



#### Factorization

various factorizations have been proposed to speed up pretrained networks [14, 20].

#### Distillation

Another method for training small networks is distillation [9] which uses a larger network to teach a smaller network

# 3.1. Depthwise Separable

model is based on depthwise separable convolutions which is a form of factorized convolutions which factorize a standard convolution into a depthwise convolution and a 1 × 1 convolution called a pointwise

convolution.

Convolution The MobileNet

Depthwise separable convolution are made up of two layers: depthwise convolutions and pointwise convolutions. We use depthwise convolutions to apply a single filter per each input channel (input depth). Pointwise convolution, a simple 1×1 convolution, is then used to create a linear combination of the output of the depthwise layer. MobileNets use both batchnorm and ReLU nonlinearities for both layers.

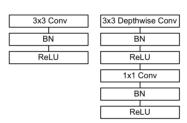


Figure 3. Left: Standard convolutional layer with batchnorm and ReLU. Right: Depthwise Separable convolutions with Depthwise and Pointwise layers followed by batchnorm and ReLU.

 $1 \times 1$  convolutions do not require this reordering in memory and can be implemented directly with GEMM which is one of the most optimized numerical linear algebra algorithms. MobileNet spends 95% of it's computation time in  $1 \times 1$  convolutions which also has 75% of the parameters as can be seen in Table 2. Nearly all of the additional parameters are in the fully connected layer.

## GEMM

unstructured sparse matrix operations are not typically faster than dense matrix operations until a very high level of sparsity. Our model structure puts nearly all of the computation into dense 1 × 1 convolutions. This can be implemented with highly optimized general matrix multiply (GEMM) functions

Typically spall Matrix sproton

dense spaniona > Jense matrix.

(x1 cmv.

## Alpha

In order to construct these smaller and less computationally expensive models we introduce a very simple parameter acalled width multiplier. The role of the width multiplier a is to thin a network uniformly at each layer

B E (0, 1) THE 0.05,05,04

## Resolution

ply this to the input image and the internal representation of every layer is subsequently reduced by the same multiplier. In practice we implicitly set  $\rho$  by setting the input resolu-

tion. We can now express the computational cost for the core layers of our network as depthwise separable convolutions with width multiplier  $\alpha$  and resolution multiplier  $\beta$ :  $D_K \cdot D_K \cdot \alpha M \cdot \rho D_F \cdot \rho D_F + \alpha M \cdot \alpha N \cdot \rho D_F \cdot \rho D_F$  (7)

## Result of mobilenet

| Model  | ImageNet   | Million  | Million                                |
|--|--|--|--|
|  | Accuracy   | Mult-Adds  | Parameters                             |
| Conv MobileNet   | 71.7%  | 4866   | 29.3                                   |
| MobileNet  | 70.6%  | 569  | 4.2                                    |
| Table 5.   | Narrow vs Sh   | allow MobileN  | let                                    |
| Model  | ImageNet   | Million  | Million                                |
|  | Accuracy   | Mult-Adds  | Parameters                             |
| 0.75 MobileNet   | 68.4%  | 325  | 2.6                                    |
| Shallow MobileNet  | 65.3%  | 307  | 2.9                                    |
| Table 6  | . MobileNet V  | Vidth Multiplie  | r                                      |
| Width Multiplier   |  |  |  |
| Width Multiplier   | ImageNet   | Million  | Million                                |
| Width Multiplier   | ImageNet<br>Accuracy                                   | Million<br>Mult-Adds   |  |
| Width Multiplier  1.0 MobileNet-224  |  |  |  |
| 1.0 MobileNet-224  | Accuracy<br>70.6%                                      | Mult-Adds  | Parameters                             |
| 1.0 MobileNet-224  | Accuracy<br>70.6%                                      | Mult-Adds<br>569   | Parameters<br>4.2                      |
| 1.0 MobileNet-224<br>0.75 MobileNet-224  | Accuracy<br>70.6%<br>68.4%<br>63.7%                    | Mult-Adds<br>569<br>325  | Parameters<br>4.2<br>2.6               |
| 1.0 MobileNet-224<br>0.75 MobileNet-224<br>0.5 MobileNet-224<br>0.25 MobileNet-224         | Accuracy<br>70.6%<br>68.4%<br>63.7%                    | Mult-Adds<br>569<br>325<br>149<br>41                             | 4.2<br>2.6<br>1.3                      |
| 1.0 MobileNet-224<br>0.75 MobileNet-224<br>0.5 MobileNet-224<br>0.25 MobileNet-224         | Accuracy<br>70.6%<br>68.4%<br>63.7%<br>50.6%           | Mult-Adds<br>569<br>325<br>149<br>41                             | 4.2<br>2.6<br>1.3                      |
| 1.0 MobileNet-224<br>0.75 MobileNet-224<br>0.5 MobileNet-224<br>0.25 MobileNet-224<br>Tabl | Accuracy<br>70.6%<br>68.4%<br>63.7%<br>50.6%           | Mult-Adds<br>569<br>325<br>149<br>41<br>et Resolution            | Parameters<br>4.2<br>2.6<br>1.3<br>0.5 |
| 1.0 MobileNet-224<br>0.75 MobileNet-224<br>0.5 MobileNet-224<br>0.25 MobileNet-224<br>Tabl | Accuracy 70.6% 68.4% 63.7% 50.6% 7. MobileNet ImageNet | Mult-Adds<br>569<br>325<br>149<br>41<br>et Resolution<br>Million | Parameter 4.2 2.6 1.3 0.5 Million      |

## 4.7. Face Embeddings

and width multiplier  $\alpha,$  the number of input channels M becomes  $\alpha M$  and the number of output channels N becomes

 $\alpha N$ .

The computational cost of a depthwise separable convolution with width multiplier  $\alpha$  is:

 $D_K \cdot D_K \cdot \alpha M \cdot D_F \cdot D_F + \alpha M \cdot \alpha N \cdot D_F \cdot D_F$  (6)

The FaceNet model is a state of the art face recognition model [25]. It builds face embeddings based on the triplet loss. To build a mobile FaceNet model we use distillation to train by minimizing the squared differences of the output

## Depthwise conv

Depthwise convolution with one filter per input channel (input depth) can be written as:

 $\hat{\mathbf{G}}_{k,l,m} = \sum_{i,j} \hat{\mathbf{K}}_{i,j,m} \cdot \mathbf{F}_{k+i-1,l+j-1,m}$  (3)

COMputational est = DK. DK. M. DF. Pr.

#### Depthwise separable convolutions cost

 $D_K \cdot D_K \cdot M \cdot D_F \cdot D_F + M \cdot N \cdot D_F \cdot D_F \quad (5)$  which is the sum of the depthwise and  $1 \times 1$  pointwise convolutions. By expressing convolution as a two step process of filter-

 $\frac{D_K \cdot D_K \cdot M \cdot D_F \cdot D_F + M \cdot N \cdot D_F \cdot D_F}{D_K \cdot D_K \cdot M \cdot N \cdot D_F \cdot D_F}$   $= \frac{1}{N} + \frac{1}{D^2}$