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Reinforcement Learning in Python

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Roadmap

- Concepts
- Using Data
- Python Implementation
- Sample Application

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Concepts

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Reinforcement Learning

Reinforcement learning is a type of machine learning in which software agents are trained to take actions in a given

environment to maximize a cumulative reward.

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Markov Decision Process - Components

A Markov Decision process is a mathematical formalism that we will use to implement reinforcement learning. The relevant components of this formalism are the **state space**, **action space**, **transition probabilities**, and **rewards**.

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State Space

The exhaustive set of possible states that a process can be in. Generally known a priori.

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Action Space

The exhaustive set of possible actions that can be taken (to influence the likelihood of transition between states). Generally known a priori.

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Transition Probabilities

The probabilities of transitioning between the various states given actions taken (specifically, a tensor, P , such that P_{ijk} = probability of going from state i to state k given action j). Generally not known a priori.

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Rewards

The rewards associated with occupying each state. Generally not known a priori.

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Markov Decision Process - Objectives

We are interested in understanding these elements in order to develop a **policy**; the set of actions we will take in each state.

Our goal is to determine a policy which produces the greatest possible cumulative rewards.

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Using Data

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Objectives

Our goal is to learn the transition probabilities and the rewards (and build a policy based on these rewards). We will estimate these values using observed data.

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Estimating Rewards

$R(s) = (\text{total reward we got in state } s) / (\text{\#times we visited state } s)$

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Estimating Transition Probability

$P(s, a, s') = (\text{\#times we took action } a \text{ in state } s \text{ and we went to } s') / (\text{\#times we took action } a \text{ in state } s)$

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Value Iteration

Value Iteration is an algorithm by which we can use the estimated rewards and transition probabilities to determine an optimal policy.

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Value Iteration - algorithm

1. For each state s , initialize $V(s) = 0$
2. Repeat until convergence:

For each state, update $V(s) = R(s) + \max_{a \in A} \sum_{s' \in S} (P(s, a, s') * V(s'))$

3. Policy in state s is the $a \in A$ which maximizes $V(s)$

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Python Implementation

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Following Along

If you want to look at the code examples on your own, you can find all code for this presentation at <https://github.com/NathanEpstein/pydata-reinforce>

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Reward Parser

```
import numpy as np

class RewardParser:
    def __init__(self, observations, dimensions):
        self.observations = observations
        self.state_count = dimensions['state_count']

    def rewards(self):
        total_state_rewards = np.zeros(self.state_count)
        total_state_visits = np.zeros(self.state_count)

        for observation in self.observations:
            visits = float(len(observation['state_transitions']))
            reward_per_visit = observation['reward'] / visits

            for state_transition in observation['state_transitions']:
                state = state_transition['state']
                total_state_rewards[state] += reward_per_visit
                total_state_visits[state] += 1

        average_state_rewards = total_state_rewards / total_state_visits
        average_state_rewards = np.nan_to_num(average_state_rewards)

        return average_state_rewards
```

--

Transition Parser (part 1)

```
import numpy as np

class TransitionParser:
    def __init__(self, observations, dimensions):
        self.observations = observations
        self.state_count = dimensions['state_count']
        self.action_count = dimensions['action_count']
```

```
def transition_probabilities(self):
    transition_count = self._count_transitions()
    return self._parse_probabilities(transition_count)
```

--

Transition Parser (part 2)

```
def _count_transitions(self):
    transition_count = np.zeros((self.state_count, self.action_count, self.state_count))

    for observation in self.observations:
        for state_transition in observation['state_transitions']:
            state = state_transition['state']
            action = state_transition['action']
            state_ = state_transition['state_']

            transition_count[state][action][state_] += 1

    return transition_count

def _parse_probabilities(self, transition_count):
    P = np.zeros((self.state_count, self.action_count, self.state_count))

    for state in range(0, self.state_count):
        for action in range(0, self.action_count):

            total_transitions = float(sum(transition_count[state][action]))

            if (total_transitions > 0):
                P[state][action] = transition_count[state][action] / total_transitions
            else:
                P[state][action] = 1.0 / self.state_count

    return P
```

--

Policy Parser

```
import numpy as np

class PolicyParser:
    def __init__(self, dimensions):
        self.state_count = dimensions['state_count']
        self.action_count = dimensions['action_count']

    def policy(self, P, rewards):
        best_policy = np.zeros(self.state_count)
        state_values = np.zeros(self.state_count)

        GAMMA, ITERATIONS = 0.9, 50
        for i in range(ITERATIONS):
            for state in range(0, self.state_count):
                state_value = -float('Inf')
                for action in range(0, self.action_count):
                    action_value = 0
                    for state_ in range(0, self.state_count):
                        action_value += (P[state][action][state_] * state_values[state_] * GAMMA)
                    if (action_value >= state_value):
                        state_value = action_value
                        best_policy[state] = action
                state_values[state] = rewards[state] + state_value
        return best_policy
```

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Putting It Together (Markov Agent)

```
from rewards import RewardParser
```

```
from transitions import TransitionParser
from policy import PolicyParser

class MarkovAgent:
    def __init__(self, observations, dimensions):
        # create reward, transition, and policy parsers
        self.reward_parser = RewardParser(observations, dimensions)
        self.transition_parser = TransitionParser(observations, dimensions)
        self.policy_parser = PolicyParser(dimensions)

    def learn(self):
        R = self.reward_parser.rewards()
        P = self.transition_parser.transition_probabilities()

        self.policy = self.policy_parser.policy(P, R)

--
```

Sample Application

```
##"I believe the robots are our future, teach them well and let them lead the way."

--
```

Climbing

- 5 states: bottom, low, middle, high, top.
- No leaving bottom and top.
- We get a reward at the top, nothing at the bottom.

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Data - observations

```
observations = [
    { 'state_transitions': [
        { 'state': 'low', 'action': 'climb', 'state_': 'mid' },
        { 'state': 'mid', 'action': 'climb', 'state_': 'high' },
        { 'state': 'high', 'action': 'sink', 'state_': 'mid' },
        { 'state': 'mid', 'action': 'sink', 'state_': 'low' },
        { 'state': 'low', 'action': 'sink', 'state_': 'bottom' }
    ],
      'reward': 0
    },
    { 'state_transitions': [
        { 'state': 'low', 'action': 'climb', 'state_': 'mid' },
        { 'state': 'mid', 'action': 'climb', 'state_': 'high' },
        { 'state': 'high', 'action': 'climb', 'state_': 'top' },
    ],
      'reward': 0
    }
]

--
```

Data - trap states

```
trap_states = [
    {
        'state_transitions': [
            { 'state': 'bottom', 'action': 'sink', 'state_': 'bottom' },
            { 'state': 'bottom', 'action': 'climb', 'state_': 'bottom' }
        ],
        'reward': 0
    },
    {
        'state_transitions': [
            { 'state': 'top', 'action': 'sink', 'state_': 'top' },

```

```
        { 'state': 'top', 'action': 'climb', 'state_': 'top' },
    ],
    'reward': 1
},
]
```

--

Training

```
from learn import MarkovAgent
mark = MarkovAgent(observations + trap_states)
mark.learn()

print(mark.policy)
# {'high': 'climb', 'top': 'sink', 'bottom': 'sink', 'low': 'climb', 'mid': 'climb'}
# NOTE: policy in top and bottom states is chosen randomly (doesn't affect state)
```

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Search

- Given an array of sorted numbers, find a target value as quickly as possible.
- Our random numbers will be distributed exponentially. Can we use this information to do better than binary search?

--

Approach

- Create many example searches (random, linear, and binary).
- Reward for each search should be -1 * #steps to find target.
- Append these with trap states with positive rewards.

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"Feature Selection"

Our model can only learn what we show it (i.e. what's encoded in state). Our state will include:

- current location
- whether current location is above or below the target
- known index range
- whether our target is above or below the distribution mean

Example state: "120:50:True"

--

Training

```
from learn import MarkovAgent
from search import *
import numpy as np

simulator = SearchSimulation()
observations = simulator.observations(50000, 15)
mark = MarkovAgent(observations)
mark.learn()

class AISearch(Search):
    def update_location(self):
        self.location = mark.policy[self.state()]
```

--

Comparison

```
binary_results = []
linear_results = []
random_results = []
ai_results = []

for i in range(10000):
    # create array and target value
    array = simulator._random_sorted_array(15)
    target = random.choice(array)

    # generate observation for search of each type
    binary = simulator.observation(BinarySearch(array, target))
    linear = simulator.observation(LinearSearch(array, target))
    rando = simulator.observation(RandomSearch(array, target))
    ai = simulator.observation(AISearch(array, target))

    # append result
    binary_results.append(len(binary['state_transitions']))
    linear_results.append(len(linear['state_transitions']))
    random_results.append(len(rando['state_transitions']))
    ai_results.append(len(ai['state_transitions']))

# display average results
print "Average binary search length: {0}".format(np.mean(binary_results)) # 3.6469
print "Average linear search length: {0}".format(np.mean(linear_results)) # 5.5242
print "Average random search length: {0}".format(np.mean(random_results)) # 14.2132
print "Average AI search length: {0}".format(np.mean(ai_results)) # 3.1095

--
```

Results

