$$\begin{cases} M_{1} \ddot{z}_{1}^{2} = f - K(x_{1} - x_{2}) - B(\mathring{x}_{1} - \mathring{x}_{2}) \\ M_{2} \ddot{x}_{2}^{2} = - K(x_{2} - x_{1}) - B(\mathring{x}_{2} - \mathring{x}_{1}) \end{cases} \begin{cases} F = (.5^{2} M_{1} + K + SB)X_{1} - (K+SB)X_{2} \\ 0 = (.5M_{2} + K + SB)X_{2} - (K+SB)X_{1} \end{cases}$$

$$\begin{pmatrix} F \\ O \end{pmatrix} = \begin{bmatrix} s^2 M_1 + SB + K \\ -(K+SB) \end{bmatrix} \begin{bmatrix} X_1 \\ X_2 \end{bmatrix}$$

$$X_1 = \begin{bmatrix} F & -(K+SB) \\ g & s^2M_2+SB+K \end{bmatrix}$$

$$(s^2M_1+SB+K)(s^2M_2+SB+K) - (K+SB)^2$$

$$\frac{X_1}{F} = \frac{s^2 M_2 + s B + K}{s^2 M_2 + s B + K}$$

$$x_{1}: \begin{cases} F_{(t)} - K(x_{(t)} - x_{2(t)}) - B(\hat{x}_{(t)} - \hat{x}_{2(t)}) &= M_{1} \hat{x}_{1(t)} \\ - K(x_{2(t)} - x_{2(t)}) - B(\hat{x}_{2(t)} - \hat{x}_{1(t)}) &= M_{2} \hat{x}_{2(t)} \\ F_{(S)} - K(x_{1(S)} + Kx_{2(S)} - SB(x_{1(S)} + SB(x_{2(S)})) &= SM_{1} X_{1(S)} \\ - K(x_{2(S)} + K(x_{1(S)}) - SB(x_{2(S)} + SB(x_{1(S)})) &= S^{2} M_{2} X_{2(S)} \\ F_{(S)} + K(x_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{1} X_{1(S)} + K(x_{1(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{1} X_{1(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{2} X_{2(S)} + SB(x_{2(S)}) \\ &= S^{2} M_{$$

 $\begin{cases}
SBX_{1}(S) + KX_{1}(S) = S^{2}M_{2}X_{2}(S) + SBX_{2}(S) + KX_{2}(S) \\
SBX_{1}(S) + KX_{1}(S) = S^{2}M_{2}X_{2}(S) + SBX_{2}(S) + KX_{2}(S)
\end{cases}$ $\begin{cases}
F(S) + (SB+K)X_{2}(S) = (S^{2}M_{1} + SB+K)X_{1}(S) \\
(SB+K)X_{1}(S) = (S^{2}M_{2} + SB+K)X_{2}(S)
\end{cases}$

$$F(S) + \frac{(SB+R)(SB+R)}{(S^2M_z+SB+R)} \times_{(S)} = \frac{(S^2M_1+SB+R)(SB+R)}{(S^2M_z+SB+R)} \times_{(S)} = \frac{(SB+R)(SB+R)}{(S^2M_z+SB+R)} \times_{(S)}$$

$$\frac{x}{F(s)} = \frac{s^2 M_2 + sB + k}{(s^2 M_2 + sB + k)(s^2 M_2 + sB + k) - (sB + k)(sB + k)}$$

$$= \alpha) 5^{4} M_{1} M_{2} + 5^{3} M_{1} B + 5^{2} M_{1} K + 5^{3} M_{2} B + 5^{3} B^{2} + 5 B K + 5^{2} M_{2} K$$