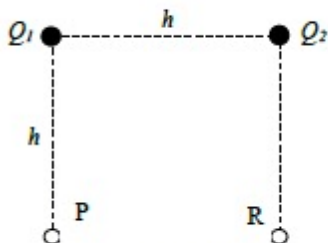


Module code: PHY2004. Lecturer Dr. G. Sarri.

**Remember:** Your total assignment scores contribute 20% of the total module mark. Submit an electronic copy of your assignment in the relevant assignment section on QoL by 22:00 on the 11<sup>th</sup> of February.

- Two positive point charges  $Q_1$  and  $Q_2$  are separated by a distance  $h$  as shown below.



Derive expressions for the magnitude and direction of the electric field at point P and the potential at R. [20/100]

- Two infinitely long concentric conducting cylinders of radii  $r = a$  and  $r = b$  ( $b > a$ ) carry **equal and opposite** charges  $\lambda$  per unit length. The space between them is filled with a dielectric of relative permittivity  $\epsilon_r$ . Using the most general form of Gauss' law:
  - Determine expressions for the radial fields  $\underline{D}$ ,  $\underline{E}$  and  $\underline{P}$  in the dielectric between the cylinders. [30/100]
  - Determine an expression for the potential difference between the two cylinders. [10/100]
  - Calculate their joint capacitance *per unit length*. [10/100]
  - What are  $\underline{D}$ ,  $\underline{E}$  and  $\underline{P}$  outside of the cylinders,  $r > b$ ? [15/100]
  - Comment on the existence and location of any *bound* surface and volume charges. [15/100]



If you wish, you may assume that in cylindrical polar co-ordinates  $(r, \theta, z)$ :-

$$\nabla \cdot \underline{P} = \frac{1}{r} \frac{\partial}{\partial r} (r P_r) + \frac{1}{r} \frac{\partial P_\theta}{\partial \theta} + \frac{\partial P_z}{\partial z}$$