Shuffle

Mr. X (name subject to be changed) bought a new toy from the store. It consists of a mini robot with a controller and m pieces of $n \times 1$ tiles. Each tile has n cells, containing different amounts of tokens that the robot can collect. To set up the game, one has to arrange all the tiles to represent a $n \times m$ sized board (**tiles can't be rotated**). After that, you can place your robot in the upper left corner of the board and use the controller to move the robot to the bottom right corner. The robot can only move down or right. The goal is to collect as many tokens as you can with the robot.

Mr. X quickly set up the board and started playing the game. The ability to change the board kept his game alive for longer. But then he started to think, what is the maximum possible number of tokens he can collect in a single game among all possible arrangements of the board? You will be given the last board he was playing with. Can you give him the answer?

Input

Read the input from the standard input in the following format:

- line 1: $n \quad m$
- line $1+i$ $(1 \le i \le n)$: $a[i][1] \quad a[i][2] \quad \ldots \quad a[i][m]$

Here $a[i][j]$ represents the number of tokens in the cell of row i (from top) and tile j (from left) of the last board.

Output

Write the output to the standard output in the following format:

- line 1: K, the maximum number of tokens one can get over all possible arrangements of the board.

Constraints

- $1 \le n \le 10$
- $1 \le m \le 100\,000$
- $0 \le a[i][j] \le 1\,000\,000\,000$ (for all $1 \le i \le n, 1 \le j \le m$)

Subtasks

1. (9 points) $n \leq 2$
2. (5 points) $a[i][j] \leq 1$ and $a[i][j] \leq a[i+1][j]$ for all $1 \leq i < n$ and $1 \leq j \leq m$. In other words, the cells that have exactly 1 token will be grouped together to the bottom of a tile, while the other cells will have 0 token.
3. (6 points) $m \leq 8$
4. (6 points) $m \leq 16$
5. (32 points) $m \leq 1000$
6. (11 points) $a[i][j] \leq 1$ and if $a[u][j] = a[v][j] = 1$ for some $1 \leq u \leq v \leq n$ and $1 \leq j \leq m$, then $a[w][j] = 1$ for all $u \leq w \leq v$. In other words, the cells that have exactly 1 token will be consecutive for each tile, while the other cells will have 0 token.
7. (31 points) No further constraints.

Examples

Example 1

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3 3
1 2 3
4 5 6
7 8 9
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The correct output is:

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33
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