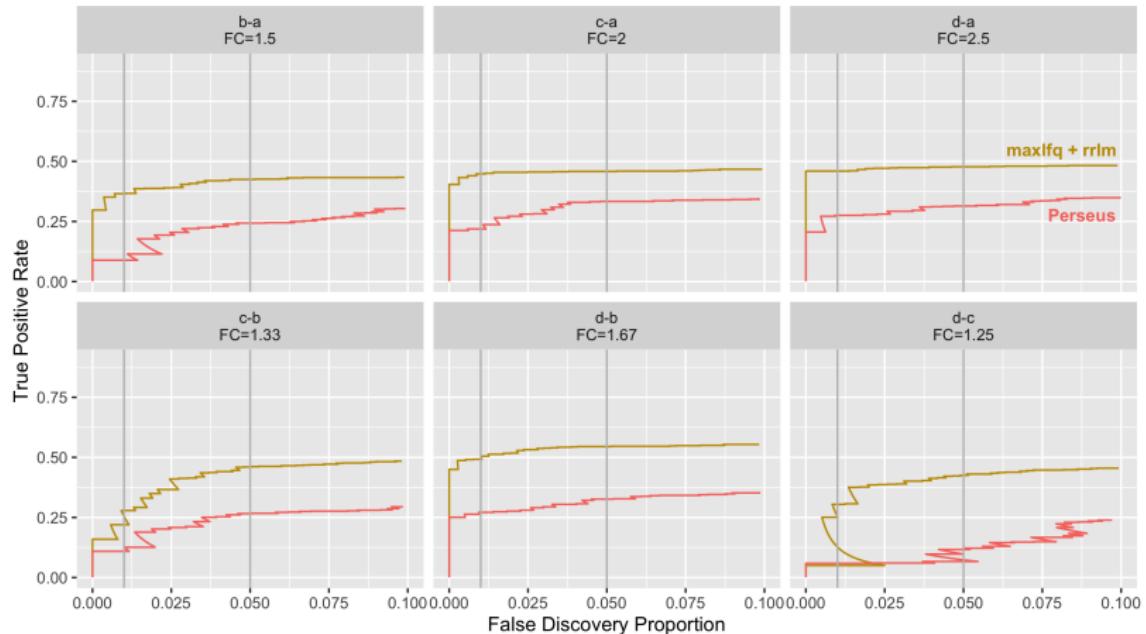


- Still very good performance
- 3 times faster
- df well defined
- Summaries for visualisation

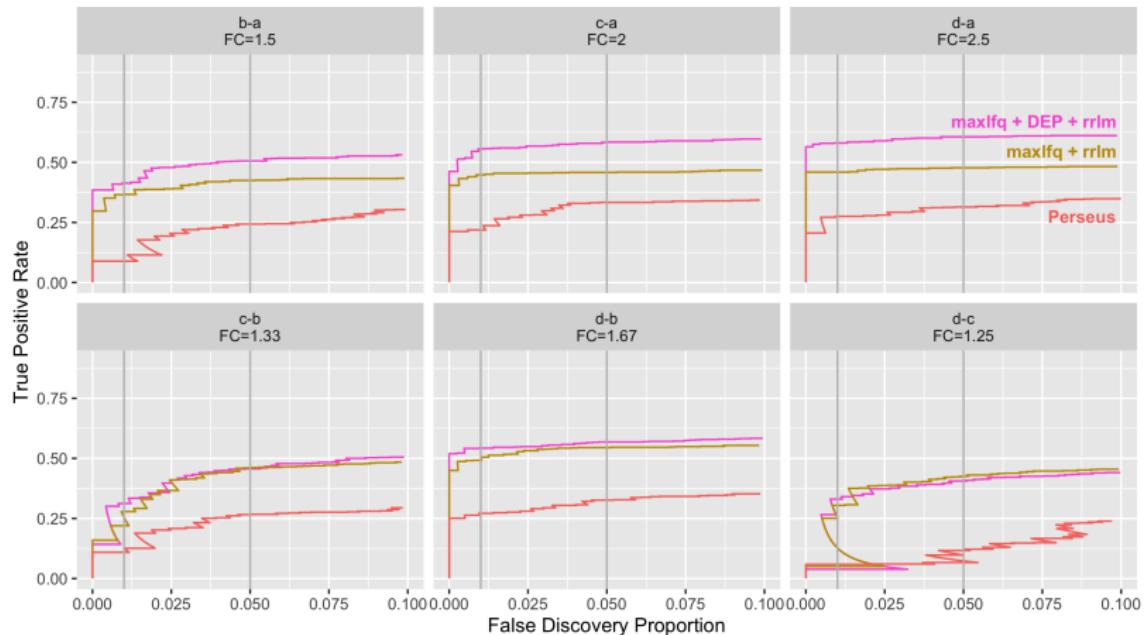
MSqRobSum vs DEP



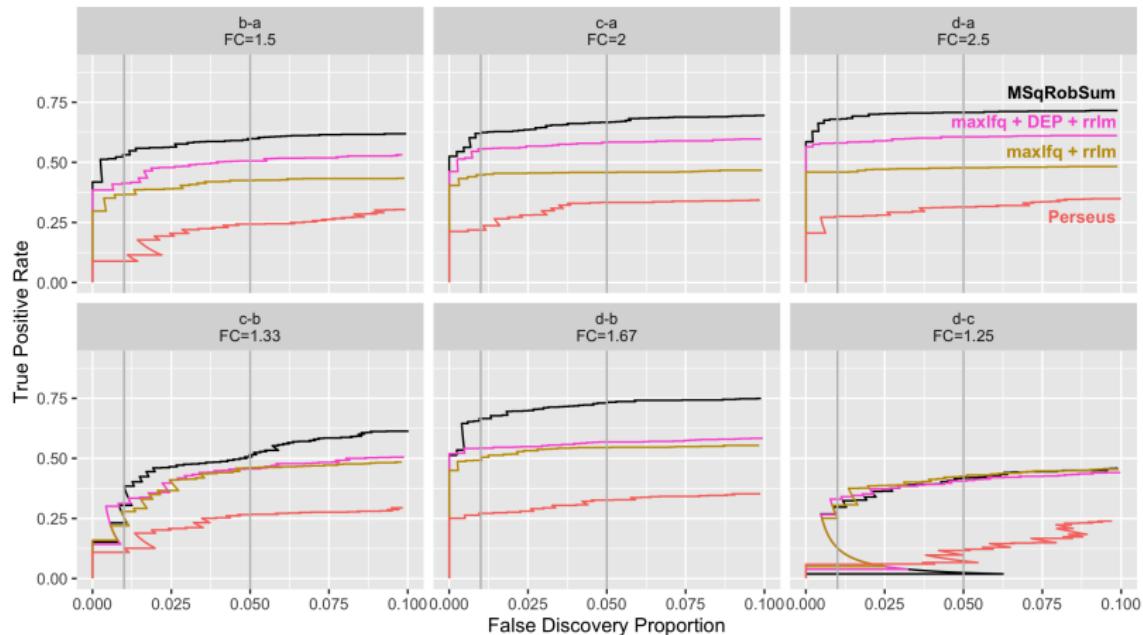
Summarisation & inference are modular



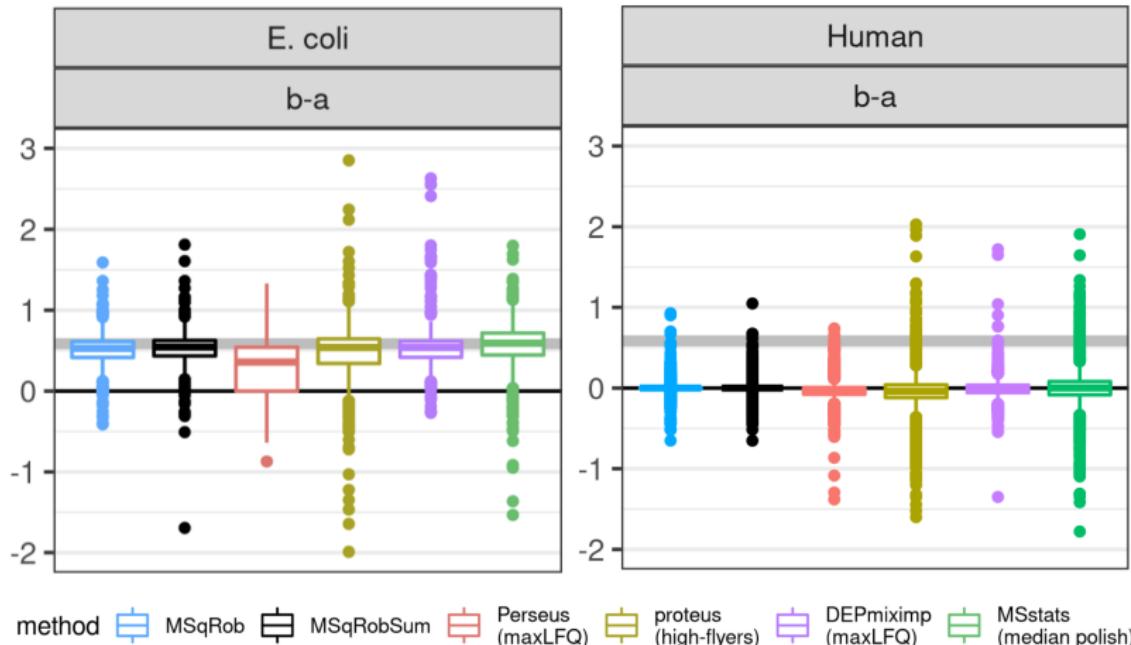
Summarisation & inference are modular



Summarisation & inference are modular

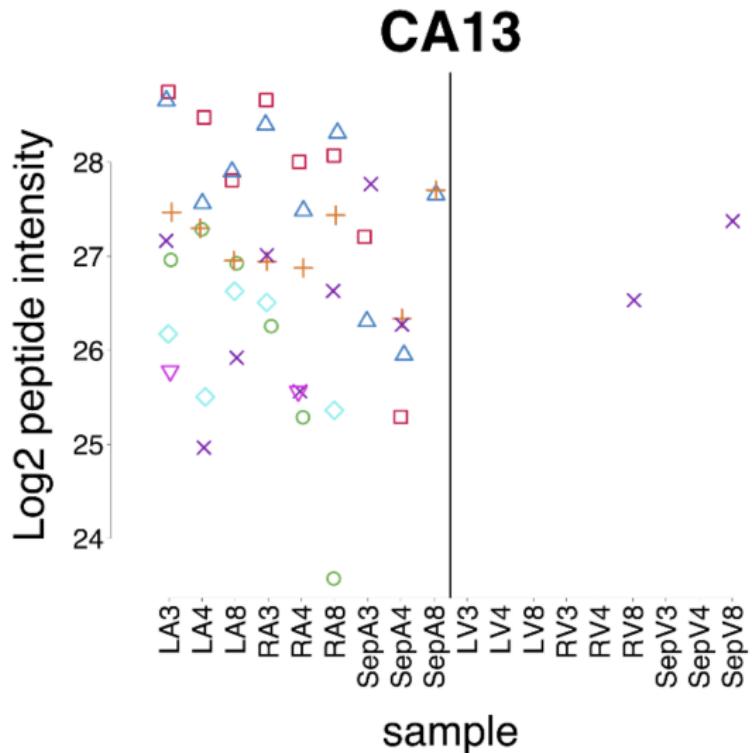


Fold change estimates



- ① Introduction
- ② Comparison of popular tools
- ③ Robust summarisation & Inference
- ④ Missing Peptides
- ⑤ Wrap-up

Missing peptides



Hurdle Model

$$\begin{cases} z_{pr}|x_{pr} & \sim B(\pi_r) \\ y_{pr}|z_{pr} = 1, x_{pr}, u_r^{run} & \sim N(\mu_{pr}, \sigma^2) \end{cases}$$

- binary component z_{pr} with detection probability π_r
 - $z_{pr} = 0$: Peptide intensity is missing
 - $z_{pr} = 1$: Peptide intensity is observed
- Normal component for log2-transformed intensities y_{pr} for peptide $p = 1, \dots, P$ in run $r = 1, \dots, R$

Hurdle Model

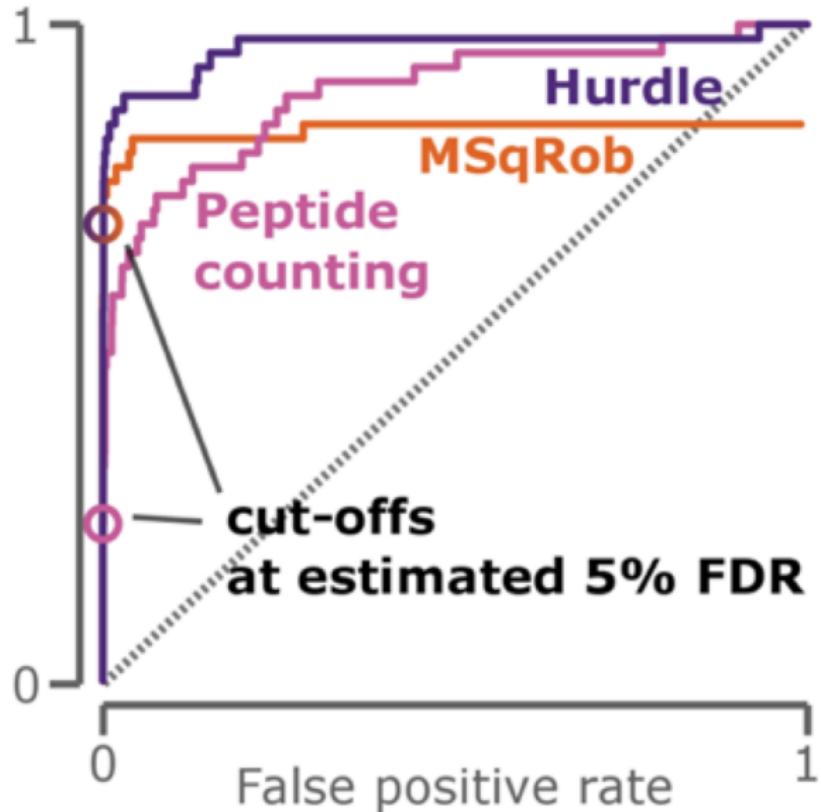
$$\begin{cases} z_{pr}|x_{pr} & \sim B(\pi_r) \\ y_{pr}|z_{pr} = 1, x_{pr}, u_r^{run} & \sim N(\mu_{pr}, \sigma^2) \end{cases}$$

- Likelihood of the model implies an estimation orthogonality
- Estimation and inference on π_r via logistic regression of peptide presence absence: differential detection
- Estimation and inference on μ_{pr} via MSqRob model: differential expression given detection
- Combine inference on both components using stageR

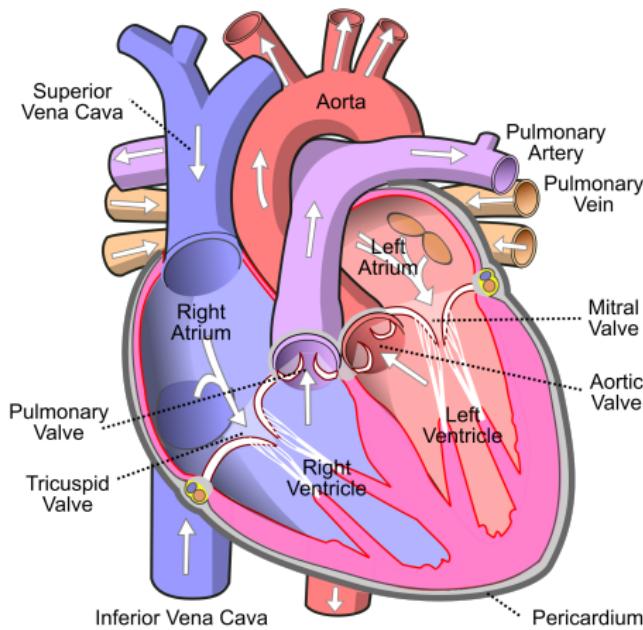


True positive rate

B vs A

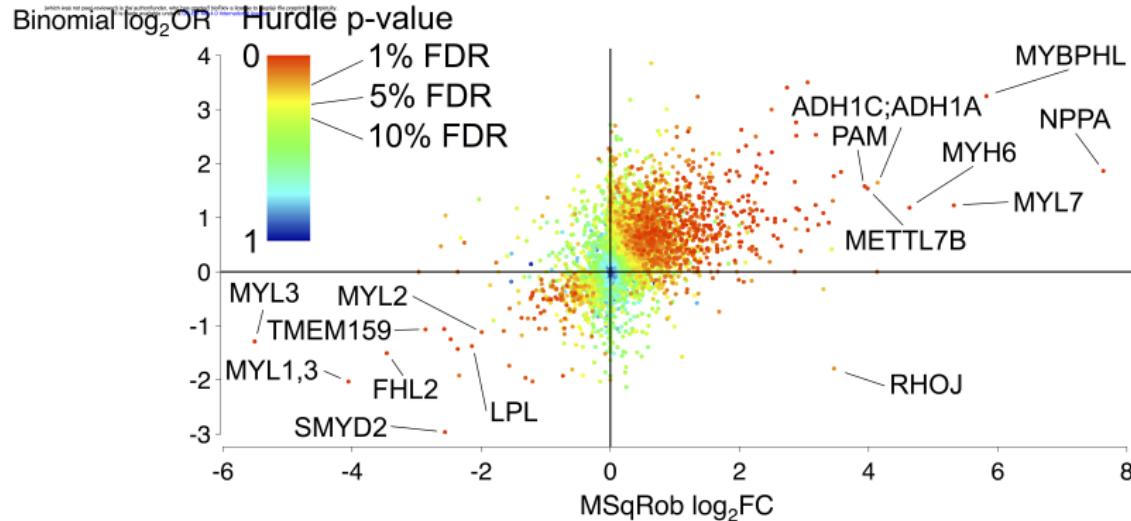


Case Study: Doll et al. 2017. PRIDE: PXD006675

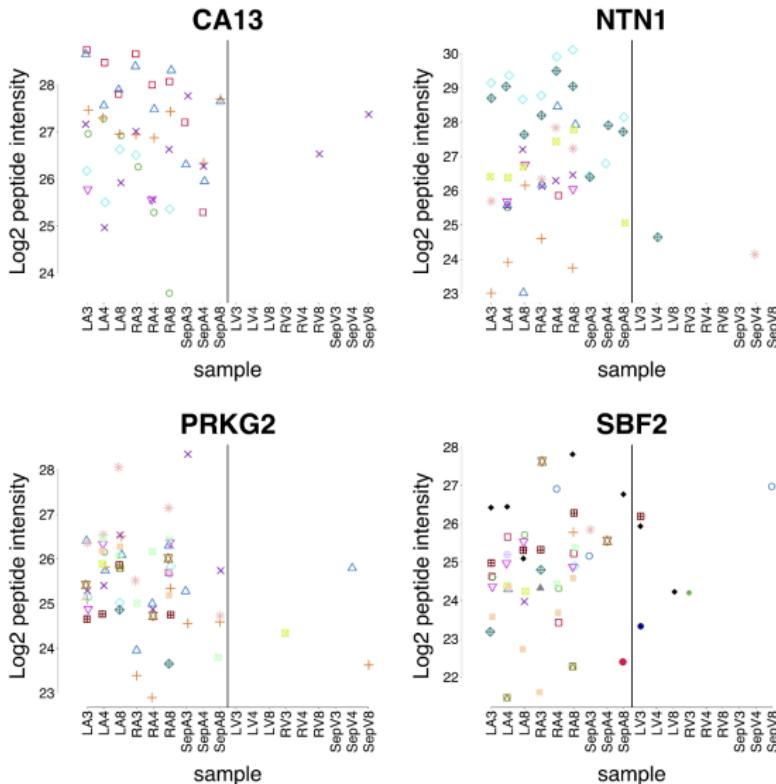


- 3 patients
- biopsies of multiple heart regions
 - Left Atrium
 - Right Atrium
 - Atrial Septum
 - Left Ventriculum
 - Right Ventriculum
 - Ventriculum Septum
 - ...

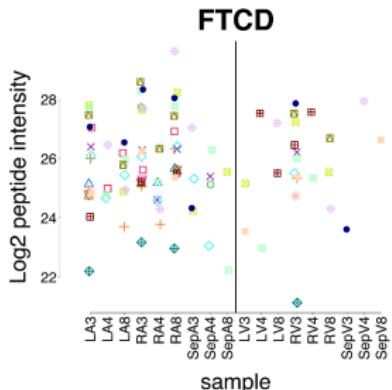
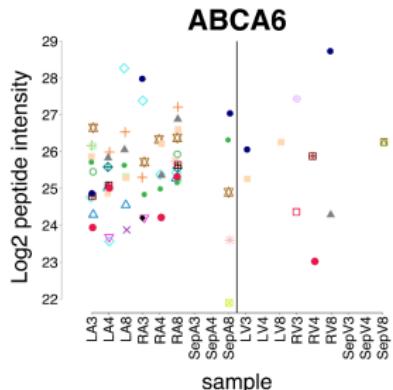
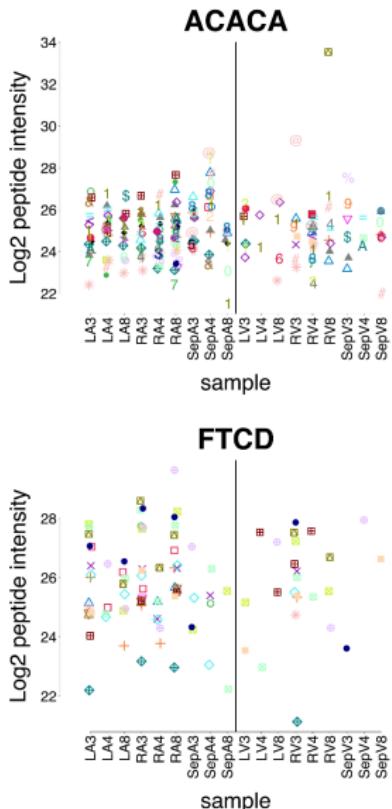
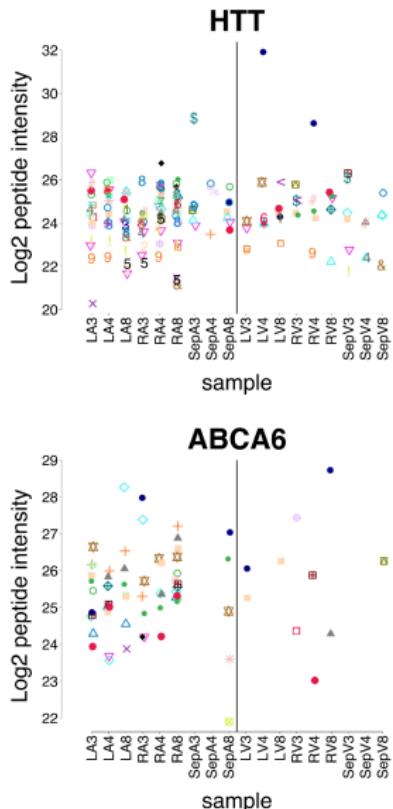
Case Study: Doll et al. 2017. PRIDE: PXD006675



Case Study: Doll et al. 2017. PRIDE: PXD006675



Case Study: Doll et al. 2017. PRIDE: PXD006675



Wrap-up

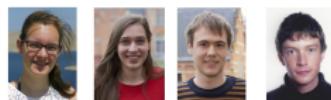
- ① Summarization has to account for peptide effects
- ② Imputation can be very detrimental
- ③ Robust summarisation can avoid imputation to some extend
- ④ Robust inference with linear models further improves the performance

- ⑤ Hurdle model builds upon missing peptides without needing rigid assumptions

- ⑥ Preprint on summarization: Sticker et al. 2019 biorxiv
<http://dx.doi.org/10.1101/668863>
- ⑦ Preprint on hurdle model: Goeminne et al. 2019
<https://doi.org/10.1101/782466>
- ⑧ Robust summarization is also implemented as a method in the combineFeatures of the MSnBase bioconductor package.

statOmics is hiring predocs and postdocs

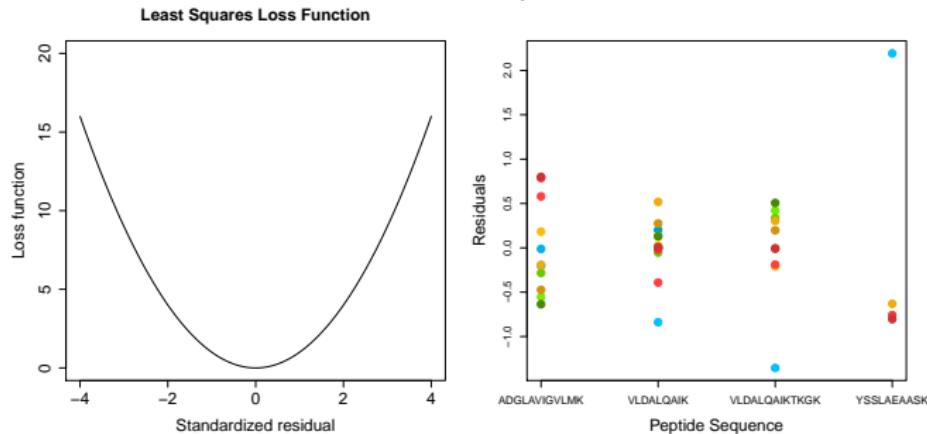
statOmics.github.io



Ghent, Belgium

M-estimation

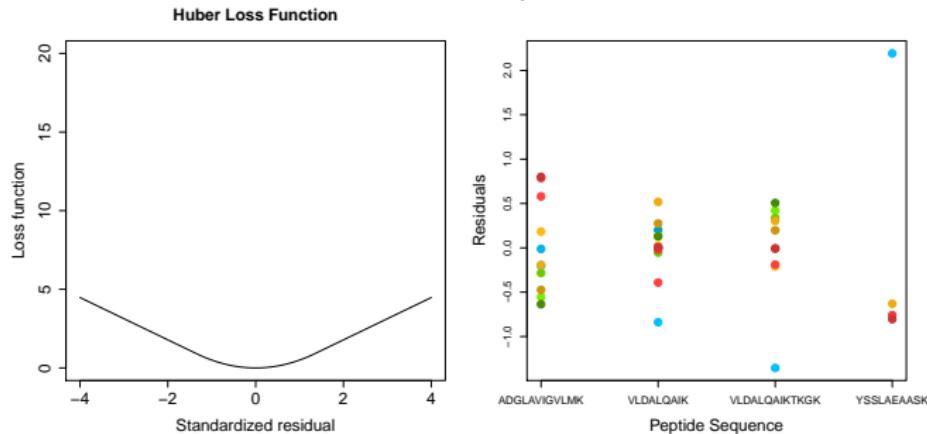
- Outlying peptide intensities: incorrect peptide identification, post-translational modifications, ...



$$\operatorname{argmin}_{\beta_{1 \dots P}^{\text{pep}}, \beta_{1 \dots n}^{\text{samp}}} \left[\sum_{r=1}^n \sum_p^P (y_{rp} - \beta_p^{\text{pep}} - \beta_r^{\text{run}})^2 \right]$$

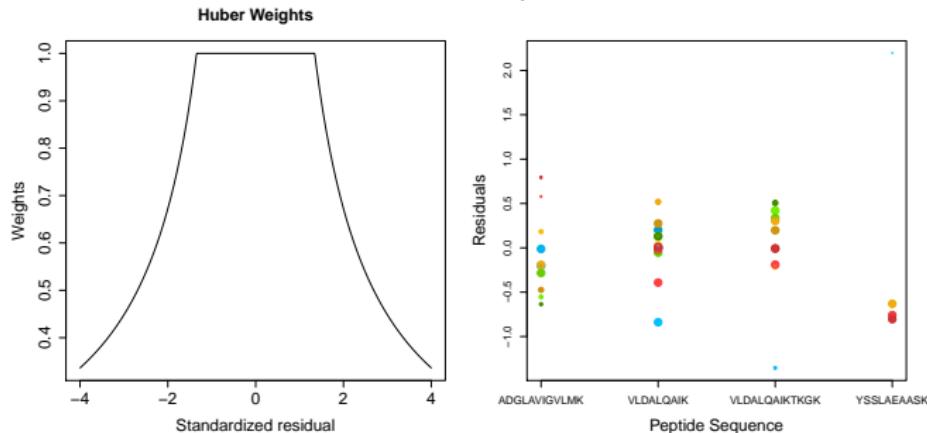
M-estimation

- Outlying peptide intensities: incorrect peptide identification, post-translational modifications, ...



M-estimation

- Outlying peptide intensities: incorrect peptide identification, post-translational modifications, ...

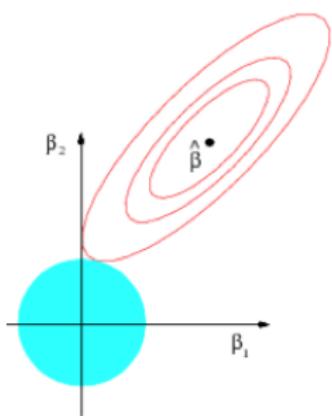


$$\operatorname{argmin}_{\beta_1^{\text{pep}}, \dots, \beta_P^{\text{pep}}, \beta_1^{\text{samp}}, \dots, \beta_n^{\text{samp}}} \left[\sum_{r=1}^n \sum_p w(\epsilon_{rp}) (y_{rp} - \beta_p^{\text{pep}} - \beta_r^{\text{samp}})^2 \right]$$

- Iteratively fit model with observation weights $w(\epsilon_{rp})$

Ridge regression

$$y_r = \mathbf{X}_r^t \boldsymbol{\beta} + \epsilon_r$$



Parameters estimation with loss function:

$$\operatorname{argmin} \sum_{r=1}^n w(d_r) (y_r - \mathbf{X}_r^t \boldsymbol{\beta})^2 + \lambda \sum_{g \neq 0} (\beta_g)^2$$

with λ : penalty term for regularization of parameters of interest
estimated using link between ridge regression and mixed models

Ridge regression

Tune the ridge penalties by exploiting the link between ridge regression and Mixed Models:

$$y_r = \mathbf{X}_r^t \boldsymbol{\beta} + \epsilon_r$$

with

- $\beta_g \sim N\left(0, \frac{\sigma^2}{\lambda}\right)$ with $g = 1, \dots, J$
- $\epsilon_r \sim N(0, \sigma^2)$
- Variance components are estimated using lme4 mixed model software
- Predictions of the random effects β_g coincide with solution of ridge estimator.

