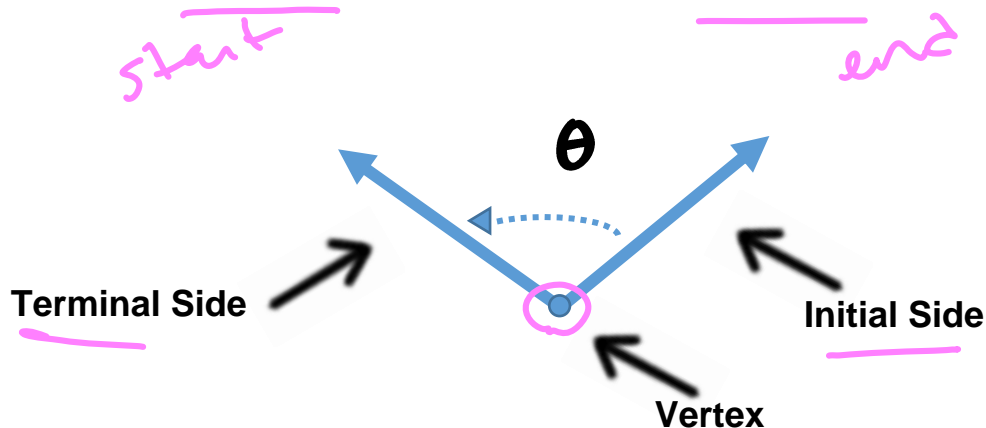
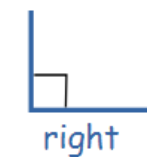


Intro Angles

An **angle** is formed by two rays (or lines) that have a common endpoint. One ray is called the initial side and the other the terminal side.

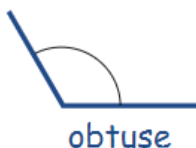


Between
 0° and
 90°



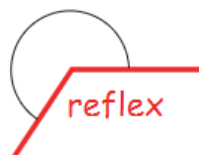
Exactly
 90°

Between
 90° and
 180°



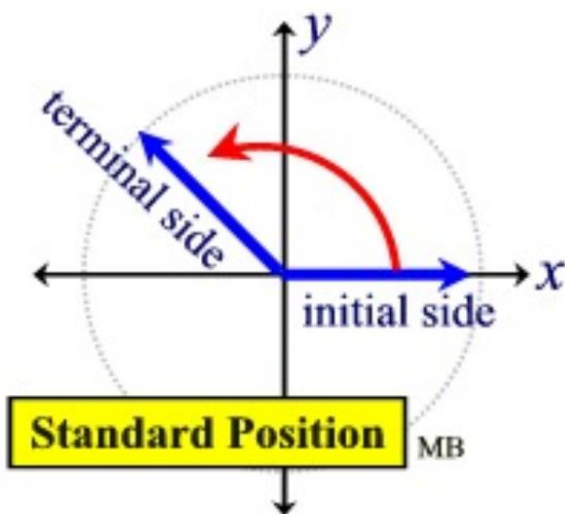
Exactly
 180°

More
than 180°

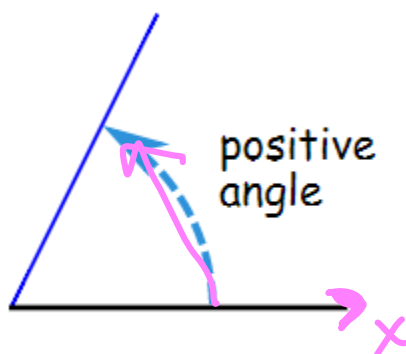


Exactly
 360°

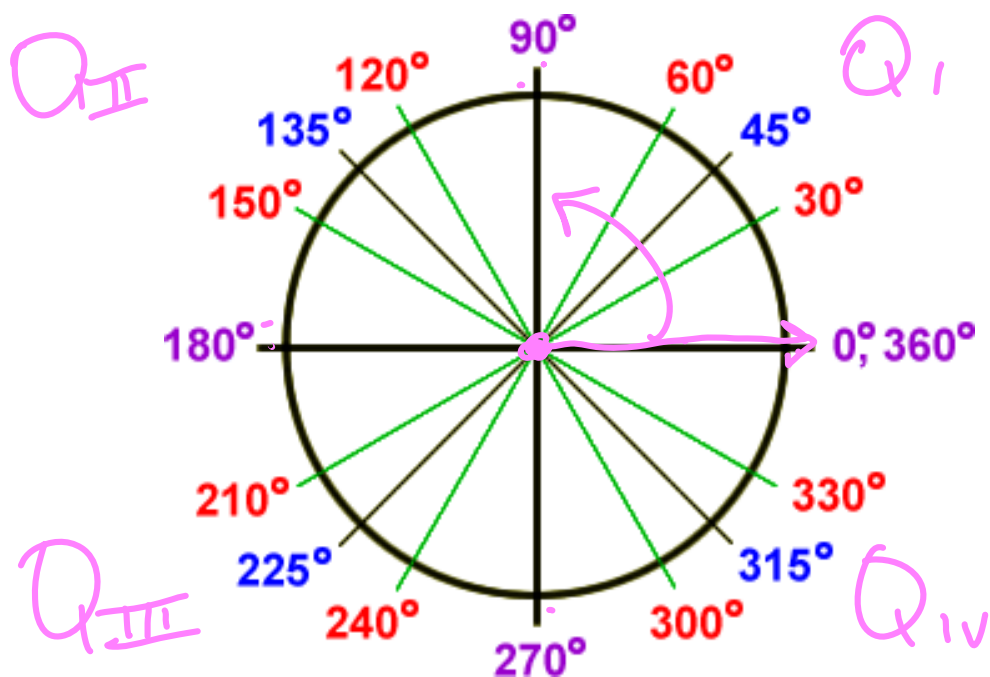
Standard Position Angles



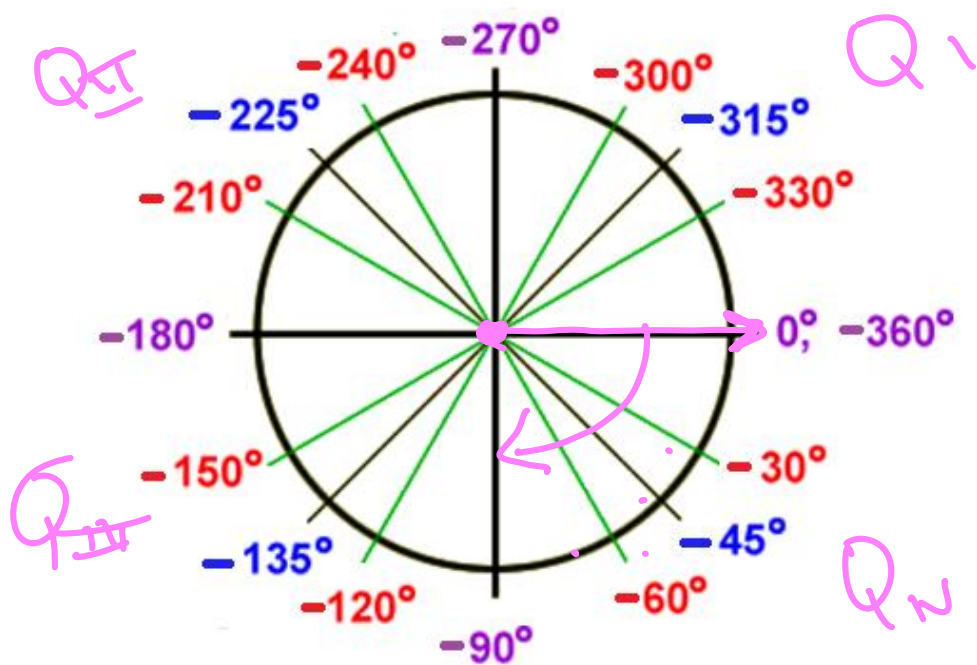
- Vertex at the origin
- Initial side on positive x-axis.



These are all positive angles

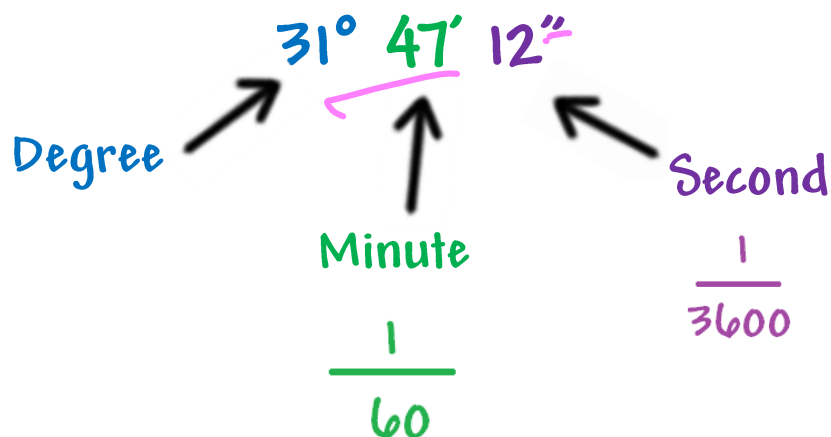


These are all negative angles



Degree Minute Second

Not all angles are whole values so we need to be able to talk about those fractional angles also like 35.75° and 176.6°

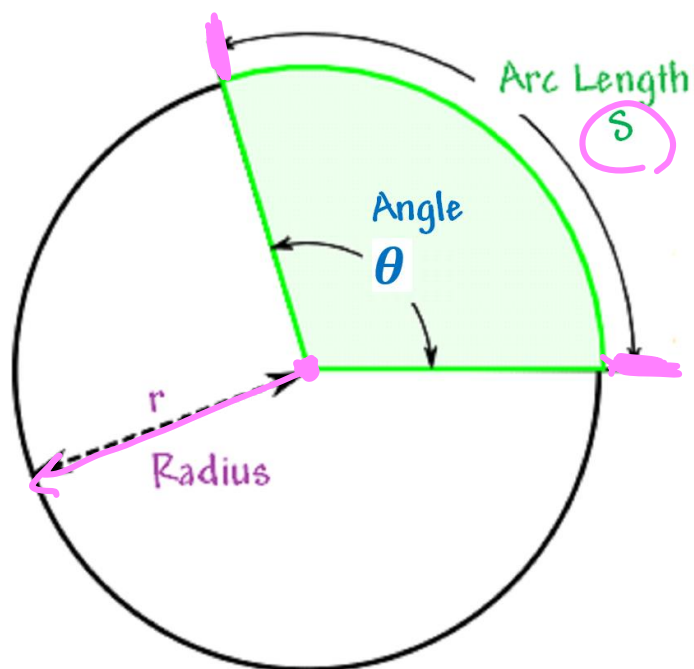


$$= \underline{31}^\circ + \frac{\boxed{47}}{60} + \frac{\boxed{12}}{3600}$$

You can use your calculator to find the exact value or work it out by hand

$$= 31.7866^\circ$$

Arc Length



If you want to find the **Arc Length** all you need is the **ANGLE** and the **RADIUS**

Radians



$$\text{Arc Length} = \theta r$$

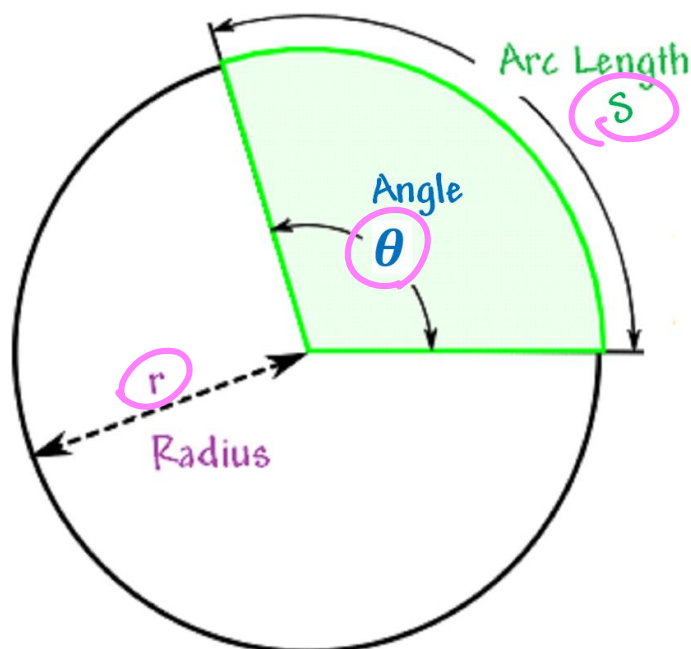
$$\theta = \frac{s}{r}$$

Degrees



$$\text{Arc Length} = \theta(180)r$$

$$\theta = \frac{s}{180 r}$$



If you want to find the **THETA (Central Angle)** all you need is the

Arc Length and the RADIUS

Radians



$$\text{Theta} = \frac{\text{Arc Length}}{r}$$

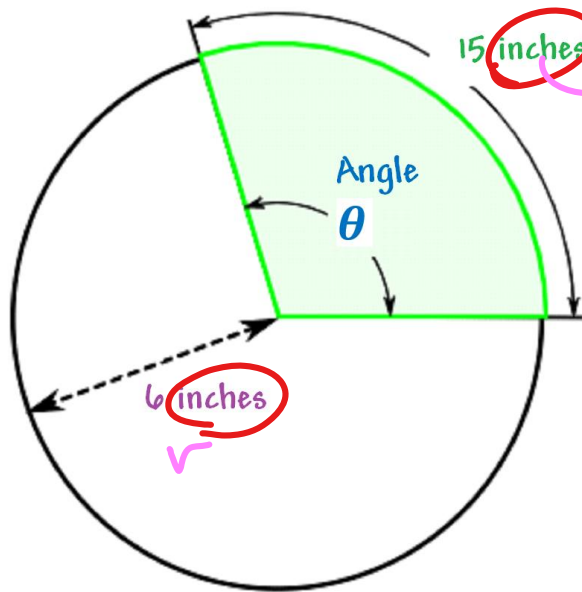
Degrees



$$\text{Theta} = \frac{\text{Arc Length}}{180 \times r}$$

Check it out:

Find the measure of the central angle

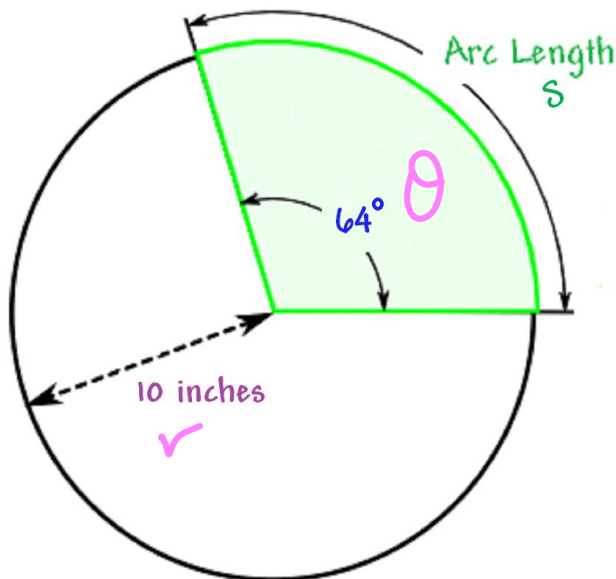


$$\theta = \frac{\text{Arc Length}}{r} = \frac{s}{r}$$

$$\theta = \frac{15 \cancel{\text{in}}}{6 \cancel{\text{in}}}$$

$$\theta = \frac{5}{2} \text{ radians}$$

Find the measure of the arc length



$$\text{Arc Length} = \theta (\text{radians})$$

$$s = \theta \cdot r$$

$$s = 64^\circ (10 \text{ inch})$$

$$s = 64/10 \text{ inches}$$

Convert Degree to Radians and Vice Versa

Ok so let's say we have an angle that is in degrees but we need radians... how do we switch it???

Easy, All you need is one fact to remember!

$$\pi \text{ radians} = 180 \text{ degrees}$$

Check it out:

Convert 30° to radians

$$\cancel{30^\circ} \left(\frac{\pi}{\cancel{180^\circ}} \right) = \frac{\cancel{30^\circ} \pi}{\cancel{180^\circ}} = \frac{\pi}{6} \text{ Radians}$$

Convert $\frac{\pi}{3}$ to degrees

$$\frac{\cancel{\pi}}{3} \left(\frac{\cancel{180^\circ}}{\cancel{\pi}} \right) = \frac{\cancel{180^\circ}}{3} = 60^\circ$$