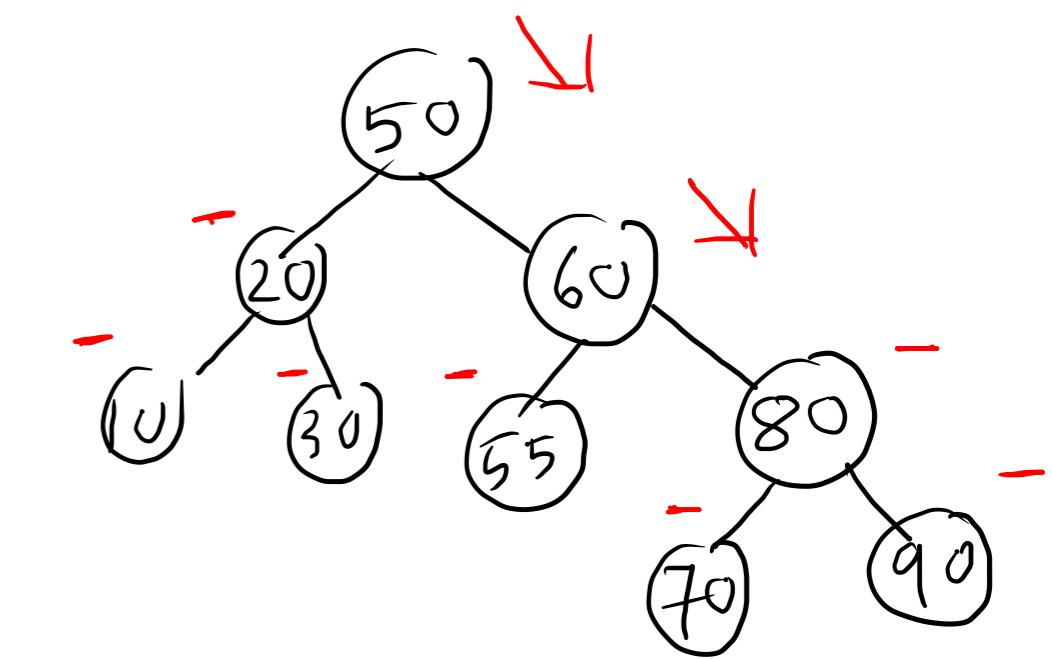
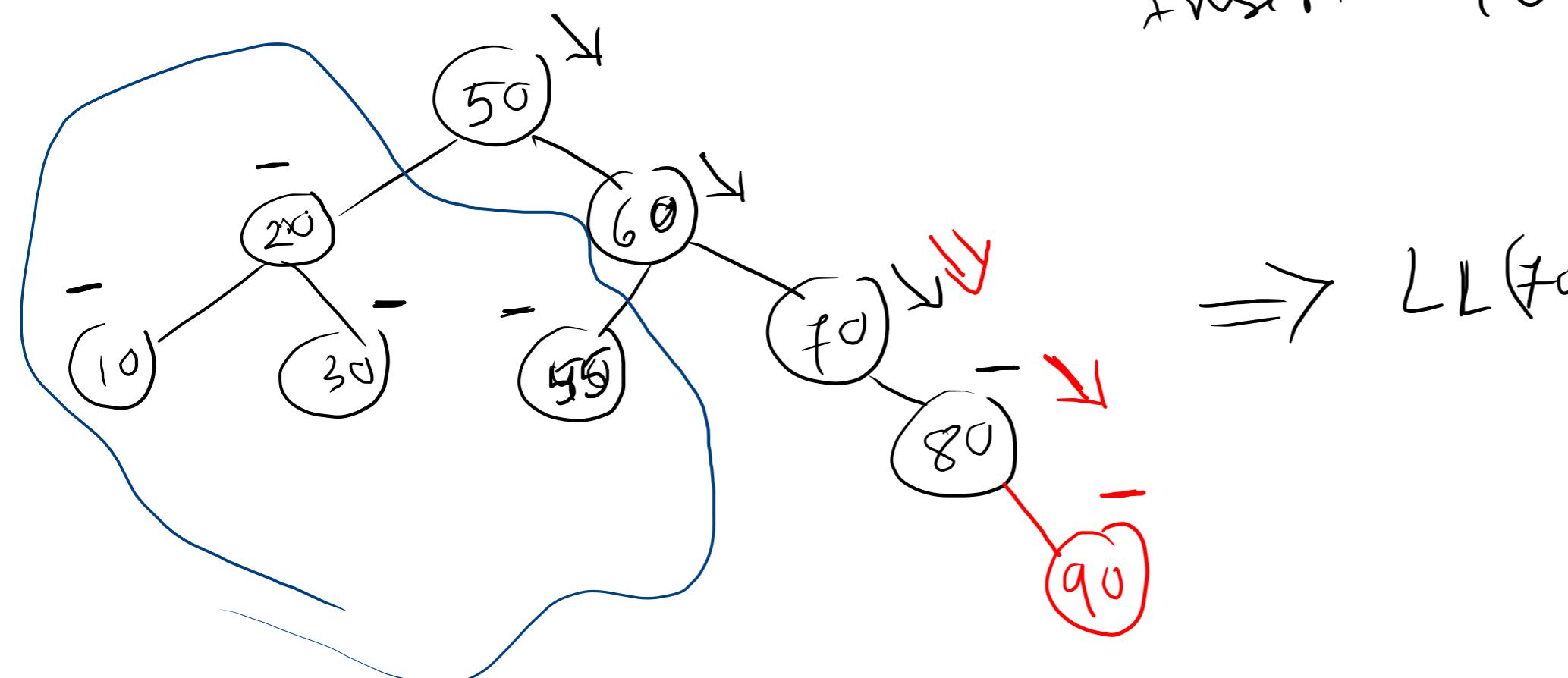
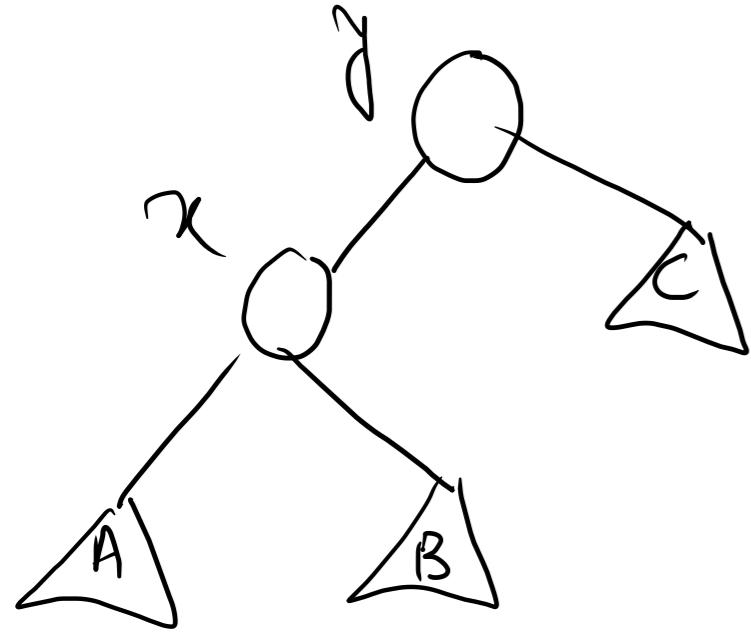


AVL tree insertion

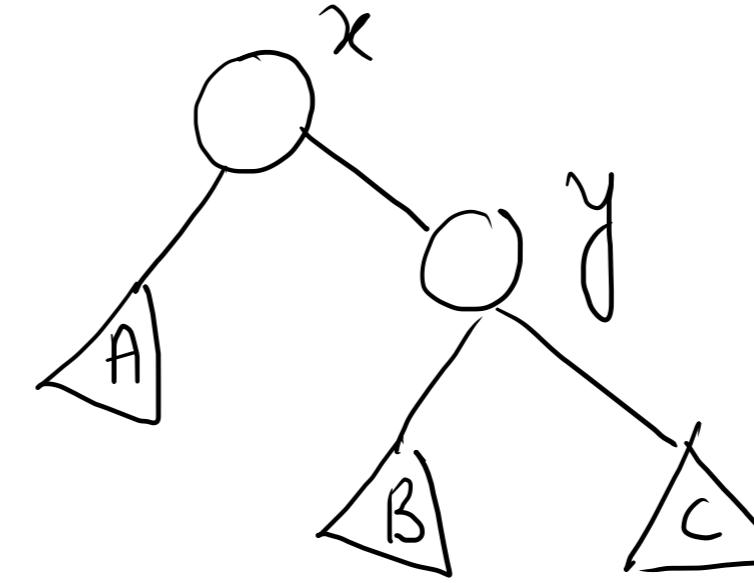
Insert 90





$RR(y)$

$LL(x)$



Similarly we have,
 $LL(x)$

$RR(y)$

$x = y \cdot \text{left}$

$\text{tmp} = x \cdot \text{right}$

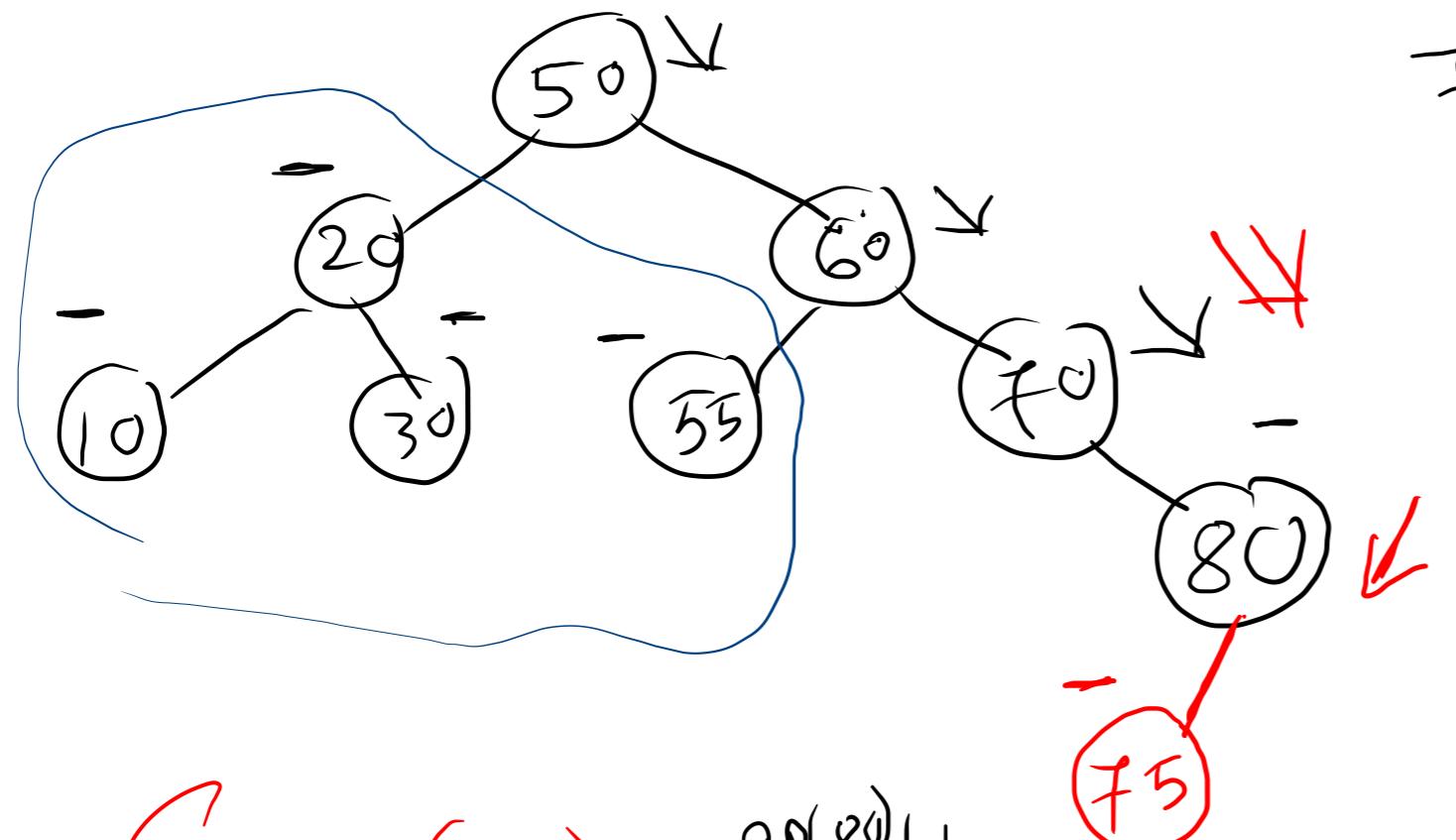
$x \cdot \text{right} = y$

$y \cdot \text{left} = \text{tmp}$

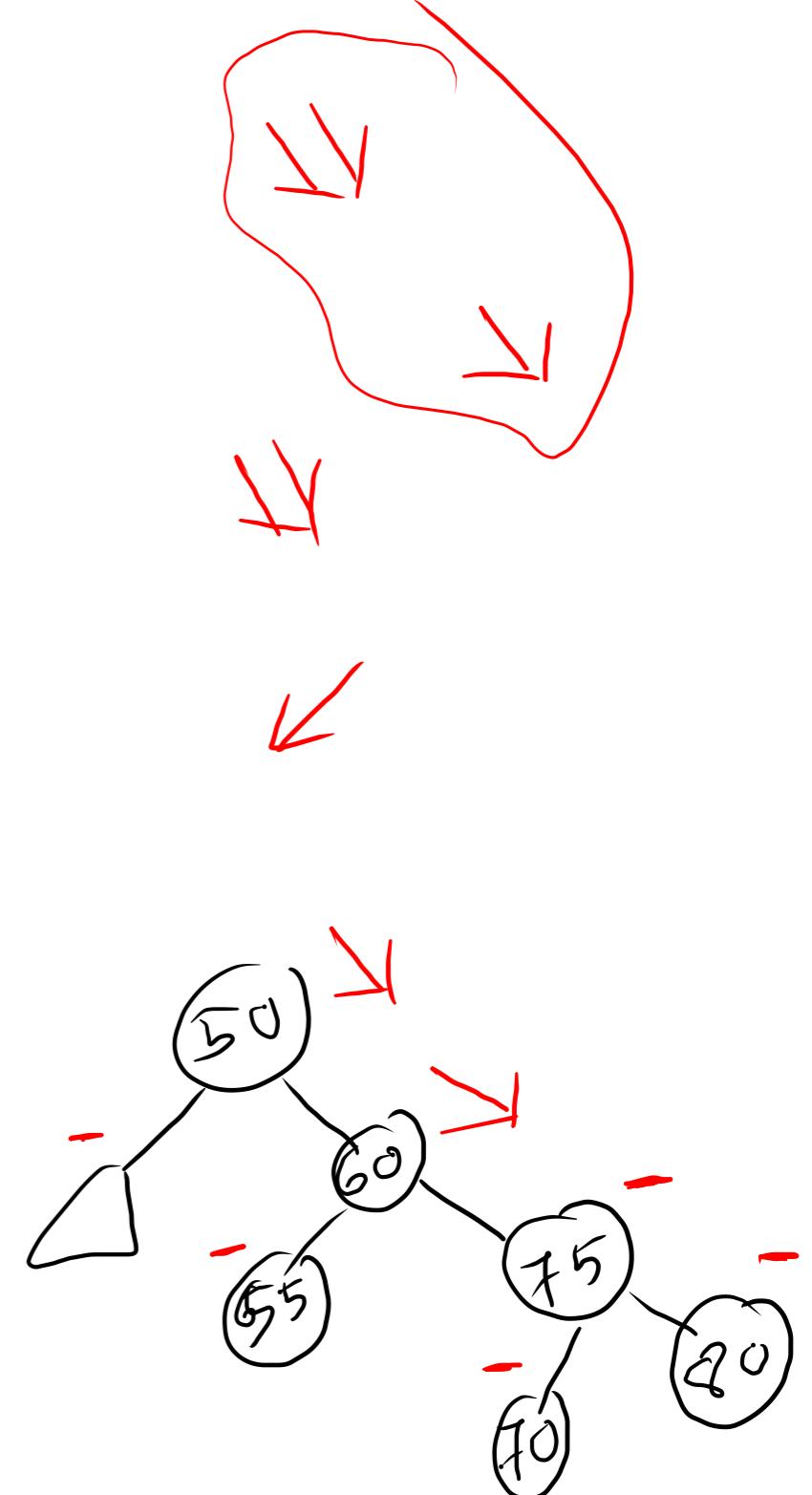
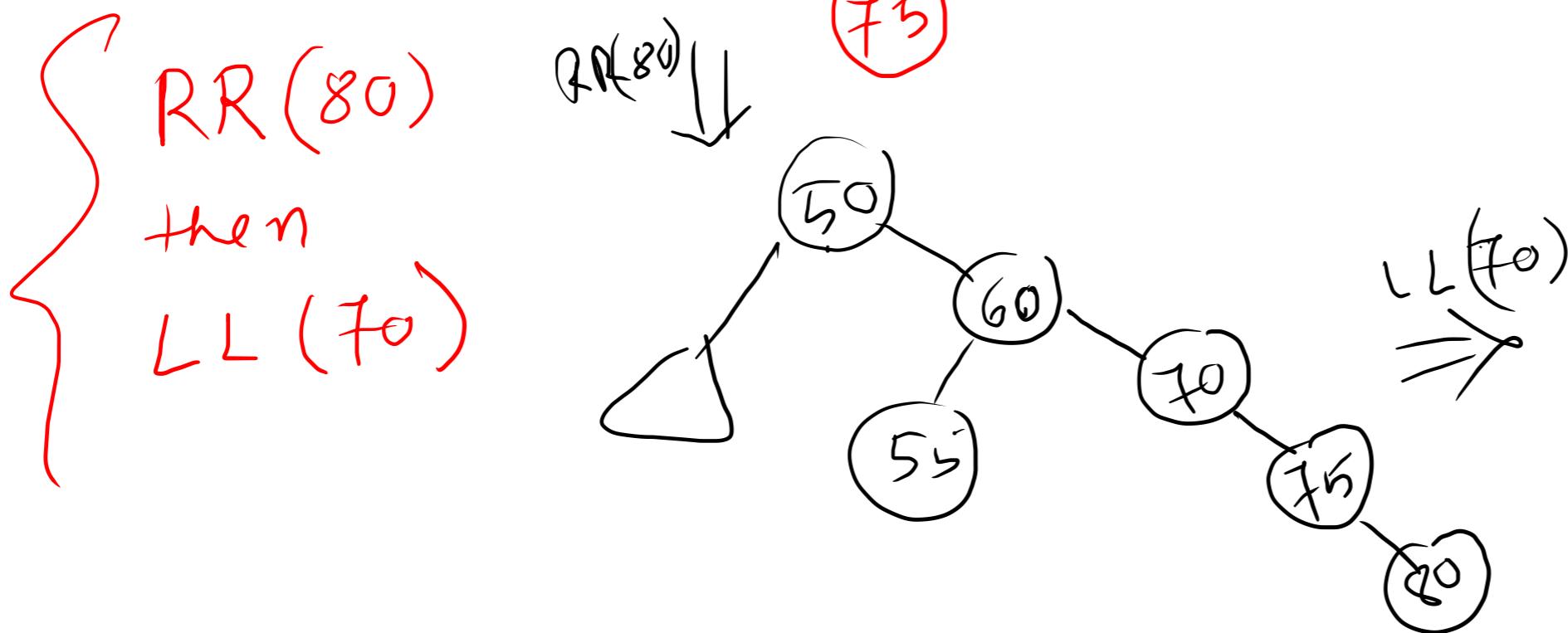
$y \cdot \text{height} = \max \{ \text{height}(y \cdot \text{left}), \text{height}(y \cdot \text{right}) \} + 1$

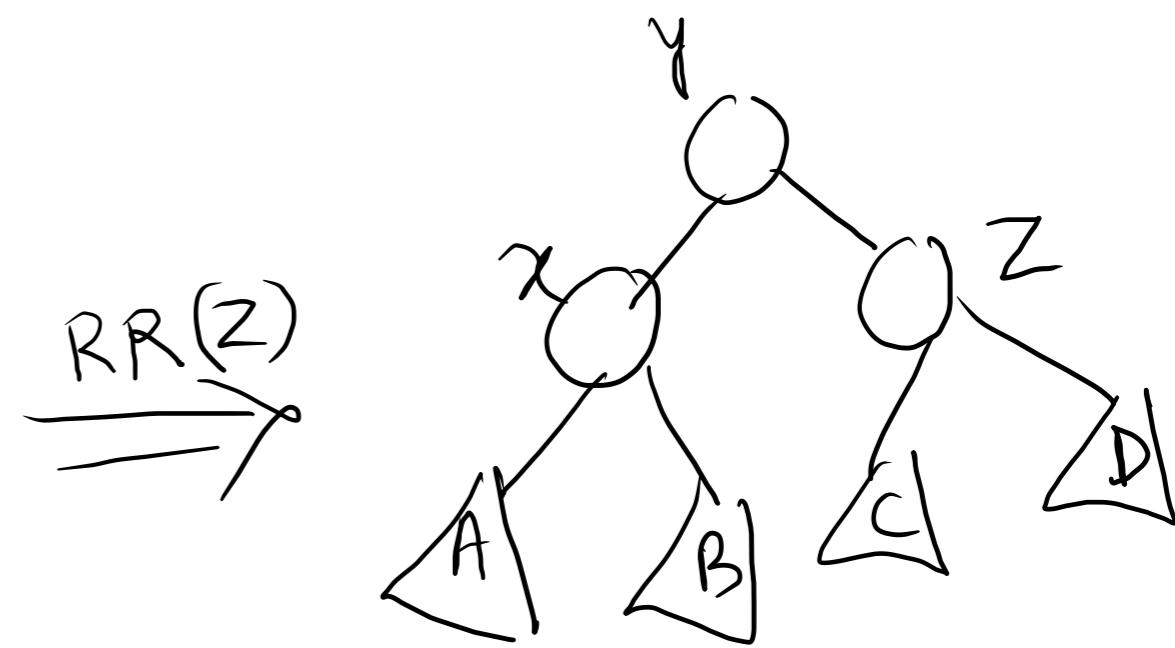
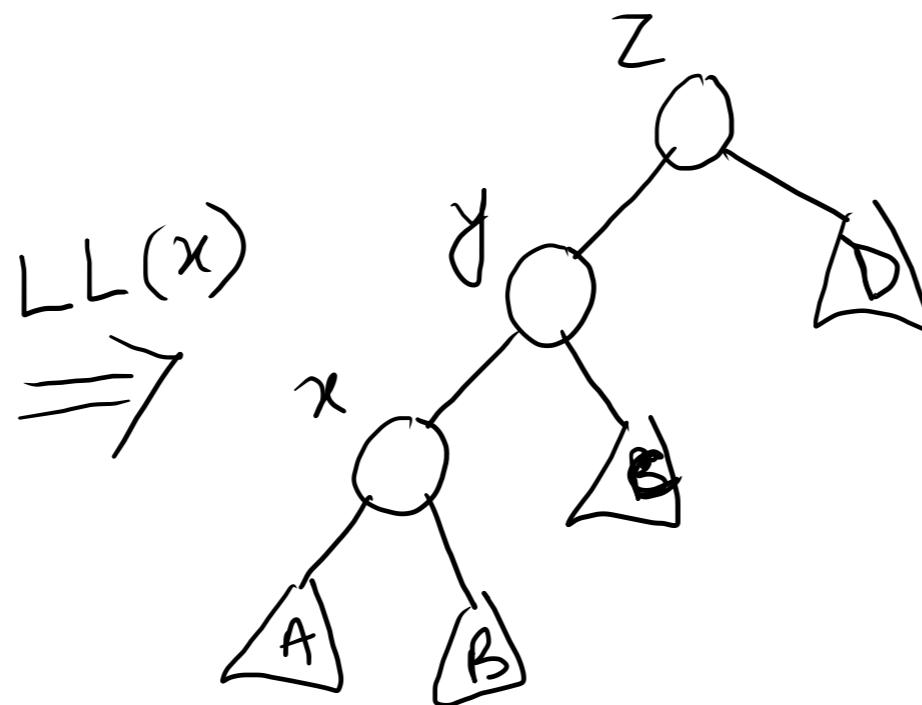
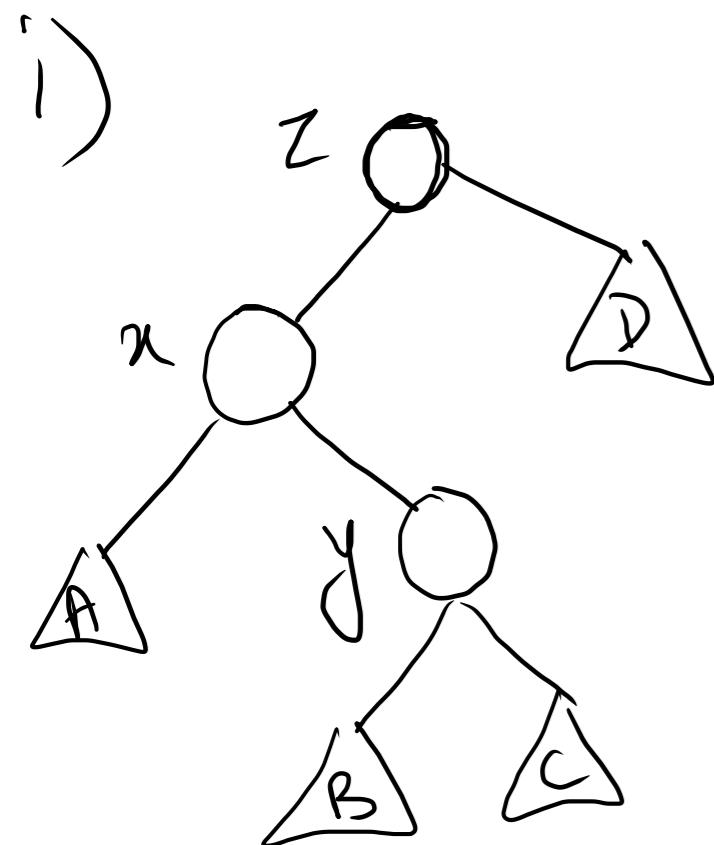
$x \cdot \text{height} = \max \{ \text{height}(x \cdot \text{left}), \text{height}(x \cdot \text{right}) \} + 1$

$\text{return } x.$



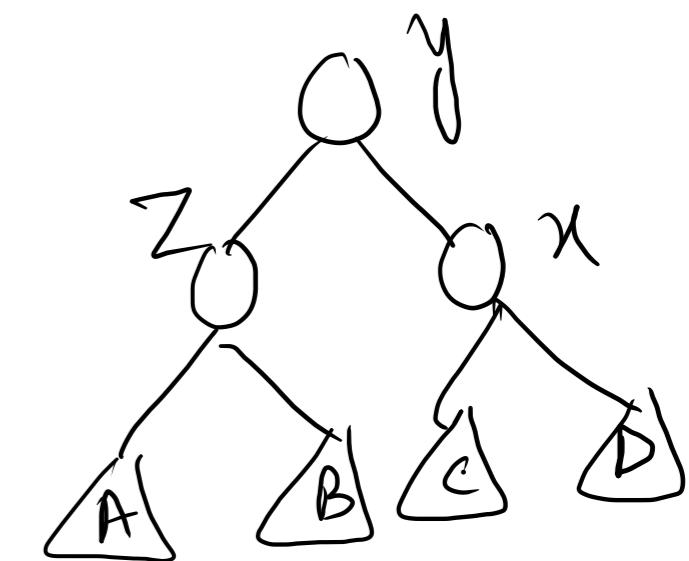
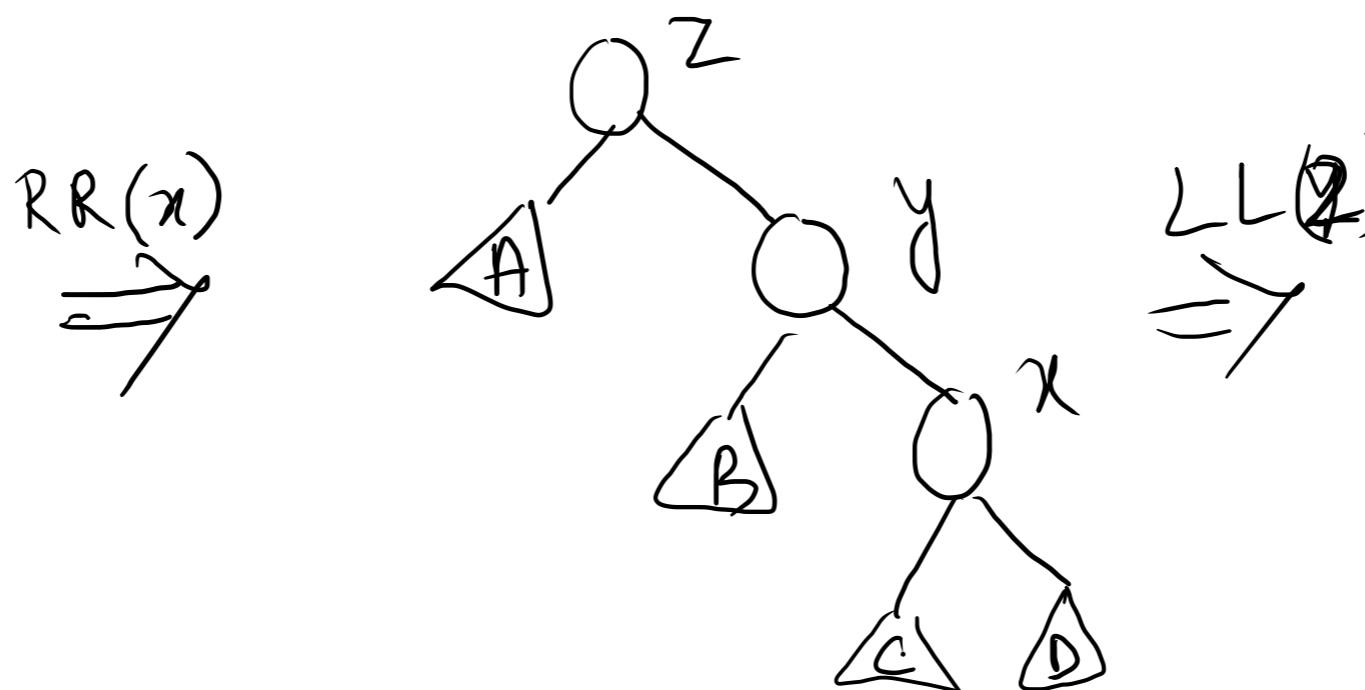
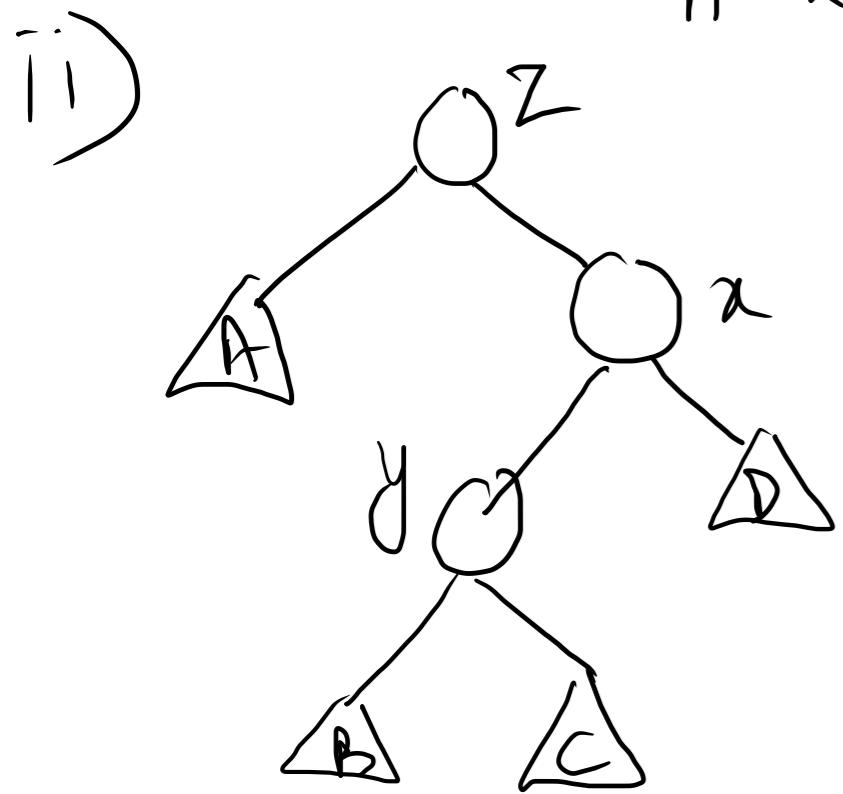
Insert 75





$A \times B \ y \ c \ z \ D$

$A \times B \ y \ c \ z \ D$



AVLinsert(T, K)

if $T == \text{null}$

create and return the node with key K as root.

$K < T.\text{key}$

$T.\text{left} = \text{AVLinsert}(T.\text{left}, K)$

else if $K > T.\text{key}$

$T.\text{right} = \text{AVLinsert}(T.\text{right}, K)$

else

return T

$T.\text{height} = \max\{\text{height}(T.\text{left}), \text{height}(T.\text{right})\} + 1$

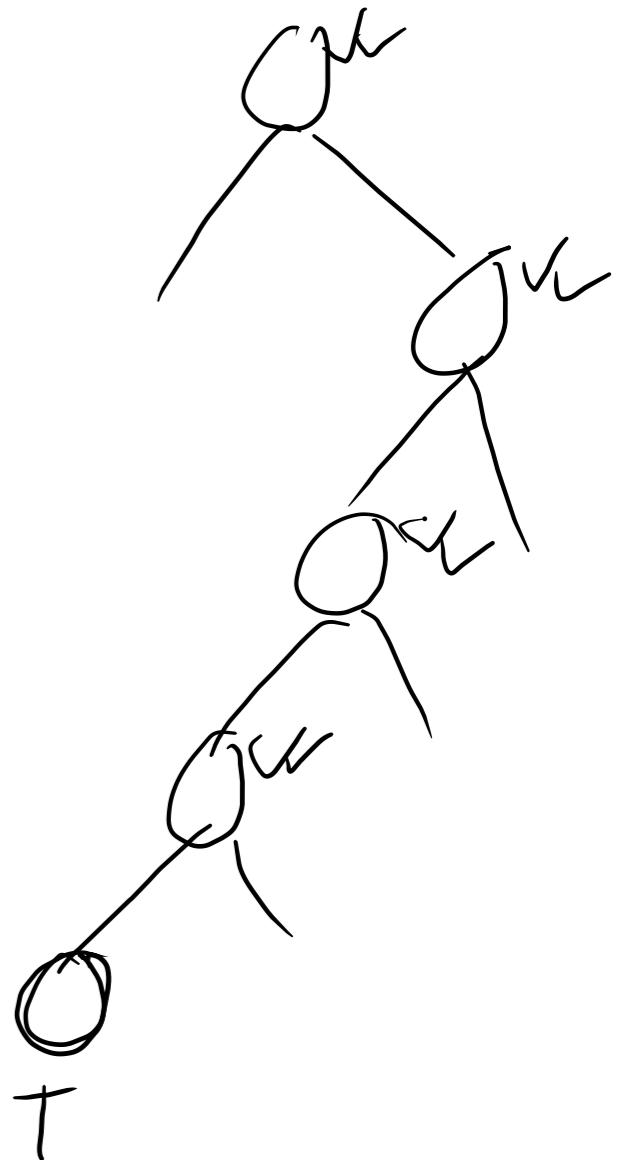
$bl = \text{balance}(T)$

balance(Z)

return

$\text{height}(Z.\text{left})$

$= \text{height}(Z.\text{right})$



if $bl > 1$ // double left heavy .

if balancee ($T.\text{left}$) ≥ 0 // $T.\text{left}$ is left heavy or balanced .

RR (T) // single rotation .

else if balancee ($T.\text{left}$) < 0 // Right heavy .

LL ($T.\text{left}$) // double rotation .
RR (T)

if $bl < -1$

if balancee ($T.\text{right}$) ≤ 0

LL (T)

else if balancee ($T.\text{right}$) > 0

RR ($T.\text{right}$)

LL (T)

return T

Running time :

$O(\log n)$

