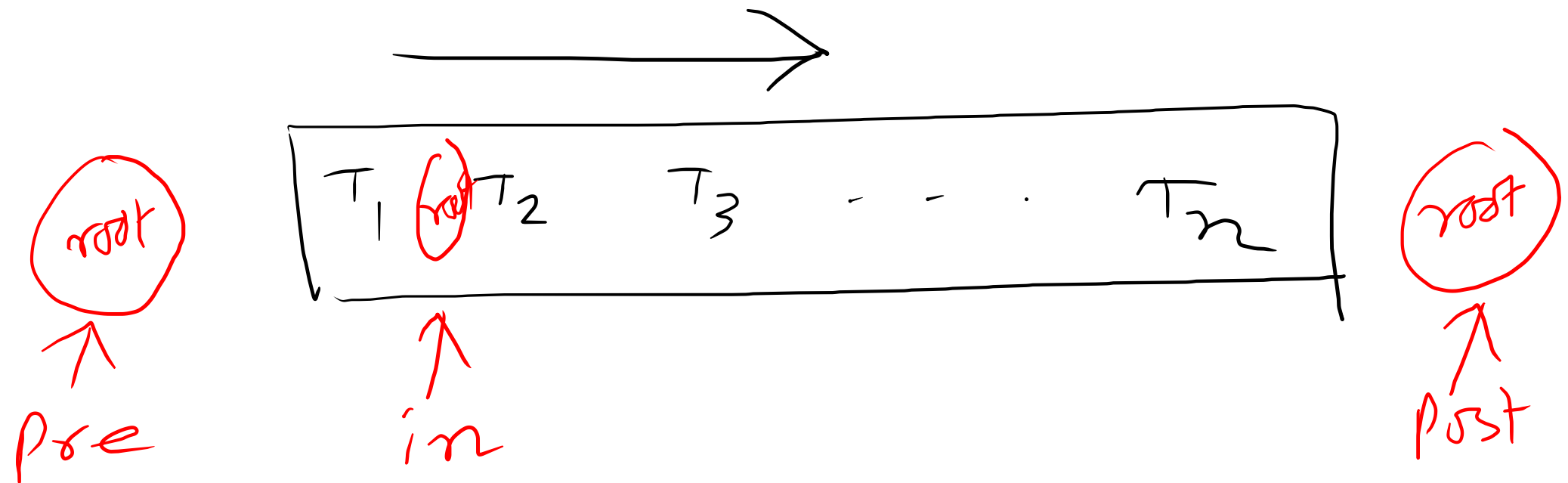
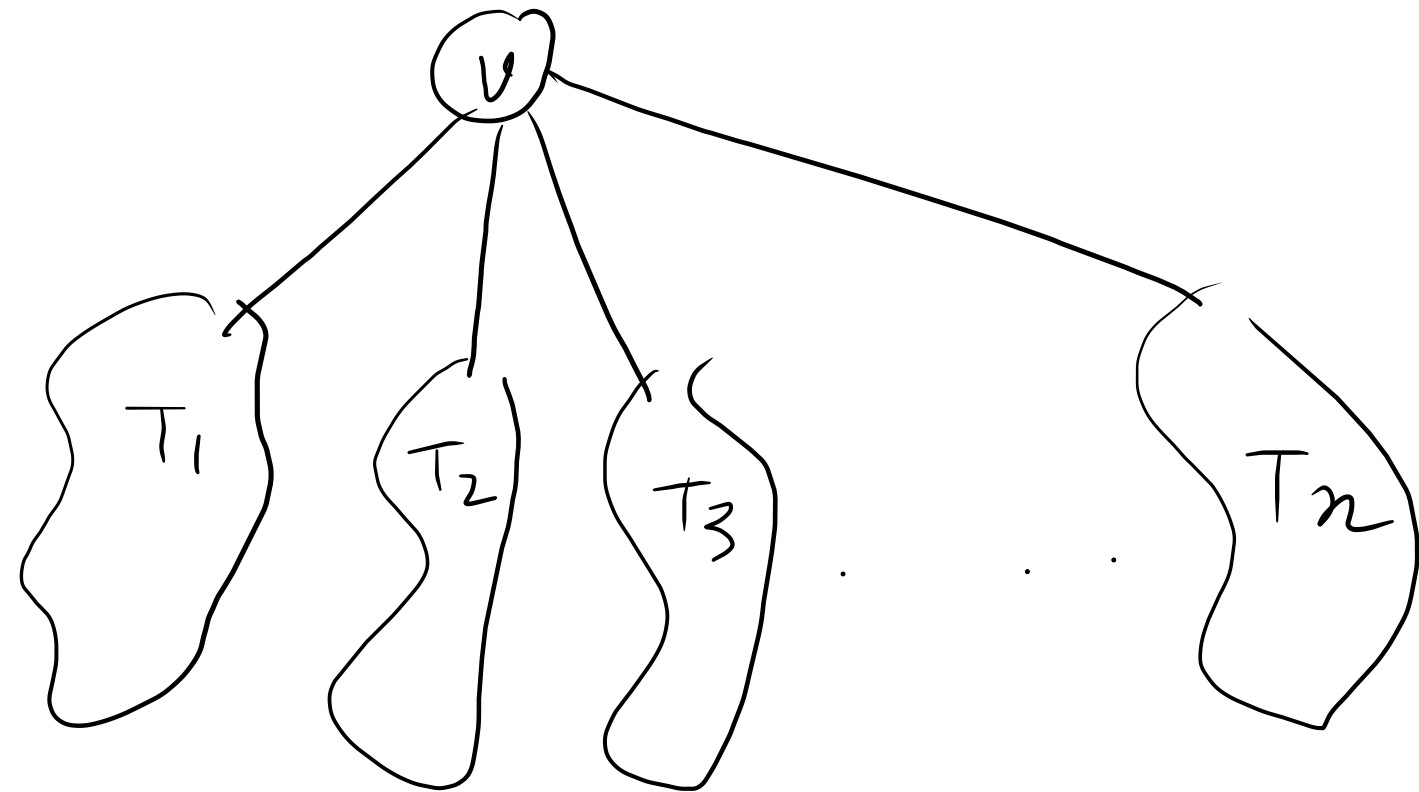


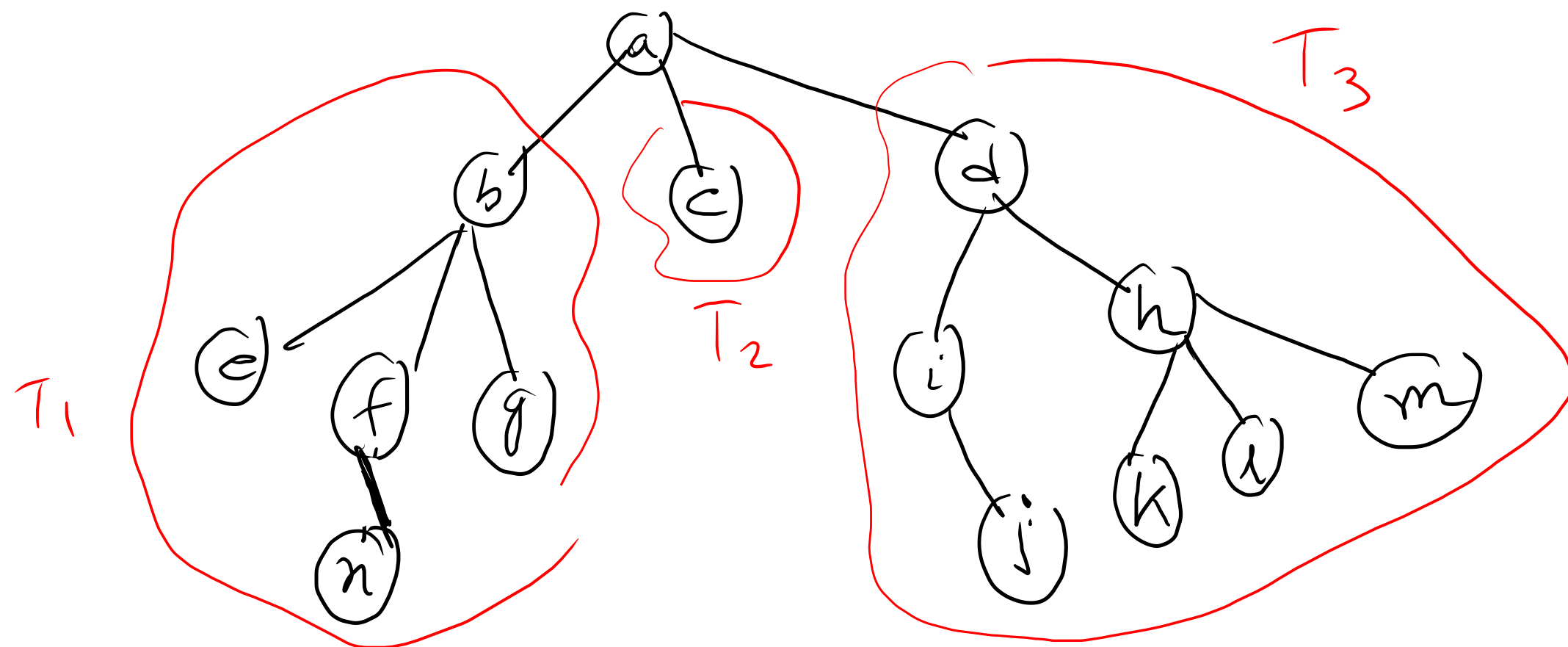
# Tree traversals

- Pre order ✓

- In order

- Post order





Postorder:

$T_1 \quad T_2 \quad T_3 \quad a$

Pre order:  $a \quad b \quad e \quad f \quad n \quad g \quad c \quad d \quad i \quad j \quad h \quad k \quad l \quad m$

In order:  $T_1$

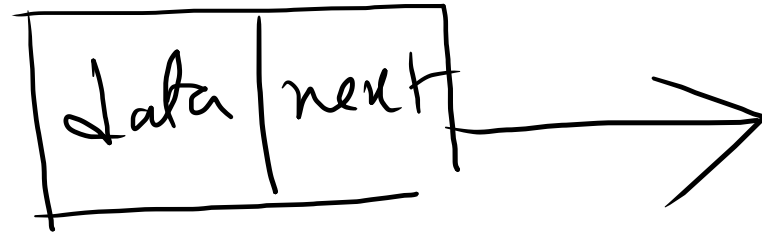
$T_{11} \quad b \quad T_{12} \quad T_{13}$   
 $e \quad b \quad f \quad n \quad g$

$a \quad T_2$   
 $a \quad c$

$T_3$   
 $\underline{\underline{T_3}}$

Structure of a node;

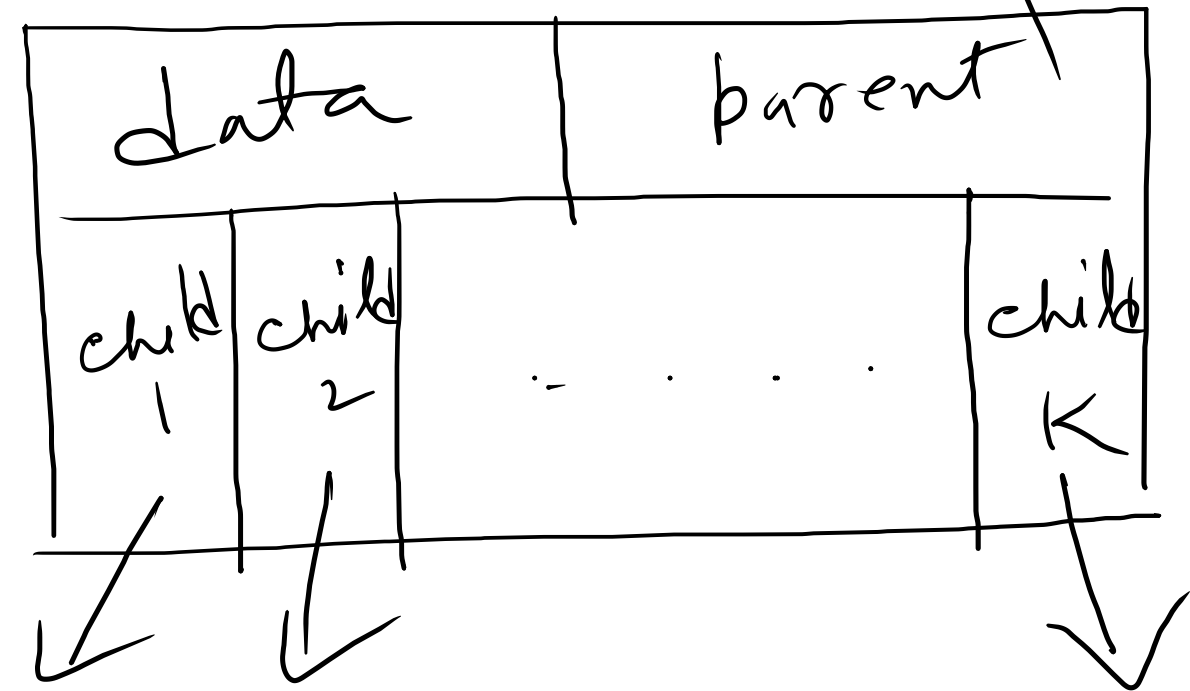
Linked list.



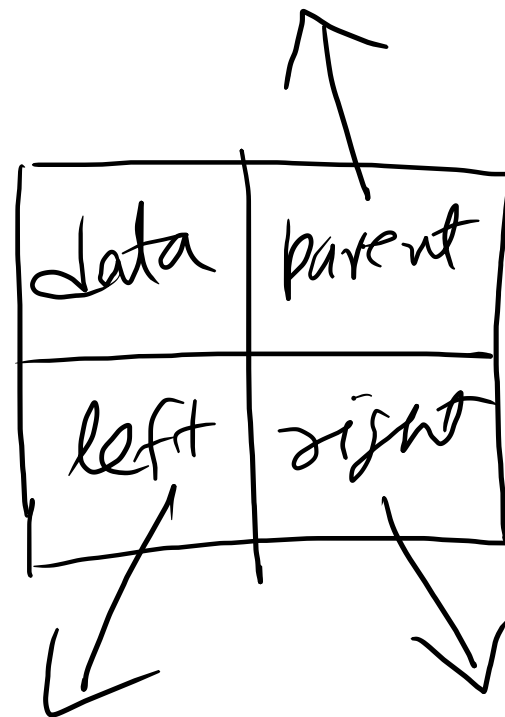
General node



A tree node with a single data field and a parent and at most  $K$  children field.



# Binary tree



## Binary Search tree

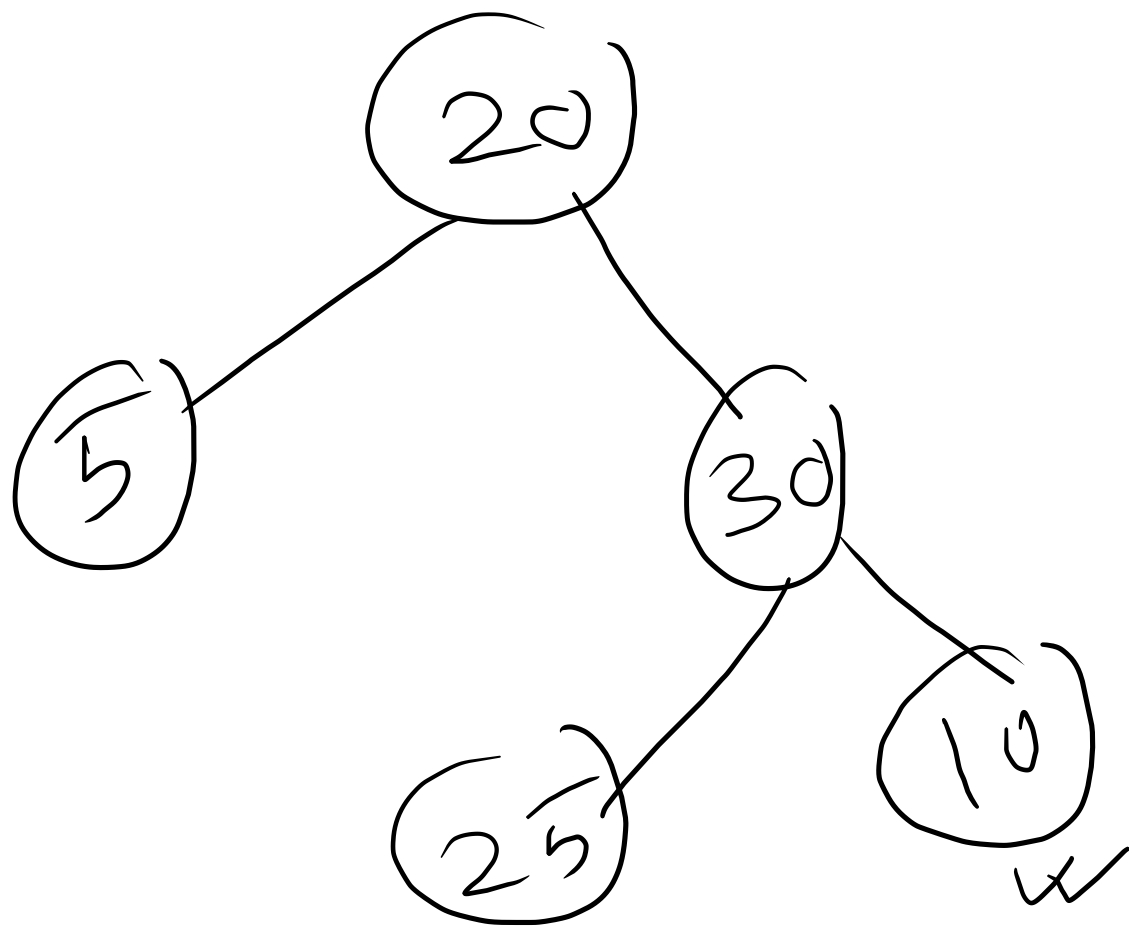
A binary tree is called a binary search tree (BST)

if it satisfies the following.

for every node  $x$  let  $y$  be its left child  
and  $z$  be its right child  
the key value of  $x \geq$  the key value of  $y$ .

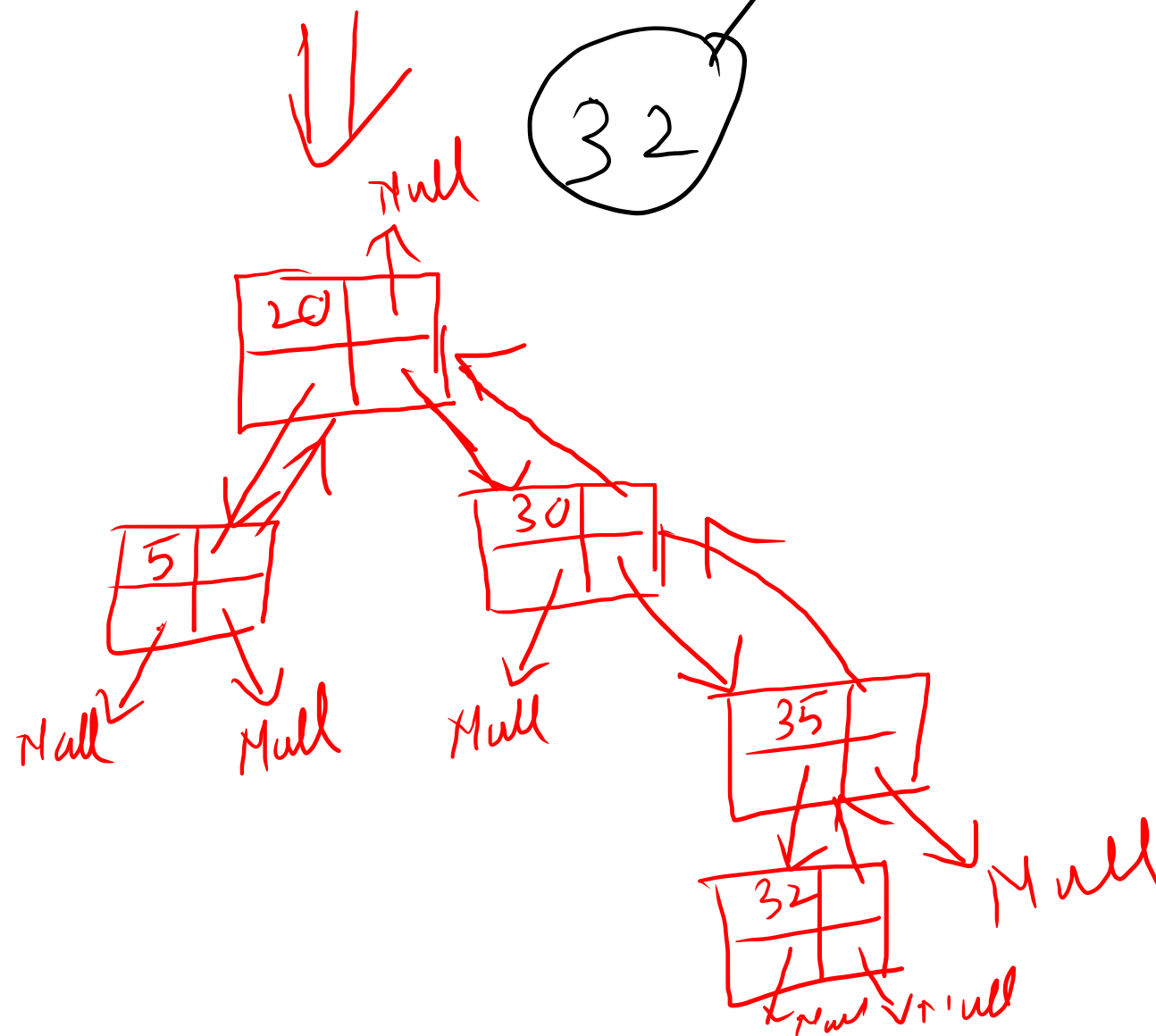
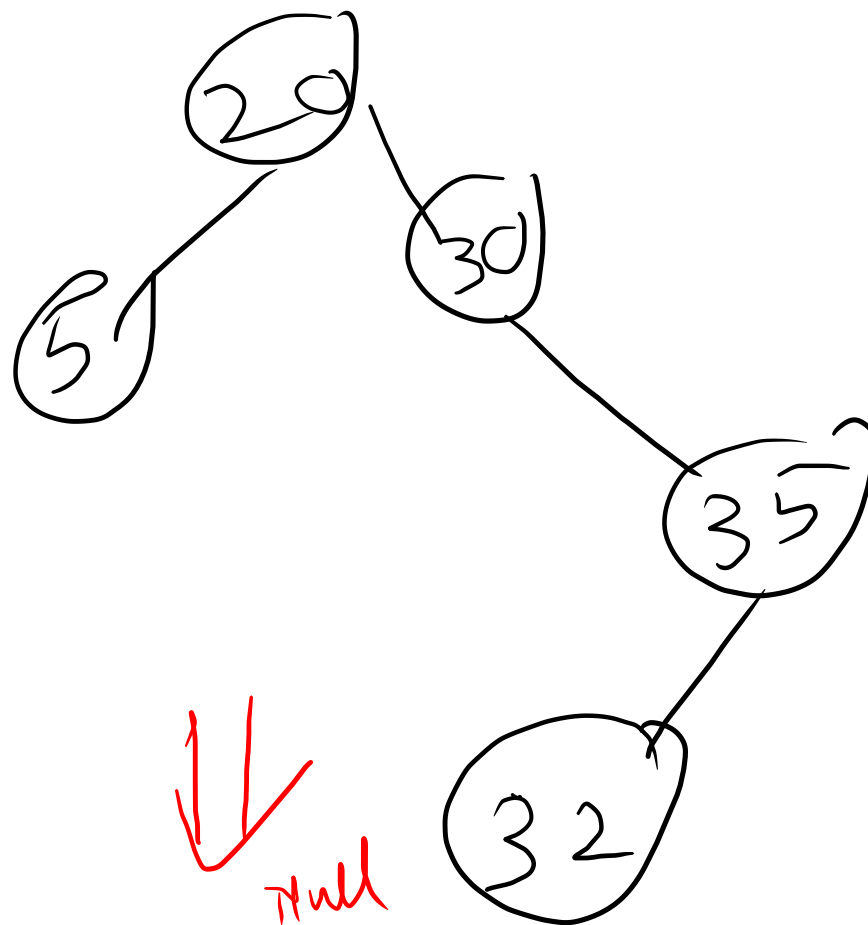
and the key value of  $x <$  the key value of  $z$

11/8/23



X

p, left  
right



# BST traversal

## In-order traversal:

Inorder (T, x) —  $T(n)$

if  $x \neq \text{Null}$  —  $\theta(1)$

Inorder (T, x.left) —  $T(k')$

Process (x) —  $\theta(1)$

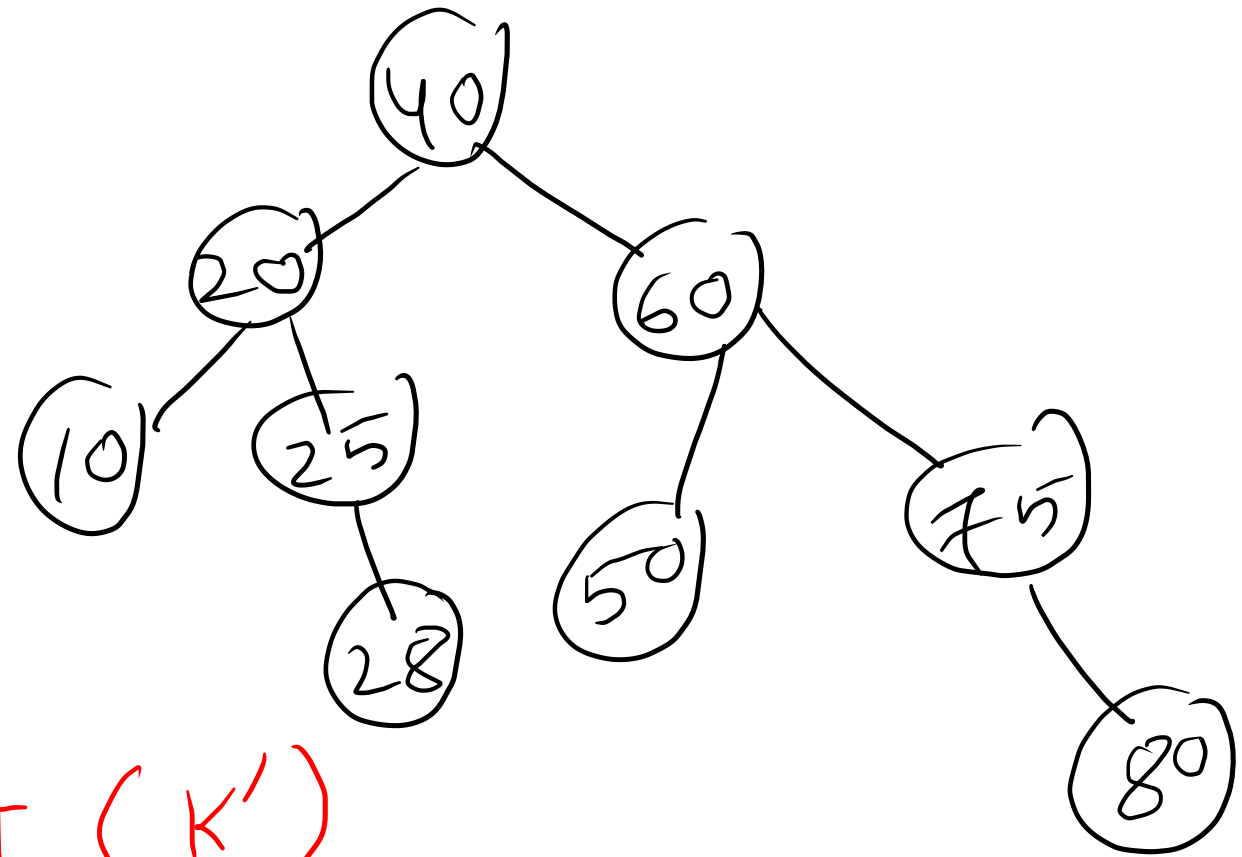
Inorder (T, x.right) —  $T(k'')$

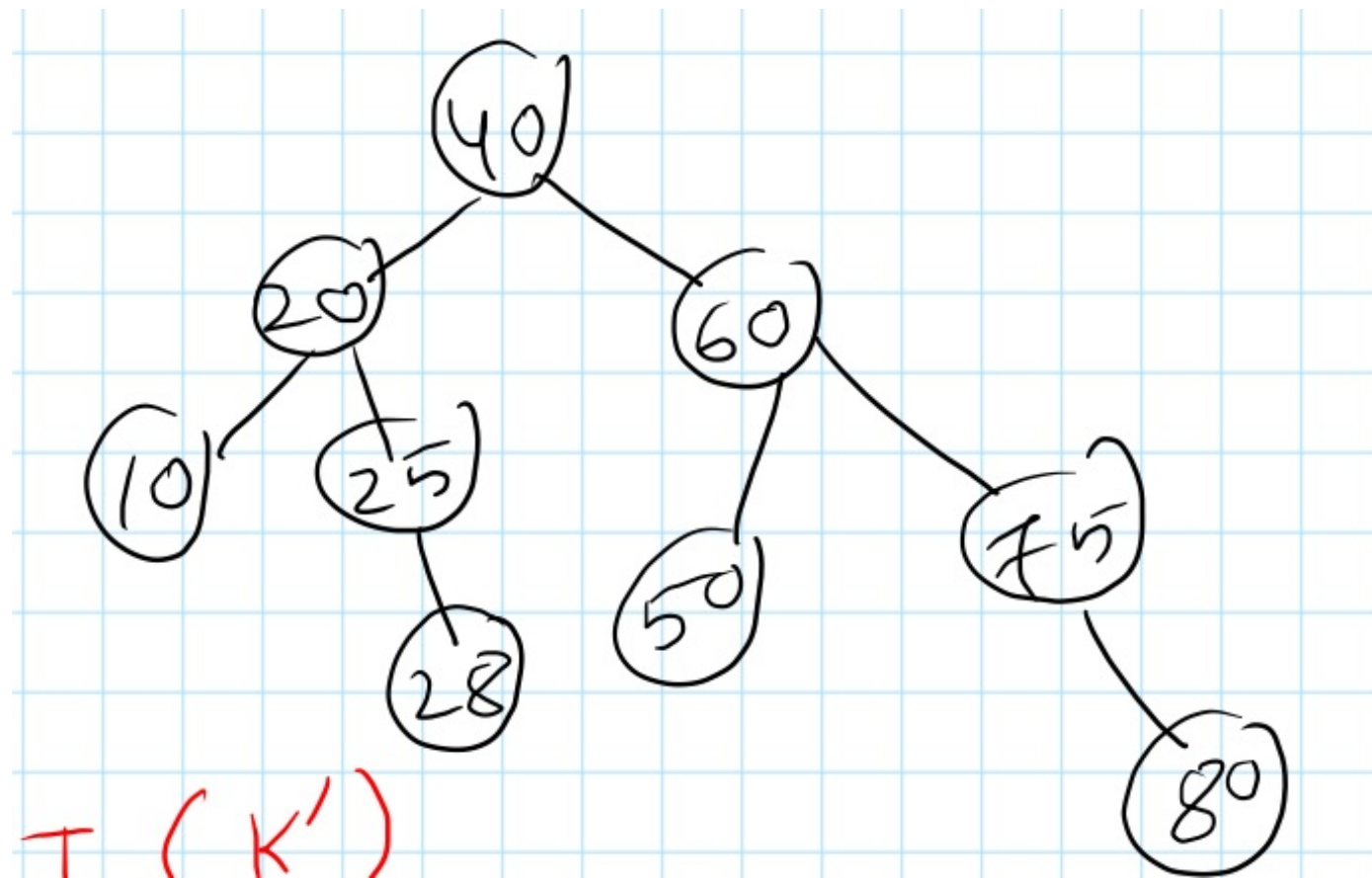
$$k' + k'' = n - 1$$

$$T(n) = T(k) + T(n - k - 1) + \theta(1)$$

Apply substitution:  $T(n) = O(n)$

} H-w.





10, 20, 25, 28, 40, 50, 60, 75, 80

Inorder gives sorted order.