

DATE : 22/08/2022

SCRIBED NOTES OF LECTURE

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SETS:

- A collection of well-defined distinct objects.
- Here well-defined states that membership of any element should not be ambiguous.

1. DYNAMIC SETS

2. STATIC SETS

STANDARD OPERATION ON SETS:

1) SUBSET (non cumulative):

Eg:

A is subset of B

If $\forall \{x \in A\} \Rightarrow \{x \in B\}$

- Proof by mathematical induction

Total number of subset of a set = 2^k

k =number of elements of the set

- Assume no. of subset of an element set is 2^k

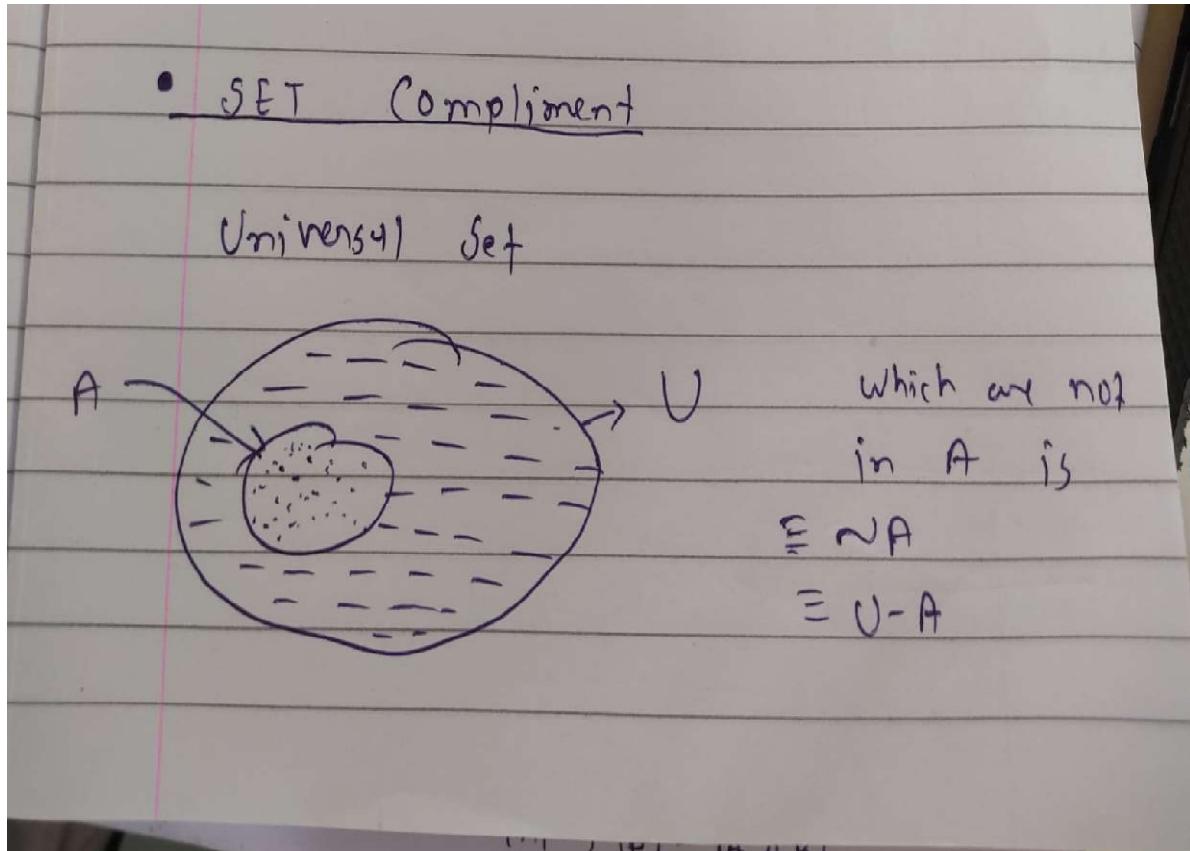
$\forall k \leq n$ consider $k=n+1$;

Let the newly added element be x .

All subset=Those include x + Those exclude x

- If $A \subseteq B ; B \subseteq C \Rightarrow A \subseteq C$
- UNION(U) : $A \cup B = \{x \mid (x \in A) \cup (x \in B)\}$
- INTERSECTION(\cap) : $A \cap B = \{x \mid (x \in A) \cap (x \in B)\}$

SET COMPLEMENT :



- $|A \cup B| = |A| + |B| - |A \cap B|$
- $|A \cup B \cup C| = |A| + |B| + |C| - |A \cap B| - |B \cap C| - |C \cap A| + |A \cap B \cap C|$