



# Bank Note Authentication Using Random Forest

This project aims to build a machine learning model that can classify whether a bank note is

- **genuine**(denoted by 0) or
- **forged**(denoted by 1), based on statistical features extracted from its image.





## Key Components

-  **Model evaluation** using scikit-learn metrics
-  **Random Forest classification** implementation

## What is Random Forest?





**Random Forest** is an ensemble learning algorithm that builds multiple decision trees and merges their results to improve prediction accuracy and control overfitting.

## Why Random Forest preferred over others?

-  **Robustness:** Combines multiple trees to reduce variance
-  **Handles Non-linearity:** Captures complex relationships between features
-  **Feature Importance:** Helps understand which variables matter most
-  **High Accuracy:** Performs well on classification tasks with minimal tuning

## Why Random Forest for Bank Note Authentication?

For the **Bank Note Authentication** task, **Random Forest** is ideal because:




-  It handles **numerical input features** well
-  It is **resistant to overfitting**
-  It provides **strong generalization** to unseen data
-  Works well with a **small and clean dataset**

```
In [1]: import pandas as pd
import numpy as np
import seaborn as sns
import matplotlib.pyplot as plt
import pickle
from sklearn.model_selection import train_test_split
from sklearn.ensemble import RandomForestClassifier
from sklearn.metrics import accuracy_score, classification_report, confusion_matrix

import plotly.io as pio
pio.renderers.default = 'notebook_connected'
```

## Data Loading & Cleaning

Initial step involving:

-  Importing the dataset
-  Handling missing values
-  Preparing data for analysis

```
In [2]: data = pd.read_csv('BankNote_Authentication.csv')

missing = data.isnull().sum()
```

```

dtypes = data.dtypes
summary = pd.DataFrame({
    'Missing': missing,
    'Data Type': dtypes
})
print(summary)

```

	Missing	Data Type
variance	0	float64
skewness	0	float64
curtosis	0	float64
entropy	0	float64
class	0	int64

## 🔍 Exploratory Data Analysis (EDA)

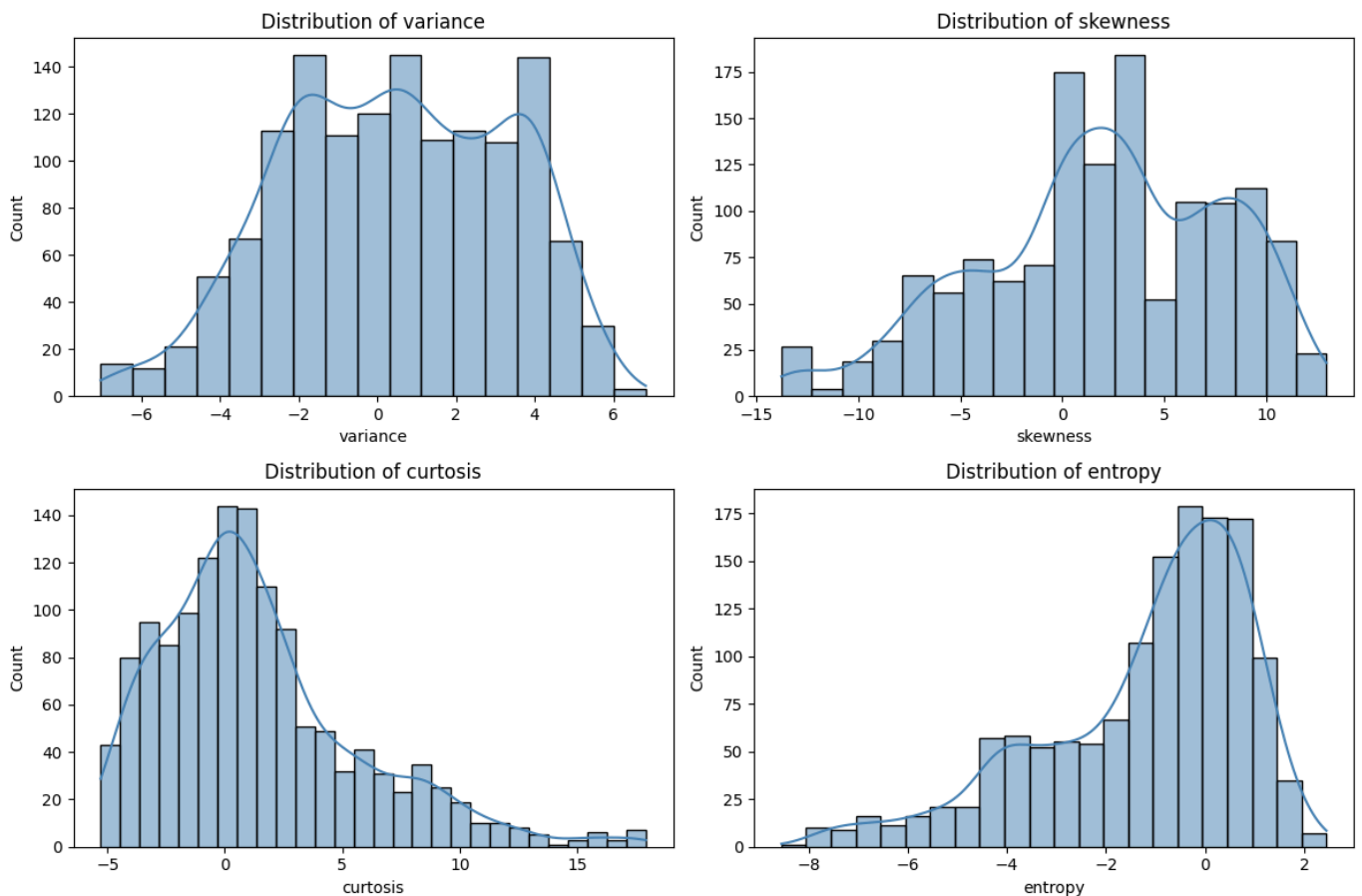
### 📊 Feature Distributions

```

In [3]: import matplotlib.pyplot as plt
import seaborn as sns

features = ['variance', 'skewness', 'curtosis', 'entropy']
plt.figure(figsize=(12, 8))
for i, col in enumerate(features, 1):
    plt.subplot(2, 2, i)
    sns.histplot(data[col], kde=True, color='steelblue')
    plt.title(f'Distribution of {col}')
plt.tight_layout()
plt.show()

```



## Conclusion:

- **Variance:**

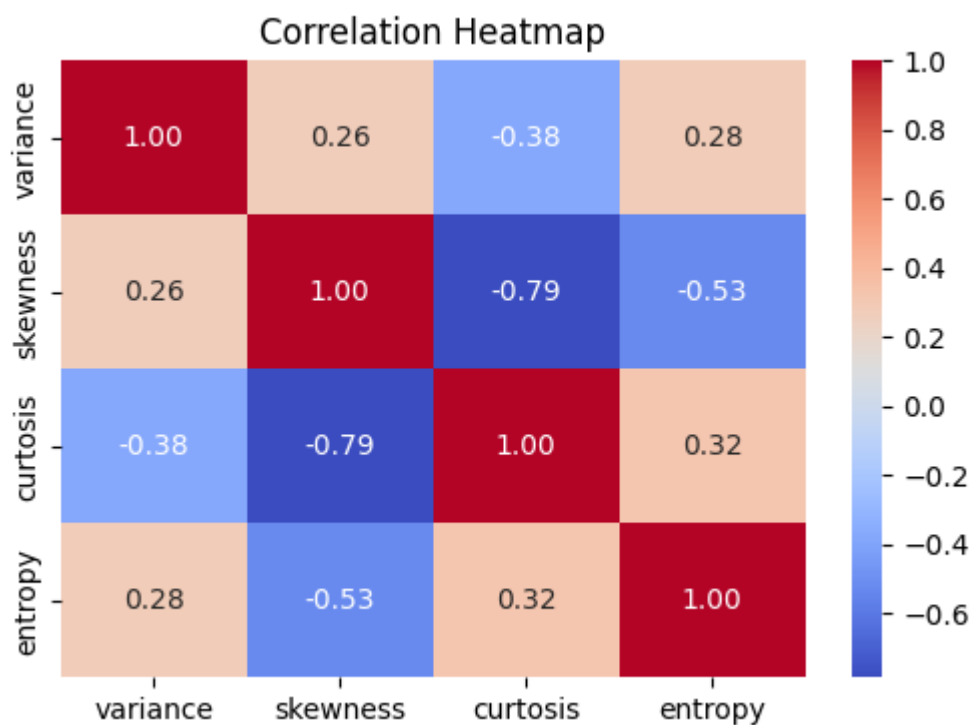
Shows a bimodal distribution, suggesting two distinct groups (genuine vs forged notes), which could be a strong discriminating feature.

- **Skewness:**  
Approximately normal distribution with slight right skew, centered around 0, indicating balanced positive and negative skewness in the data.
- **Curtosis:**  
Right-skewed distribution with a long tail, showing most notes have lower curtosis values but some extreme cases exist.
- **Entropy:**  
Appears somewhat bimodal but less pronounced than variance, potentially useful for classification but might need feature scaling.

These distributions suggest that **variance** might be our strongest predictor for authentication.

## 🔗 Correlation Matrix

```
In [4]: plt.figure(figsize=(6, 4))
sns.heatmap(data.drop(columns="class").corr(), annot=True, cmap='coolwarm', fmt=".2f")
plt.title("Correlation Heatmap")
plt.show()
```



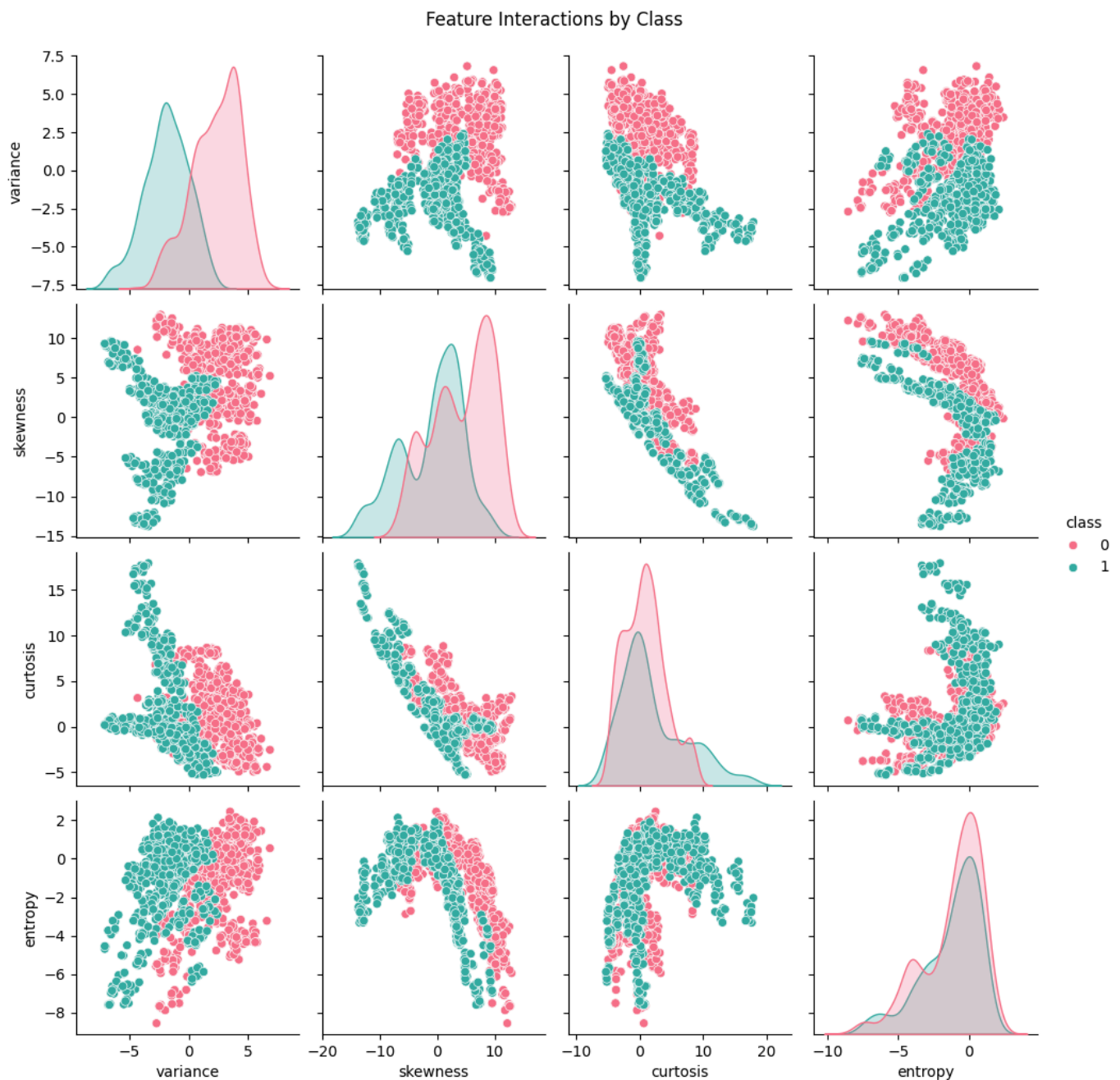
- A heatmap reveals the strength and direction of linear relationships between features.
- Key observations:
  - **Variance** and **skewness** show a moderate positive correlation.
  - **Curtosis** has weak correlations with other features, indicating it contributes independently.
  - **Entropy** has slight negative correlation with most other variables.

These relationships help avoid multicollinearity and suggest that all features offer unique contributions.

## 📊 Pairplot (Feature Interactions by Class)

```
In [5]: sns.pairplot(data, hue='class', palette='husl', diag_kind='kde')
plt.suptitle("Feature Interactions by Class", y=1.02)
```

```
plt.show()
```

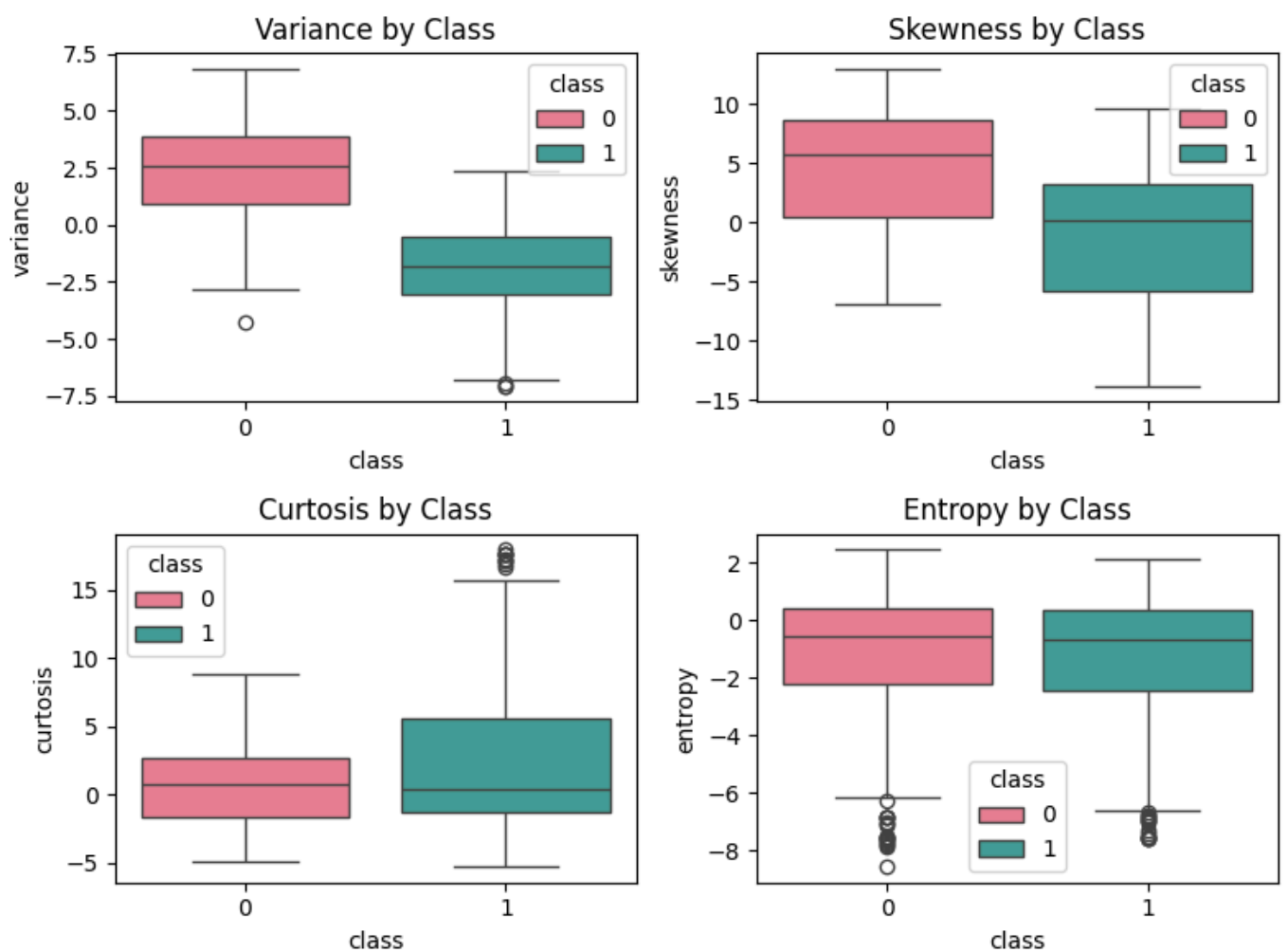


✦ Most forged and genuine notes form distinguishable clusters — especially in combinations involving **variance** and **kurtosis**.

### Box Plots (Feature vs. Class)

```
In [6]: features = ['variance', 'skewness', 'kurtosis', 'entropy']

plt.figure(figsize=(8, 6))
for i, feature in enumerate(features):
    plt.subplot(2, 2, i + 1)
    sns.boxplot(x='class', y=feature, data=data, hue='class', palette='husl')
    plt.title(f'{feature.capitalize()} by Class')
plt.tight_layout()
plt.show()
```



✦ **Variance** and **skewness** show strong class-wise separation — good indicators for classification.

## 🌲 Random Forest Classifier

```
In [7]: # variable defining and splitting data into train and test sets
x = data.drop('class', axis=1); y = data['class']
x_train, x_test, y_train, y_test = train_test_split(x, y, test_size=0.3, random_state=42)

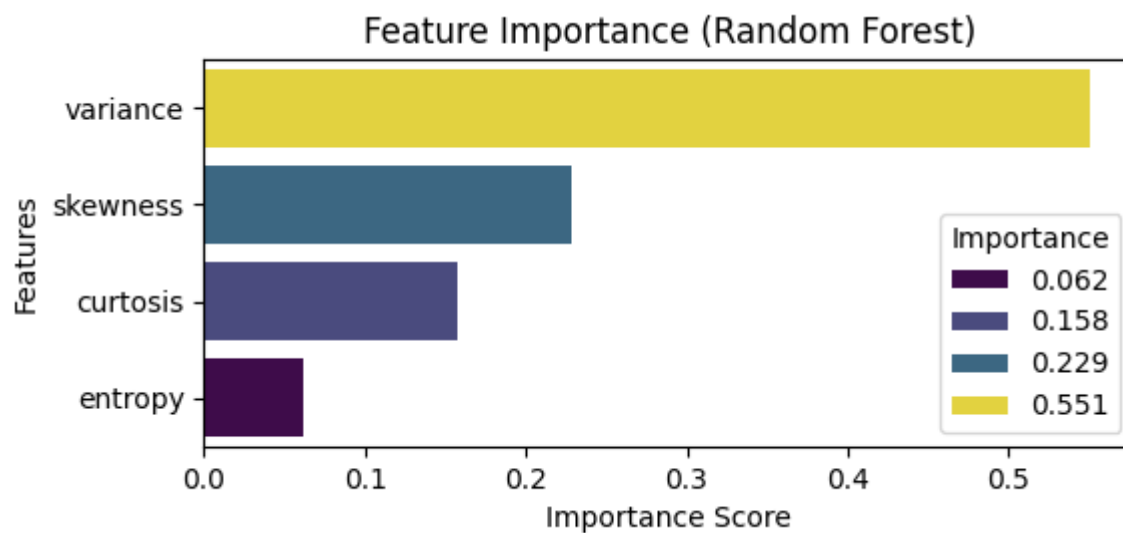
# model training
model = RandomForestClassifier(n_estimators=100, random_state=42)
model.fit(x_train, y_train)
```

```
Out[7]: RandomForestClassifier
RandomForestClassifier(random_state=42)
```

## Important features

```
In [8]: importances = np.round(model.feature_importances_, 3)
features = x.columns
importance_df = pd.DataFrame({'Feature': features, 'Importance': importances}).sort_values(by=

plt.figure(figsize=(6, 2.5))
sns.barplot(x='Importance', y='Feature', data=importance_df, hue='Importance', palette='virid
plt.title('Feature Importance (Random Forest)')
plt.xlabel('Importance Score')
plt.ylabel('Features')
plt.show()
```



## Roc curve

```
In [9]: y_pred = model.predict(x_test)
data['p_hat'] = model.predict_proba(x)[:, 1]
cutoffs = np.sort(data['p_hat'].unique())

tpr_values = []; fpr_values = []; optimum_values = []
for t in cutoffs:
    predicted = (data['p_hat'] > t).astype(int)
    actual = y.values

    TP = np.sum((predicted == 1) & (actual == 1))
    FN = np.sum((predicted == 0) & (actual == 1))
    FP = np.sum((predicted == 1) & (actual == 0))
    TN = np.sum((predicted == 0) & (actual == 0))

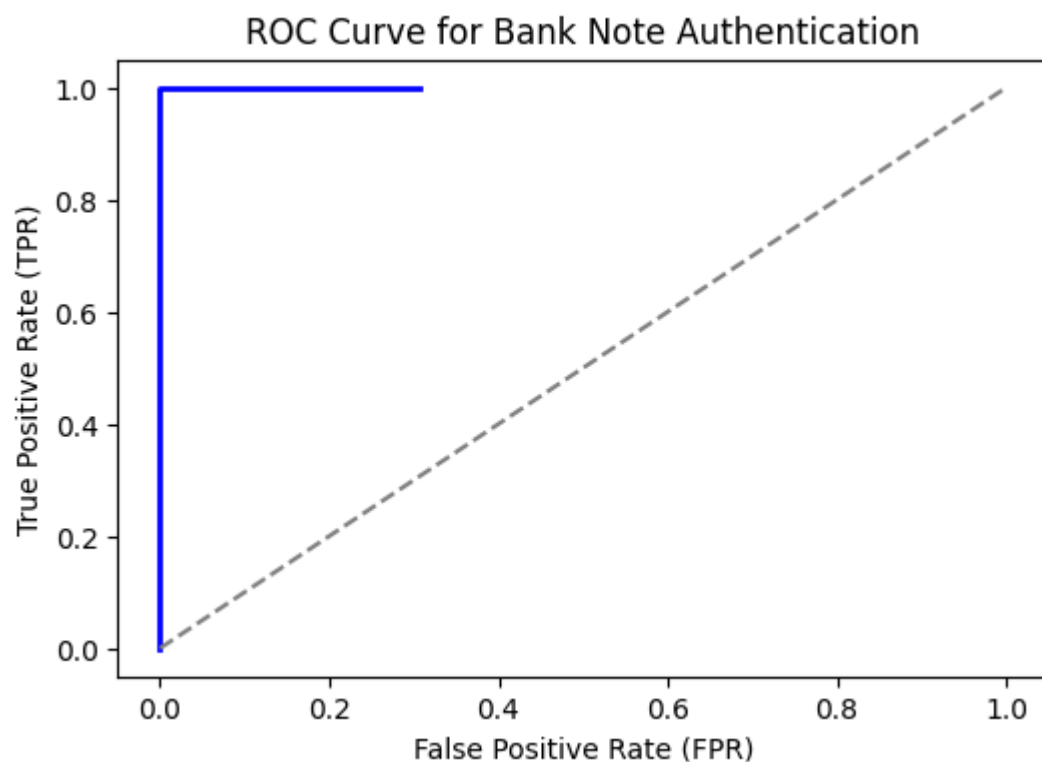
    TPR = TP / (TP + FN) if (TP + FN) > 0 else 0 # Sensitivity
    FPR = FP / (FP + TN) if (FP + TN) > 0 else 0 # 1 - Specificity

    optimum = TPR * (1 - FPR)

    tpr_values.append(TPR)
    fpr_values.append(FPR)
    optimum_values.append(optimum)

# Create a DataFrame
roc_data = pd.DataFrame({'Threshold': cutoffs, 'TPR': tpr_values, 'FPR': fpr_values, 'optimum': optimum_values})

# Plot ROC curve
plt.figure(figsize=(6, 4))
plt.plot(fpr_values, tpr_values, color='blue', lw=2)
plt.plot([0, 1], [0, 1], color='gray', linestyle='--')
plt.xlabel('False Positive Rate (FPR)')
plt.ylabel('True Positive Rate (TPR)')
plt.title('ROC Curve for Bank Note Authentication')
plt.show()
```



### ROC Curve Interpretation – Bank Note Authentication

The ROC curve above illustrates the **exceptional classification power** of the Random Forest model:

- **Steep ascent** towards the top-left corner indicates **high sensitivity** (True Positive Rate) even at **low False Positive Rates**.
- The model confidently distinguishes between **genuine** and **forged** bank notes.
- **AUC  $\approx 1.0$** , suggesting **near-perfect** performance.
- **✗** Very low risk of misclassifying forged notes as genuine, ensuring **high security**.

✓ A curve this sharp and close to the top-left corner is characteristic of a **highly accurate and reliable model**—ideal for deployment in real-world financial systems.

```
In [10]: best_threshold = roc_data.loc[roc_data['optimum'].idxmax(), 'Threshold'];best_threshold
y_pred = (model.predict_proba(x_test)[: , 1] > best_threshold).astype(int)

# Confusion Matrix
print("\n📊 Confusion Matrix:")
cm = confusion_matrix(y_test, y_pred)
print("
      Predicted Genuine    Predicted Forged")
print(f"Actual Genuine      |      {cm[0][0]:<5}      {cm[0][1]:<5}")
print(f"Actual Forged       |      {cm[1][0]:<5}      {cm[1][1]:<5}")

# Accuracy of the model
accuracy = accuracy_score(y_test, y_pred)
print(f"\n✅ Model Accuracy: {accuracy:.4f}")

# Misclassification Error
misclassification_error = 1 - accuracy
print(f"\n✗ Misclassification Error: {misclassification_error:.4f}")
```

#### Confusion Matrix:

	Predicted Genuine	Predicted Forged
Actual Genuine	229	0
Actual Forged	0	183

✓ Model Accuracy: 1.0000

✗ Misclassification Error: 0.0000

### ✓ Model Evaluation Summary

The model achieves a **perfect accuracy of 100%**, meaning:

- ✓ **All genuine and forged bank notes were correctly classified** using the optimal threshold derived from ROC analysis.
- 📊 **True Positive and True Negative rates are both 1**, indicating zero misclassification.
- 🛡️ This reflects excellent **model generalization** on the test data and **high reliability** for real-world application.
- ⚠️ However, such perfect results should be carefully evaluated to ensure there's no **data leakage or overfitting**, especially with small or clean datasets.

🎯 Overall, the Random Forest model demonstrates **outstanding classification performance** on this task.