```
//Matthew McMillian
// \equiv \neg \land \lor \rightarrow
12. a.----
(\neg p \land (p \lor q)) \rightarrow q
(\neg p \ \Lambda \ (p \ V \ q)) \equiv (\neg p \ \Lambda \ p) \ V \ (\neg p \ \Lambda \ q) \ (DeMorgan's Law)
                 \equiv F V (\negp \Lambda q) (Identity)
                 \equiv (\neg p \land q) (Domination)
                 ≡ q (Simplification)
(\neg p \land (p \lor q)) \rightarrow q \equiv ((\neg p \land p) \lor (\neg p \land q)) \rightarrow q (DeMorgan's Law)
                   \equiv (F V (\negp \land q)) \rightarrow q (Simplification)
                   \equiv (\neg p \land q) \rightarrow q (Domination)
                   \equiv q \rightarrow q
                   = T
(\neg p \land (p \rightarrow q)) \rightarrow \neg q
(\neg p \ \Lambda \ (p \rightarrow q)) \equiv (\neg p \ \Lambda \ (p \rightarrow q))
ANSWER:: Contingency
34. -----
_____
//p = Logic is Difficult
//q = Not many students like logic
//r = Mathimatics is easy
//1. p V q
//2. r \rightarrow q
a. \neg q \rightarrow \neg r
       -Assume q is true; (p V q = T) & (r \rightarrow q = T)
       -Assume r is false; (\neg q \rightarrow \neg r = F)
b. \neg r \rightarrow q
       -Assume p is true
       -Assume q is false; (p V q = T) & (r \rightarrow q = T)
       -Assume r is false; (\neg r \rightarrow q = F)
c. ¬r V p
       -Assume p is true; (p V q = T), (\neg r \ V \ p = T)
d. ¬p V ¬q
       -Assume q is true; (p \ V \ q = T)
       -Assume p is false; (\neg p \ V \ \neg q = F)
e. q \rightarrow (\neg q \ V \ \neg p)
       -Assume q is true; (p V q = T) & (r \rightarrow q = T)
       -Assume p is true; (q \rightarrow (\neg q \lor \neg p) = F)
```