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First order logic also known as predicate logic has two fundamental operators or connectives:

Existential quantifier : there exists : \exists

Universal quantifier : for all : \forall

For Example :

$$\forall x, \exists N, \exists y \mid y > x$$

$$\exists y \in \mathbb{N} \mid \forall x \in \mathbb{N}, y > x$$

$$\lim_{x \rightarrow 7} \frac{x^2 - 6x - 7}{x - 7} = 8$$

For the limit we can factorize it as:

$$\lim_{x \rightarrow 1} \frac{(x + 5)(x - 1)}{x - 1}$$

$$\lim_{x \rightarrow 1} (x + 5)$$

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The limit of the above as (x) tends to 1 will be equal to 6. So, if we go close to 6, let's say:

$$7.5 - 8.5 \quad \varepsilon = 0.5$$

$$7.9 - 8.1 \quad \varepsilon = 0.1$$

$$7.999 - 8.001 \quad \varepsilon = 0.001$$

$$\neg (\exists x, P(x)) \equiv (\forall x, \neg P(x))$$

$$\forall x = 10y \mid y \in \mathbb{N} \mid p \leq y \mid P \text{ is Prime} = 4y$$

Proof by Counter Example :

$$\text{I. } \neg (\forall x, P(x)) \equiv (\exists x, \neg P(x))$$

$$\text{II. } \neg (\exists x, P(x)) \equiv (\forall x, \neg P(x))$$

Statement - If p , then q .

Converse - If q , then p .

Inverse - If not p , then not q .

Contrapositive - If not q , then not p .

➤ **Converse :**

To form the converse of the conditional statement, interchange the hypothesis and the conclusion.

The **converse** of "If it rains, then they cancel school" is "If they cancel school, then it rains."

➤ **Inverse :**

To form the inverse of the conditional statement, take the negation of both the hypothesis and the conclusion.

The **inverse** of "If it rains, then they cancel school" is "If it does not rain, then they do not cancel school."

➤ **Contrapositive :**

To form the contrapositive of the conditional statement, interchange the hypothesis and the conclusion of the inverse statement.

The **contrapositive** of "If it rains, then they cancel school" is "If they do not cancel school, then it does not rain."

❖ **For example :**

Statement :- If two angles are congruent, then they have the same measure.

Converse :- If two angles have the same measure, then they are congruent.

Inverse :- If two angles are not congruent, then they do not have the same measure.

Contrapositive :- If two angles do not have the same measure, then they are not congruent.