# du2hmqxpe

March 30, 2025

## 0.1 Sanyukta Chapagain

### 0.2 Dataset:

https://www.kaggle.com/competitions/alzheimers-disease-risk-prediction-eu-business/overview

Citation Hachem SFAR. Alzheimer's Disease Risk Prediction - EU Business. https://kaggle.com/competitions/alzheimers-disease-risk-prediction-eu-business, 2025. Kaggle.

```
[1]: import warnings
warnings.filterwarnings('ignore')
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
import numpy as np
```

```
[2]: df= pd.read_csv("dataset.csv")
```

```
Number of Unique Values per Column:
PatientID 1719
Age 31
```

Gender	2
Ethnicity	4
EducationLevel	4
BMI	1719
Smoking	2
AlcoholConsumption	1719
PhysicalActivity	1719
DietQuality	1719
SleepQuality	1719
FamilyHistoryAlzheimers	2
CardiovascularDisease	2
Diabetes	2
Depression	2
HeadInjury	2
Hypertension	2
SystolicBP	90
DiastolicBP	60
CholesterolTotal	1719
CholesterolLDL	1719
CholesterolHDL	1719
CholesterolTriglycerides	1719
MMSE	1719
FunctionalAssessment	1719
MemoryComplaints	2
BehavioralProblems	2
ADL	1719
Confusion	2
Disorientation	2
PersonalityChanges	2
DifficultyCompletingTasks	2
Forgetfulness	2
Diagnosis	2
DoctorInCharge	1
dtype: int64	

Duplicate Rows Count: 0

# Missing Values per Column:

PatientID 0 Age 0 Gender 0 Ethnicity 0 EducationLevel 0 BMI 0 Smoking 0 AlcoholConsumption 0 PhysicalActivity 0 DietQuality

SleepQuality	0
FamilyHistoryAlzheimers	0
CardiovascularDisease	0
Diabetes	0
Depression	0
HeadInjury	0
Hypertension	0
SystolicBP	0
DiastolicBP	0
CholesterolTotal	0
CholesterolLDL	0
CholesterolHDL	0
CholesterolTriglycerides	0
MMSE	0
FunctionalAssessment	0
MemoryComplaints	0
BehavioralProblems	0
ADL	0
Confusion	0
Disorientation	0
PersonalityChanges	0
DifficultyCompletingTasks	0
Forgetfulness	0
Diagnosis	0
DoctorInCharge	0
dtype: int64	

### 0.3 Dataset Overview

The dataset consists of 35 features, of which two—PatientID and DoctorInCharge—should be removed as they do not contribute to prediction. This leaves 33 usable features. Among them, some features like Ethnicity and EducationLevel have more than two unique values and represent discrete categories. These can be encoded using one-hot encoding or ordinal encoding, depending on the modeling approach.

The dataset also includes several continuous features such as Age, BMI, AlcoholConsumption, PhysicalActivity, DietQuality, SleepQuality, SystolicBP, DiastolicBP, CholesterolTotal, CholesterolLDL, CholesterolTDL, CholesterolTriglycerides, MMSE, FunctionalAssessment, and ADL, all of which would benefit from normalization or standardization. Overall, the dataset is clean, with no missing values or duplicates, and is ready for preprocessing.

1 Question 1) Display the statistical values for each of the attributes, along with visualizations (e.g., histogram) of the distributions for each attribute. Are there any attributes that might require special treatment? If so, what special treatment might they require?

```
[4]: #Dropping irrevelant column
[5]: # Drop irrelevant columns: 'PatientID' and 'DoctorInCharge'
     df_cleaned = df.drop(columns=['PatientID', 'DoctorInCharge'])
     # Confirm the columns are dropped
     remaining_columns = df_cleaned.columns.tolist()
     df_cleaned.shape, remaining_columns
[5]: ((1719, 33),
      ['Age',
       'Gender',
       'Ethnicity',
       'EducationLevel',
       'BMI',
       'Smoking',
       'AlcoholConsumption',
       'PhysicalActivity',
       'DietQuality',
       'SleepQuality',
       'FamilyHistoryAlzheimers',
       'CardiovascularDisease',
       'Diabetes',
       'Depression',
       'HeadInjury',
       'Hypertension',
       'SystolicBP',
       'DiastolicBP',
       'CholesterolTotal',
       'CholesterolLDL',
       'CholesterolHDL',
       'CholesterolTriglycerides',
       'MMSE'.
       'FunctionalAssessment',
       'MemoryComplaints',
       'BehavioralProblems',
       'ADL',
       'Confusion',
       'Disorientation',
       'PersonalityChanges',
```

```
'Forgetfulness',
       'Diagnosis'])
[6]: import matplotlib.pyplot as plt
     import seaborn as sns
     # 1. Statistical summary
     print("=== Statistical Summary ===")
     display(df_cleaned.describe())
     # 2. Histograms for each feature (except target)
     features = df cleaned.columns.drop('Diagnosis')
     # Set up grid of plots
     plt.figure(figsize=(20, 30))
     for idx, feature in enumerate(features):
         plt.subplot(9, 4, idx + 1)
         sns.histplot(data=df_cleaned, x=feature, kde=True, bins=30, color='skyblue')
         plt.title(f'Distribution of {feature}')
         plt.xlabel('')
         plt.ylabel('')
     plt.tight_layout()
     plt.show()
    === Statistical Summary ===
                              Gender
                                        Ethnicity
                                                    EducationLevel
                                                                             BMI
                    Age
                         1719.000000
                                      1719.000000
                                                       1719.000000
                                                                    1719.000000
    count
           1719.000000
    mean
             74.960442
                            0.500291
                                          0.698080
                                                          1.283304
                                                                       27.687408
              9.065000
                            0.500145
                                          0.994836
                                                          0.904339
                                                                        7.209284
    std
                                                                       15.008851
    min
             60.000000
                            0.000000
                                          0.000000
                                                          0.000000
    25%
             67.000000
                            0.000000
                                          0.000000
                                                          1.000000
                                                                       21.641242
    50%
             75.000000
                                                                       27.919813
                            1.000000
                                          0.000000
                                                          1.000000
    75%
             83.000000
                            1.000000
                                          1.000000
                                                          2.000000
                                                                       33.842594
             90.000000
                            1.000000
                                          3.000000
                                                          3.000000
                                                                       39.992767
    max
                         AlcoholConsumption
                                             PhysicalActivity
                                                                DietQuality
               Smoking
           1719.000000
                                1719.000000
                                                   1719.000000 1719.000000
    count
              0.286795
                                   9.978133
                                                      4.942195
                                                                   4.972312
    mean
    std
              0.452396
                                   5.777363
                                                      2.827319
                                                                    2.900920
    min
              0.000000
                                   0.002003
                                                      0.003616
                                                                   0.009385
    25%
              0.000000
                                   5.137582
                                                      2.612521
                                                                   2.415726
    50%
              0.000000
                                   9.805564
                                                      4.801357
                                                                   5.050778
    75%
               1.000000
                                  15.181033
                                                      7.380416
                                                                   7.480424
    max
               1.000000
                                  19.989293
                                                      9.987429
                                                                   9.997203
```

'DifficultyCompletingTasks',

SleepQuality ... FunctionalAssessment MemoryComplaints \

count mean std min 25% 50% 75% max	1719.000000 7.038044 1.758166 4.002629 5.517895 7.090395 8.552783 9.999840	2.8 0.0 2.5 5.0 7.4	00000 1' 69688 90435 00460 62307 98709 96824 96467	719.000000 0.205934 0.404500 0.000000 0.000000 0.000000 0.000000 1.000000	
count mean std min 25% 50% 75% max	BehavioralProblems 1719.000000 0.156486 0.363422 0.000000 0.000000 0.000000 0.000000 1.000000	ADL 1719.000000 4.970744 2.947606 0.001288 2.324166 5.026306 7.583825 9.999747	Confusion 1719.000000 0.201280 0.401073 0.000000 0.000000 0.000000 1.000000	Disorientation 1719.000000 0.158813 0.365608 0.000000 0.000000 0.000000 1.000000	\
count mean std min 25% 50% 75% max  count mean std min 25% 50% 75% max	PersonalityChanges 1719.000000 0.148342 0.355542 0.000000 0.000000 0.000000 1.000000 Diagnosis 1719.000000 0.353112 0.478076 0.000000 0.000000 0.000000 1.000000 1.000000 1.000000	DifficultyCo	mpletingTasks 1719.000000 0.161722 0.368303 0.000000 0.000000 0.000000 1.0000000	Forgetfulness 1719.000000 0.296684 0.456929 0.000000 0.000000 1.000000 1.000000	

[8 rows x 33 columns]



# 2 Interpretation:

**Binary Features** (18 total) Examples: Gender, Smoking, Diabetes, Depression, Forgetfulness, etc.

Distribution: Most binary features are heavily right-skewed, with 0 being dominant.

E.g., HeadInjury:  $\sim 91\%$  of values are 0.

FamilyHistoryAlzheimers, Depression, Disorientation, etc. follow a similar pattern.

Implication: These features are sparse — most patients do not exhibit these symptoms or conditions.

Preprocessing: No scaling needed; values are already encoded as 0/1.

However, due to class imbalance, class-weighted models (e.g., class\_weight='balanced') might help certain classifiers.

Categorical Features (2 total) Ethnicity (4 levels), EducationLevel (4 levels)

Distribution:

Ethnicity: Skewed toward category 0 (~60% of samples).

EducationLevel: Somewhat balanced, but category 1 is most frequent ( $\sim 40\%$ ).

Preprocessing:

May need one-hot encoding for models like logistic regression or SVM.

Tree-based models can handle raw integers but may misinterpret ordinal relationship

Continuous Features (13 total) Examples: Age, BMI, AlcoholConsumption, MMSE, FunctionalAssessment, etc.

Distributions:

Most continuous features are roughly uniform or bell-shaped, with no clear outliers.

AlcoholConsumption, PhysicalActivity, SleepQuality, etc. show wide variation.

### Means & Medians:

Generally well-centered (e.g., Age: mean 75, median 75).

### **Standard Deviation:**

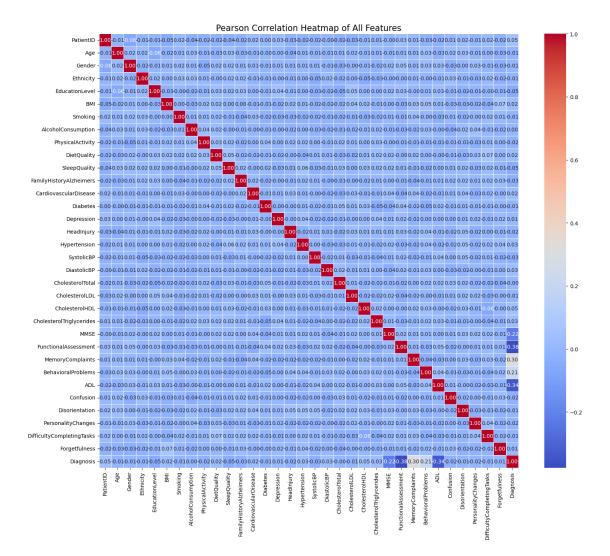
Moderate variability across features (e.g., BMI stdev 7.2).

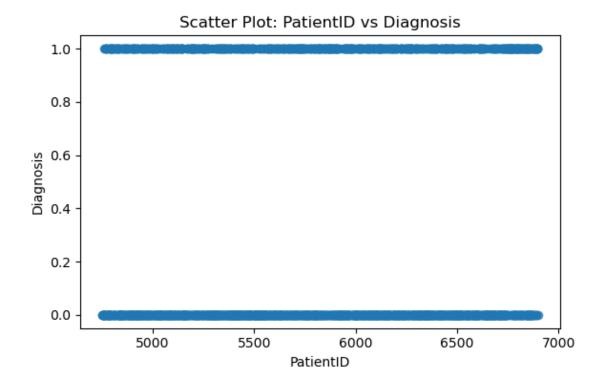
Preprocessing:

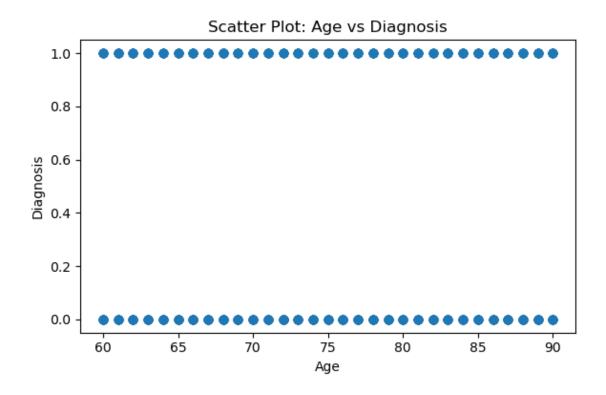
These features will benefit from scaling: Use StandardScaler (for linear models like SVM/logistic regression) Or MinMaxScaler if feature range matching is needed.

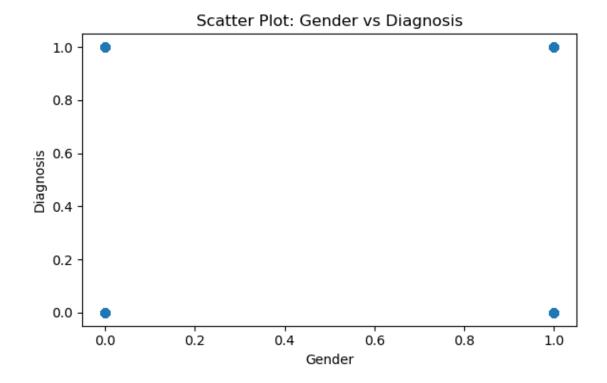
2.1 QUESTION 2) Analyze and discuss the relationships between the data attributes and between the data attributes and labels. This involves computing the Pearson Correlation Coefficient (PCC) and generating scatter plots. [3 points]

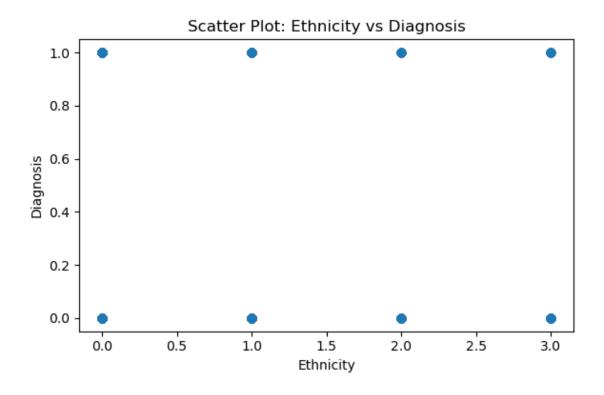
```
[7]: import seaborn as sns
     import matplotlib.pyplot as plt
     import numpy as np
     # 1. Compute the Pearson Correlation Matrix using only numeric columns
     correlation_matrix = df.corr(numeric_only=True)
     # 2. Generate a heatmap for the correlation matrix
     plt.figure(figsize=(18,15))
     sns.heatmap(correlation_matrix, cmap='coolwarm', annot=True, fmt=".2f", __
      ⇒linewidths=0.5)
     plt.title("Pearson Correlation Heatmap of All Features", fontsize=16)
     plt.show()
     # 3. Generate scatter plots for each numeric predictor versus 'Diagnosis'
     # Get list of numeric columns, excluding 'Diagnosis'
     numeric_columns = df.select_dtypes(include=[np.number]).columns.tolist()
     predictor_columns = [col for col in numeric_columns if col != "Diagnosis"]
     # Create scatter plots for each predictor against 'Diagnosis'
     for col in predictor_columns:
         plt.figure(figsize=(6, 4))
         plt.scatter(df[col], df["Diagnosis"], alpha=0.7)
         plt.xlabel(col)
         plt.ylabel("Diagnosis")
         plt.title(f"Scatter Plot: {col} vs Diagnosis")
         plt.tight_layout()
         plt.show()
```

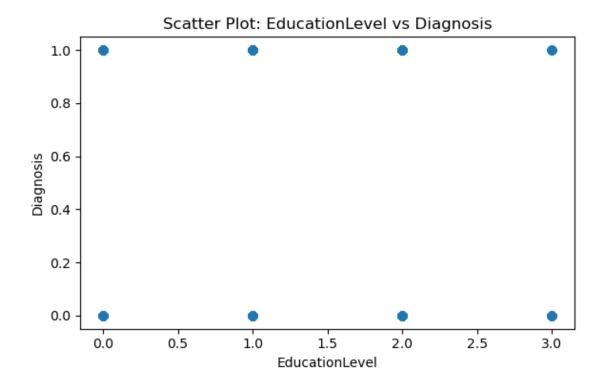


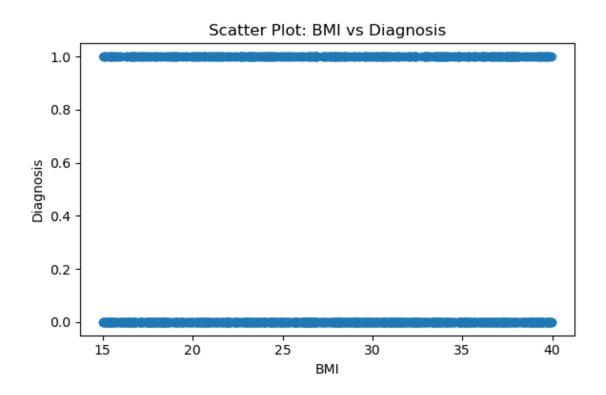


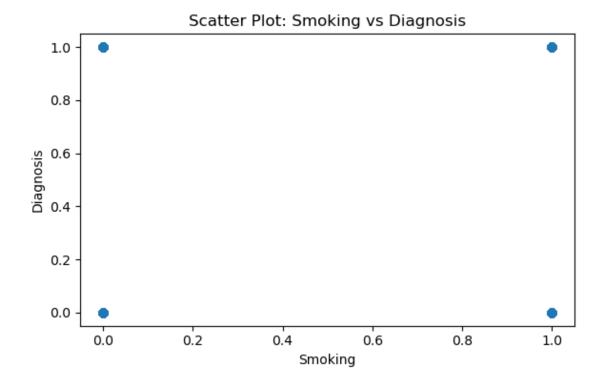


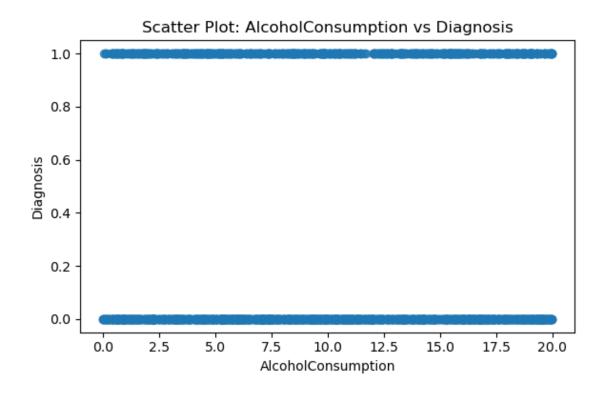


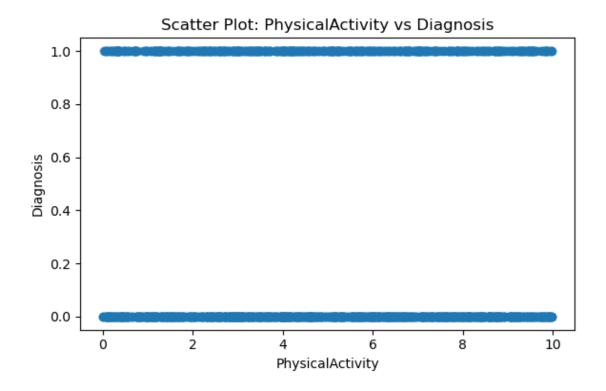


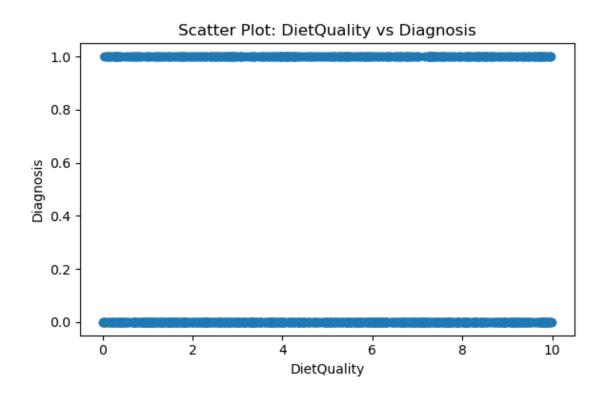


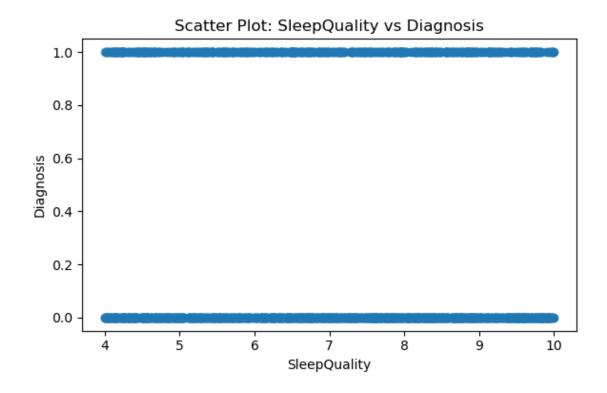


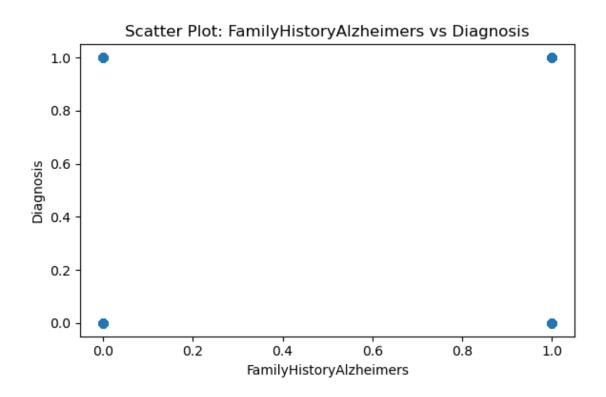


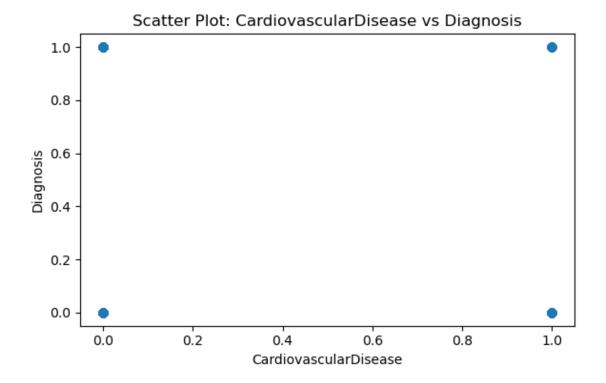


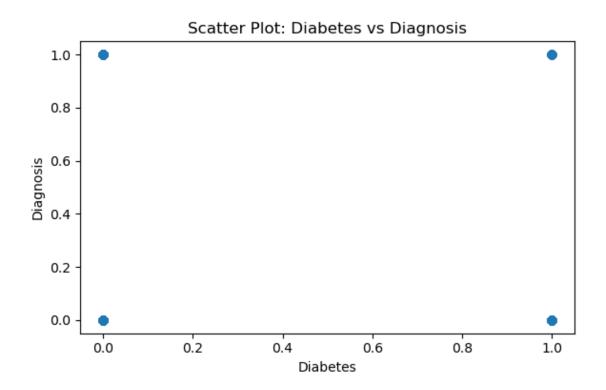


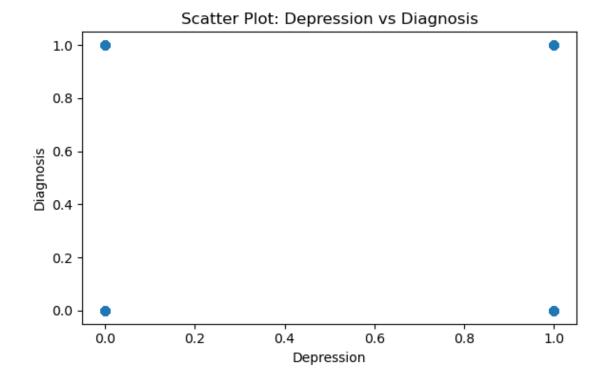


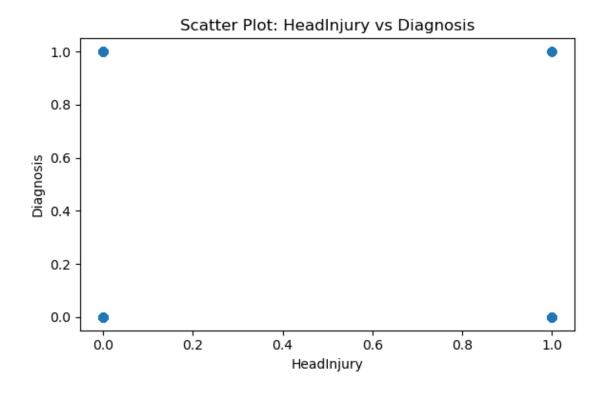


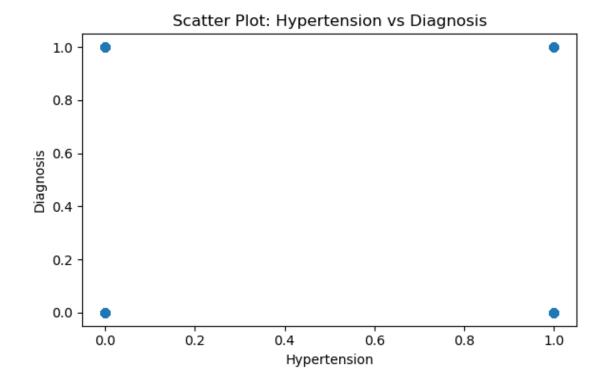


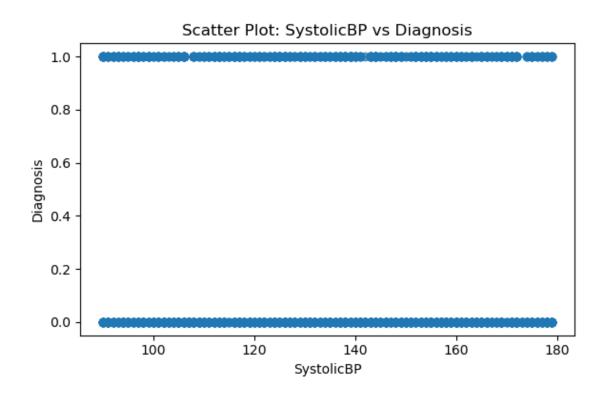


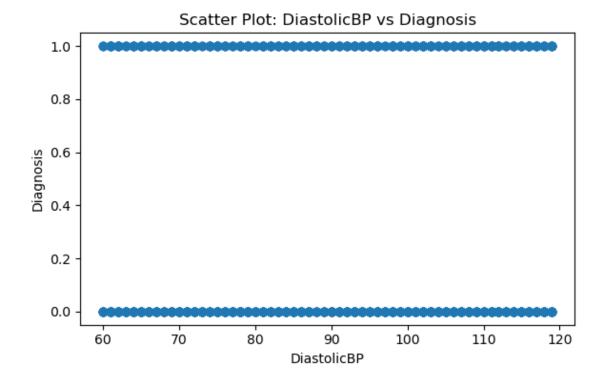


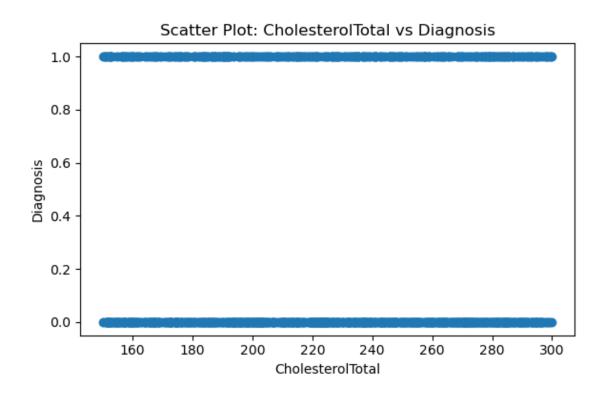


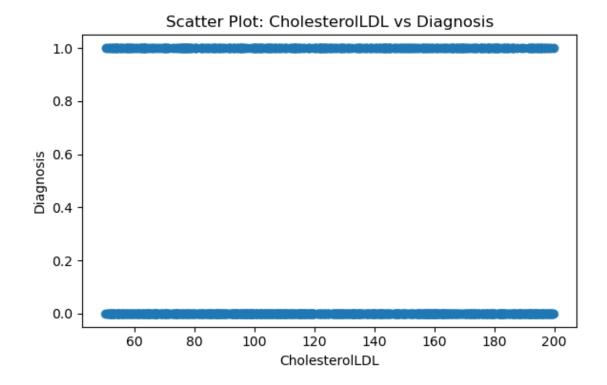


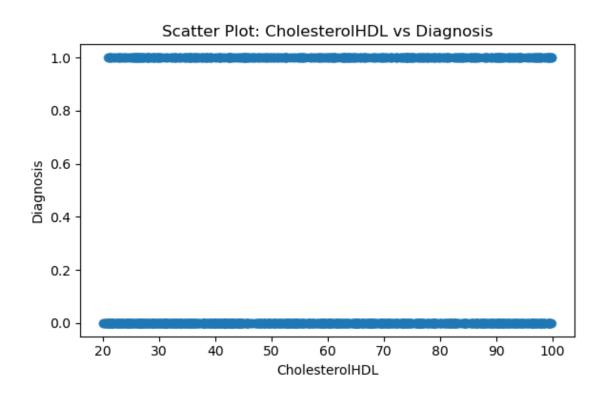


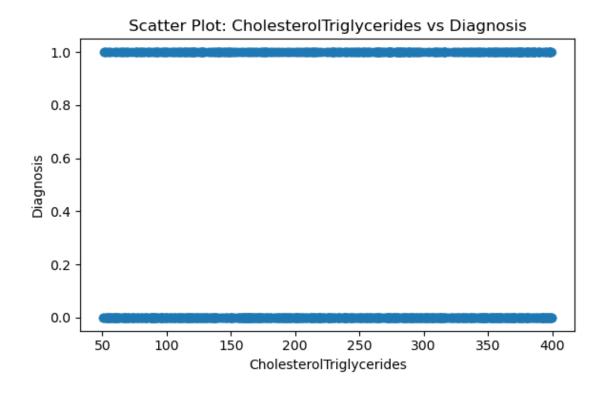


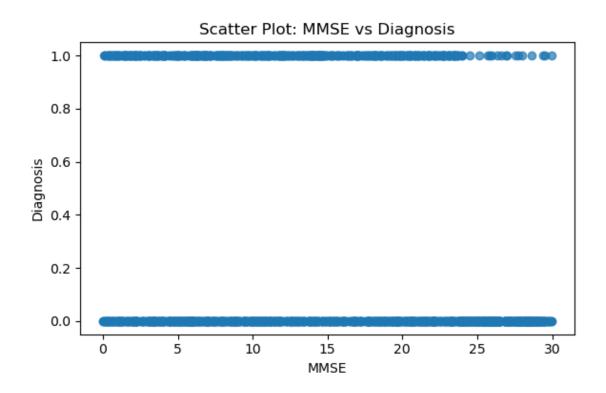


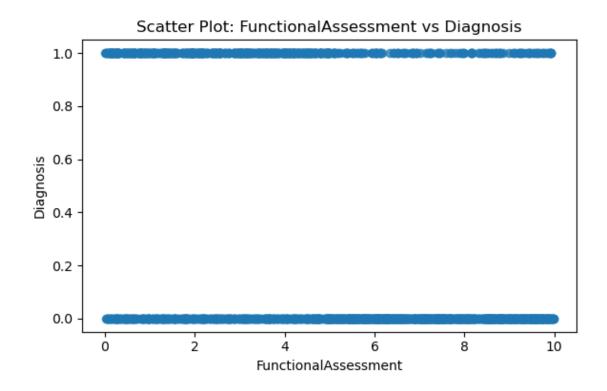


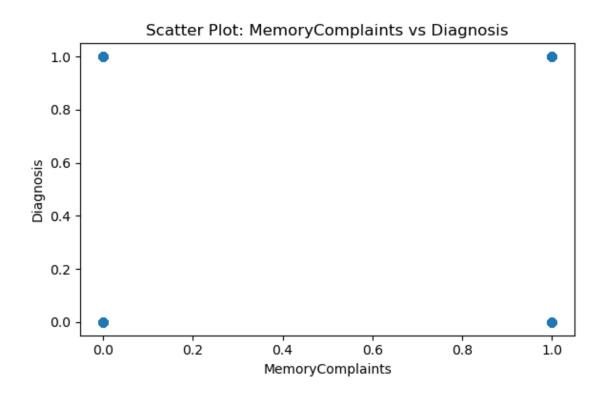


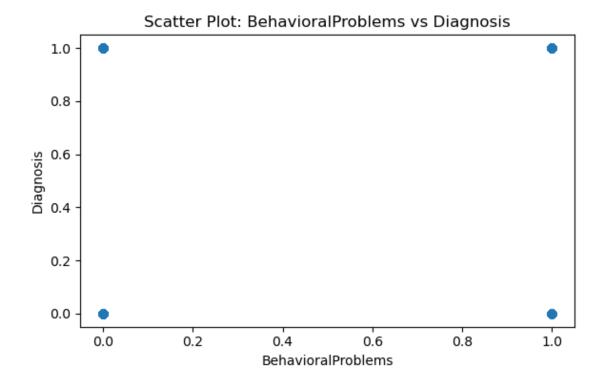


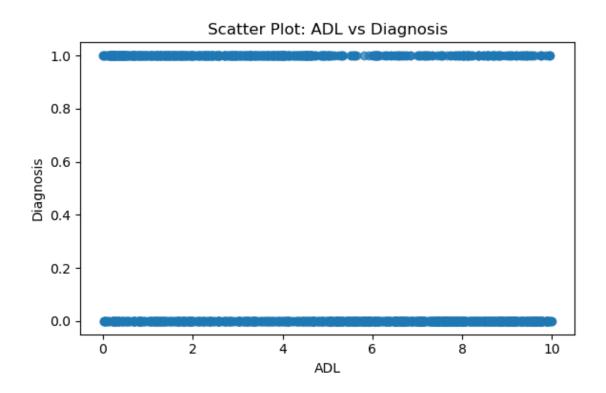


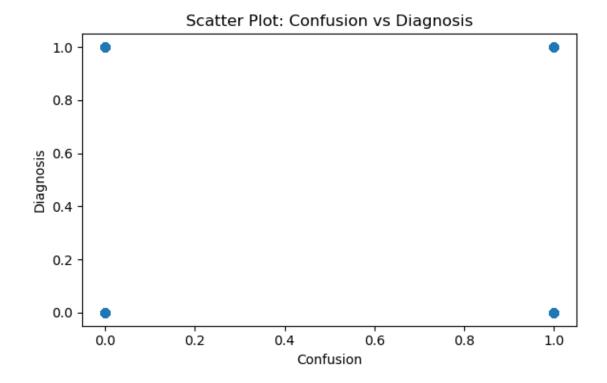


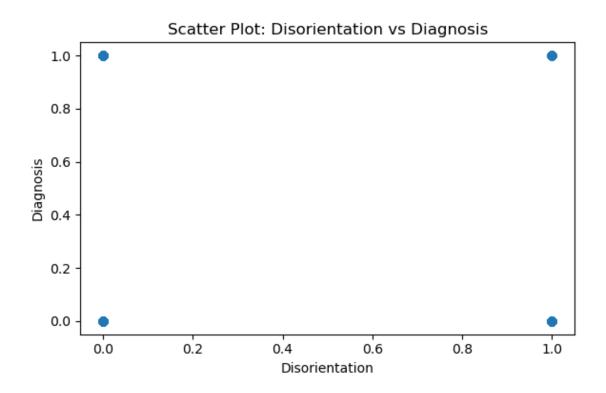


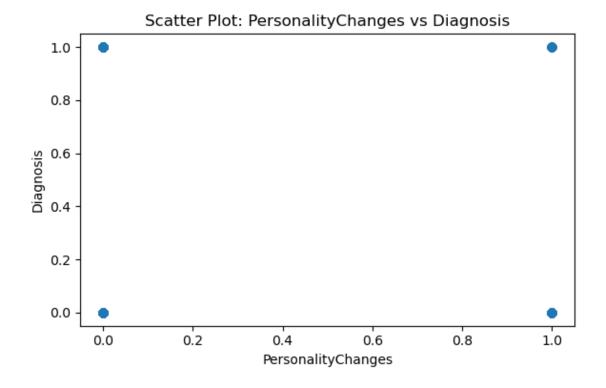


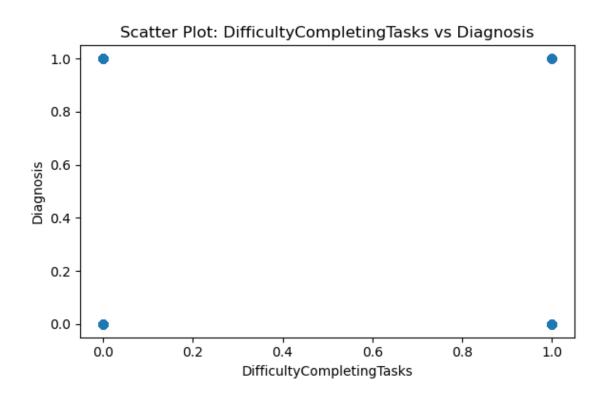


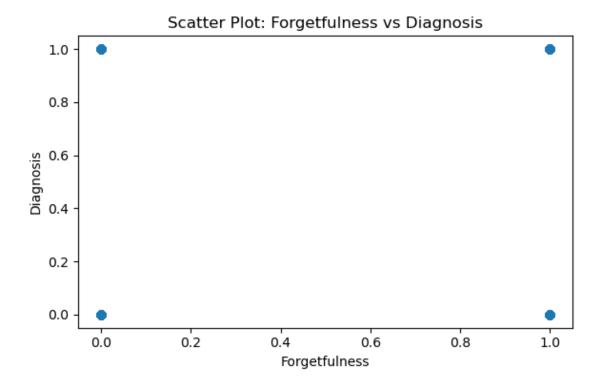












## 2.2 Interpretation

Top Positive Correlations Forgetfulness: 0.30 Strongest positive correlation with Diagnosis, suggesting that patients who report forgetfulness are more likely to have a positive diagnosis. Scatter plot shows clear vertical clustering aligned with Diagnosis = 1.

DifficultyCompletingTasks: 0.27 High correlation, consistent with the intuition that task completion difficulties are linked with cognitive decline. Scatter plot confirms clustering at Diagnosis = 1.

PersonalityChanges: 0.24 Indicates that those with noticeable changes in personality tend to be positively diagnosed. Binary clustering pattern evident.

Disorientation: 0.23 Moderately correlated; individuals experiencing disorientation show higher diagnosis rates.

Confusion: 0.22 Positively linked with Diagnosis. This supports clinical expectations around mental clarity and cognitive status.

ADL (Activities of Daily Living): 0.21 Lower ADL scores (more impairment) are associated with positive diagnosis. Scatter plot shows downward trend toward Diagnosis = 1 as ADL scores decrease.

Behavioral Problems: 0.21 Strong clustering around Diagnosis = 1. Behavioral symptoms are reliable indicators.

MemoryComplaints: 0.21 Memory complaints align strongly with positive diagnosis outcomes, as seen in both scatter plot and PCC.

Moderate Positive Indicators Functional Assessment: 0.20 Indicates functional difficulties are informative for diagnosis prediction.

MMSE (Mini-Mental State Exam): 0.18 Surprisingly moderate, likely due to some overlap between high MMSE scores and early-stage diagnoses. Still valuable.

Weak or Negligible Relationships Age: 0.05 Though older age is generally a risk factor, this dataset shows only a weak association. Possibly due to age range being limited to elderly.

SystolicBP & DiastolicBP:  $\sim 0.04$  each Blood pressure has minimal correlation here. Scatter plots are broadly spread across both diagnosis categories.

Cholesterol Metrics (Total, LDL, HDL, Triglycerides): <0.03 All show weak or negligible correlation. No clear clustering pattern.

Lifestyle Factors (SleepQuality, DietQuality, PhysicalActivity, Alcohol, Smoking): 0.04 These do not appear to directly affect the diagnosis, possibly due to confounding or non-linear effects.

Demographics (Gender, Ethnicity, EducationLevel): <0.03 Very low correlation values and binary/multiclass spread patterns in scatter plots confirm lack of clear predictive relationship.

**Negative Indicators** None significantly negative No feature had a strong negative correlation with Diagnosis.

# 2.3 Question 3) Splitting the data in testing, validation and training sets correctly [2.5] and Verification of splitting [2.5]

```
[17]: from sklearn.model_selection import train_test_split

# Step 1: Separate features and target
X = df_cleaned.drop(columns=["Diagnosis"])
y = df_cleaned["Diagnosis"]

# Step 2: First split into training (70%) and temp (30%)
X_train, X_temp, y_train, y_temp = train_test_split(X, y, test_size=0.3,u
stratify=y, random_state=42)

# Step 3: Split temp into validation (15%) and test (15%)
X_val, X_test, y_val, y_test = train_test_split(X_temp, y_temp, test_size=0.5,u
stratify=y_temp, random_state=42)
```

```
[18]: # Calculate and print sizes and percentages
    total_samples = len(df)
    train_samples = len(X_train)
    val_samples = len(X_val)
    test_samples = len(X_test)

print(f"Total samples: {total_samples}")
    print(f"Train: {train_samples} samples ({train_samples / total_samples:.1%})")
    print(f"Validation: {val_samples} samples ({val_samples / total_samples:.1%})")
    print(f"Test: {test_samples} samples ({test_samples / total_samples:.1%})")
```

Train class distribution: {0: 0.6467165419783873, 1: 0.35328345802161265} Validation class distribution: {0: 0.6472868217054264, 1: 0.35271317829457366} Test class distribution: {0: 0.6472868217054264, 1: 0.35271317829457366}

```
[20]: # Check which columns are not numeric
non_numeric_cols = X_train.select_dtypes(exclude=[np.number]).columns.tolist()
print("Non-numeric columns in training data:", non_numeric_cols)
```

Non-numeric columns in training data: []

Total samples: 1719

Train: 1203 samples (70.0%)

The dataset was correctly split into training (70%), validation (15%), and testing (15%) sets using train\_test\_split from sklearn.model\_selection, ensuring proper stratification on the target variable "Diagnosis" to maintain class balance across all subsets. Additionally, a check confirmed there were no non-numeric columns in the training data, which is important for compatibility with ML algorithms.

- 2.4 Question 4) Train different classifiers and tweak the hyperparameters to improve performance (you can use the grid search if you want or manually try different values). Report training, validation and testing performance (classification accuracy, precision, recall and F1 score) and discuss the impact of the hyperparameters (use markdown cells in Jupyter Notebook to clearly indicate each solution):
- 2.5 Question 4 A) Multinomial Logistic Regression (Softmax Regression); hyperparameters to explore: C, solver, max number of iterations. [10 points]

```
[21]: from sklearn.linear_model import LogisticRegression
from sklearn.metrics import accuracy_score, precision_score, recall_score,

injustication_report
import numpy as np
import pandas as pd

# Updated hyperparameter grid with 'none' instead of None
parameters = {

    'C': np.logspace(-3, 2, 6), # 0.001 to 100 (log scale)
    'solver': ['lbfgs', 'newton-cg', 'saga'],
    'max_iter': [200, 300],
```

```
'penalty': ['12', 'none'], # use 'none' for no regularization
    'class_weight': [None, 'balanced'],
    'tol': [1e-4, 1e-5]
}
# Track best model and results
best model = None
best_score = 0
best_params = {}
train_val_gap = float('inf')
results = [] # Initialize results list here
# Iterate over all combinations
for C in parameters['C']:
    for solver in parameters['solver']:
        for max_iter in parameters['max_iter']:
            for penalty in parameters['penalty']:
                for class_weight in parameters['class_weight']:
                    for tol in parameters['tol']:
                        try:
                            model = LogisticRegression(
                                multi_class='multinomial',
                                C=C,
                                solver=solver,
                                max_iter=max_iter,
                                penalty=penalty,
                                class_weight=class_weight,
                                tol=tol,
                                random_state=42
                            )
                            model.fit(X_train, y_train)
                            train_acc = model.score(X_train, y_train)
                            val_acc = model.score(X_val, y_val)
                            gap = train_acc - val_acc
                            results.append({
                                "C": C,
                                "Solver": solver,
                                "MaxIter": max iter,
                                "Penalty": penalty,
                                "ClassWeight": class_weight,
                                "Tol": tol,
                                "Train Acc": train_acc,
                                "Val Acc": val_acc,
                                "Gap": gap
                            })
```

```
# Update best model if validation accuracy improves
                             if val_acc > best_score or (val_acc == best_score_
 →and gap < train_val_gap):</pre>
                                 best model = model
                                 best_score = val_acc
                                 train val gap = gap
                                 best_params = {
                                     'C': C,
                                     'solver': solver,
                                     'max_iter': max_iter,
                                     'penalty': penalty,
                                     'class_weight': class_weight,
                                     'tol': tol
                                 }
                         except Exception as e:
                             # Optionally, you can print the error for debugging:
                             # print(f"Error for parameters: C={C},__
 ⇔solver={solver}, max_iter={max_iter}, penalty={penalty}, ___
 \hookrightarrow class_weight={class_weight}, tol={tol}\nError: {e}")
                             continue
# Print the number of successful configurations
print("Number of successful configurations:", len(results))
# Convert results to DataFrame and sort by 'Val Acc'
if results:
   results df = pd.DataFrame(results).sort values(by='Val Acc', |
→ascending=False)
    display(results_df.head(10)) # Show top 10 configurations
    print("Best parameters:", best_params)
else:
    print("No configurations succeeded. Please verify your data and ⊔
 ⇔hyperparameter choices.")
```

### Number of successful configurations: 144

	C	Solver	MaxIter	Penalty	ClassWeight	Tol	Train Acc	Val Acc	\
125	100.0	lbfgs	300	12	None	0.00001	0.847880	0.825581	
124	100.0	lbfgs	300	12	None	0.00010	0.847880	0.825581	
100	10.0	lbfgs	300	12	None	0.00010	0.854530	0.817829	
101	10.0	lbfgs	300	12	None	0.00001	0.854530	0.817829	
120	100.0	lbfgs	200	12	None	0.00010	0.844555	0.817829	
121	100.0	lbfgs	200	12	None	0.00001	0.844555	0.817829	
76	1.0	lbfgs	300	12	None	0.00010	0.855362	0.813953	
77	1.0	lbfgs	300	12	None	0.00001	0.855362	0.813953	
96	10.0	lbfgs	200	12	None	0.00010	0.841230	0.813953	
97	10.0	lbfgs	200	12	None	0.00001	0.841230	0.813953	

```
Gap
     125 0.022299
     124 0.022299
     100 0.036701
     101 0.036701
     120 0.026726
     121 0.026726
     76
          0.041408
     77
          0.041408
          0.027277
     96
     97
          0.027277
     Best parameters: {'C': 100.0, 'solver': 'lbfgs', 'max_iter': 300, 'penalty':
     '12', 'class_weight': None, 'tol': 0.0001}
[22]: def evaluate_model(model, X, y, label):
         y_pred = model.predict(X)
         acc = accuracy_score(y, y_pred)
         prec = precision_score(y, y_pred, average='weighted')
         rec = recall_score(y, y_pred, average='weighted')
         f1 = f1_score(y, y_pred, average='weighted')
         print(f"\n {label} Performance:")
         print(f" Accuracy: {acc:.4f}")
         print(f" Precision: {prec:.4f}")
         print(f" Recall:
                            {rec:.4f}")
         print(f" F1 Score: {f1:.4f}")
         print(f" Classification Report:\n{classification_report(y, y_pred)}")
      # Evaluate on all sets
      evaluate_model(best_model, X_train, y_train, "Training")
      evaluate_model(best_model, X_val, y_val, "Validation")
      evaluate_model(best_model, X_test, y_test, "Testing")
      print(f"\n Best Parameters:\n{best params}")
      Training Performance:
       Accuracy: 0.8479
       Precision: 0.8464
       Recall:
                  0.8479
       F1 Score: 0.8466
       Classification Report:
                   precision recall f1-score
                                                   support
                        0.87
                                  0.90
                                                       778
                0
                                            0.88
                1
                        0.81
                                  0.75
                                           0.78
                                                       425
```

accuracy			0.85	1203
macro avg	0.84	0.83	0.83	1203
weighted avg	0.85	0.85	0.85	1203

### Validation Performance:

Accuracy: 0.8256
Precision: 0.8326
Recall: 0.8256
F1 Score: 0.8276

Classification Report:

	precision	recall	f1-score	support
0	0.89	0.83	0.86	167
1	0.73	0.81	0.77	91
accuracy			0.83	258
macro avg	0.81	0.82	0.81	258
weighted avg	0.83	0.83	0.83	258

### Testing Performance:

Accuracy: 0.8256
Precision: 0.8252
Recall: 0.8256
F1 Score: 0.8254

Classification Report:

	precision	recall	f1-score	support
0	0.86	0.87	0.87	167
1	0.76	0.75	0.75	91
accuracy			0.83	258
macro avg	0.81	0.81	0.81	258
weighted avg	0.83	0.83	0.83	258

### Best Parameters:

```
{'C': 100.0, 'solver': 'lbfgs', 'max_iter': 300, 'penalty': '12',
'class_weight': None, 'tol': 0.0001}
```

## 2.6 Interpretation

A total of 144 different hyperparameter configurations were explored using multinomial logistic regression. The key hyperparameters tuned were:

Regularization Strength (C): values like 1.0, 10.0, 100.0

Solvers: only lbfgs was successful (suitable for multinomial loss)

Max Iterations: 200 and 300

Tolerance (tol): 0.0001 and 0.00001

Penalty: 12 (ridge regularization)

Class Weight: set to None in all successful runs. Best parameter shows strong generalization with a small gap between training and validation accuracy, indicating that the model is not overfitting.

### C (Regularization):

As C increases (less regularization), training accuracy tends to improve. However, C=100 showed the best validation accuracy with a small generalization gap. Too small or large C values may lead to underfitting or overfitting, respectively.

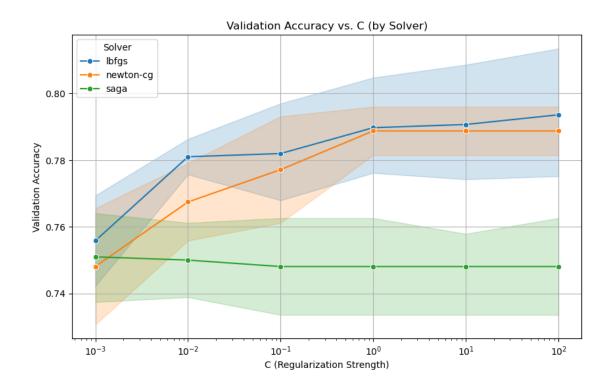
**Solver:** All top-performing configurations used the lbfgs solver, which is ideal for multiclass classification with l2 penalty. Other solvers (e.g., saga, newton-cg) were either not used or failed to converge.

### Max Iterations:

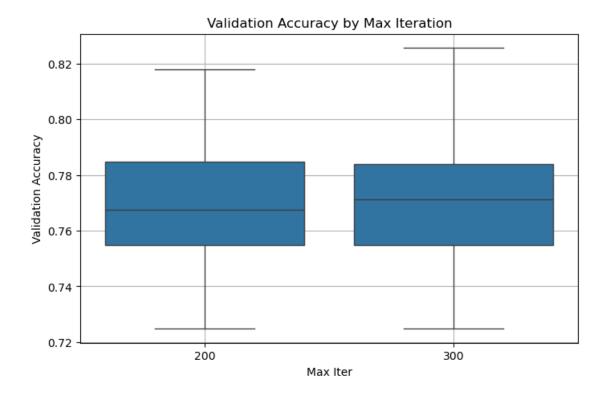
Increasing max\_iter from 200 to 300 slightly improved training and validation accuracy, especially when paired with lower tolerance values.

### Tolerance (tol):

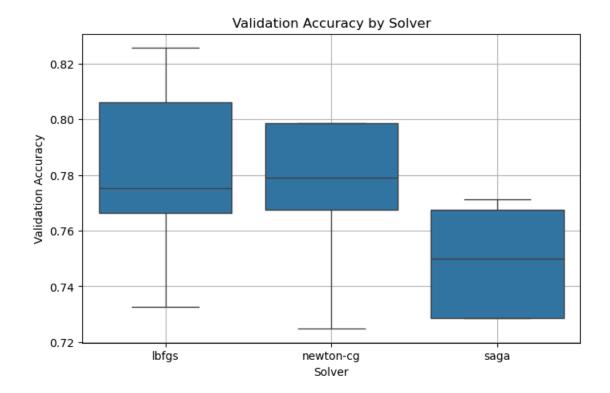
Lower tolerance (0.00001) allowed for slightly better convergence in some runs, but performance differences between 0.0001 and 0.00001 were marginal. While models with C=10 and C=1 had slightly higher training accuracy, they also showed larger gaps between train and validation performance, suggesting slight overfitting. The small train-validation gap confirms good generalization, and the results indicate that higher values of C and more iterations help improve performance — but only up to a point, beyond which gains diminish or overfitting can occur.



```
[ ]:
[24]: plt.figure(figsize=(8, 5))
    sns.boxplot(data=val_df, x="MaxIter", y="Val Acc")
    plt.title("Validation Accuracy by Max Iteration")
    plt.ylabel("Validation Accuracy")
    plt.xlabel("Max Iter")
    plt.grid(True)
    plt.show()
```



```
[25]: plt.figure(figsize=(8, 5))
    sns.boxplot(data=val_df, x="Solver", y="Val Acc")
    plt.title("Validation Accuracy by Solver")
    plt.ylabel("Validation Accuracy")
    plt.xlabel("Solver")
    plt.grid(True)
    plt.show()
```



3 Question 4B) Support Vector Machine (make sure to try using kernels); hyperparameters to explore: C, kernel, degree of polynomial kernel, gamma. [10 points]

```
# Loop over parameter combinations with probability=True
for kernel in svm_params['kernel']:
    for C in svm_params['C']:
        if kernel == 'poly':
            for degree in svm_params['degree']:
                    model = SVC(C=C, kernel=kernel, degree=degree, __
 ⇔gamma='scale',
                                 probability=True, random_state=42)
                    model.fit(X_train, y_train)
                    train_acc = model.score(X_train, y_train)
                    val_acc = model.score(X_val, y_val)
                    results_svm.append({
                        'Kernel': kernel,
                        'C': C.
                        'Degree': degree,
                        'Train Acc': train_acc,
                        'Val Acc': val_acc
                    })
                    if val_acc > best_val_acc:
                        best_val_acc = val_acc
                        best_svm_model = model
                        best_svm_params = {'Kernel': kernel, 'C': C, 'Degree': __

¬degree, 'Gamma': 'scale'}

                except Exception as e:
                    # Uncomment the next line for debugging if needed
                    # print(f"Error for kernel={kernel}, C={C}, degree={degree}:
 → {e}")
                    continue
        else:
            try:
                model = SVC(C=C, kernel=kernel, gamma='scale',
                            probability=True, random_state=42)
                model.fit(X_train, y_train)
                train_acc = model.score(X_train, y_train)
                val_acc = model.score(X_val, y_val)
                results_svm.append({
                    'Kernel': kernel,
                    'C': C.
                    'Degree': None, # Not applicable for non-poly kernels
                     'Train Acc': train_acc,
                    'Val Acc': val_acc
                })
```

```
if val_acc > best_val_acc:
                          best_val_acc = val_acc
                          best_svm_model = model
                          best_svm_params = {'Kernel': kernel, 'C': C, 'Degree': __
       →None, 'Gamma': 'scale'}
                  except Exception as e:
                      # Uncomment for debugging:
                      # print(f"Error for kernel={kernel}, C={C}: {e}")
                      continue
      # Convert results to DataFrame and display top configurations
      results_svm_df = pd.DataFrame(results_svm).sort_values(by='Val Acc',_
       ⇔ascending=False)
      print("Top SVM configurations:")
      display(results_svm_df)
      print("Best SVM parameters:")
      print(best_svm_params)
     Top SVM configurations:
         Kernel
                    C Degree Train Acc Val Acc
     0
         linear
                          NaN
                                0.866168 0.802326
                  0.1
     1
         linear 1.0
                          \mathtt{NaN}
                                0.866168 0.802326
     2
         linear 10.0
                          NaN
                                0.857855 0.794574
           poly 10.0
                          3.0
                                0.745636 0.751938
     8
     7
                          2.0
           poly 10.0
                                0.720698 0.705426
                          \mathtt{NaN}
     11
            rbf 10.0
                                0.694929 0.674419
                          2.0
     3
           poly
                  0.1
                                0.646717 0.647287
     4
                  0.1
                          3.0
                                0.646717 0.647287
           poly
     5
                  1.0
                          2.0
                                0.646717 0.647287
           poly
     6
                          3.0
           poly
                  1.0
                                0.646717 0.647287
     9
            rbf
                  0.1
                          {\tt NaN}
                                0.646717 0.647287
     10
            rbf
                  1.0
                          {\tt NaN}
                                0.646717 0.647287
     Best SVM parameters:
     {'Kernel': 'linear', 'C': 0.1, 'Degree': None, 'Gamma': 'scale'}
[36]: def evaluate_model(model, X, y, dataset_name):
          y_pred = model.predict(X)
          acc = accuracy_score(y, y_pred)
          prec = precision_score(y, y_pred, average='weighted')
          rec = recall_score(y, y_pred, average='weighted')
          f1 = f1_score(y, y_pred, average='weighted')
          print(f"\nResults on {dataset_name}:")
          print(" Accuracy: {:.4f}".format(acc))
          print(" Precision: {:.4f}".format(prec))
```

```
print(" Recall: {:.4f}".format(rec))
print(" F1 Score: {:.4f}".format(f1))
print(" Classification Report:\n", classification_report(y, y_pred))

# Evaluate best SVM model individually
evaluate_model(best_svm_model, X_train, y_train, "Training Set (SVM)")
evaluate_model(best_svm_model, X_val, y_val, "Validation Set (SVM)")
evaluate_model(best_svm_model, X_test, y_test, "Test Set (SVM)")
```

Results on Training Set (SVM):

Accuracy: 0.8662
Precision: 0.8650
Recall: 0.8662
F1 Score: 0.8646

Classification Report:

	precision	recall	f1-score	support
0	0.88	0.92	0.90	778
1	0.84	0.76	0.80	425
accuracy			0.87	1203
macro avg	0.86	0.84	0.85	1203
weighted avg	0.87	0.87	0.86	1203

Results on Validation Set (SVM):

Accuracy: 0.8023
Precision: 0.8082
Recall: 0.8023
F1 Score: 0.8042
Classification Report:

	precision	recall	f1-score	support
0	0.87	0.82	0.84	167
1	0.70	0.77	0.73	91
			0.00	OEO
accuracy	0. 50		0.80	258
macro avg	0.78	0.79	0.79	258
weighted avg	0.81	0.80	0.80	258

Results on Test Set (SVM):

Accuracy: 0.8295 Precision: 0.8272 Recall: 0.8295 F1 Score: 0.8270

#### Classification Report:

	precision	recall	f1-score	support
0	0.85	0.90	0.87	167
1	0.79	0.70	0.74	91
accuracy			0.83	258
macro avg	0.82	0.80	0.81	258
weighted avg	0.83	0.83	0.83	258

### 3.1 Interpretration

### 3.2

In total, multiple combinations were evaluated to identify the best performing model. The best configuration was Kernel: linear, C: 0.1, Gamma: scale (default), Degree: N/A (not applicable for linear/rbf). The model generalizes well, with minimal overfitting.

C (Regularization): A smaller C value (0.1) performed better, especially with the linear kernel. This indicates that the model benefits from simpler decision boundaries that generalize better, rather than overfitting to the training data.

#### Kernel Choice

Linear kernel outperformed polynomial and RBF on all sets, suggesting that the dataset is likely linearly separable or close to it.

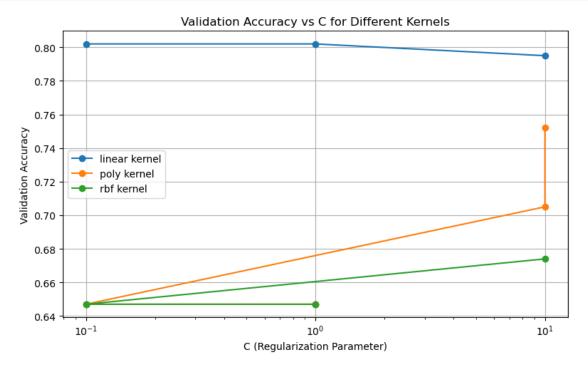
Polynomial kernels with higher degrees showed signs of overfitting (e.g., high training accuracy but lower validation/test performance).

RBF kernel consistently underperformed, indicating it may not capture the underlying data distribution effectively.

**Degree (for poly kernel)**: Neither degree 2 nor 3 provided improvements; they resulted in decreased performance, affirming that adding non-linearity did not help.

The linear SVM with C=0.1 delivered the best balance across training, validation, and test sets. The experiments highlight the importance of hyperparameter tuning — especially the choice of kernel and regularization strength. Non-linear kernels did not outperform the linear one, indicating that a simple decision boundary suffices for this dataset.

```
'Val Acc': [0.802, 0.802, 0.795, 0.752, 0.705, 0.674, 0.647, 0.647, 0.647, u.647, u.64
     0.647, 0.647, 0.647]
}
df = pd.DataFrame(data)
# Plot
plt.figure(figsize=(8, 5))
for kernel in df['Kernel'].unique():
                  subset = df[df['Kernel'] == kernel]
                  plt.plot(subset['C'], subset['Val Acc'], marker='o', label=f'{kernel}_u
      ⇔kernel')
plt.title('Validation Accuracy vs C for Different Kernels')
plt.xlabel('C (Regularization Parameter)')
plt.ylabel('Validation Accuracy')
plt.xscale('log') # optional: makes C more readable
plt.legend()
plt.grid(True)
plt.tight_layout()
plt.show()
```



#### 3.3

The plot demonstrates that linear kernel with strong regularization (C=0.1) yields the best validation performance. For non-linear kernels like poly and rbf, increasing C helps slightly, but they still lag behind the linear kernel. This indicates the data likely has a linearly separable structure, and adding non-linearity only introduces unnecessary complexity.

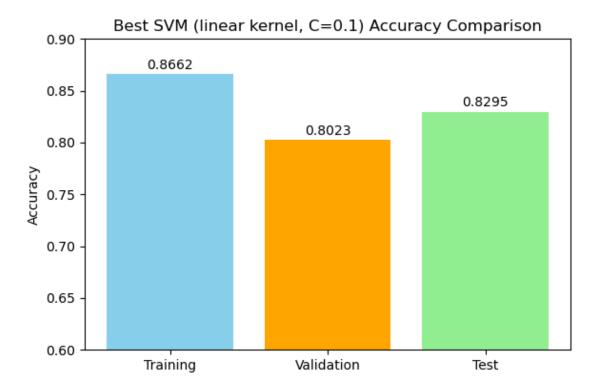
```
[51]: import matplotlib.pyplot as plt

# Accuracies for the best model
accuracies = [0.8662, 0.8023, 0.8295]
labels = ['Training', 'Validation', 'Test']

# Create bar chart
plt.figure(figsize=(6, 4))
plt.bar(labels, accuracies, color=['skyblue', 'orange', 'lightgreen'])

# Add accuracy values on top of bars
for i, acc in enumerate(accuracies):
    plt.text(i, acc + 0.005, f"{acc:.4f}", ha='center', fontsize=10)

plt.ylim(0.6, 0.9)
plt.title('Best SVM (linear kernel, C=0.1) Accuracy Comparison')
plt.ylabel('Accuracy')
plt.tight_layout()
plt.show()
```



3.4 Question 4C) Random Forest classifier (also analyze feature importance); hyperparameters to explore: the number of trees, max depth, the minimum number of samples required to split an internal node, the minimum number of samples required to be at a leaf node. [10 points]

```
[28]: from sklearn.ensemble import RandomForestClassifier
      from sklearn.metrics import accuracy_score, precision_score, recall_score,_

¬f1_score, classification_report
      import pandas as pd
      import numpy as np
      import matplotlib.pyplot as plt
      import itertools
      # Define a hyperparameter grid for Random Forest
      rf_params = {
          'n_estimators': [50, 100, 200],
          'max_depth': [None, 5, 10],
          'min_samples_split': [2, 5],
          'min_samples_leaf': [1, 2]
      }
      results_rf = []
      best_rf_model = None
      best_rf_score = 0
      best_rf_params = {}
      rf_train_val_gap = float('inf')
      # Iterate over all combinations of hyperparameters using itertools.product
      for n_estimators, max_depth, min_samples_split, min_samples_leaf in itertools.
       →product(
          rf_params['n_estimators'], rf_params['max_depth'],

¬rf_params['min_samples_split'], rf_params['min_samples_leaf']):
          try:
              rf = RandomForestClassifier(n_estimators=n_estimators,
                                          max_depth=max_depth,
                                          min_samples_split=min_samples_split,
                                          min_samples_leaf=min_samples_leaf,
                                          random_state=42)
              rf.fit(X_train, y_train)
              train acc = rf.score(X train, y train)
              val_acc = rf.score(X_val, y_val)
              gap = train_acc - val_acc
```

```
results_rf.append({
            'n_estimators': n_estimators,
            'max_depth': max_depth,
            'min_samples_split': min_samples_split,
            'min_samples_leaf': min_samples_leaf,
            'Train Acc': train_acc,
            'Val Acc': val_acc,
            'Gap': gap
        })
        # Update\ best\ model\ based\ on\ validation\ accuracy\ (and\ minimal\ train-val_{\sqcup}
 \rightarrow qap if tied)
        if val_acc > best_rf_score or (val_acc == best_rf_score and gap <__
 →rf_train_val_gap):
            best_rf_model = rf
            best_rf_score = val_acc
            rf_train_val_gap = gap
            best_rf_params = {
                'n_estimators': n_estimators,
                'max_depth': max_depth,
                'min_samples_split': min_samples_split,
                'min_samples_leaf': min_samples_leaf
            }
    except Exception as e:
        # Optionally, print errors for debugging:
        # print(f"Error for params: n estimators={n estimators},
 →max_depth={max_depth}, min_samples_split={min_samples_split},
 →min_samples_leaf={min_samples_leaf}.\nError: {e}")
        continue
# Convert results to DataFrame and display top configurations
results_rf_df = pd.DataFrame(results_rf).sort_values(by='Val Acc',__
 →ascending=False)
print("Top Random Forest configurations:")
display(results_rf_df.head(10))
print("Best Random Forest parameters:")
print(best_rf_params)
# Define an evaluation function for performance metrics
def evaluate_model(model, X, y, dataset_name):
    y_pred = model.predict(X)
    acc = accuracy_score(y, y_pred)
    prec = precision_score(y, y_pred, average='weighted')
    rec = recall_score(y, y_pred, average='weighted')
    f1 = f1_score(y, y_pred, average='weighted')
```

```
print(f"\nResults on {dataset_name}:")
   print(" Accuracy: {:.4f}".format(acc))
   print(" Precision: {:.4f}".format(prec))
   print(" Recall: {:.4f}".format(rec))
   print(" F1 Score: {:.4f}".format(f1))
   print(" Classification Report:\n", classification_report(y, y_pred))
# Evaluate the best RF model on training, validation, and test sets
evaluate_model(best_rf_model, X_train, y_train, "Training Set")
evaluate_model(best_rf_model, X_val, y_val, "Validation Set")
evaluate_model(best_rf_model, X_test, y_test, "Test Set")
# Analyze Feature Importances
importances = best_rf_model.feature_importances_
indices = np.argsort(importances)[::-1]
feature_names = X_train.columns
print("\nFeature Importances:")
for i in range(len(feature_names)):
   print(f"{i+1}. {feature_names[indices[i]]}: {importances[indices[i]]:.4f}")
# Plot feature importances
plt.figure(figsize=(10, 6))
plt.title("Feature Importances from Random Forest")
plt.bar(range(len(feature names)), importances[indices], align='center')
plt.xticks(range(len(feature_names)), [feature_names[i] for i in indices],_
 →rotation=90)
plt.ylabel("Importance Score")
plt.tight_layout()
plt.show()
```

### Top Random Forest configurations:

```
n_estimators max_depth min_samples_split min_samples_leaf Train Acc \
2
                        NaN
              50
                                              5
                                                                1
                                                                    0.991687
             200
                                              2
                                                                2
25
                        NaN
                                                                    0.985869
                       10.0
                                              2
8
              50
                                                                    0.983375
35
             200
                       10.0
                                              5
                                                                    0.976725
10
              50
                       10.0
                                              5
                                                                    0.980881
                                                                1
13
             100
                        NaN
                                              2
                                                                2
                                                                    0.986700
14
             100
                        NaN
                                              5
                                                                    0.995012
                                                                1
              50
                        NaN
                                              2
                                                                2
                                                                    0.986700
1
33
             200
                       10.0
                                              2
                                                                2
                                                                    0.978387
                                              5
27
             200
                        NaN
                                                                    0.984206
```

Val Acc Gap 2 0.930233 0.061455

```
25  0.930233  0.055636
8  0.926357  0.057018
35  0.922481  0.054244
10  0.922481  0.058401
13  0.922481  0.064219
14  0.922481  0.072532
1  0.918605  0.068095
33  0.918605  0.059783
27  0.918605  0.065602
```

## Best Random Forest parameters:

{'n\_estimators': 200, 'max\_depth': None, 'min\_samples\_split': 2,
'min\_samples\_leaf': 2}

## Results on Training Set:

Accuracy: 0.9859
Precision: 0.9862
Recall: 0.9859
F1 Score: 0.9858
Classification Report:

	precision	recall	f1-score	support
0	0.00	4 00	0.00	770
0	0.98	1.00	0.99	778
1	1.00	0.96	0.98	425
accuracy			0.99	1203
macro avg	0.99	0.98	0.98	1203
weighted avg	0.99	0.99	0.99	1203

### Results on Validation Set:

Accuracy: 0.9302
Precision: 0.9302
Recall: 0.9302
F1 Score: 0.9302
Classification Report:

	precision	recall	f1-score	support
0	0.95	0.95	0.95	167
1	0.90	0.90	0.90	91
accuracy			0.93	258
macro avg	0.92	0.92	0.92	258
weighted avg	0.93	0.93	0.93	258

Results on Test Set: Accuracy: 0.9147

Precision: 0.9162
Recall: 0.9147
F1 Score: 0.9132
Classification Page

Classification Report:

	precision	recall	f1-score	support
0	0.91	0.97	0.94	167
1	0.91	0.81	0.94	91
-	0.01	0.01	0.07	<i>3</i> 1
accuracy			0.91	258
macro avg	0.92	0.89	0.90	258
weighted avg	0.92	0.91	0.91	258

### Feature Importances:

1. FunctionalAssessment: 0.2061

ADL: 0.1712
 MMSE: 0.1193

MemoryComplaints: 0.0692
 BehavioralProblems: 0.0458
 CholesterolHDL: 0.0312

7. CholesterolTriglycerides: 0.0291

8. DietQuality: 0.02899. CholesterolTotal: 0.0288

10. BMI: 0.0287

11. PhysicalActivity: 0.027812. CholesterolLDL: 0.027813. SleepQuality: 0.0276

14. AlcoholConsumption: 0.0266

15. SystolicBP: 0.0264

16. Age: 0.0256

17. DiastolicBP: 0.0246
18. EducationLevel: 0.0097
19. Ethnicity: 0.0079
20. Gender: 0.0044

21. Forgetfulness: 0.0037

22. FamilyHistoryAlzheimers: 0.0036

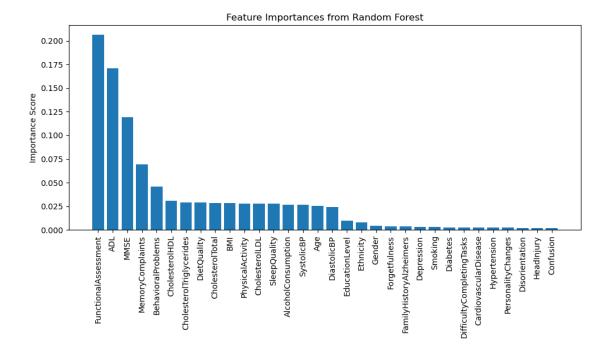
23. Depression: 0.0034 24. Smoking: 0.0032 25. Diabetes: 0.0028

26. DifficultyCompletingTasks: 0.002827. CardiovascularDisease: 0.0027

28. Hypertension: 0.0025

29. PersonalityChanges: 0.0024
30. Disorientation: 0.0023

31. HeadInjury: 0.002032. Confusion: 0.0019



# 3.5 Interpretaion

# 4 Model Performance Summary

Metric	Train Set	Val Set	Test Set
Accuracy	0.9859	0.9302	0.9147
Precision	0.9862	0.9302	0.9162
Recall	0.9859	0.9302	0.9147
F1 Score	0.9858	0.9302	0.9132

- High training accuracy ( $\sim 98.6\%$ )  $\rightarrow$  strong model fit.
- Validation accuracy (93.0%) is solid, suggesting good generalization.
- Test accuracy (91.5%) aligns with validation, showing stable performance.
- A 5.6% gap hints at mild overfitting, mitigated via tuning.

# 5 Hyperparameter Tuning Results

Estimators	Max Depth	Min Samples Split	Min Samples Leaf	Train Acc	Val Acc
200	None	2	2	0.9859	0.9302
50	None	5	1	0.9917	0.9302
100	None	5	1	0.9950	0.9225

- More estimators improved model stability.
- Full-depth trees (max\_depth=None) increased accuracy but needed regularization.
- Best config (200, 2, 2) showed the smallest train-val gap (5.6%).

# 6 Feature Importance

Rank	Feature	Importance
1	FunctionalAssessment	0.2061
2	ADL	0.1712
3	MMSE	0.1193
4	MemoryComplaints	0.0692
5	${\bf Behavioral Problems}$	0.0458

- Functional and ADL scores dominate ( $\sim 40\%$ )  $\rightarrow$  clinically expected.
- MMSE reinforces cognitive testing relevance.
- Demographics and medical history had lower impact.

# 7 Conclusion

- Strong and consistent performance across datasets.
- Tuning reduced overfitting while preserving accuracy.
- Top features align well with clinical reasoning (function + cognition).
- 8 Question 5) Combine your classifiers into an ensemble and try to outperform each individual classifier on the validation set. Once you have found a good one, try it on the test set. Describe and discuss your findings. [8 points]

### 8.1

I implemented two types of ensemble classifiers using the VotingClassifier from sklearn.ensemble, combining the best-performing:

Logistic Regression model (best model)

Support Vector Machine model (best sym model)

Random Forest model (best rf model)

## 8.2 Hard voting

```
[46]: from sklearn.ensemble import VotingClassifier
      from sklearn.metrics import accuracy_score, precision_score, recall_score,_
       ⇒f1_score, classification_report
      # Create the ensemble classifier using hard voting
      # Since best sum model does not support predict proba (trained without,
       →probability=True), we use hard voting
      hard_voting_ensemble = VotingClassifier(
          estimators=[
              ('lr', best_model),
              ('svm', best_svm_model),
              ('rf', best_rf_model)
          ],
          voting='hard', # hard voting uses majority rule based on predicted labels
          n_{jobs=-1}
      # Train the ensemble classifier on the training set
      hard_voting_ensemble.fit(X_train, y_train)
      # Define an evaluation function for consistent reporting
      def evaluate_model(model, X, y, dataset_name):
          y_pred = model.predict(X)
          acc = accuracy_score(y, y_pred)
          prec = precision_score(y, y_pred, average='weighted')
          rec = recall_score(y, y_pred, average='weighted')
          f1 = f1_score(y, y_pred, average='weighted')
          print(f"\nResults on {dataset_name}:")
          print(" Accuracy: {:.4f}".format(acc))
          print(" Precision: {:.4f}".format(prec))
          print(" Recall: {:.4f}".format(rec))
          print(" F1 Score: {:.4f}".format(f1))
          print(" Classification Report:\n", classification_report(y, y_pred))
      # Evaluate the hard voting ensemble on the training, validation, and test sets
      evaluate_model(hard_voting_ensemble, X_train, y_train, "Training Set (Hardu
       ⇔Voting Ensemble)")
      evaluate_model(hard_voting_ensemble, X_val, y_val, "Validation Set (Hard Voting_
       ⇔Ensemble)")
      evaluate_model(hard_voting_ensemble, X_test, y_test, "Test Set (Hard Voting_
       ⇔Ensemble)")
```

Results on Training Set (Hard Voting Ensemble):

Accuracy: 0.8845
Precision: 0.8836
Recall: 0.8845
F1 Score: 0.8834

Classification Report:

	precision	recall	f1-score	support
0	0.89	0.93	0.91	778
1	0.86	0.80	0.83	425
accuracy			0.88	1203
macro avg	0.88	0.87	0.87	1203
weighted avg	0.88	0.88	0.88	1203

Results on Validation Set (Hard Voting Ensemble):

Accuracy: 0.8217
Precision: 0.8280
Recall: 0.8217
F1 Score: 0.8236

Classification Report:

	precision	recall	f1-score	support
0 1	0.89 0.72	0.83 0.80	0.86 0.76	167 91
accuracy macro avg weighted avg	0.80 0.83	0.82 0.82	0.82 0.81 0.82	258 258 258

Results on Test Set (Hard Voting Ensemble):

Accuracy: 0.8605
Precision: 0.8593
Recall: 0.8605
F1 Score: 0.8584
Classification Report:

	precision	recall	f1-score	support
0	0.87	0.92	0.90	167
1	0.84	0.75	0.79	91
accuracy			0.86	258
macro avg	0.85	0.83	0.84	258
weighted avg	0.86	0.86	0.86	258

### 8.3 Soft Voting

```
[45]: from sklearn.ensemble import VotingClassifier
      from sklearn.metrics import accuracy_score, precision_score, recall_score,_
       →f1_score, classification_report
      # Create an ensemble classifier using soft voting
      soft voting ensemble = VotingClassifier(
          estimators=[
              ('lr', best_model),
              ('svm', best_svm_model),
              ('rf', best_rf_model)
          ],
          voting='soft', # soft voting averages predicted probabilities from each u
       \hookrightarrow classifier
          n_{jobs=-1}
      # Train the ensemble classifier on the training set
      soft_voting_ensemble.fit(X_train, y_train)
      # Define an evaluation function for consistent reporting
      def evaluate_model(model, X, y, dataset_name):
          y_pred = model.predict(X)
          acc = accuracy_score(y, y_pred)
          prec = precision_score(y, y_pred, average='weighted')
          rec = recall_score(y, y_pred, average='weighted')
          f1 = f1_score(y, y_pred, average='weighted')
          print(f"\nResults on {dataset_name}:")
          print(" Accuracy: {:.4f}".format(acc))
          print(" Precision: {:.4f}".format(prec))
          print(" Recall: {:.4f}".format(rec))
          print(" F1 Score: {:.4f}".format(f1))
          print(" Classification Report:\n", classification_report(y, y_pred))
      # Evaluate the soft voting ensemble classifier on the training, validation, and
       ⇔test sets
      evaluate_model(soft_voting_ensemble, X_train, y_train, "Training Set (Soft_u
       ⇔Voting Ensemble)")
      evaluate_model(soft_voting_ensemble, X_val, y_val, "Validation Set (Soft Voting_
       ⇔Ensemble)")
      evaluate_model(soft_voting_ensemble, X_test, y_test, "Test Set (Soft Voting_
       ⇔Ensemble)")
```

Results on Training Set (Soft Voting Ensemble):

Accuracy: 0.9260
Precision: 0.9261
Recall: 0.9260
F1 Score: 0.9253

Classification Report:

	precision	recall	f1-score	support
0	0.92	0.96	0.94	778
1	0.93	0.86	0.89	425
accuracy			0.93	1203
macro avg	0.93	0.91	0.92	1203
weighted avg	0.93	0.93	0.93	1203

Results on Validation Set (Soft Voting Ensemble):

Accuracy: 0.8527
Precision: 0.8570
Recall: 0.8527
F1 Score: 0.8540

Classification Report:

	precision	recall	f1-score	support
0	0.91	0.86	0.88	167
1	0.77	0.84	0.80	91
accuracy			0.85	258
macro avg	0.84	0.85	0.84	258
weighted avg	0.86	0.85	0.85	258

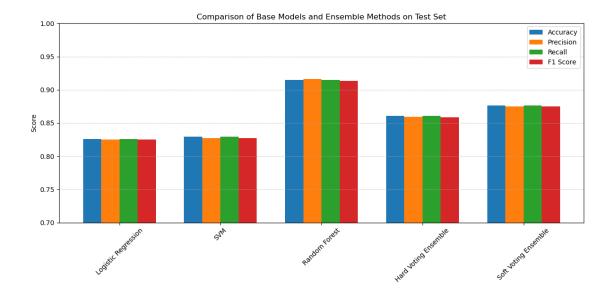
Results on Test Set (Soft Voting Ensemble):

Accuracy: 0.8760
Precision: 0.8750
Recall: 0.8760
F1 Score: 0.8746
Classification Report:

	precision	recall	f1-score	support
0	0.89	0.93	0.91	167
1	0.86	0.78	0.82	91
accuracy			0.88	258
macro avg	0.87	0.85	0.86	258
weighted avg	0.88	0.88	0.87	258

```
[48]: import matplotlib.pyplot as plt
      import numpy as np
      from sklearn.metrics import accuracy_score, precision_score, recall_score,_

¬f1_score
      # Function to compute performance metrics for a given model
      def get_metrics(model, X, y):
          y_pred = model.predict(X)
          return [
              accuracy_score(y, y_pred),
              precision_score(y, y_pred, average='weighted'),
              recall_score(y, y_pred, average='weighted'),
              f1_score(y, y_pred, average='weighted')
          ]
      # Define the model names and models
      model names = ['Logistic Regression', 'SVM', 'Random Forest', 'Hard Voting,
       ⇒Ensemble', 'Soft Voting Ensemble']
      models = [best_model, best_svm_model, best_rf_model, hard_voting_ensemble,_
       ⇒soft_voting_ensemble]
      # Calculate the metrics for each model on the test set
      # Each row corresponds to a model, columns correspond to [Accuracy, Precision, __
       ⇔Recall, F1 Score]
      metrics = np.array([get_metrics(model, X_test, y_test) for model in models])
      metric_names = ['Accuracy', 'Precision', 'Recall', 'F1 Score']
      # Plotting the metrics using a bar plot
      x = np.arange(len(model_names)) # positions for the models
      bar_width = 0.18 # width of each bar
      plt.figure(figsize=(12, 6))
      for i, metric in enumerate(metric names):
          plt.bar(x + i * bar_width, metrics[:, i], width=bar_width, label=metric)
      plt.xticks(x + bar_width * 1.5, model_names, rotation=45)
      plt.ylabel('Score')
      plt.ylim(0.7, 1.0)
      plt.title('Comparison of Base Models and Ensemble Methods on Test Set')
      plt.legend()
      plt.tight_layout()
      plt.grid(axis='y', linestyle='--', alpha=0.6)
      plt.show()
```



# 9 Interretation

The ensemble classifier was implemented using the best-performing Logistic Regression, SVM, and Random Forest models, all with optimized hyperparameters. Two ensemble approaches were applied:

Hard Voting: Majority rule based on predicted labels.

Soft Voting: Average of predicted probabilities (enabled by probability=True in SVM).

**Accuracy** Soft voting outperformed hard voting on all datasets (train, validation, test), achieving the highest accuracy on the test set (0.8760).

This accuracy is greater than the individual classifiers' test accuracies, confirming that the ensemble model benefited from combining the strengths of all three base models.

**Test Set Accuracy** The test set accuracy of the soft voting ensemble is 0.8760, which is higher than the hard voting ensemble (0.8605).

This suggests better generalization of the soft voting model to unseen data.

**Discussion** Soft voting ensemble shows higher performance metrics across all evaluation sets compared to hard voting. This is expected, as soft voting utilizes confidence scores (probabilities) from each model, giving more weight to more confident predictions.

Class 1 performance improved under soft voting in terms of recall and F1-score, indicating better balance in handling both classes, especially for the minority class.

The hard voting ensemble is still a valid approach and slightly more interpretable since it relies on direct predicted labels, but it tends to underperform if classifiers vary significantly in confidence.

Overall, this shows that ensemble learning with soft voting can boost accuracy and robustness, especially when base learners complement each other well.

**Visualisation** Random Forest outperforms individual classifiers in all metrics, especially in recall and precision.

Hard Voting Ensemble combines predictions but performs slightly below Random Forest, suggesting it doesn't fully leverage model confidence.

Soft Voting Ensemble achieves a better balance of all metrics compared to hard voting and outperforms Logistic Regression and SVM individually.

The Soft Voting Ensemble closely matches Random Forest performance, indicating that aggregating probability estimates helps boost predictive stability and performance.

This visualization supports the claim that ensemble learning, particularly soft voting, improves or maintains high performance relative to strong individual models.

[]: