

statistical Significance for nnL peak

1. The region around the peak is selected and the selected region is chopped by using the graphical cut. The chopped portion is printed in a separate canvas and no of events in the region is recorded by integrating the whole chopped region. This includes the background events.

Lets denote these events (signal + BG) = N_1

2. For the 1st peak, the region above the background and for the second peak, region above the QF line is selected by graphical cut method and chopped. The chopped region is again printed in a different canvas and the no of events are recorded by using the integral method.

Note: This events contains signal only

Lets denote these events(signal only) = N_2

The statistical significance = total signal /sqrt(signal +BG) = $N_2/\sqrt{N_1}$

For the first peak

Mean = -0.19 MeV and sigma = 0.81 MeV

1. *band width = 1sigma = -1.0 to + 0.62 MeV*

$N1 = 12.9527$ and $N2 = 6.3$

Statistical Significance = $6.3/\sqrt{12.9527}$ ~ 1.75

2. *band width = 2sigma = -1.81 to + 1.43 MeV*

$N1 = 22.87$ and $N2 = 9.47954$

Statistical Significance = $9.47954/\sqrt{22.87}$ ~ 1.98

3. *band width = 3sigma = -2.62 to + 2.24 MeV*

$N1 = 30.7697$ and $N2 = 10.8973$

Statistical Significance = $10.8973/\sqrt{30.7697}$ ~ 1.96

For the second peak

Mean = 8.05 MeV and sigma = 1.0 MeV

1. band width = 1sigma = 7.05 to 9.05 MeV

N1 = 41.698 and N2 = 21.8998

Statistical Significance = 21.8998/sqrt(41.698) ~ 3.39

2. band width = 2sigma = 6.05 to 10.05 MeV

N1 = 41.9863 and N2 = 23.0158

Statistical Significance = 23.0158/sqrt(41.9863) ~ 3.55

3. band width = 3sigma = 5.05 to 11.05 MeV

N1 = 69.7759 and N2 = 34.0366

Statistical Significance = 34.0366/sqrt(69.7759) ~ 4.07