

Query monkeys

Grundatome:

feeds(bob,bob)
feeds(andy,andy)
feeds(andy,bob)
hungry(charly)
feeds(charly,charly)
feeds(charly,bob)
feeds(andy,charly)
hungry(bob)
feeds(bob,charly)
hungry(andy)
feeds(bob,andy)
feeds(charly,andy)

Grundkonditionale:

(!feeds(andy,charly)|!hungry(andy) * !hungry(charly))[0.9]<andy!=charly>
(!feeds(bob,charly)|!hungry(bob) * !hungry(charly))[0.9]<bob!=charly>
(!feeds(bob,andy)|hungry(bob))[0.999]<bob!=andy>
(feeds(bob,bob))[0.001]
(!feeds(andy,bob)|!hungry(andy) * !hungry(bob))[0.9]<andy!=bob>
(feeds(andy,andy))[0.001]
(feeds(bob,andy)|(!hungry(bob) * hungry(andy)))[0.8]<bob!=andy>
(!feeds(charly,bob)|hungry(charly))[0.999]<charly!=bob>
(feeds(charly,charly)|!hungry(charly))[0.95]
(!feeds(bob,charly)|hungry(bob))[0.999]<bob!=charly>
(feeds(charly,charly))[0.001]
(feeds(bob,charly)|!hungry(bob))[0.95]
(feeds(bob,charly)|(!hungry(bob) * hungry(charly)))[0.8]<bob!=charly>
(!feeds(charly,bob)|!hungry(charly) * !hungry(bob))[0.9]<charly!=bob>
(feeds(andy,bob)|(!hungry(andy) * hungry(bob)))[0.8]<andy!=bob>
(!feeds(bob,andy)|!hungry(bob) * !hungry(andy))[0.9]<bob!=andy>
(!feeds(andy,charly)|hungry(andy))[0.999]<andy!=charly>
(!feeds(andy,bob)|hungry(andy))[0.999]<andy!=bob>
(!feeds(charly,andy)|!hungry(charly) * !hungry(andy))[0.9]<charly!=andy>
(feeds(charly,andy)|(!hungry(charly) * hungry(andy)))[0.8]<charly!=andy>
(feeds(andy,charly)|!hungry(andy))[0.95]
(feeds(andy,charly)|(!hungry(andy) * hungry(charly)))[0.8]<andy!=charly>
(feeds(charly,bob)|(!hungry(charly) * hungry(bob)))[0.8]<charly!=bob>
(!feeds(charly,andy)|hungry(charly))[0.999]<charly!=andy>

Grundkonditionale mit Wahrscheinlichkeiten:

$P(!\text{feeds}(\text{andy}, \text{charly}) \mid !\text{hungry}(\text{andy}) * !\text{hungry}(\text{charly})) = 7.649615767371541\text{E-}38$
 $P(!\text{feeds}(\text{bob}, \text{charly}) \mid !\text{hungry}(\text{bob}) * !\text{hungry}(\text{charly})) = 7.649615766408528\text{E-}38$
 $P(!\text{feeds}(\text{bob}, \text{andy}) \mid \text{hungry}(\text{bob})) = 0.9990003042690434$
 $P(\text{feeds}(\text{bob}, \text{bob}) \mid \text{TRUE}) = 9.998313111579307\text{E-}4$
 $P(!\text{feeds}(\text{andy}, \text{bob}) \mid !\text{hungry}(\text{andy}) * !\text{hungry}(\text{bob})) = 0.9999999810179503$
 $P(\text{feeds}(\text{andy}, \text{andy}) \mid \text{TRUE}) = 9.998313111579584\text{E-}4$
 $P(\text{feeds}(\text{bob}, \text{andy}) \mid (!\text{hungry}(\text{bob}) * \text{hungry}(\text{andy}))) = 0.6579418950818221$
 $P(!\text{feeds}(\text{charly}, \text{bob}) \mid \text{hungry}(\text{charly})) = 0.9990002610651342$

$P(\text{feeds}(\text{charly}, \text{charly}) \mid \neg \text{hungry}(\text{charly})) = 0.9494213818165606$
 $P(\neg \text{feeds}(\text{bob}, \text{charly}) \mid \text{hungry}(\text{bob})) = 0.9990003042690436$
 $P(\text{feeds}(\text{charly}, \text{charly}) \mid \text{TRUE}) = 0.0010005417191135879$
 $P(\text{feeds}(\text{bob}, \text{charly}) \mid \neg \text{hungry}(\text{bob})) = 0.9966511777669972$
 $P(\text{feeds}(\text{bob}, \text{charly}) \mid (\neg \text{hungry}(\text{bob}) * \text{hungry}(\text{charly}))) = 0.9963791137650538$
 $P(\neg \text{feeds}(\text{charly}, \text{bob}) \mid \neg \text{hungry}(\text{charly}) * \neg \text{hungry}(\text{bob})) = 0.9983772641955906$
 $P(\text{feeds}(\text{andy}, \text{bob}) \mid (\neg \text{hungry}(\text{andy}) * \text{hungry}(\text{bob}))) = 0.6579418950809489$
 $P(\neg \text{feeds}(\text{bob}, \text{andy}) \mid \neg \text{hungry}(\text{bob}) * \neg \text{hungry}(\text{andy})) = 0.9999999810179507$
 $P(\neg \text{feeds}(\text{andy}, \text{charly}) \mid \text{hungry}(\text{andy})) = 0.9990003042690434$
 $P(\neg \text{feeds}(\text{andy}, \text{bob}) \mid \text{hungry}(\text{andy})) = 0.9990003042690432$
 $P(\neg \text{feeds}(\text{charly}, \text{andy}) \mid \neg \text{hungry}(\text{charly}) * \neg \text{hungry}(\text{andy})) = 0.9983772641955907$
 $P(\text{feeds}(\text{charly}, \text{andy}) \mid (\neg \text{hungry}(\text{charly}) * \text{hungry}(\text{andy}))) = 0.7999311085777032$
 $P(\text{feeds}(\text{andy}, \text{charly}) \mid \neg \text{hungry}(\text{andy})) = 0.9966511777661357$
 $P(\text{feeds}(\text{andy}, \text{charly}) \mid (\neg \text{hungry}(\text{andy}) * \text{hungry}(\text{charly}))) = 0.9963791137641157$
 $P(\text{feeds}(\text{charly}, \text{bob}) \mid (\neg \text{hungry}(\text{charly}) * \text{hungry}(\text{bob}))) = 0.7999311085776662$
 $P(\neg \text{feeds}(\text{charly}, \text{andy}) \mid \text{hungry}(\text{charly})) = 0.9990002610651341$

Grundatome der Konsequenz mit Wahrscheinlichkeiten:

$P(\neg \text{feeds}(\text{andy}, \text{charly})) = 0.998996563490231$
 $P(\neg \text{feeds}(\text{bob}, \text{charly})) = 0.998996563490231$
 $P(\neg \text{feeds}(\text{bob}, \text{andy})) = 0.9989969999721686$
 $P(\text{feeds}(\text{bob}, \text{bob})) = 9.998288511189654\text{E-}4$
 $P(\neg \text{feeds}(\text{andy}, \text{bob})) = 0.9989969999721687$
 $P(\text{feeds}(\text{andy}, \text{andy})) = 9.998288511189931\text{E-}4$
 $P(\text{feeds}(\text{bob}, \text{andy})) = 0.001000539573817474$
 $P(\neg \text{feeds}(\text{charly}, \text{bob})) = 0.9983015471230673$
 $P(\text{feeds}(\text{charly}, \text{charly})) = 0.0010005392573266964$
 $P(\neg \text{feeds}(\text{bob}, \text{charly})) = 0.998996563490231$
 $P(\text{feeds}(\text{charly}, \text{charly})) = 0.0010005392573266964$
 $P(\text{feeds}(\text{bob}, \text{charly})) = 0.00100097605575346$
 $P(\text{feeds}(\text{bob}, \text{charly})) = 0.00100097605575346$
 $P(\neg \text{feeds}(\text{charly}, \text{bob})) = 0.9983015471230673$
 $P(\text{feeds}(\text{andy}, \text{bob})) = 0.0010005395738174661$
 $P(\neg \text{feeds}(\text{bob}, \text{andy})) = 0.9989969999721686$
 $P(\neg \text{feeds}(\text{andy}, \text{charly})) = 0.998996563490231$
 $P(\neg \text{feeds}(\text{andy}, \text{bob})) = 0.9989969999721687$
 $P(\neg \text{feeds}(\text{charly}, \text{andy})) = 0.9983015471230672$
 $P(\text{feeds}(\text{charly}, \text{andy})) = 0.001695992422915355$
 $P(\text{feeds}(\text{andy}, \text{charly})) = 0.0010009760557535086$
 $P(\text{feeds}(\text{andy}, \text{charly})) = 0.0010009760557535086$
 $P(\text{feeds}(\text{charly}, \text{bob})) = 0.0016959924229151778$
 $P(\neg \text{feeds}(\text{charly}, \text{andy})) = 0.9983015471230672$

Grundatome der Prämisse mit Wahrscheinlichkeiten:

$P(\neg \text{hungry}(\text{andy}) * \neg \text{hungry}(\text{charly})) = 9.680606385987597\text{E-}8$
 $P(\neg \text{hungry}(\text{bob}) * \neg \text{hungry}(\text{charly})) = 9.680606386053869\text{E-}8$
 $P(\text{hungry}(\text{bob})) = 0.9999962511589092$
 $P(\text{TRUE}) = 0.9999975395459835$
 $P(\neg \text{hungry}(\text{andy}) * \neg \text{hungry}(\text{bob})) = 1.417657832565675\text{E-}10$
 $P(\text{TRUE}) = 0.9999975395459835$
 $P((\neg \text{hungry}(\text{bob}) * \text{hungry}(\text{andy}))) = 1.288245310743202\text{E-}6$
 $P(\text{hungry}(\text{charly})) = 0.9991259587626896$

$P(\text{!hungry(charly)}) = 8.715807832998931\text{E-}4$
 $P(\text{hungry(bob)}) = 0.9999962511589092$
 $P(\text{TRUE}) = 0.9999975395459835$
 $P(\text{!hungry(bob)}) = 1.288387076526457\text{E-}6$
 $P((\text{!hungry(bob)} * \text{hungry(charly)})) = 1.1915810126659198\text{E-}6$
 $P(\text{!hungry(charly)} * \text{!hungry(bob)}) = 9.680606386053869\text{E-}8$
 $P((\text{!hungry(andy)} * \text{hungry(bob)})) = 1.2882453107045993\text{E-}6$
 $P(\text{!hungry(bob)} * \text{!hungry(andy)}) = 1.417657832565675\text{E-}10$
 $P(\text{hungry(andy)}) = 0.9999962511589093$
 $P(\text{hungry(andy)}) = 0.9999962511589093$
 $P(\text{!hungry(charly)} * \text{!hungry(andy)}) = 9.680606385987597\text{E-}8$
 $P((\text{!hungry(charly)} * \text{hungry(andy)})) = 8.714839772360327\text{E-}4$
 $P(\text{!hungry(andy)}) = 1.2883870764878547\text{E-}6$
 $P((\text{!hungry(andy)} * \text{hungry(charly)})) = 1.1915810126279802\text{E-}6$
 $P((\text{!hungry(charly)} * \text{hungry(bob)})) = 8.714839772360322\text{E-}4$
 $P(\text{hungry(charly)}) = 0.9991259587626896$