## JAMIA MILLIA ISLAMIA UNIVERSITY NEW DELHI, 110025

# COMPUTER ENGINEERING DEPARTMENT, FACULTY OF ENGINEERING AND TECHNOLOGY,



## A Lab File of ADVANCED COMPUTING

By
Bittu Singh
(23MCS007)

**Submitted To:** 

Dr. Sarfaraz Masood

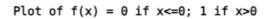
\_\_\_\_\_

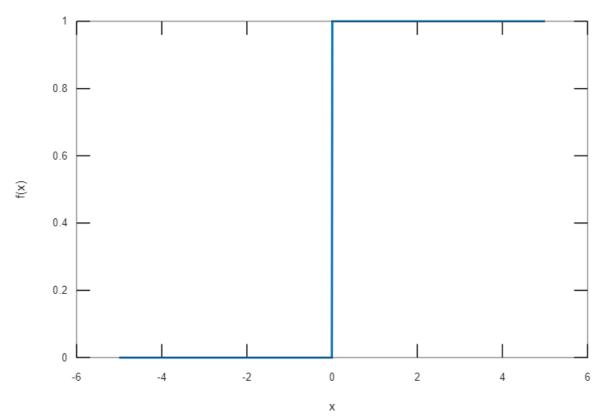
WAP to implement Ascending / Descending sort on a given list of numbers.

```
Implementation:
```

```
% Function to implement ascending and descending sort
function [sorted asc, sorted desc] = sort numbers(numbers)
  % Ascending sort
  sorted asc = sort(numbers);
  % Descending sort
  sorted desc = sort(numbers, 'descend');
end
% Example usage
numbers = [5, 2, 9, 1, 7];
[sorted asc, sorted desc] = sort numbers(numbers);
disp('Ascending order:');
disp(sorted asc);
disp('Descending order:');
disp(sorted_desc);
Output:
 Ascending order:
                   5
      1
                                9
 Descending order:
                   5
            7
                         2
      9
                                1
```

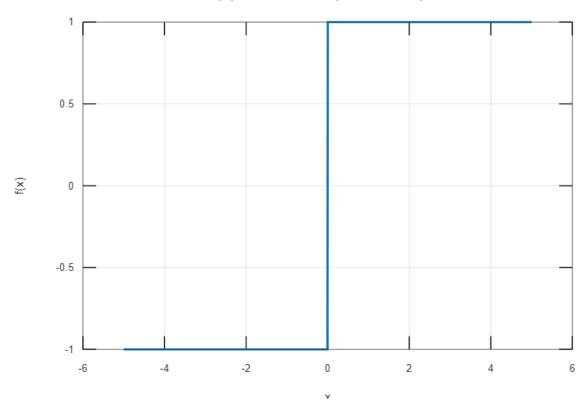
```
Implement the following function and plot its curve
f(x) = 0 \text{ if } x \le 0; 1 \text{ if } x \ge 0
Implementation:
% Define the function
function y = f(x)
  y = zeros(size(x)); % Initialize output with zeros
  y(x > 0) = 1; % Set elements to 1 where x > 0
end
% Generate x values
x = linspace(-5, 5, 1000); % Generate 1000 points between -5 and 5
% Compute y values
y = f(x);
% Plot the curve
plot(x, y, 'LineWidth', 2);
xlabel('x');
ylabel('f(x)');
title('Plot of f(x) = 0 if x < = 0; 1 if x > 0');
grid on;
```



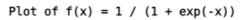


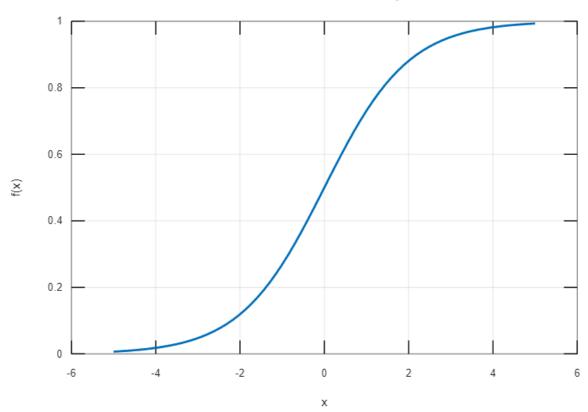
```
Implement the following function and plot it's curve
f(x) = -1 \text{ if } x < 0; 0 \text{ if } x = 0; 1 \text{ if } x > 0
Implementation:
% Define the function
function y = f(x)
  y = zeros(size(x)); % Initialize output with zeros
  y(x < 0) = -1; % Set elements to -1 where x < 0
  y(x == 0) = 0; % Set elements to 0 where x = 0
  y(x > 0) = 1; % Set elements to 1 where x > 0
end
% Generate x values
x = linspace(-5, 5, 1000); % Generate 1000 points between -5 and 5
% Compute y values
y = f(x);
% Plot the curve
plot(x, y, 'LineWidth', 2);
xlabel('x');
ylabel('f(x)');
title('Plot of f(x) = -1 if x < 0; 0 if x = 0; 1 if x > 0');
grid on;
```

Plot of f(x) = -1 if x < 0; 0 if x = 0; 1 if x > 0



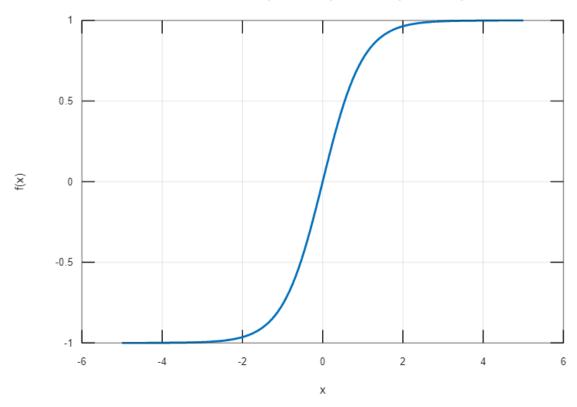
```
Implement the following function also plot its curve
f(x) = 1/(1 + \exp(-x))
Implementation:
% Define the function
function y = f(x)
  y = 1 ./ (1 + exp(-x));
end
% Generate x values
x = linspace(-5, 5, 1000); % Generate 1000 points between -5 and 5
% Compute y values
y = f(x);
% Plot the curve
plot(x, y, 'LineWidth', 2);
xlabel('x');
ylabel('f(x)');
title('Plot of f(x) = 1 / (1 + \exp(-x))');
grid on;
```





```
Implement the following function also plot its curve
f(x) = (\exp(x) - \exp(-x))/(\exp(x) + \exp(-x))
Implementation:
% Define the function
function y = f(x)
  y = (\exp(x) - \exp(-x)) \cdot / (\exp(x) + \exp(-x));
end
% Generate x values
x = linspace(-5, 5, 1000); % Generate 1000 points between -5 and 5
% Compute y values
y = f(x);
% Plot the curve
plot(x, y, 'LineWidth', 2);
xlabel('x');
ylabel('f(x)');
title('Plot of f(x) = (\exp(x) - \exp(-x))/(\exp(x) + \exp(-x))');
grid on;
```

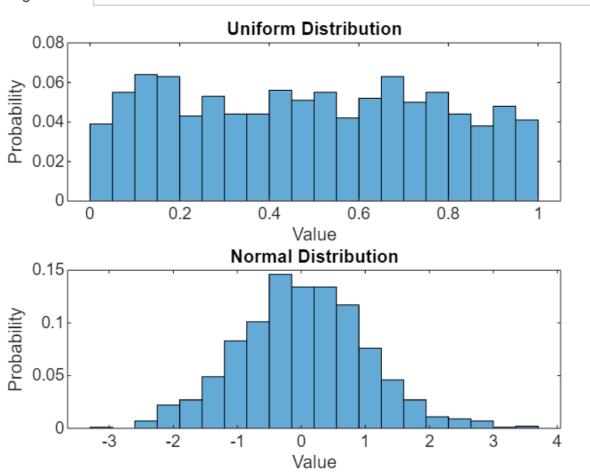
Plot of f(x) = (exp(x) - exp(-x))/(exp(x) + exp(-x))



WAP to GENERATE and PLOT RANDOM nos with Uniform and Normal Distributions. **Implementation:** 

```
% Define the number of random numbers to generate
num samples = 1000;
% Generate random numbers with uniform distribution
uniform numbers = rand(num samples, 1);
% Generate random numbers with normal distribution (mean = 0, standard deviation = 1)
normal numbers = randn(num samples, 1);
% Plot histograms for both distributions
figure;
% Plot histogram for uniform distribution
subplot(2, 1, 1);
histogram(uniform numbers, 20, 'Normalization', 'probability');
title('Uniform Distribution');
xlabel('Value');
ylabel('Probability');
% Plot histogram for normal distribution
subplot(2, 1, 2);
histogram(normal numbers, 20, 'Normalization', 'probability');
title('Normal Distribution');
xlabel('Value');
ylabel('Probability');
```





WAP to Read and Write Data from Excel Files.

```
% Define the file names
input_file = 'input_data.xlsx'; % Excel file to read from
output_file = 'output_data.xlsx'; % Excel file to write to

% Read data from Excel file
data = xlsread(input_file);

% Display the read data
disp('Data read from Excel file:');
disp(data);

% Manipulate the data (optional)
% For example, let's add 1 to each element of the data
data = data + 1;

% Write data to Excel file
xlswrite(output_file, data);

disp('Data has been written to Excel file.');
```

WAP to find missing entries from Excel Datasheet and replace these missing (Nan) entries with the MEAN of that column.

```
% Define the file name
file name = 'data sheet.xlsx'; % Excel file to read from and write to
% Read data from Excel file
data = xlsread(file name);
% Find missing entries (NaN values) and replace them with the mean of that column
for col = 1:size(data, 2)
  nan indices = isnan(data(:, col)); % Find NaN indices in each column
  if any(nan indices)
    column mean = mean(data(~nan indices, col)); % Calculate mean of non-NaN
values in the column
    data(nan indices, col) = column mean; % Replace NaN values with the mean
  end
end
% Write updated data to Excel file
xlswrite(file name, data);
disp('Missing entries replaced with column means and data written to Excel file.');
```

WAP to Implement McCulloch Pitts Neuron.

```
inputs=[1,0,1,0; 1,1,1,1; 1,1,1,0; 1,0,0,1; 1,1,1,1;];
%x1 = [1; 0; 1; 0; 1; 0; 1; 0];
%x2 = [1; 1; 0; 0; 1; 1; 0; 0];
%x3 = [1; 1; 1; 1; 0; 0; 0; 0];
target=[0;1;0;0;1];
weights=[0.4,0.8,0.4,0.8];
output = zeros(size(inputs,1),1);
threshold=2;
for i = 1:size(inputs,1);
  disp(inputs(i,:))
  disp(inputs(i,:).*weights);
  if sum (inputs(i,:).*weights) > threshold;
     output(i) = 1;
  else
     output(i) = 0;
  end;
end;
disp(output)
result= horzcat(output,target)
```

result =

0 0

1 1

0 0

0 0

1 1

WAP to implement a Hebb's Neuron.

```
inputs = [1, 0, 1, 0;
      1, 1, 1, 1;
      1, 1, 1, 0;
      1, 0, 0, 1;
      1, 1, 1, 1];
target = [0; 1; 0; 0; 1];
weights = [0.4, 0.8, 0.4, 0.8];
threshold = 2;
output = zeros(size(inputs, 1), 1);
% Hebb's Learning Rule
for i = 1:size(inputs, 1)
  disp(inputs(i, :));
  disp(inputs(i, :) .* weights);
  % Update weights using Hebb's learning rule
  weights = weights + (inputs(i, :) .* target(i));
  if sum(inputs(i, :) .* weights) > threshold
     output(i) = 1;
  else
     output(i) = 0;
  end
end
disp('Output:');
disp(output);
result = horzcat(output, target);
disp('Result:');
disp(result);
```

Result:

1 1

WAP to implement PERCEPTRON Network.

#### **Implementation:**

% Perceptron Learning Algorithm

```
% Define training data
X = [0\ 0;\ 0\ 1;\ 1\ 0;\ 1\ 1];\ \% input features
y = [0; 0; 0; 1]; \%  target labels
% Initialize weights and bias
w = randn(1, size(X, 2)); weights
b = randn(); % bias
learning rate = 0.1;
disp('Weights before training:');
disp(w);
disp('Bias before training:');
disp(b);
% Training the perceptron
epochs = 70;
for epoch = 1:epochs
  for i = 1:size(X, 1)
     % Compute the output of the perceptron
     output = X(i, :) * w' + b;
     % Update weights and bias using perceptron learning rule
     w = w + learning rate * (y(i) - output) * X(i, :);
     b = b + learning rate * (y(i) - output);
  end
end
% Test the perceptron
disp('Weights after training:');
disp(w);
disp('Bias after training:');
disp(b);
% Predictions
disp('Predictions:');
```

```
for i = 1:size(X, 1) pred = X(i, :) * w' + b; disp(['Input: ', num2str(X(i, :)), ', Prediction: ', num2str(pred)]); end

Output: weights = 
2.4000 2.8000 2.4000 2.8000

Weights before training: 0.4271 -0.2810

Bias before training: 0.1762

Weights after training: 0.5524 0.5242

Bias after training: -0.2732
```

Predictions:

Input: 0 0, Prediction: -0.27324
Input: 0 1, Prediction: 0.25094
Input: 1 0, Prediction: 0.27918
Input: 1 1, Prediction: 0.80336

WAP to implement ADALINE Network.

```
Implementation:
```

```
% Define inputs and targets for XOR gate
inputs = [0, 0;
      0, 1;
      1, 0;
      1, 1];
target = [0; 1; 1; 0];
% Initialize weights and bias
weights = rand(1, size(inputs, 2));
bias = rand;
% Learning rate
learning rate = 0.1;
% Maximum number of iterations
max iterations = 1000;
% Train the ADALINE network
for iter = 1:max iterations
  % Compute output (activation) for each input pattern
  outputs = inputs * weights' + bias;
  % Compute errors
  errors = target - outputs;
  % Update weights and bias using gradient descent
  weights = weights + learning rate * errors' * inputs;
  bias = bias + learning rate * sum(errors);
  % Compute mean squared error
  mse = mean(errors.^2);
  % Check if convergence criteria met
  if mse < 0.01
    disp(['Convergence reached after ', num2str(iter), ' iterations']);
    break;
  end
```

```
% Display final weights and bias
disp('Final weights:');
disp(weights);
disp('Final bias:');
disp(bias);
% Test the trained ADALINE network
predicted output = inputs * weights' + bias;
% Display predicted output
disp('Predicted output:');
disp(predicted output);
Output:
 Final weights:
     1.0408e-16
                       1.0408e-16
 Final bias:
 0.5000
 Predicted output:
     0.5000
     0.5000
     0.5000
     0.5000
```

WAP to implement MADALINE Network.

```
Implementation:
```

```
% Define inputs and targets for XOR gate
inputs = [0, 0;
      0, 1;
      1, 0;
      1, 1];
target = [0; 1; 1; 0];
% Initialize weights and biases for first ADALINE layer
weights layer1 = rand(2, size(inputs, 2)); % Weights for first layer
bias layer 1 = \text{rand}(2, 1); % Biases for first layer
% Initialize weights and bias for output ADALINE
weights output = rand(1, 2); % Weights for output layer
bias output = rand; % Bias for output layer
% Learning rate
learning rate = 0.1;
% Maximum number of iterations
max iterations = 1000;
% Train the MADALINE network
for iter = 1:max iterations
  % Forward pass through first layer
  output layer1 = inputs * weights layer1' + bias layer1';
  output layer1 = 1 / (1 + \exp(-\text{output layer1})); % Sigmoid activation
  % Forward pass through output layer
  output = output layer1 * weights output' + bias output;
  output = 1 / (1 + \exp(-\text{output})); % Sigmoid activation
  % Compute errors
  errors = target - output;
  % Backpropagation through output layer
  delta output = errors .* output .* (1 - output); % Error * derivative of sigmoid
```

```
% Backpropagation through first layer
  delta layer1 = (delta output * weights output) .* output_layer1 .* (1 - output_layer1);
  % Update weights and biases for output layer
  weights output = weights output + learning rate * delta output' * output layer1;
  bias output = bias output + learning rate * sum(delta output);
  % Update weights and biases for first layer
  weights layer1 = weights layer1 + learning rate * delta layer1' * inputs;
  bias layer1 = bias layer1 + learning rate * sum(delta layer1)';
  % Compute mean squared error
  mse = mean(errors.^2);
  % Check if convergence criteria met
  if mse < 0.01
     disp(['Convergence reached after', num2str(iter), 'iterations']);
     break;
  end
end
% Display final weights and biases
disp('Final weights for first layer:');
disp(weights layer1);
disp('Final biases for first layer:');
disp(bias layer1);
disp('Final weights for output layer:');
disp(weights output);
disp('Final bias for output layer:');
disp(bias output);
% Test the trained MADALINE network
output layer1 test = inputs * weights layer1' + bias layer1';
output layer1 test = 1 / (1 + \exp(-\text{output layer1 test})); % Sigmoid activation
predicted output = output layer1 test * weights output' + bias output;
predicted output = 1 / (1 + \exp(-\text{predicted output})); % Sigmoid activation
% Display predicted output
disp('Predicted output:');
disp(predicted output);
```

```
Final weights for first layer:
0.2383 0.2141
1.0141 0.2202
Final biases for first layer:
0.3600
0.7250
Final weights for output layer:
0.1337 0.1938
Final bias for output layer:
-0.2333
Predicted output:
0.4940
0.4980
0.5045
0.5073
```

WAP to implement BACKPROPAGATION ALGORITHM for an MLFANN.

```
Implementation:
```

```
% Define inputs and targets for XOR gate
inputs = [0, 0;
      0, 1;
      1, 0;
      1, 1];
target = [0; 1; 1; 0];
% Initialize weights and biases for hidden layer and output layer
hidden layer weights = rand(2, size(inputs, 2)); % Weights for hidden layer
output layer weights = rand(1, 2); % Weights for output layer
hidden layer bias = rand(2, 1); % Bias for hidden layer
output layer bias = rand; % Bias for output layer
% Learning rate
learning rate = 0.1;
% Maximum number of iterations
max iterations = 1000;
% Train the MLFFANN using Backpropagation algorithm
for iter = 1:max iterations
  % Forward pass
  hidden layer output = 1 / (1 + \exp(-(\text{inputs * hidden layer weights'} +
hidden layer bias')));
  output layer output = 1 \cdot / (1 + \exp(-(\text{hidden layer output * output layer weights'} +
output layer bias)));
  % Compute errors
  output error = target - output layer output;
  hidden error = (output error * output layer weights) .* hidden layer output .* (1 -
hidden layer output);
  % Backpropagation
  output layer weights = output layer weights + learning rate * output error' *
hidden layer output;
  output layer bias = output layer bias + learning rate * sum(output error);
```

```
hidden layer weights = hidden layer weights + learning rate * hidden error' *
inputs;
  hidden layer bias = hidden layer bias + learning rate * sum(hidden error)';
  % Compute mean squared error
  mse = mean(output error.^2);
  % Check if convergence criteria met
  if mse < 0.01
     disp(['Convergence reached after', num2str(iter), 'iterations']);
     break:
  end
end
% Display final weights and biases
disp('Final weights for hidden layer:');
disp(hidden layer weights);
disp('Final biases for hidden layer:');
disp(hidden layer bias);
disp('Final weights for output layer:');
disp(output layer weights);
disp('Final bias for output layer:');
disp(output layer bias);
% Test the trained MLFFANN
hidden layer output test = 1 / (1 + \exp(-(\text{inputs * hidden layer weights'} +
hidden layer bias')));
predicted output = 1 \cdot / (1 + \exp(-(hidden layer output test * output layer weights' +
output layer bias)));
% Display predicted output
disp('Predicted output:');
disp(predicted output);
```

```
Final weights for hidden layer:
4.8242 4.4753
2.0780 0.1090

Final biases for hidden layer:
-1.0928
-0.2792

Final weights for output layer:
4.7050 -2.7280

Final bias for output layer:
-2.0479

Predicted output:
0.1149
0.7781
0.5514
0.5696
```