

Date:- 04-08-22

Scribed Lecture 3 Notes

Student Id:-

202212011

202212012

202212013

202212014

202212015

Structural Induction:-

Building bigger formulae from smaller formulae using logical connectives

Logical Connectives

1: NOT	: \neg
2: OR / DISJUNCTION	: \vee
3: AND / CONJUNCTION	: \wedge
4: EXCLUSIVE OR (XOR)	: \oplus, \simeq
5: IMPLICATION	: \rightarrow
6: EQUIVALENCE / BI-IMPLICATIONS	: \Leftrightarrow
7: NAND -> NOT + AND	
8: NOR -> NOT + OR	

Note : all operations are generally binary except negation

Note : Implications are not commutative

Atomic Propositions

An atomic proposition is a statement or assertion that must be true or false.

Example : $P = \{(P_0), (P_1), (P_2) \dots\}$

Complicated Formulae

- (i) If Ψ is a formula then so is: $\neg(\Psi)$
(ii) If Ψ_1 is a formula and Ψ_2 is a formula then so are :
- a. $\Psi_1 \vee \Psi_2$
 - b. $\Psi_1 \wedge \Psi_2$
 - c. $\Psi_1 \Rightarrow \Psi_2$
 - d. $\Psi_1 \Leftrightarrow \Psi_2$
 - e. $\Psi_1 \text{ XOR } \Psi_2$

* formula trees

$$(p_0 \Rightarrow ((\neg p_1) \wedge (p_2 \vee p_1)))$$

