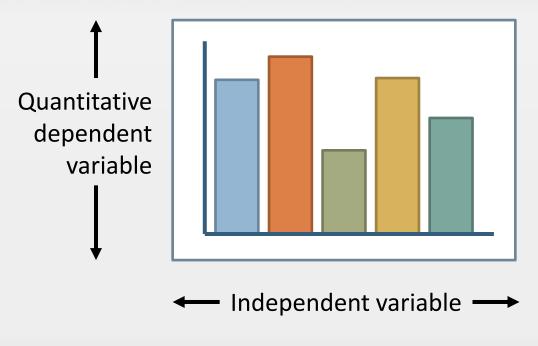
# Stacked Graphs

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#### **Bar Chart**



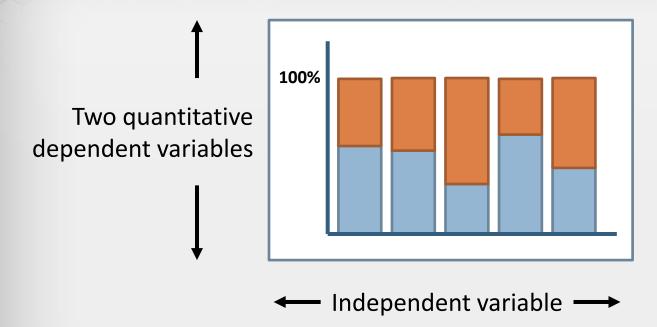
Benefits from both position (top of bar) and length (size of bar)

#### Stacked Bar Chart

Two (accumulating) q. dep. variables

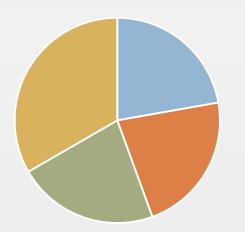
Central limit theorem -> as more bars are added, sums will vary less

#### Relative Stacked Bar Chart



#### Pie Chart

- Used to indicate relative portions of a quantitative dependent variable of a single dimension
- Maps percentage of total to angle of wedge arc
- Perspective (both distortion and foreshortening) confounds perception of angle



**Position** 

Length

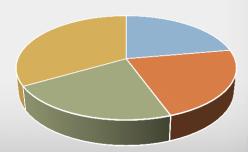
Angle

Area

Volume

Color

Cleveland & McGill, 1984



#### Relative Stacked Bar Chart

100% Two quantitative dependent variables Independent variable **Position** 

Length

Angle

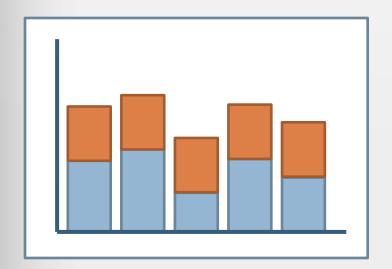
Area

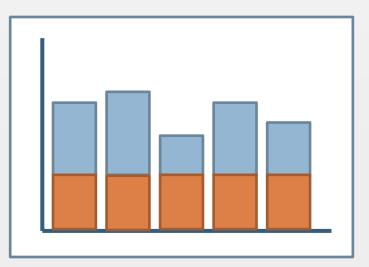
Volume

Color

Cleveland & McGill, 1984

#### **Stacking Order Matters**





Position

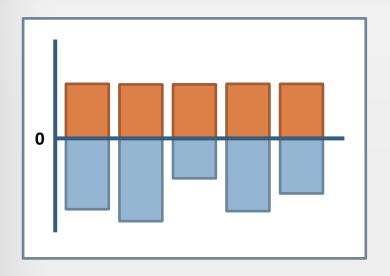
>

Length

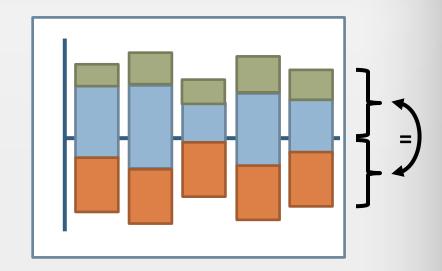
Cleveland & McGill, 1984

Variance of lower stack elements influences perception of upper stack elements

#### **Diverging Stacked Bar Charts**

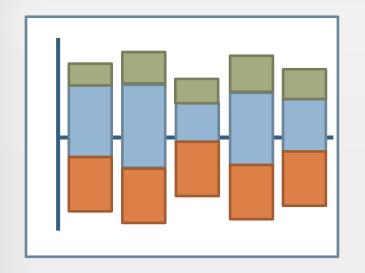


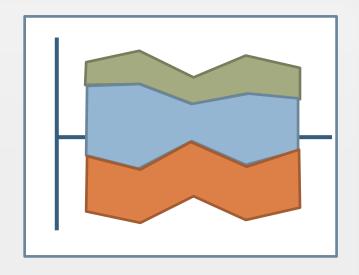
- Benefits from pos. & length
- Only works for two variables
- Negative connotation for lower bars



- Only indicates length
- Works for many variables
- Bar trends can still be obscured by neighboring bar variance

## Stacked Bar Charts v. Stacked Line Graphs





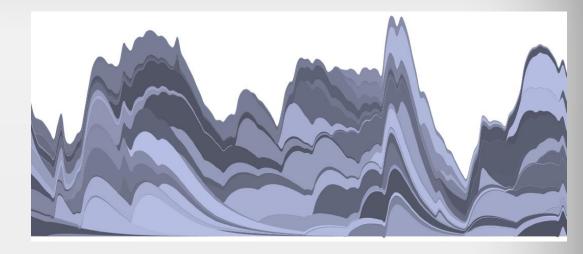
- Appropriate for continuous data over a continuous independent variable
- Can smooth regions using curves instead of line segments

## Stacked Graph Layout

• Let  $g_i$  be the position of the top of the i'th stacked bar

$$g_i = g_0 + f_1 + f_2 + \dots + f_i$$

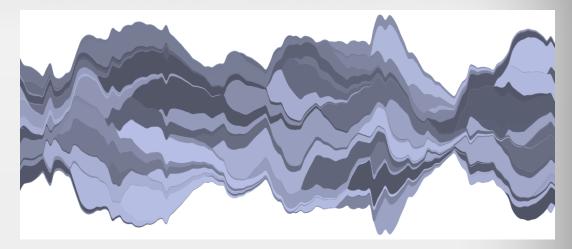
• Setting  $g_0 = 0$  results in an ordinary bar chart that distorts data when stacked on varying data underneath



## ThemeRiver Layout

• Let  $g_i$  be the position of the top of the i'th stacked bar  $g_i = g_0 + f_1 + f_2 + ... + f_i$ 

$$g_0 = -\frac{1}{2} (f_1 + f_2 + \dots + f_n)$$



- Minimizes the girth of the chart  $(g_0^2 + g_n^2)$  and the top and bottom slopes  $(g_0^2 + g_n^2)$
- Havre, S., Hetzler, B., Nowell, L. ThemeRiver: Visualizing Theme Changes over Time. Proceedings of the IEEE Symposium on Information Visualization, 2000

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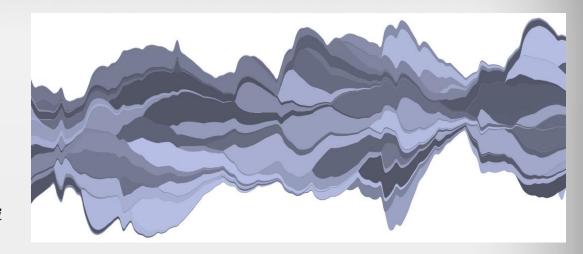
## Streamgraph Layout

• Let  $g_i$  be the position of the top of the i'th stacked bar

$$g_i = g_0 + f_1 + f_2 + \dots + f_i$$

Streamgraph sets the base at

$$g_0 = -\frac{1}{n+1} \sum_{i=1}^{n} (n-i+1) f_i$$



(actually uses a weighted version, but harder to evaluate)

- Minimizes the "deviation" ( $\sum g_i^2$ ) and the "wiggle" ( $\sum g_i^2$ )
- Byron, Lee, and Martin Wattenberg. "Stacked Graphs Geometry & Aesthetics."
  IEEE Trans. On Visualization and Computer Graphics 14(6), 2008, pp. 1245-1252.

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## Streamgraph Ordering

- Compute total weight  $w_i$  of each series i (sum of values of each datapoint)
- If  $(w_1 + ... + w_{n/2}) > (w_{n/2+1} + ... + w_n)$ , then add next series to bottom, otherwise add next series to the top
- By adding new series at bottom  $(f_1)$  or top  $(f_n)$ , new data is introduced near high-contrast silhouette where it is better noticed, and fades toward middle

