

# **Implementation of MLP with TensorFlow**

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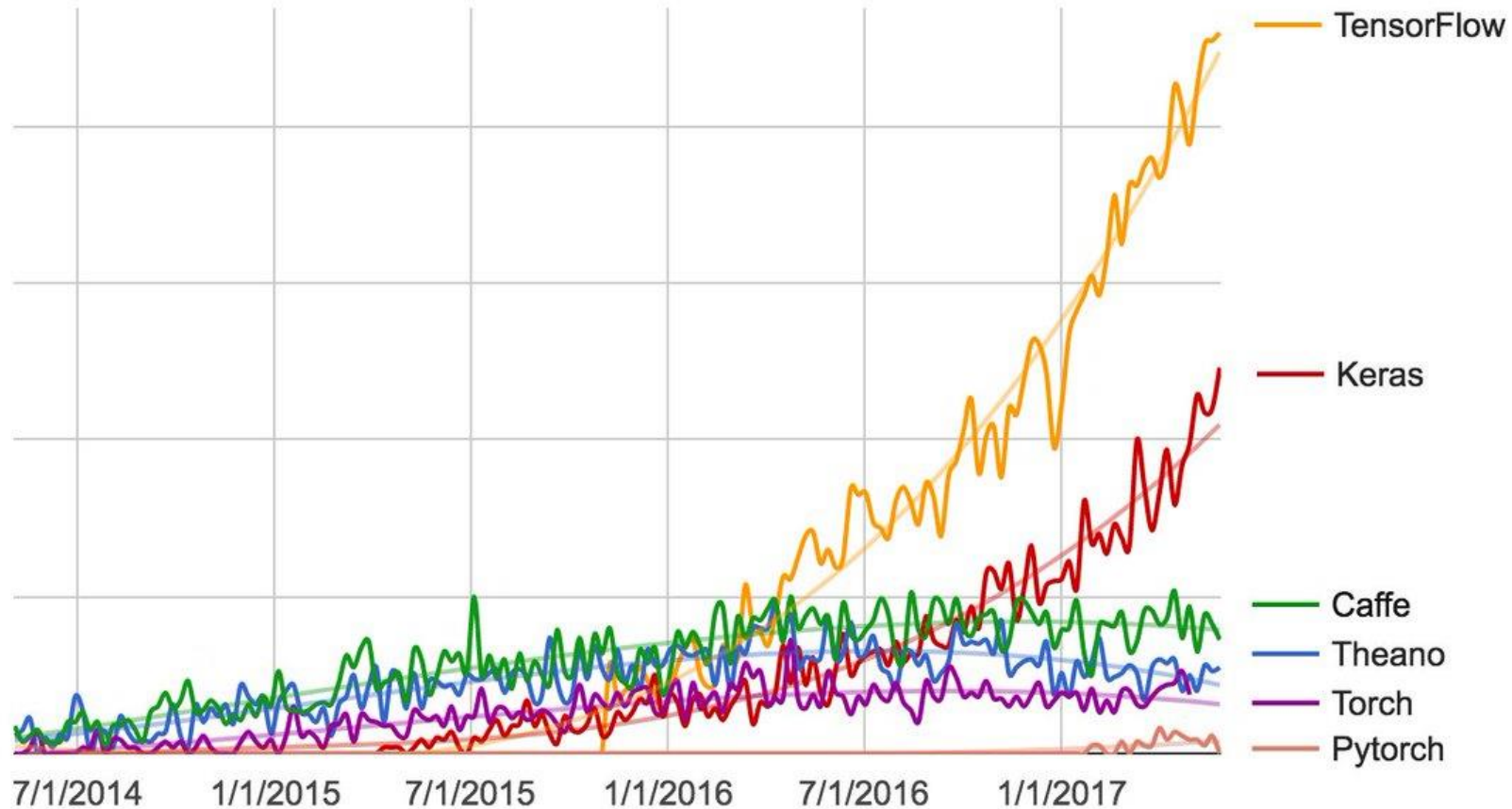
**Department of Chemistry, KAIST**

# Contents

- TensorFlow
- Multi-layer perceptron (MLP)
- Prediction of  $\log P$  using MLP

# Deep learning Frameworks - TensorFlow

Deep learning framework search interest



# Deep learning Frameworks - TensorFlow

- TensorFlow – We will use this in this class.

- Developed and maintained by Google
- Most popular deep learning framework → many examples on gitHub
- Static computational graph, *but dynamic computational graph is also supported now.*

- Keras

- Framework using tensorflow and theano as back-end
- Super super easy to use
- Static computational graph

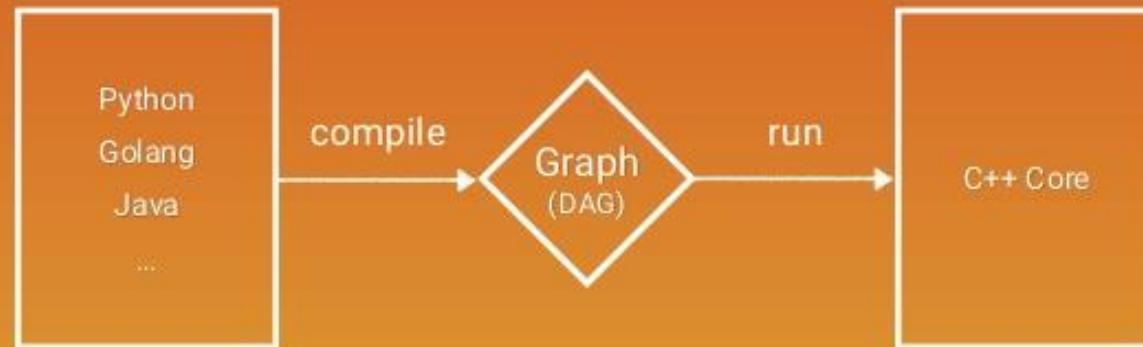
- PyTorch

- Developed and maintained by Facebook
- Dynamic Computational Graph



# TensorFlow

## How does TensorFlow work

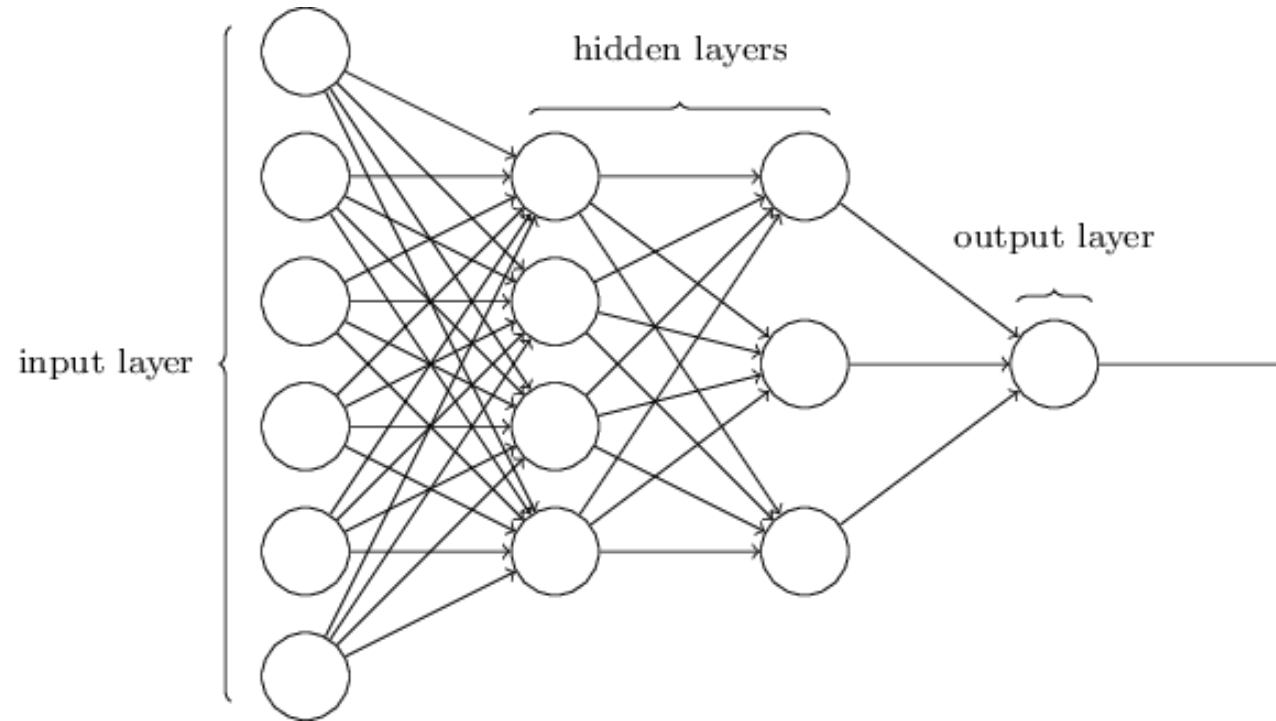


# TensorFlow

## Overall procedure

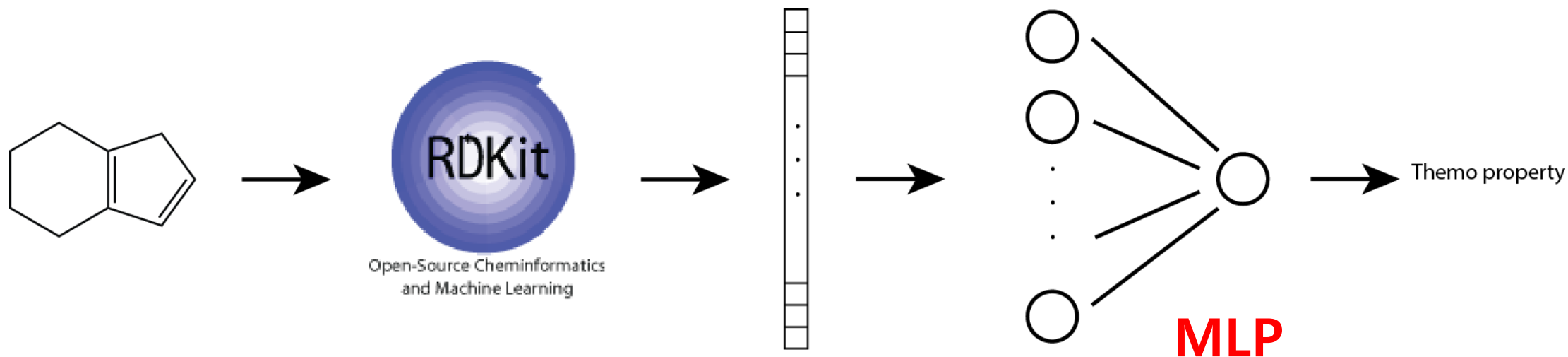
1. Prepare data
2. Construct a neural network (computational graph)
3. Set a loss function
4. Set an optimizer
5. Training & validation
6. Test

# Multi-layer perceptron



$Y = \textcolor{red}{f}(X)$ , Using **MLP** for a function approximator

# Prediction of logP using MLP



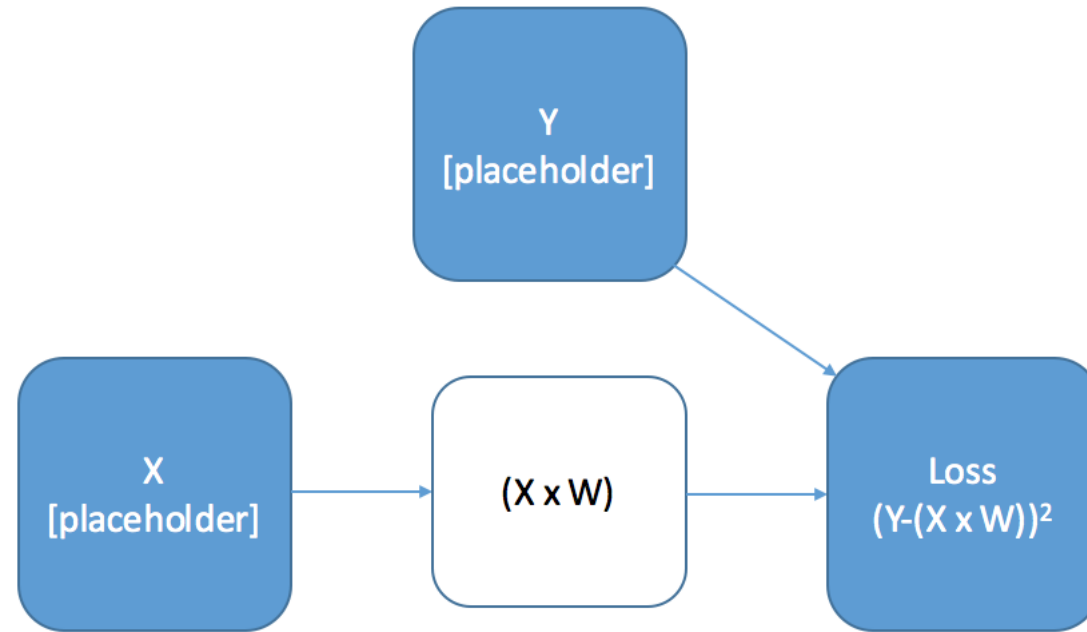
$Y = f(X)$ , Using **MLP** for a function approximator

- $Y$  : molecular property (logP)
- $X$  : molecular structure (fingerprint)



# Multi-layer perceptron

## Placeholder



- `X = tf.placeholder(tf.float64, shape = [None, 2048])`
- `Y = tf.placeholder(tf.float64, shape = [None, ])`

# Multi-layer perceptron

## Construct a neural network

tf.layers.dense

[https://www.tensorflow.org/api\\_docs/python/tf/layers/dense](https://www.tensorflow.org/api_docs/python/tf/layers/dense)

```
dense(  
    inputs,  
    units,  
    activation=None,  
    use_bias=True,  
    kernel_initializer=None,  
    bias_initializer=tf.zeros_initializer(),  
    kernel_regularizer=None,  
    bias_regularizer=None,  
    activity_regularizer=None,  
    trainable=True,  
    name=None,  
    reuse=None  
)
```

- $h_1 = \text{tf.layers.dense}(X, \text{units}=512, \text{activation}=\text{tf.nn.relu}, \text{use\_bias} = \text{True})$        $h_1 = \text{ReLU}(W_1 X + b_1)$
- $h_2 = \text{tf.layers.dense}(h_1, \text{units}=512, \text{activation}=\text{tanh}, \text{use\_bias} = \text{True})$        $h_2 = \text{tanh}(W_2 h_1 + b_2)$
- $\text{output} = \text{tf.layers.dense}(h_2, \text{units}=1, \text{activation}=\text{None}, \text{use\_bias} = \text{True})$        $\text{output} = \text{tanh}(W_2 h_2 + b_2)$

# Multi-layer perceptron

## Construct a neural network

- `h1 = tf.layers.dense(X, units=512, activation=tf.nn.relu, use_bias = True)`       $h_1 = \text{ReLU}(W_1 X + b_1)$
- `h2 = tf.layers.dense(h1, units=512, activation=tanh, use_bias = True)`       $h_2 = \tanh(W_2 h_1 + b_2)$
- `output = tf.layers.dense(h2, units=1, activation=None, use_bias = True)`       $\text{output} = \tanh(W_2 h_2 + b_2)$

Question) Dimension of  $W_1, W_2, W_3, b_1, b_2, b_3, h_1, h_2, \text{output}$ ?

# Multi-layer perceptron

## Construct a neural network

- `h1 = tf.layers.dense(X, units=512, activation=tf.nn.relu, use_bias = True)`       $h_1 = \text{ReLU}(W_1 X + b_1)$
- `h2 = tf.layers.dense(h1, units=512, activation=tanh, use_bias = True)`       $h_2 = \tanh(W_2 h_1 + b_2)$
- `output = tf.layers.dense(h2, units=1, activation=None, use_bias = True)`       $\text{output} = \tanh(W_2 h_2 + b_2)$

Question) Dimension(shape) of  $W_1, W_2, W_3, b_1, b_2, b_3, h_1, h_2, \text{output}$ ?

Answer)

$W_1: [2048, 512], \quad W_2: [512, 512], \quad W_3: [512, 1]$

$b_1: [512], \quad b_2: [512], \quad b_3: [1]$

$h_1: [None, 512], \quad h_2: [None, 512], \quad \text{output}: [None, 1]$

# Multi-layer perceptron

## Set a loss function

$$\mathcal{L} = \frac{1}{N} \sum_{i=1}^N (y_{i,truth} - y_{i,pred})^2$$

```
output = tf.flatten(output)          # Change shape of tensor from [None, 1] to [None, ]  
loss = tf.reduce_mean( (Y - output)**2 )
```

## Set an optimizer

```
lr = tf.Variable(0.0, trainable=False) # learning rate  
loss = tf.reduce_mean( (Y - output)**2 )  
opt = tf.train.AdamOptimizer(lr).minimize(loss)  
sess = tf.Session()  
Init = tf.global_variables_initializer()  
sess.run(init)
```

# Multi-layer perceptron

## Set an optimizer

: many different optimizers exist

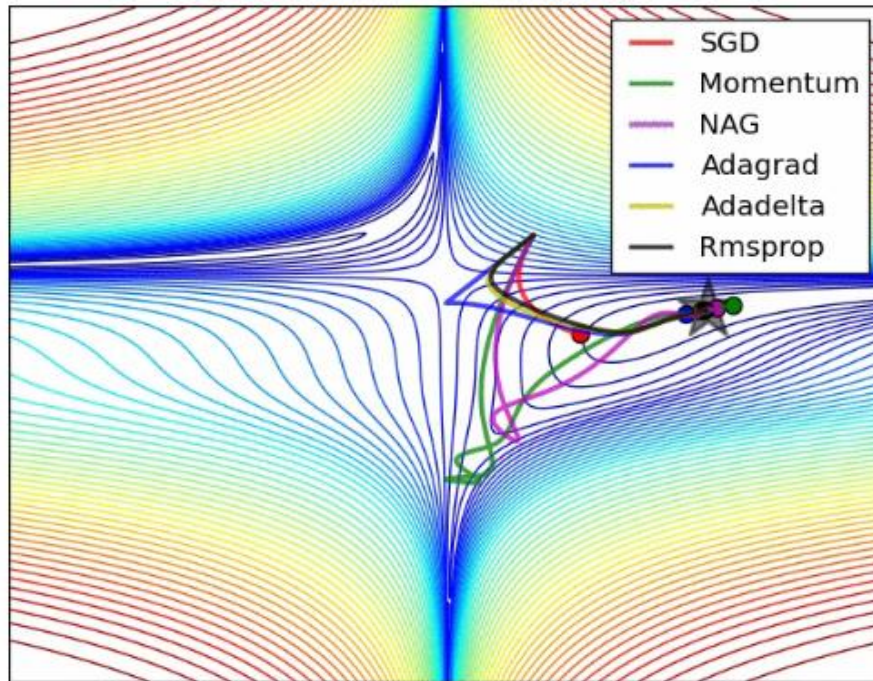


Image 5: SGD optimization on loss surface contours

As we can see, the adaptive learning-rate methods, i.e. Adagrad, Adadelata, RMSprop, and Adam are most suitable and provide the best convergence for these scenarios.

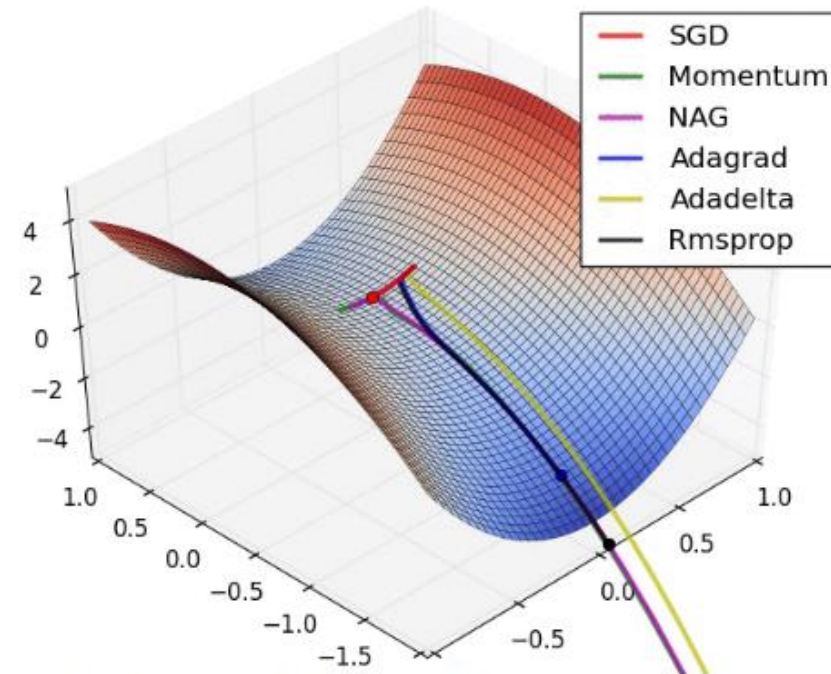


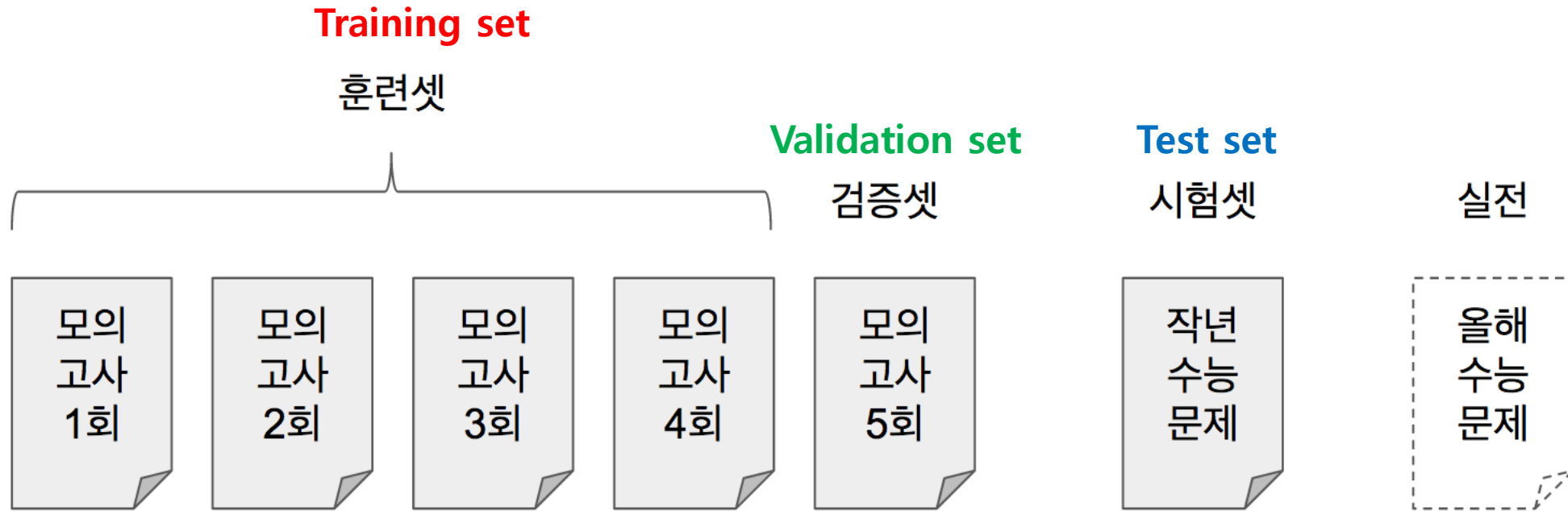
Image 6: SGD optimization on saddle point

$$\mathcal{L} = \frac{1}{N} \sum_{i=1}^N (y_{i,truth} - y_{i,pred})^2, \text{ in our study}$$

<http://ruder.io/optimizing-gradient-descent/>

# Multi-layer perceptron

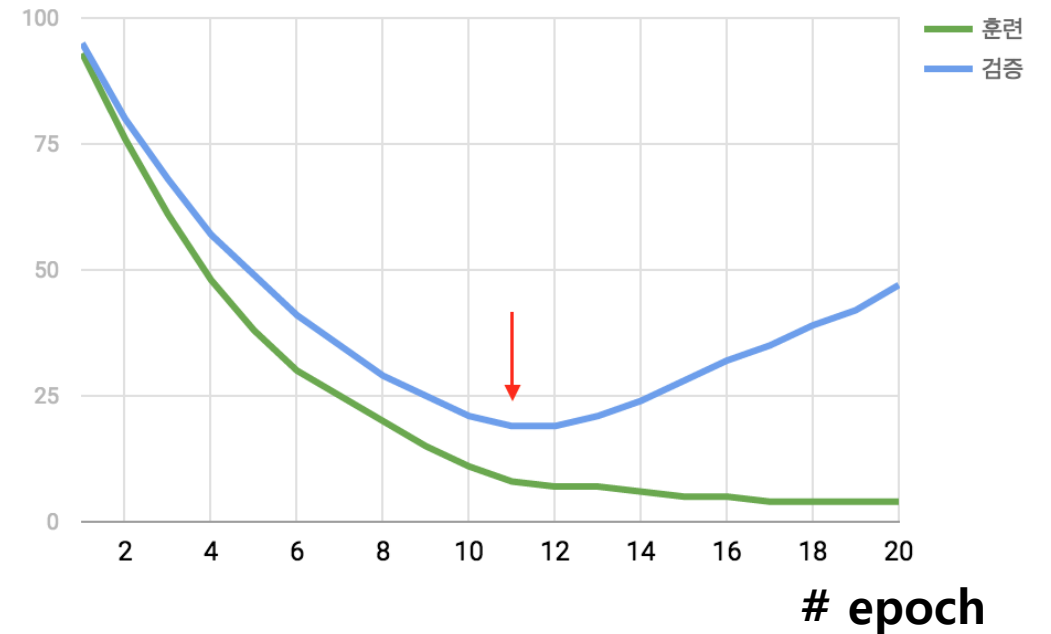
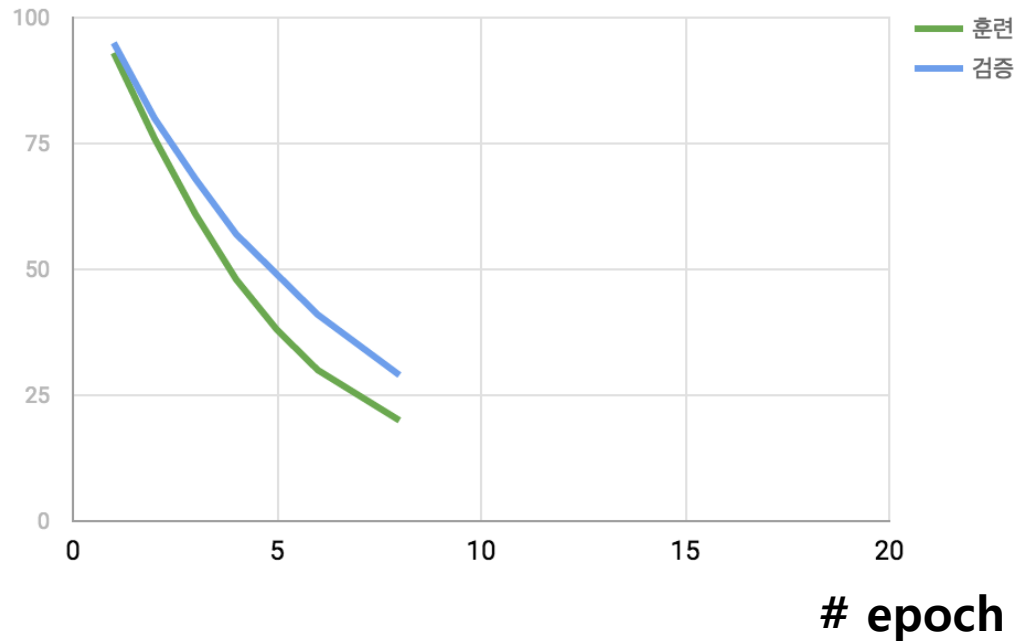
## Training & validation



- Use the **training set** for train the neural network
- Use the **validation set** for check whether the neural network is successfully being trained
- Use the **test set** for check the performance of trained neural network.

# Multi-layer perceptron

## Training & validation



- Use the **training set** for train the neural network
- Use the **validation set** for check whether the neural network is successfully being trained
- Use the **test set** for check the performance of trained neural network.



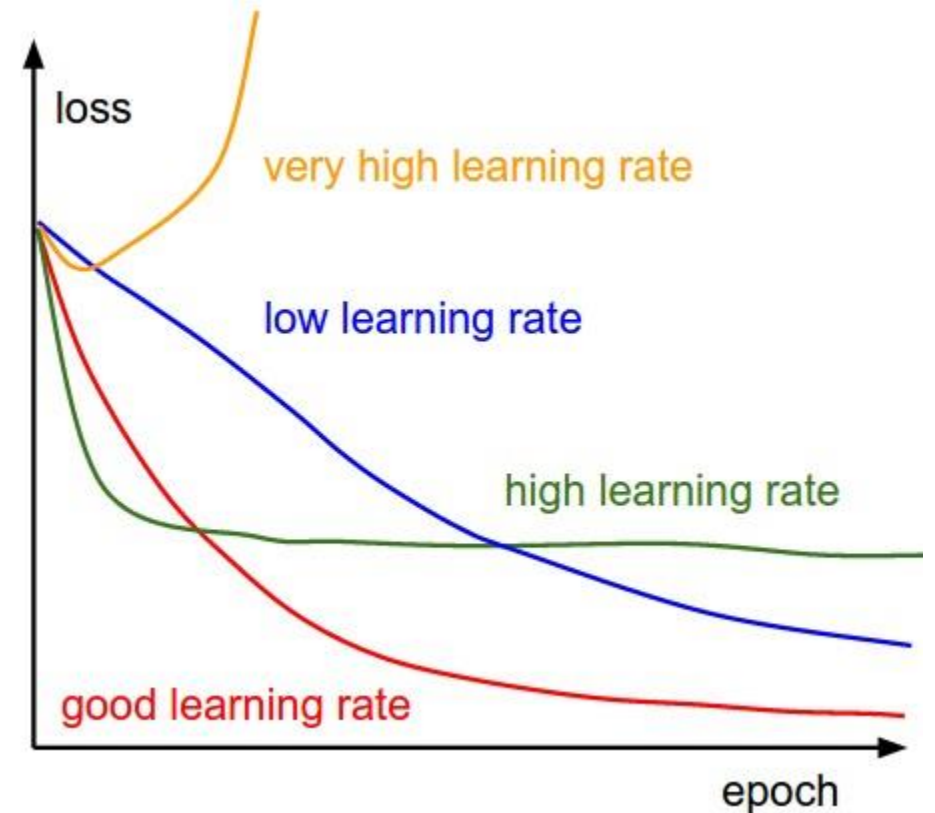
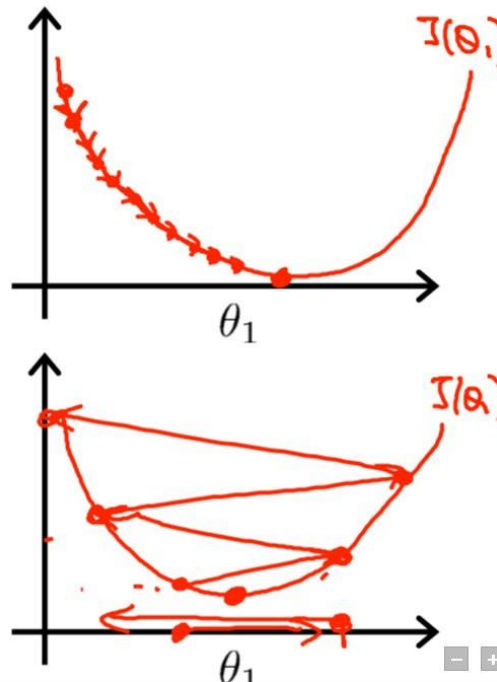
# Multi-layer perceptron

## Learning rate

$$\theta_1 := \theta_1 - \alpha \frac{\partial}{\partial \theta_1} J(\theta_1)$$

If  $\alpha$  is too small, gradient descent can be slow.

If  $\alpha$  is too large, gradient descent can overshoot the minimum. It may fail to converge, or even diverge.

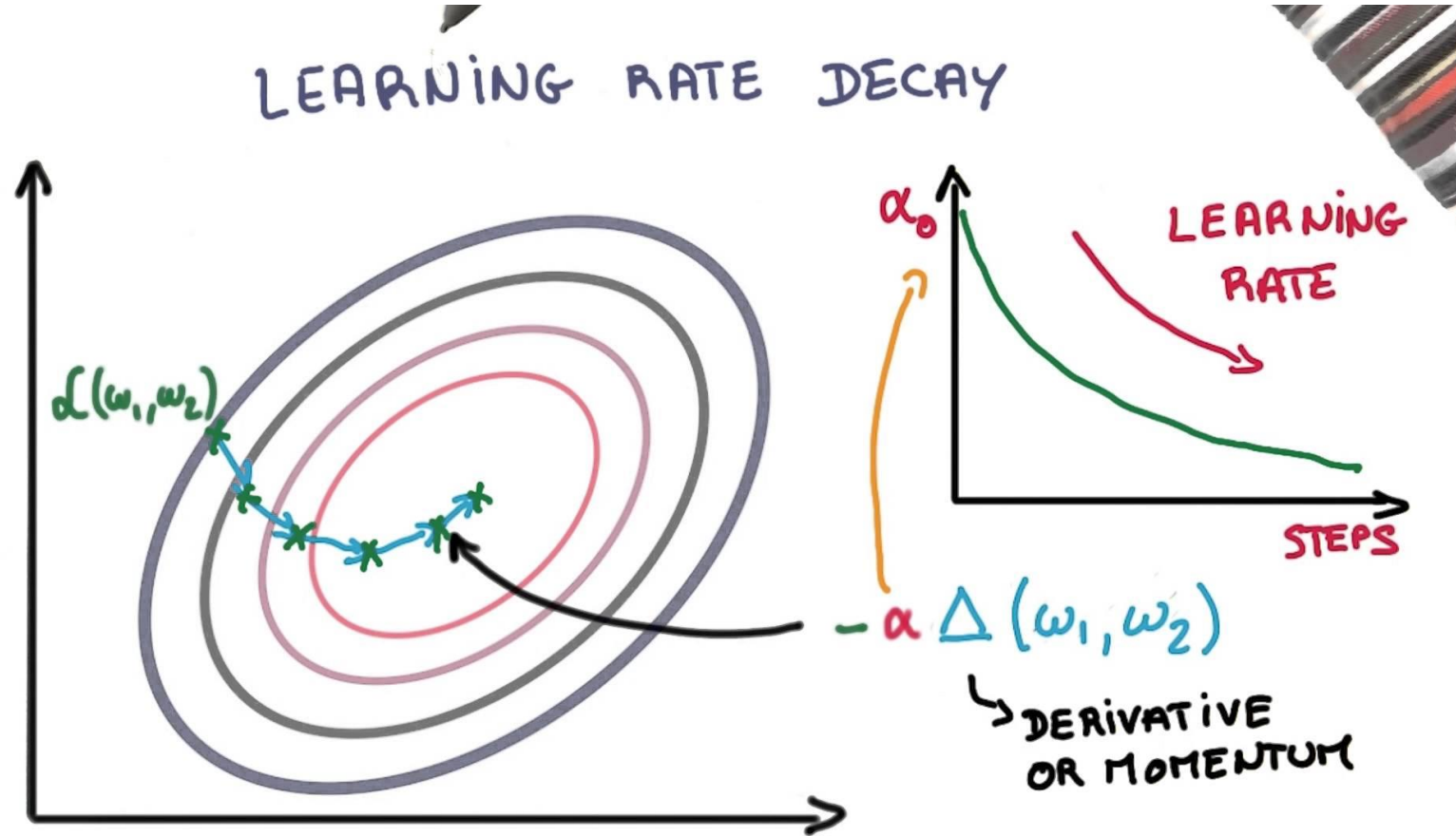


<https://towardsdatascience.com/estimating-optimal-learning-rate-for-a-deep-neural-network-ce32f2556ce0>

<http://cs231n.github.io/neural-networks-3/>

# Multi-layer perceptron

Learning rate & decay rate



<https://www.youtube.com/watch?v=s6jC7Wc9iMI>

# Multi-layer perceptron

## Training & validation

```
init_lr = 0.001
for t in range(epoch_size):

    pred_train = []
    sess.run(tf.assign( lr, init_lr*( decay_rate**t ) ))
    for i in range(batch_train):
        X_batch = fps_train[i*batch_size:(i+1)*batch_size]
        Y_batch = logP_train[i*batch_size:(i+1)*batch_size]
        _opt, _Y, _loss = sess.run([opt, Y_pred, loss], feed_dict = {X : X_batch, Y : Y_batch})
        pred_train.append(_Y.flatten())
        #print("Epoch :", t, "\t batch:", i, "Loss :", _loss, "\t Training")
    pred_train = np.concatenate(pred_train, axis=0)
    error = (logP_train-pred_train)
    mae = np.mean(np.abs(error))
    rmse = np.sqrt(np.mean(error**2))
    stdv = np.std(error)

    print ("MSE :", mae, "RMSE :", rmse, "Std :", stdv, "\t Training, \t Epoch :", t)
```

```
pred_validation = []
for i in range(batch_validation):
    X_batch = fps_validation[i*batch_size:(i+1)*batch_size]
    Y_batch = logP_validation[i*batch_size:(i+1)*batch_size]
    _Y, _loss = sess.run([Y_pred, loss], feed_dict = {X : X_batch, Y : Y_batch})
    #print("Epoch :", t, "\t batch:", i, "Loss :", _loss, "\t validation")
    pred_validation.append(_Y.flatten())

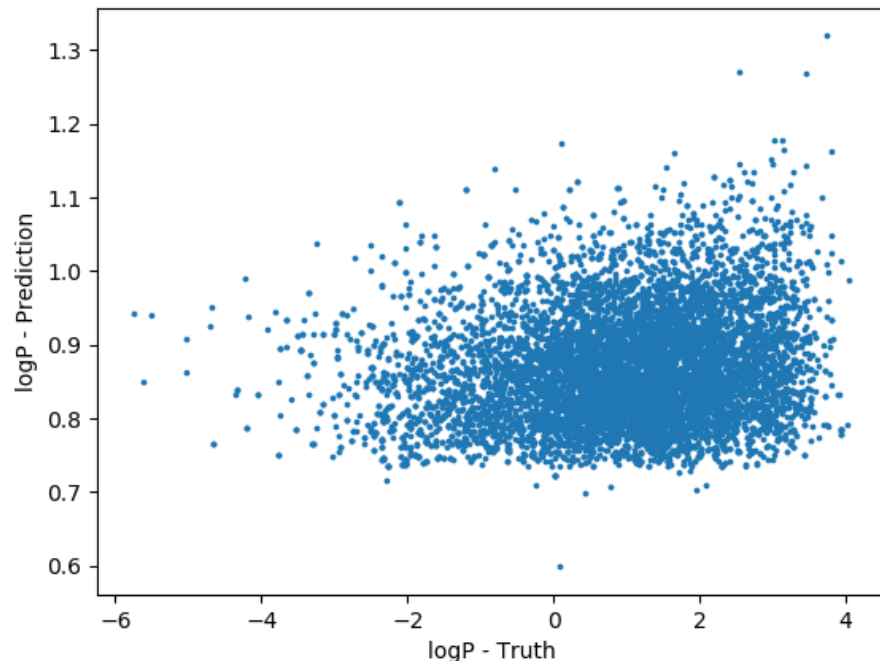
pred_validation = np.concatenate(pred_validation, axis=0)
error = (logP_validation-pred_validation)
mae = np.mean(np.abs(error))
rmse = np.sqrt(np.mean(error**2))
stdv = np.std(error)

print ("MSE :", mae, "RMSE :", rmse, "Std :", stdv, "\t Validation, \t Epoch :", t)
```

- sess.run([**opt**, Y\_pred, loss], feed\_dict = {X : X\_batch, Y : Y\_batch} - **Training**
- sess.run([Y\_pred, loss], feed\_dict = {X : X\_batch, Y : Y\_batch} - **Test**

# Multi-layer perceptron

## Test result



- Batch size = 100
- Epoch size = 100
- Learning rate = 0.001
- Decay rate = 0.95
- # Train = 40,000 / # Validation = 10,000 / # Test = 10,000

**Totally wrong result! WHY?**

# Multi-layer perceptron

## Possibilities

- Learning rate is too small or big.
- Missing regularizations (prior regularization, dropout)
- Input, the molecular fingerprint, is not good.
- Need better model, instead of MLP

We will learn those in the next lecture.