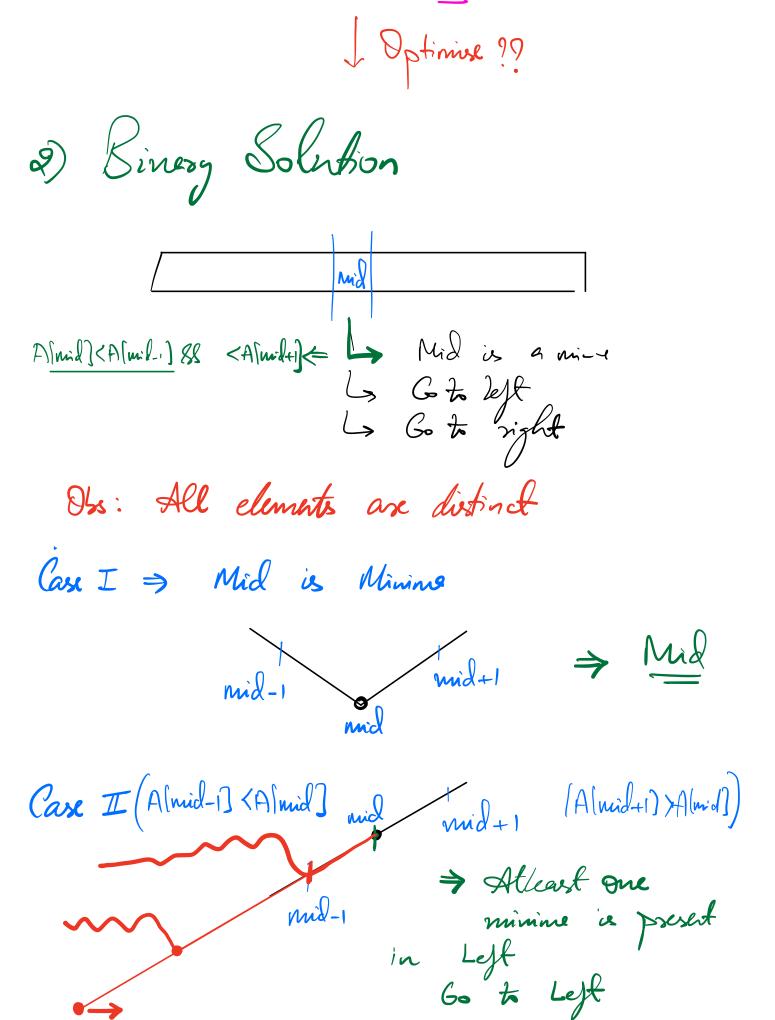
Given on onligh arrows of N dustint elements.

find any local mining. A: [3, 6, 1, 0, 9, 15, 8]Ali] < Ali-1] > Local minima

Ali] < Ali+1)  $A: \left(21, 20, 19, 13, 15, 9, 7\right)$ A: [1, 2, 3, 4, 5] $\triangle: \int \leq, 4, 3, 2, 1$ Sol') Brute Lorce ∀i in [0, N-i] check if ((i == 0 || A(i) < A(i-1))) (i == N-1 || A(i) < A(i+1)))



T.C. = O(N)

Case II Afleest one ninime in right
Go to right Case IV Code

int find Minima (A, N) x

S=0; C= N-1;

while ( & <= e) &

mid = S+ (e-s)/2; if ((mid==0 1/ A[mid-1]>A[mid]) 88 (mid==N-1 1/ A[mid+1]> A[mid])) &

return mid; else if (A[mid-1] < A[mid]) &

(Go to left

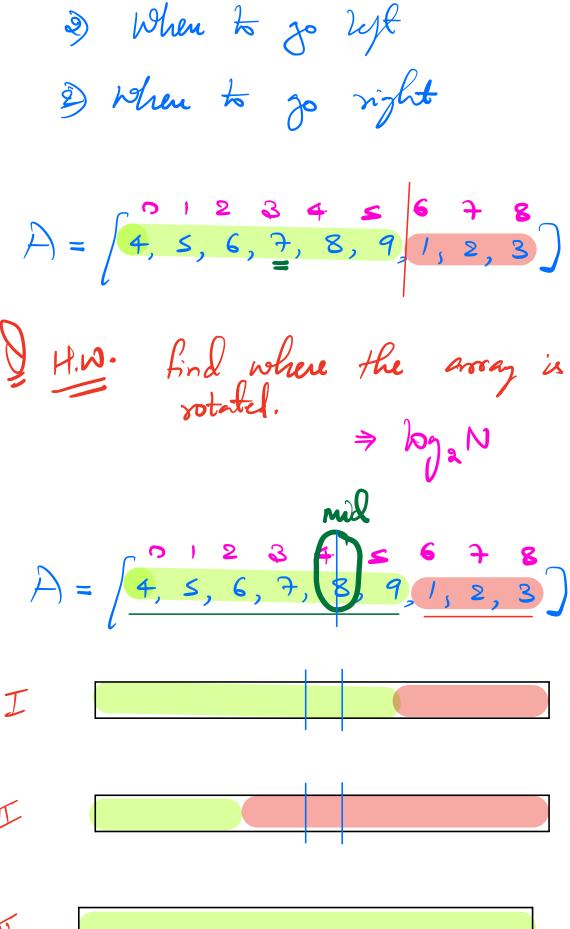
else & // 60 to night S= mid+1;  $T. C = O(\log N)$  S.C. = O(1)SS Je Define Anital Seach Spece while ( & <= e) d Cax I > When mid is the are.

Case II » When to go left Case III When to go right

## Search in Sorted Rotated Array

$$A = \begin{cases} 0.12345678\\ 4,5,6,7,8,9,1,2,3 \end{cases}$$

$$A = \begin{cases} 0.1234 & 6.78 \\ 4.5, 6.7, 8.9, 1.2, 3 \end{cases}$$



Alo] < Alw-1) rotated 0 or exN times.

Sixtel

Directly apply BS.

A = 
$$\begin{bmatrix} 4, 5, 6, 7, 8 & 9 & 1, 2, 3 \end{bmatrix}$$
 $K = 6$ 

A [mid] = 8

 $K = 8$ 

Obs. 1

Star mid are increesing

 $K \Rightarrow [A[s], A[mid]] \Rightarrow Gotaleft$ 

Size  $\Rightarrow Gota ight$ 

A =  $\begin{bmatrix} 0 & 1 & 2 & 3 & 4 \\ 7, 8, 9, 1, 2 & 2, 4, 5, 6 \end{bmatrix}$ 
 $A = \begin{bmatrix} 0 & 1 & 2 & 3 & 4 \\ 7, 8, 9, 1, 2 & 2, 4, 5, 6 \end{bmatrix}$ 
 $A = \begin{bmatrix} 0 & 1 & 2 & 3 & 4 \\ 7, 8, 9, 1, 2 & 2, 4, 5, 6 \end{bmatrix}$ 
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 $A = \begin{bmatrix} 0 & 1 & 2 & 3 & 4 \\ 7, 8, 9, 1, 2 & 2, 4, 5, 6 \end{bmatrix}$ 

Code

search one Rotaled Array (A, N) & S = 0; e = N-1' while (o<=e) & mid = 8+ (e-s)/2; if (A[mid] = = K) & return mid; & if (A[s] < A[mid]) < // s to mid is sorted if (K<Almid? & K>, A[s]) & // Go to left

e = mid-1; else & 11 Co to right S = nud + 1I che & // mid to e is sorted. if (K> A[mid] && K < A[e]) &

11 Co to night

S = mid+1; s clar & 11 Go to left

C = mid - 1,

seturu - 1; K=7  $A = \begin{cases} \frac{1}{4}, & \frac{1}{5}, & \frac{1$ > A(s) < A(mid) > St mil is K>Asos & K<Asmid) V Lest > A[8] < A[mid] => Left is sudd K>A[s] 88 K>A[m] 2

Given an integer N.

find the value of squee root of N.

Binary Search on Answer space

$$N = 36 \Rightarrow 6$$

$$N = 49 \Rightarrow 7$$

$$N = 52 \Rightarrow 7 \quad (7. )$$

$$N = 59 \Rightarrow 7 \quad (7. )$$

$$N = 63 \Rightarrow 7 \quad (7. )$$

$$N = 64 \Rightarrow 8$$

T.C. = O(synt(N))



S 
$$e$$
 mid  
1 63 32  $\Rightarrow$  (32)<sup>2</sup>  $\Rightarrow$  63 (N)  
Co to Left

1 31 
$$16 \Rightarrow (16)^2 > 63(N)$$

Co to left

1 15  $8 \Rightarrow (8)^2 > 63$ 

Co to left

1 7  $4 \Rightarrow (4)^2 < 63$ 
 $(4+1)^2 < 63 \Rightarrow 4$  is not ans

 $65 \pm R$ 

(6+1)<sup>2</sup> < 63 ⇒ 6 is mot ans.

7 
$$\Rightarrow$$
  $(7)^2 < 63$ 

(2+1)^2 =  $8^2 + 64 > 63$ 

Code

int  $sgrt(N) < 4$ 
 $S = 1$ 
 $e = N;$ 

while  $(S <= e) < 4$ 
 $mid = S + (e - S)/2;$ 

if  $(mid \times mid < N) < 4$ 
 $(mid + 1) \times (mid + 1) > N) < 6$ 
 $settorn mid;$ 
 $t = lin < 6$ 
 $s = mid + 1;$ 
 $t = lin < 6$ 
 $t = mid + 1;$ 
 $t = lin < 6$ 
 $t = mid + 1;$ 

$$7.C = O(by N)$$
  
 $8.C = O(1)$ 

$$|o|^{\circ} \Rightarrow \int_{|o|^{\circ}} = |o|^{\circ}$$

$$\log (o|^{\circ}) \leq 2 \otimes 32$$

$$A = \begin{cases} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 \end{cases}$$

$$A = \begin{cases} 4 & 5 & 6 \\ 7 & 8 \end{cases}$$

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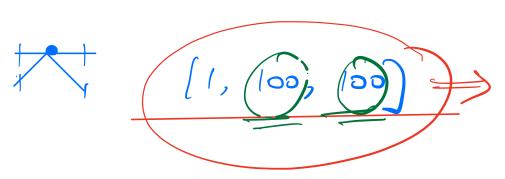
$$A = \begin{cases} 4 & 5 \\ 7 & 8 \end{cases}$$

$$A = \begin{cases} 4 & 5 \\ 7 & 8 \end{cases}$$

$$A = \begin{cases} 4$$

= ( f] (A

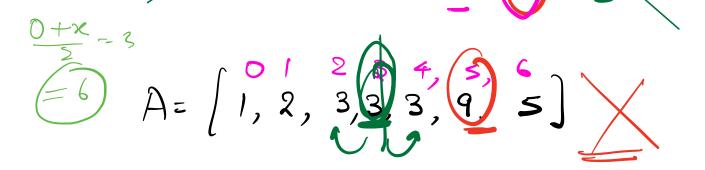




$$A: \left[ 1, \leq, 7, \frac{10}{7}, \frac{10}{7}, 8, 5 \right]$$

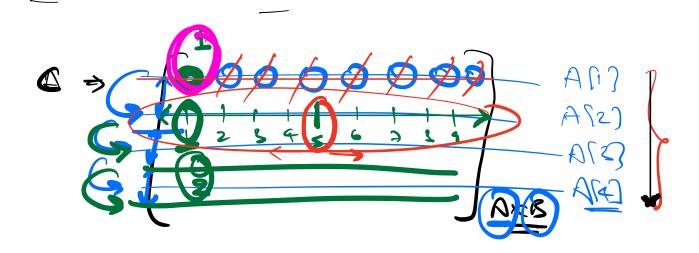


$$A = \begin{bmatrix} 1, 2, 4, 3, 9, 9, 9, 4, 3 & 3, 3, 2, 1 \end{bmatrix}$$



$$A = \{ s, 6, 2, 2, 2, 9 \}$$

$$A = [5, 6, 9, 9, 9, 4, 3]$$



2 - 4

Block +  $A \times (A-1)(b y B)$ 

mid (s)

Blogs+A2bys



BB(B+D<sup>2</sup>)

$$A = \begin{pmatrix} 3 & 3 & 3 & 3 & 1 \\ 2 & 1 & 2 & 1 & 2 \\ 4 & 9 & 3 & 4 & 1 & 2 \end{pmatrix}$$

