

BFS

BFS(G, s)

for each vertex $v \in V$

color(v) = white

$\pi(v) = \text{Nil}$

$d(v) = \infty$

color(s) = gray

$\pi(s) = \text{Nil}$

$d(s) = 0$

Q as an empty queue

Enqueue(Q, s)

while ($Q \neq \emptyset$)

$u = \text{Dequeue}(Q)$

for each vertex $v \in \text{Adj}(u)$

if color(v) = white

color(v) = gray

$\pi(v) = u$

$d(v) = d(u) + 1$

Enqueue(Q, v)

color(u) = black

2u vs
2|E| times

Overall Time:

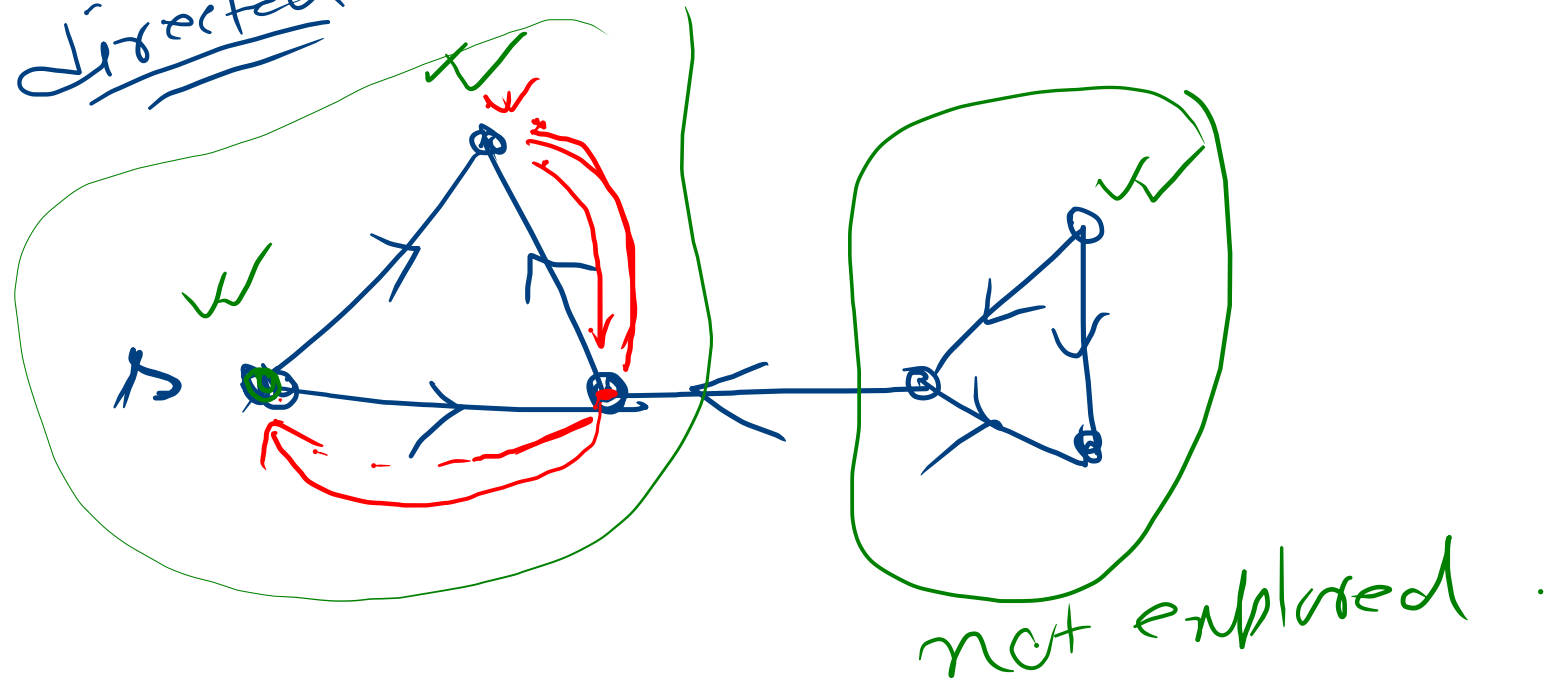
$$O(V) + O(|E|)$$

$$= O(V + |E|)$$

$(\pi(v), u)$

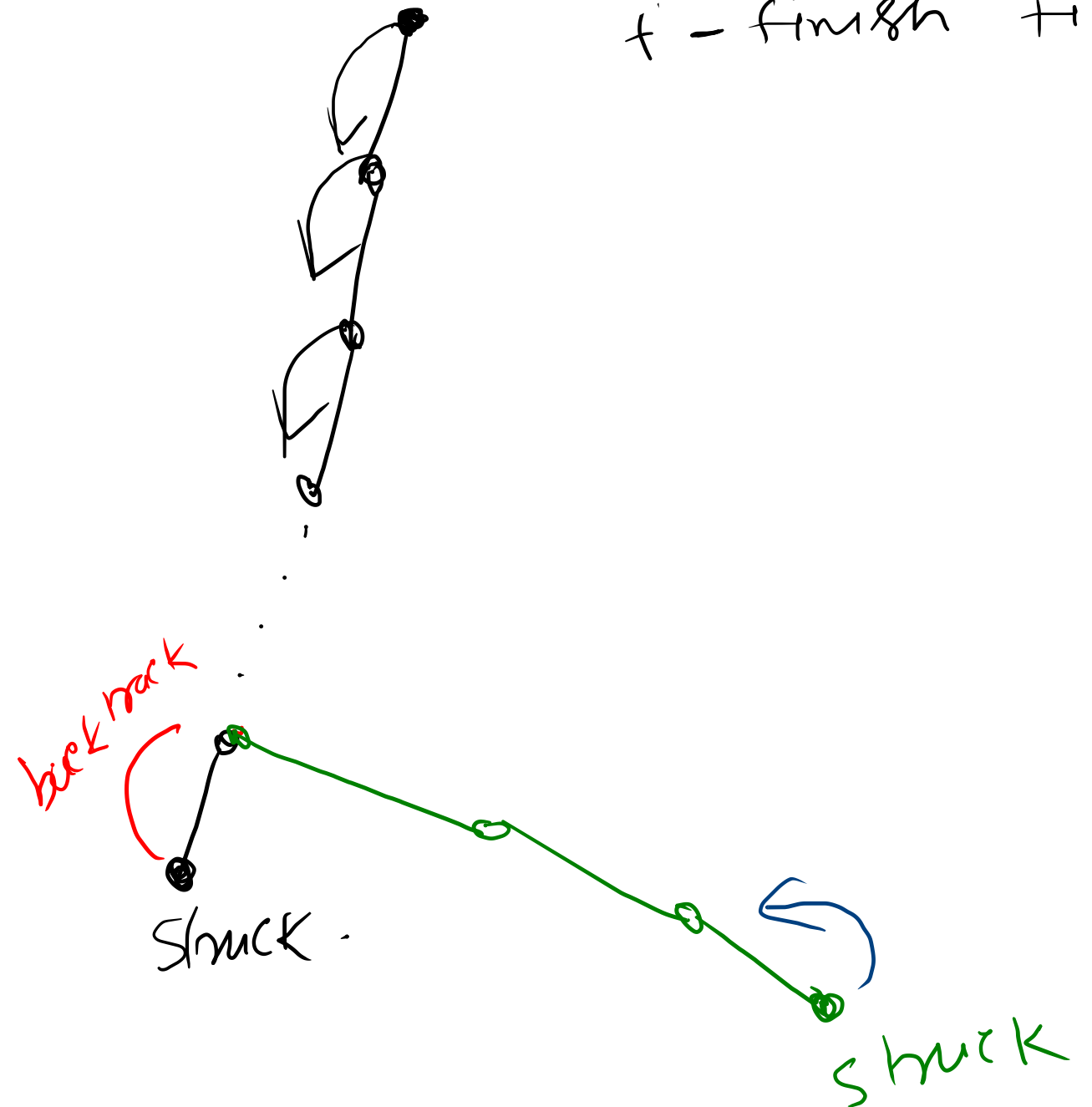
Depth - first Search (DFS)

Directed



it gives
forest : collection of
trees -

s - discover time
t - finish time

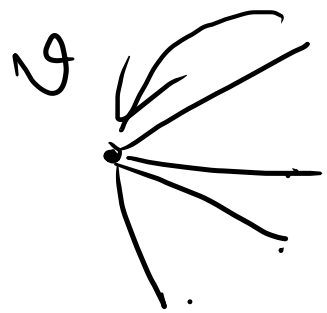


DFS(G)

for each vertex $v \in V$
 $color(v) = white$
 $\pi(v) = Nil$

$time = 0$

for each vertex $v \in V$
 if $color(v) = white$
 DFS-visit(G, v)



DFS-visit(G, v)

$time = time + 1$

$s(v) = time$

$color(v) = gray$

for each vertex $w \in Adj(v)$

 if $color(w) = white$ ✓

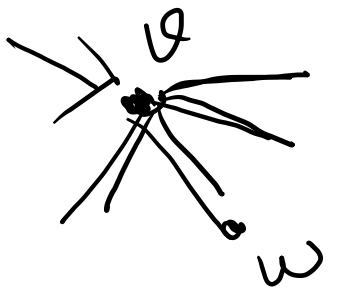
$\pi(w) = v$

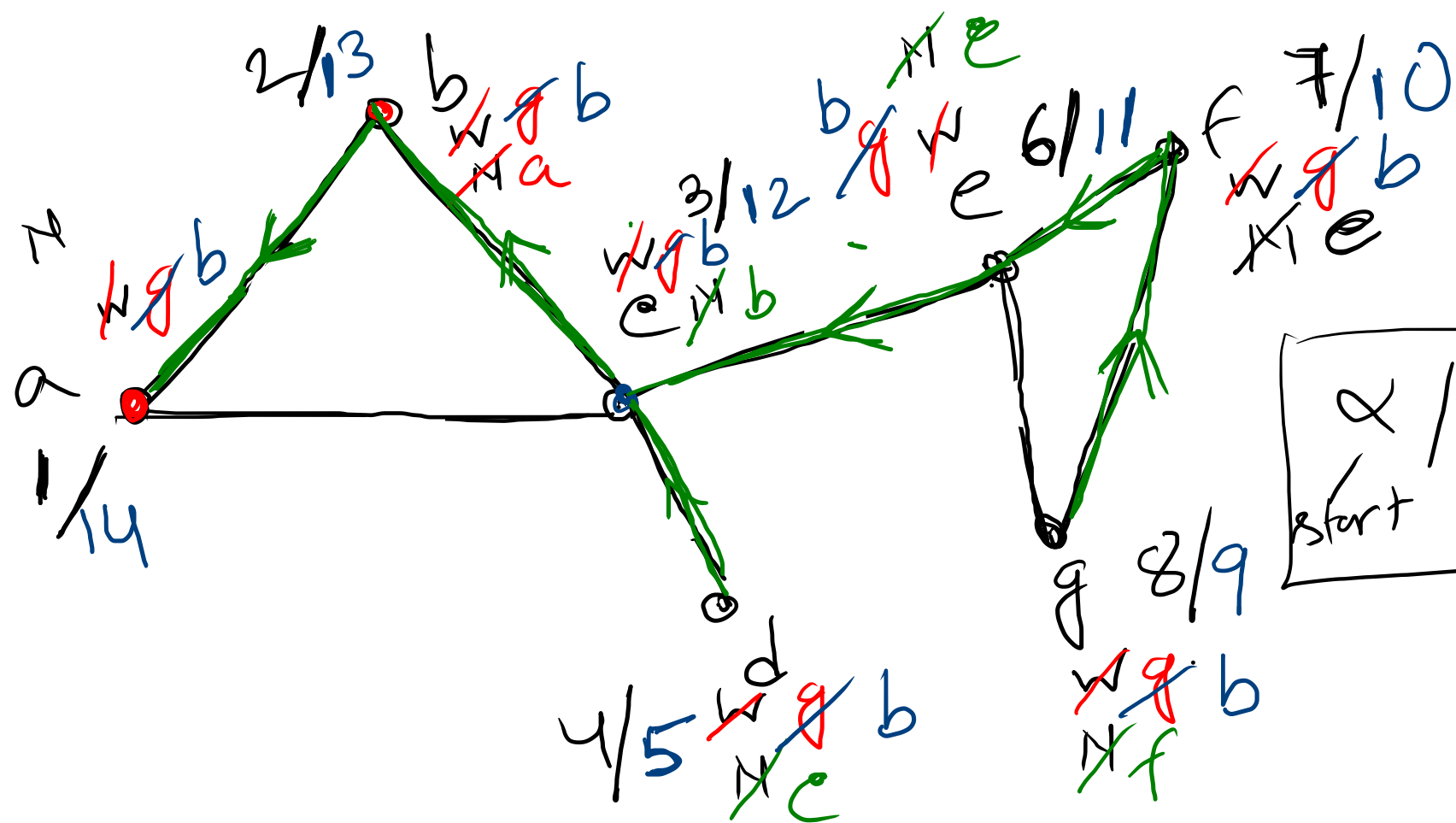
 DFS-visit(G, w) ✓

$time = time + 1$

$f(v) = time$

$color(v) = black$.



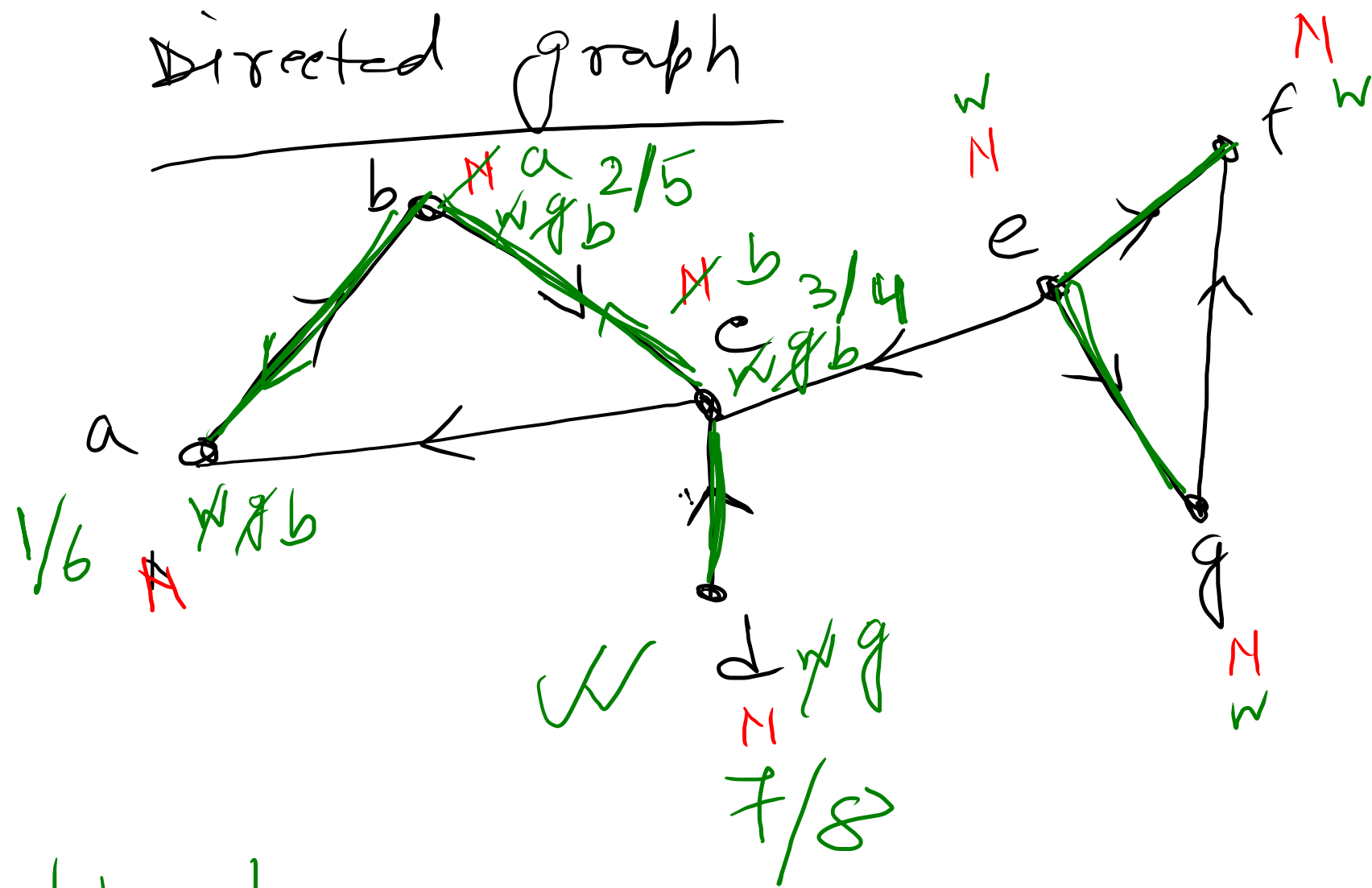


α / β
start finish

Adjacency list representation

a	→	b	→	c
b	→	a	→	c
c	→	a, b, d, e		
d	→	c		
e	→	c, f, g		
f	→	e, g		
g	→	e, f		

Directed graph



h.l.w

Adjacency List

a - b

b - c

c - a

d - c

e - c, f, g

f -

g - f