# Estimating Population Trends with Stratified Random

# <sup>2</sup> Sampling Under the Pressures of Climate Change

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- 9 [[Chris comments in double square brackets, search for them to see comments]]

- 10 Abstract
- 11 An Abstract
- 12 Keywords
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## 14 Introduction

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much of below is from https://apps-nefsc.fisheries.noaa.gov/nefsc/ecosystem-ecology/
or https://www.fisheries.noaa.gov/data-tools/fisheries-economics-united-states-data-andvisualizations

• The eastern continental shelf is ecologically diverse and economically important

The Northeast United States continental shelf spans from the Outer Banks of North Carolina to the Gulf of Maine. The region covers over 250,000 km<sup>2</sup> of ocean, extending over 200 km from shore in the largest areas in New England to just 30 km off shore in the southern regions. This ecologically diverse region contains approximately 18,000 vertebrate marine species. Commercial fisheries have been an important part of local economies for centuries. In 2019, New England fisheries produced \$22 billion in sales, which sustained over 200,000 jobs. Maintaining a healthy ecosystem is therefore vital to sustained ecological health and economic prosperity of the region.

• Bottom trawl survey is important for monitoring population trends

Fish stocks in this highly productive and economically important region are managed by the
National Oceanic and Atmospheric Administration's (NOAA) Northeast Fisheries Science
Center (NEFSC) in Woods Hole, Massachusetts. Federal scientists assess the health and
abundance of each commercial fish stock using fishery-independent bottom trawl survey
data that has been collected by NOAA throughout the region since 1963 (Azarovitz 1981;
Politis et al. 2014). The survey uses a stratified random design where bottom trawl sampling
takes place in predefined strata along the eastern continental shelf. The survey has created
a rich time series data set with many uses including species-specific habitat identification,
analysis of how environmental conditions influence species abundance, and estimating yearly
species abundance trends to help inform stock assessments and ultimately quota limits. The

- 38 survey takes place twice each year- once in the spring and again in the fall. Since most
- 39 spatial analyses and projections of future distributions typically assume a constant survey
- 40 catchability and/or availability over time, NOAA's survey design includes sampling Georges
- Bank during approximately the same 3-4 week time period in each season.

### • Climate change is happening

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Due to a combination of climate change and shifts in circulation, the Northeast United States continental shelf has experienced rapid warming in recent decades, resulting in a shift in spatial distributions of many species. Since stock assessment models rely on accurate descriptions of population dynamics and contemporary patterns of spatial abundance, there is concern that rapid undocumented changes in spatial distributions of species will bias future stock assessments. More specifically, as fish populations shift their distributions over time, catchability and/or availability in the survey will change, altering the relationship between the index and the true population. We are therefore interested in analyzing the impact of climate change on the accuracy of future stock assessment models as measured by NOAA's ongoing bottom-trawl survey along the East coast.

### use more info from initial proposal

#### • Briefly describe our study to test this

To test the ability of the bottom trawl survey to track population trends under shifting environmental conditions, we construct spatial models for fish where movement depend on temperature preferences. We consider the impact of climate change by comparing simulations that use a repeating temperature pattern to those where temperature increases on average over time. In both cases we analyze the ability of stratified random sampling to track population trends.

## $_{\scriptscriptstyle{61}}$ Methods

• Describe simulation study

We construct spatial models for Yellowtail Flounder, Atlantic Cod, and Haddock on Georges
Bank, where movement of each species combine static species-specific habitat preferences
with temperature preferences. Model dynamics are driven by a time series of temperature
gradients that were estimated from data to create simulated data sets for each population
where the true biomass is known. Using temperature gradients that repeat each year creates
data sets with predictable, repeating spatial patterns, whereas using a temperature gradient
that increases on average throughout the simulation leads to spatial distributions that shift
over time. We conduct stratified random sampling on our simulation output to mimic the
bottom trawl survey and use the samples to compare the ability of contemporary indexing
methods to track population trends.

## 73 Population Model Formulation

– Used MixFishSim.

We use the R package MixFishSim (MFS) to model our populations (Dolder et al. 2020).

MFS is a discrete spatiotemporal simulation tool where users can model multiple species

<sup>77</sup> under varying environmental conditions. The package uses a delay-difference population

model with discrete processes for growth, death, and recruitment of the population. We

formulate the following inputs for the MFS package to address our research question.

80 Study Area

<sup>81</sup> We obtained a shapefile for the 15 strata that comprise Georges Bank, where strata were

partitioned based primarily on depth and secondarily by latitude (Politis et al. 2014). The

region was discritized into a raster with 88 rows and 144 columns to use as our modeling

environment. A fish stock is considered to be a subpopulation of a species that has similar

- intrinsic parameters. Each of the species being modeled has multiple distinct stocks along
- the Atlantic coast resulting from local environmental conditions. Biological differences be-
- tween species results in each stock inhabiting a different number of strata on Georges Bank.
- 88 Haddock inhabit all 15 strata in the domain, Cod inhabit 13 strata, and Yellowtail exist in
- 9 strata. Figure 1 shows the regions used in our models.

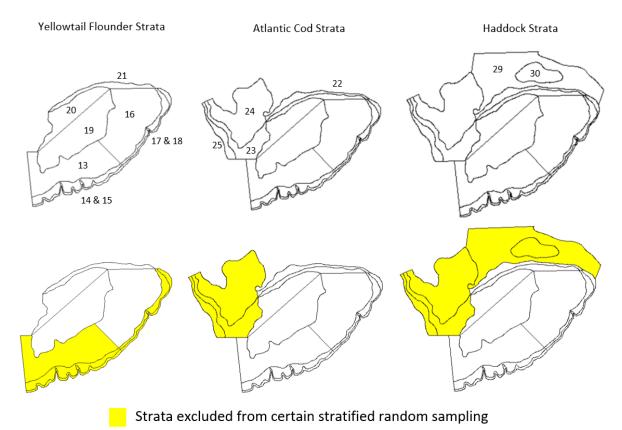


Figure 1: Strata inhabited by each species in our population models.

### Population Dynamics and Recruitment

The time step for our models is one week. MFS uses a modified two-stage Deriso-Schnute delay difference equation that models the biomass in each cell in our study area (Dolder et al. 2020). Individual terms in the formulation account for growth of mature adults, natural and fishing mortality, and the addition of new recruits. We chose to represent recruitment in the model using a Beverton-Holt formulation cite. Recruitment is a function of the adult biomass that existed in the previous year and is added to the population incrementally

throughout each species' predefined spawning period. Parameter inputs were either obtained from the literature or chosen to produce desired model dynamics. A full list of parameters used in our model can be seen below in Tables ?? and 4.

100 Movement

The package was designed to generate theoretical habitat preferences using Gaussian Random Fields that combine with hypothetical temperature gradients to drive the probability of movement from cell I to cell J using the formulation

$$Pr(C_{wk+1} = J | C_{wk} = I) = \frac{e^{-\lambda \cdot d_{I,J}} \cdot (Hab_{J,s}^2 \cdot Tol_{J,s,wk})}{\sum_{c=1}^{C} e^{-\lambda \cdot d} \cdot (Hab_{c,s}^2 \cdot Tol_{c,s,wk})}, \tag{1}$$

104 where

 $e^{-\lambda \cdot d_{I,J}}$  accounts for distance between cells I and J,

 $Hab_{J,s}^2$  is the static habitat value for species s in cell J, and

 $Tol_{c,s,wk}$  is the value from normally distributed temperature tolerance for species s in cell c in week wk.

The following sections describe how we formulated the habitat and temperature components to model real species on the northeast continental shelf.

111 Habitat Input

Species-specific habitat preferences were derived using the *lrren* tool from the R package *envi*(Buller 2022) to create a niche model for each species. The *lrren* tool estimates an ecological
niche using the relative risk function by relating presence/absence data to two covariate
predictors. We used bottom trawl point data in from 2009-2021 as our presence/absence
input by using a value of 0 for any tow that failed to catch the given species and weighting
a successful catch by the biomass of the given tow [I don't think we need to cite the trawl

data because we said we were using trawl data above]] BL: Does trawl data ever get cited? It was not cited above. cite trawl data?. We combined data from both the 119 fall and spring surveys to obscure the influence of temperature so that the niche model 120 would instead infer habitat preferences. Depth and mean sediment size were used as our 121 covariate predictors. Estimated depth for the region was obtained from FVCOM (Chen et 122 al. 2006). The mean sediment size raster was interpolated in ArcMap using the natural 123 neighbor interpolation method **cite arcmap** using point data collected by the United States 124 Geologic Survey (USGS) (McMullen et al. n.d.). Since the values in  $Hab_{J,s}^2$  are required 125 to be between 0 and 1, we transform the spatial estimates from *lrren* to fall between these 126 bounds. See Figure 2 for a visual representation of this process being applied to Cod. Figure 127 3 depicts habitat preferences  $Hab_{J,s}^2$  for each species. 128

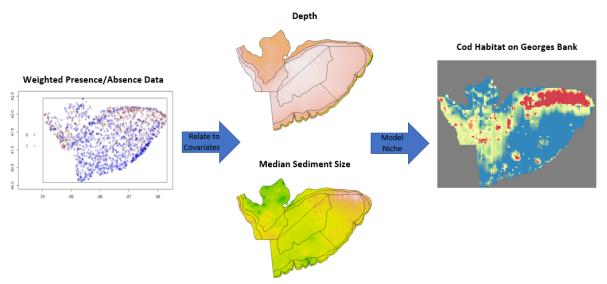


Figure 2: Visual representation of niche model for Cod.

#### 129 Temperature Input

Each species is assumed to have normally distributed temperature preferences  $(N(\mu, \sigma))$ .

We assume Yellowtail Flounder's preferences are N(8.75, 4.25), while Haddock and Cod

have preferences N(9,4). We chose these values by combining information in the literature

with temperatures recorded in the bottom trawl survey. Weekly estimated temperature data

for the region for 2012 was obtained from FVCOM (Chen et al. 2006). We chose to repeat

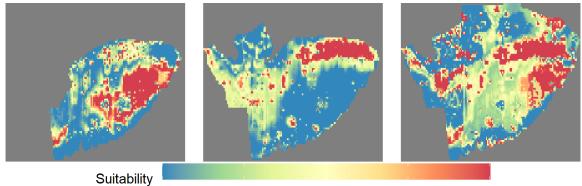


Figure 3: Static habitat preferences for each species in our population models (Yellotwtail, Cod, Haddock).

estimates for a single year rather than use data for consecutive years to reduce the number of factors impacting model dynamics while still incorporating real data. The 2012 data 136 was chosen because it displayed an average temperature pattern that consistently oscillated 137 between maximum and minimum temperature values, allowing for a smooth repeating yearly 138 temperature pattern for the constant temperature scenario. The 2012 temperature data was 139 also transformed to create an oscillating pattern that increases 5 degrees Celsius on average 140 over the duration of the simulation. We chose a 5 degree increase over a 20 year simulation to 141 allow temperature change to have a meaningful impact on dynamics while remaining within 142 reasonable computational limits in terms of the length of the simulation. Figure 4 depicts 143 mean trends for the temperature scenarios used in our models. dont forget to include gif 144 in final submission 145

46 —Describe difference between increasing and constant temperature scenarios (images?)

In equation (1),  $Hab_{J,s}^2$  is constant for the duration of the simulation, while  $Tol_{c,s,wk}$  changes each week. Using a temperature gradient that repeats every 52 weeks produces the same spatial preferences in a given week each year, resulting in consistent spatial biomass patterns. Scenarios where the temperature increases over time creates spatial preferences that evolve as the water warms, producing spatial biomass patterns that shift in a given week over the duration of the simulation. Thus, stratified random samples in scenarios with a repeating temperature pattern will have constant survey catchability and availability over time, which

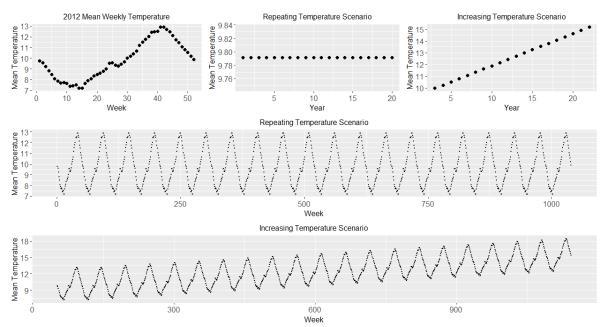


Figure 4: Mean trends of temperature data used in our model.

may not be true for increasing temperature scenarios due to evolving spatial preferences.

- Describe each scenario that is considered

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We consider 20 year simulations under three population parameter scenarios for each of our three species- a scenario where parameters result in each population increasing over time, one where the populations are relatively constant over time, and a scenario where the parameter combination results in each population decreasing over time. Each of these three scenarios is paired with a temperature gradient that repeats as well as one that increasing roughly 5 degrees Celsius over the duration of the 20 year simulation. We therefore simulate 6 scenarios for each population.

Simulating Bottom Trawl Survey and Population Indexing

-Describe post hoc sampling process and how data is used

After each simulation is complete, we mimic the bottom trawl survey by conducting stratified random sampling in each inhabited strata twice each year. We sample each strata in the same weeks in which the Spring and Fall surveys take place, and the number of the samples taken reflect true target values for each strata. Most strata contain enough cells that we were able to generate a list of sampling locations without replacement, allowing us to sample a unique random cell in each survey over the duration of the simulation. For strata that contain small numbers of cells, we generate a random sampling locations with replacement of cells previously sampled. We then use the biomass collected from our samples in contemporary population indexing methods to estimate population trends. Knowing the true population values in our simulations allows us to compare the error calculated from each estimation method.

-Stratified mean vs VAST with and without covariates

Stock assessment scientists use samples from the bottom trawl survey to estimate the abundance for each fish stock. There are a number of approaches to obtain abundance estimates including traditional design-based estimates to model-based estimates that range in complexity. Design-based estimators rely on the design of the sampling scheme with the underlying 180 assumption that the data being collected is representative of the population of interest. 181 These methods do not account for spatial variation in samples or allow the inclusion of en-182 vironmental influences. Model-based abundance estimates use statistical models to measure 183 the relationship between response variables (such as presence or abundance) and predictor 184 variables (such as environmental factors). Model-based estimators, such as General Lin-185 ear Models (GLM), General Additive Model (GAM), and General Linear Mixed Models 186 (GLMM), help account for complex relationships between variables and can help overcome 187 problems with sampling design. 188

We compare yearly abundance estimates obtained from the stratified mean to estimates obtained from the Vector-Autoregressive Spatio-temporal (VAST) model. The stratified mean is a design-based approach that calculates the geometric mean catch per tow and has traditionally been used with stratified random sample designs. VAST is a spatial deltageneralized linear mixed model that estimates both abundance (biomass) and probability of occurrence (presence/absence) (Thorson 2019). If desired, VAST also allows users to include

covariate data to better inform the model. Covariates can be static (eg. habitat preferences)
or dynamics (eg. temperature). We explore whether including environmental predictors can
help inform models and provide better abundance estimates, which is particularly relevant as
climate change progresses. The stratified mean calculations are straightforward and quick,
while VAST models require numerous user inputs and can take on the order of hours to
complete.

We follow the advice given in (Thorson 2019) to build VAST models to estimate biomass 201 on Georges Bank using stratified random samples from our model output. In addition 202 to exploring different link functions and assumed distributions, our VAST model-building 203 process involved testing the impact of including spatial and/or spatio-temporal variation in 204 our models, considering varying number of knots in our mesh, and testing different forms of 205 temporal correlation. We also carried out the same process running models without covariate information as well as including covariates in our model. We considered covariates in the form of dynamic temperature values and/or static habitat values  $(Hab_{J,s})$  from our population 208 model. When using covariates we ultimately decided to provide the most information to the model by including both temperature and habitat covariates for both linear predictors. 210 Knowing the true population values in our models allowed us to calculate the absolute error 211 of each VAST estimate to compare between potential settings. Through this process, and 212 in consultation with the VAST package creator, we ultimately compared the performance of 213 two sets of settings in our VAST models, which can be seen in Table??. 214

Our goal is to determine indexing approaches and settings that are robust to future environmental conditions and resulting spatial biomass patterns. An underlying assumption in all
indexing methods is that individual random samples combine to accurately represent true
abundance by a) containing a low enough noise level in the samples to allow for a discernible
pattern and b) sampling all strata in which the population exists. These assumptions can be
questioned given enough noise in the sampling process cite? and/or climate change causing
a population to move into previously uninhabited strata. To simulate the impact of noise,

Table 1: Each index estimate chooses one condition from each of the following 7 columns. There are 3\*3\*2\*2\*2\*2\*2 = 288 VAST model combinations and 3\*3\*2\*2\*2\*2\*2 = 144 stratified mean estimates.

Species	Population Trend	Temperature Scenario	Strata Included	Noise Added	Season	Covariates (VAST)
Yellowtail Cod Haddock	Increasing Constant Decreasing	Repeating Increasing 5°C	All strata Subset	No Yes	Spring Fall	No Yes

we compare indexing estimates after adding noise to our samples versus those using the true 222 sampling values. BL: Help with correct notation for adding noise. We simulate the 223 effect of populations moving into new habitat by comparing indexing estimates using sam-224 ples from all strata inhabited by each species on Georges Bank to those that only include 225 a subset of the full spatial domain for each species. We chose strata to exclude for each 226 species by reviewing how spatial preferences evolved in our increasing temperature scenarios 227 and removing strata that each species either shifted into, or away from. Tabl XXX [[needs 228 to be added]] lists all strata inhabited by each species, those that are removed from certain 229 calculations, and the explanation of why these strata were removed. 230

When combining population trends for each species, differing temperature scenarios, altering
seasons, and sampling possibilities (noise, strata, covariates) there are a large number of
scenario combinations to consider. The columns in Table 1 show the choices that define each
scenario.

## Results

The goal of our project was to analyze the ability of contemporary population indexing methods to track population trends under a variety of conditions, as depicted in Table 1. Historically, Atlantic Cod has seen significant decline over the last XXX years while Haddock has increased in abundance in recent year [[can cite the 2022 management track assessments, see https://apps-nefsc.fisheries.noaa.gov/saw/sari.php for when the document becomes available] cite. For this reason we compare indexing estimates using stratified

random samples from decreasing population scenarios for Cod and increasing population scenarios for Haddock. To provide a comprehensive analysis of population indexing methods we consider all possible scenario combinations for Yellowtail Flounder. The specific population trends used in our analyses can be see in Figure 5.

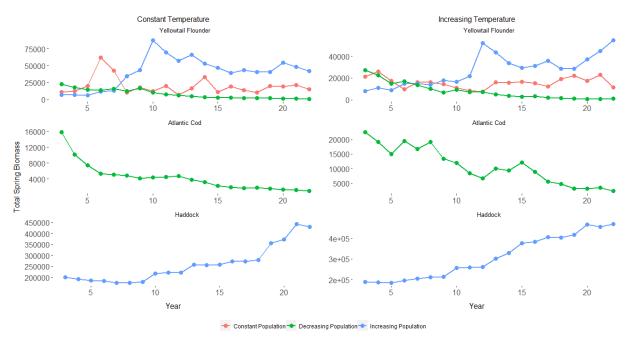


Figure 5: True population trends used in indexing analyses. Spring biomass plots are shown with fall values being very similar.

Tables 6, 7, 8, and 9 contain the results of our comparison between the absolute error of 246 abundance estimates and model output. General themes are that VAST estimates provide 247 lower errors relative to those derived from the stratified mean, with VAST models that 248 include covariate information providing the lowest overall errors. We also see individual 249 cases where the stratified mean produced the lowest absolute error and instances where 250 including covariates in VAST models actually increase the absolute error. When we reduce 251 the number of strata that are included in indexing calculations to simulation species shifting 252 into new territory, we typically see an increase in absolute error (as expected), though there 253 are some scenarios where the impact is minimal. 254

(see Table 8) In the Cod results, when using reduced strata adding covariates produces worst VAST results (though still better than stratified mean). VAST without covariates

much worse than stratified mean in fall with increasing temperature and all strata, but adding covariates corrects this.

(see Table 9) For Haddock, VAST has a particularly hard time in spring regularly producing larger errors than the stratified mean with added covariates only improving to the level of the stratified mean. VAST shows improved results in fall relative to the stratified mean with added covariates producing extremely low errors in some cases.

In considering the Yellowtail Flounder results in Tables 6 and 7, we can see VAST estimates
generally provide lower errors relative to those derived from the stratified mean, with models
that include covariate information typically providing the lowest errors. However, there are
several instances in which VAST failed to provide improved abundance estimates during
the fall season without covariate information, producing the largest errors seen in the Table.
These errors are corrected by including covariate information allowing for an improved VAST
estimate that are significantly lower than their stratified mean counterparts.

Notes on differences between VAST settings: For YTF,  $29/96 \sim 30\%$  of VAST runs with 270 new settings were better (70% were worse).  $80/96 \sim 83\%$  of scenarios had a VAST run with 271 a better error than the stratified mean. 15/16 of the times the stratified mean was better 272 VAST was not using covariates. The 1 time that VAST was using covariates and was still 273 worse than the stratified mean was IncPop\_IncTemp\_Allstrata\_WCov\_WNoise in the Fall 274 (VAST had strong overestimate in the fall during IncPOP\_IncTemP\_allstrata for Had and 275 YT). The overestimate in the fall only seems to be related to the way the population shifts 276 between season. Looking at the percent shift plots, the population is shifting out of strata 16 in both seasons (large east strata). In the spring the population is shifting mostly into 278 strata 17 (thin strata adjacent to 16), but in the fall they are shifting into both 17 and 18 (18 thin one adjacent to 17). Thus it seems like with much of the population concentrated in 280 the really small outer most strata, VAST produces an underestimate, even with covariates 281 For Haddock (IncPop),  $18/32 \sim 57\%$  of VAST runs better with new settings. 24/32 = 75% of scenarios had a VAST run with a better error than the stratified mean. 14/16 VAST were better with covariates (the two that were worse were essentially the same) while only 10/16 were better without covariates. Stratified mean tended to perform better when all strata were included in the calculation, while VAST tended to perform better when strata are removed.

For Cod (DecPop), only 11/32 ~ 34% of VAST runs were better with new settings. 28/32~ 88% of scenarios had a VAST run with a better estimate than the stratified mean. All 16/16 = 100% of VAST runs with a covariate were better than the stratified mean. 12/16 VAST were better without covariates. The 4 runs without covariates that were worse were all extremely large errors and all from increasing temp in the fall (with and without all strata and noise). In the fall the population is moving out of strata 16 (large eastern strata) and 21 (north large) and into a number of strata (22 (tiny north), 24 (large north), 18 (tiny north)). Might be having trouble tracking in to smaller strata again.

[[We'll want to expand the results section to focus on the impact of each factor one at at time within each species. This will be a bit dull, but it is important to walk through the results in words to ensure that readers get the message. They can of course examine the tables in detail and draw their own conclusions, but we should put our interpretation down on paper.]]

Figure 6 depicts the spatial shifting that occurs in each strata within our population models, specifically during the bottom trawl survey weeks in the spring (13 and 14) and fall (37 and 28). See Figure 1 for a spatial reference of the Georges Bank strata and Figure 3 for the static habitat preferences for each species  $(Hab_{J,s}^2)$  used in our population models.

### 305 Yellowtail Flounder Results

The top two panels in Figure 6 depict the results for Yellowtail Flounder with a repeating temperature gradient on the left (constant temperature) and a temperature gradient that increases over time on the right (increasing temperature). In both temperature scenarios we

see the percent of Yellowtail Flounder in strata 13 decrease over the course of the time series in both seasons. The spring population in stratum 19 also decreases in both temperature 310 scenarios as well. The percent of the population increases in stratum 16 in the spring over 311 the duration of both time series, which implies the flow out of strata 13 and 19 in the 312 spring are going into stratum 16. These dynamics occur in both temperature scenarios in 313 weeks 13 and 14 because stratum 16 contains favorable habitat for Yellowtail Flounder that 314 coincides with most of the areas we have designated as the species' spawning ground, which 315 takes place in weeks 9-12. These spring dynamics are therefore related to the static habitat 316 values in our model rather than the dynamics temperature preferences. While we observe 317 similar dynamics in the fall (weeks 37 and 38) in the constant temperature scenario, an 318 increasing average temperature results in a decrease in population in stratum 16 over time 319 and corresponding increases in strata 17 and 18 (see Figure 6). These dynamics imply that 320 an increase in temperature results in the more shallow strata 16 becoming less desirable than 321 the deeper and more narrow exterior strata 17 and 18. One noticeable seasonal difference in 322 the constant temperature scenario for Yellowtail is how  $\sim 10\%$  of the population exists in the 323 narrow exterior strata 17 in the fall, while seemingly none of the population exists in any of 324 the exterior strata (14, 15, 17, 18) in the spring. 325

Tables 6 and 7 contain the absolute error between our abundance estimates for Yellowtail 326 Flounder comparing design-based approach (stratified mean) with two settings for a model-327 based approach (VAST A & B). Of all scenarios without covariates,  $33/48 \approx 68\%$  had a 328 VAST fit with a lower relative error compared to the stratified mean estimate. All 15 of the 320 covariate-free VAST estimates that resulted in a higher error than the stratified mean were for 330 the fall season and had a common theme of producing abundance estimates that are above the 331 true model value. These 15 fall estimates span all other scenario variations. The implication 332 of this is that our model-based approach without covariates struggles with the primary 333 seasonal difference for Yellowtail Flounder, which is that a larger percentage of the population 334 exists in the narrow exterior strata (18 and/or 17). This theory is further supported by the 335

fact that the absolute error in the increasing temperature scenarios increased dramatically in the fall season, when the combined percentage of the population in the outer strata 17 and 18 increased to over 40% by the end of the simulation.

Including detailed covariate information made a noticeable difference in our Yellowtail Flounder model-based VAST estimates. All of the VAST estimates that included covariate information produced a lower relative error than the corresponding VAST model that did not
include covariates. The largest improvements were seen in the increasing temperature scenarios. As a result, of the VAST estimates that included covariates information,  $47/48 \approx 98\%$ had a lower relative error than the corresponding stratified mean estimate. This implies that
the covariate information helped our model-based estimate account for the design-based issues related to small strata that contain a large percentage of the population, which can
become exacerbated in the increasing temperature scenario.

The performance of our abundance estimates tend to decrease under increasing temperature,
with the most dramatic changes seen in our VAST estimates without covariates. One exception to this is when we use a stratified mean approach while the population is decreasing.
Our analyses have found that the stratified mean tends to under estimate the true abundance and since these estimates are bounded below by zero, as the Yellowtail population
decreases towards zero the difference between the estimate and the true value also decrease.
That is, if the population is low enough, failing to appropriately sample the population in a
design-based method produces the same result as appropriately sampling.

For discussion: clearly our perfect covariate information made a big difference here, but the question is could we achieve similar results without "perfect" information? Which covariate is best? Good question for future research

359 Cod Results

We see a seasonal impact of an increasing average temperature in stratum 16 in the Cod results in Figure 6. In the constant temperature scenario for Cod, in both seasons the

population is decreasing its presence in strata 19 and 20 over the duration of the simulation,
while simultaneously increasing presence in stratum 16. However, an increase in average
temperature in the fall drives the population out of strata 16 and 21, and into 18, 22, and
[See Figure 3]. Similar to the Yellowtail Flounder population, stratum the habitat in
stratum 16 acts as an attractor in both temperature scenarios in the spring when the water
temperature is cooler. When the temperature increases over time the fall population begins
to prefer the adjacent strata that are deeper and/or more northern than stratum 16.

Of the abundance estimates without covariates, 12/16 = 75% had a VAST fit with a lower 369 relative error compared to the stratified mean estimate. Including detailed covariate infor-370 mation in our Cod VAST estimates resulted in all 16/16 = 100% having a lower relative 371 error than the corresponding stratified mean estimate. The 4 scenarios without covariates 372 that had a higher VAST error were each overestimates for the fall season that involved an 373 increasing temperature gradient. Similar to Yellowtail Flounder results, Cod are shifting their spatial distribution into the smaller exterior strata in these conditions, which is de-375 creasing the accuracy of the covariate-free VAST estimate. While adding covariates to these fits allowed for an improved error relative to the stratified mean, the VAST abundance still 377 display an overestimate early in the time series before covariates correct the trend, allowing 378 for a lower overall absolute error (show these plots? IncTemp fall scenarios). 379

### 380 Haddock Results

Figure 6 reveals some subtle seasonal differences in the percent of haddock in each strata.

In the constant temperature scenarios, the spring shows a decrease in strata 19 and 20 that

correspond to increases in 16, 24 and 29. This change represents a northward movement

between larger centrally located strata. While strata 24 and 29 also increase in the fall

under constant temperature, the corresponding decrease is primarily from strata 16 and 13.

While similar results can be seen in the spring for the increasing temperature scenario, much

more dramatic results exist in the fall under increasing temperature as we see a significant

decreases in strata 13, 16, 21, and 22 that leads to the most noticeable increases in strata 17,
18, and 29. This shift represents movement from the shallower and more centrally located
strata towards exterior deeper strata. Since stratum 16 contains very favorable habitat
including much of the species' spawning ground, the strong shift out of 16 and into the
northern most strata of 29 in the fall demonstrates a climate-driven change in movement
preference.

 $10/16 \approx 63\%$  of the scenarios without covariates had a VAST fit with a lower relative error 394 compared to the stratified mean estimate. The 6 covariate-free VAST estimates that resulted 395 in a higher error than the stratified mean spanned all scenarios and seasons, with several 396 fall errors being especially large (significant overestimates). Adding covariate information 397 resulted in  $14/16 \approx 88\%$  of VAST estimates having improved error compared to the stratified 398 mean. The 2 scenarios that procedure worse error spanned temperature scenarios, but were 390 both in the spring season when the proportion of the population in each strata remained 400 constant in each scenario.why?? doesn't make sense. the values with cov are about 401 the same as SM Qualitatively, including covariate information has a larger impact on 402 decreasing the relative error compared to the stratified mean compared to failing to include 403 covariates.

A more careful visual analysis of all error plots for each species reveals that VAST estimates tend to provide error estimates that are too high, while the stratified mean estimates are, on average, too low. Additionally, model/estimate ratio plots for all VAST estimates remain much closer to the desired value of 1 compared to stratified mean estimates, which can range as high as 10 and exhibit large yearly changes.

# <sup>410</sup> Discussion

Estimation methods that have large, inaccurate swings (stratified mean) can lead to changes in quotas that do not correspond to the true population trend, which could have a com-

pounding effect (can lead to quotas that are too high/low given an incorrect assumption of increase/decrease in biomass). Our model has a constant assumed mortality that accounts 414 for fishing and natural death and will not account for impacts of these decisions. VAST may 415 provide more consistent biomass predictions(?) 416 some things that I think we'll need to address, in addition to those mentioned above are 417 (in no particular order): number of simulations done for each scenario - time required to do 418 them and analyses pros and cons of using VAST with covariates in a changing environment 419 implications for current practice of using stratified mean (not horrible, but might be able 420 to do better with model-based using covariates if enviro changing, note we don't want to 421 say stratified mean should not be used because that will draw a lot of tomato throwing) 422 future work - some of the ideas we've discussed already could be mentioned limitations to 423 our study perhaps for discussion, but we should mention somewhere that MFS only tracks biomass not age structure, the latter is important for stock assessments but not considered in this paper]] 426

# 427 Acknowledgements

[[we should thank Jim (obviously), but also those who helped you with the habitat data (robyn, david Chev.) and others? also should note that funding provided by Climate-Groundfish source (I'll dig up the official name of the funding source)]

# Data and Code Availability

All data and code used in this work are available at https://github.com/Blevy2/READ-PDB-blevy2-MFS2.

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# Tables

Table 3: Parameters used in all population models.

Parameter	Description	Unit	Yellowtail	Cod	Haddock	Source
<u+03c1> M W1 W2 sigma</u+03c1>	Ford's growth coefficient Natural mortality Weight of fully recruited fish Weight of pre-recruit fish Variance in recruited fish	1/wk 1/wk kg kg kg*kg	4.48 0.2064 0.39 0.13 0.55	4.43 0.2728 2.95 0.39 0.55	4.49 0.334 1.12 0.19 0.55	
lambda spwn rec	Decay rate for movement Spawning weeks for species s Recruitment weeks for species s	- wks wks	0.7 9-12 9-12	0.7 8-13 8-13	0.7 11-14 11-14	

Table 1. Parameters used in all population models.

Parameter	Description	Unit	Yellowtail	Cod	Haddock	Source
ρ	Ford's growth coefficient	$\rm wk^{-1}$	4.48	4.43	4.49	
M	Natural Mortality	$\rm wk^{-1}$	0.2064	0.2728	0.3340	
$W_R$	Weight of fully recruited fish	kg	0.39	2.95	1.12	
$W_{R-1}$	Weight of pre-recruit fish	kg	0.13	0.39	0.19	
$\sigma^2$	Variance in recruited fish	$kg^2$	0.55	0.55	0.55	
$\lambda$	Decay rate for movement	-	0.7	0.7	0.7	
$Spwn_s$	Spawning weeks for species $s$	wk	9-12	8-13	11-14	
$Rec_s$	Recruitment weeks for species $s$	wk	9-12	8-13	11-14	

Table XX. Parameters used in all VAST models.

Parameter	Description	Settings A	Settings B
ObsModel	Link function and assumed	c(10,2)	c(10,2)
	distribution		
FieldConfig	Specified spatial and/or	c(Omega1=0,	c(Omega1=0,
	spatio-temporal variation in	Epsilon1=0,	Epsilon1=0,
	predictors	Omega2=1,	Omega2=1,
		Epsilon2=1)	Epsilon2=1)

Parameter	Description	Settings A	Settings B
RhoConfig	Specifying whether intercepts	c(Beta1=3, Beta2=,	c(Beta1=3,
	or spatio-temporal variation is	Epsilon1=0,	Beta2=3,
	structured among time intervals	Epsilon2=4)	Epsilon1=0,
			Epsilon2=4)
X1_formula	Right-sided formula affecting	$X1_{\text{formula}} = \sim$	N/A
	the 1st linear predictor	poly(Temp,	
		degree=2)	
X2_formula	Right-sided formula affecting	$X2$ _formula = ~	$X2$ _formula = $\sim$
	the 2nd linear predictor	poly(Temp,	poly(Temp,
		degree=2) +	degree=2) +
		poly(Habitat,	poly(Habitat,
		degree=2)	degree=2)

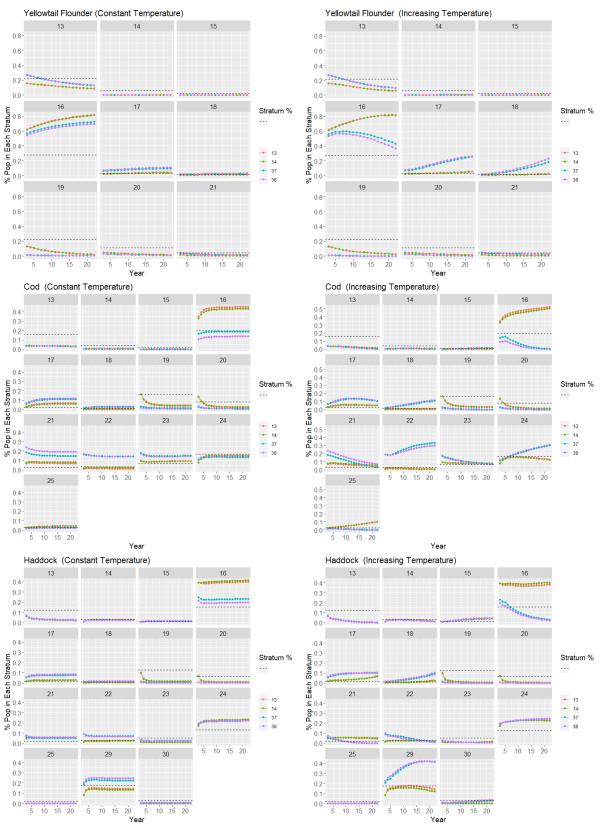


Figure 6: Percent of each species in each strata for during survey weeks in our spatial simulations. All constant temperature scenarios follow the patterns on the left while increasing temperature scenarios follow the patterns on the right.

Table 4: Parameters used in population models for each scenario.

Parameter	Description	Unit	Yellowtail	$\operatorname{Cod}$	Haddock
Constant Population					
M+F	Adjusted Mortality (Natural + Fishing)	1/wk	0.764	0.83	0.309
P0	Initial Biomass	kg	3190	21500	180000
a	Max recruitment rate	kg	30400	27900	73600
ß	Recruitment half saturation value	kg	4300	10500	40500
Decreasing Population					
M+F	Adjusted Mortality (Natural + Fishing)	1/wk	0.764	0.623	0.334
P0	Initial Biomass	kg	50000	21500	180000
a	Max recruitment rate	kg	1.07e + 12	3.89e + 08	4.97e + 08
В	Recruitment half saturation value	kg	$2.3e{+}12$	9.8e + 08	2.08e + 09
Increasing Population					
M+F	Adjusted Mortality (Natural + Fishing)	1/wk	0.564	0.372	0.134
P0	Initial Biomass	kg	3190	21500	180000
a	Max recruitment rate	kg	40000	45000	1e + 05
В	Recruitment half saturation value	kg	43000	62800	405000

Table 6: Yellowtail flounder error results with all strata included in calculations. Row colors correspond to the same settings applied in different seasons.

Temperature Scenario Constant Population	Season	Covariate	Noise	VAST A	VAST B	Stratified Mea
Constant	spring	no cov	no	0.13	0.11	0.21
Constant	spring	no cov	yes	0.14	0.16	0.25
Constant	spring	w/ cov	no	0.07	0.07	0.21
Constant	spring	w/ cov	yes	0.08	0.08	0.25
Constant	fall	no cov	no	0.63	0.68	0.32
Constant	fall	no cov	yes	0.80	0.77	0.31
Constant	fall	w/ cov	no	0.14	$\frac{0.08}{0.08}$	0.32
Constant	fall	w/ cov	yes	0.17	$\frac{0.03}{0.11}$	0.31
Increasing	spring	no cov	no	0.14	0.11	0.28
Increasing	spring	no cov	yes	0.14	$0.11 \\ 0.15$	0.28
Increasing	spring	w/ cov	no	0.13	$\frac{0.15}{0.06}$	0.28
Increasing		,		0.03	$\frac{0.00}{0.12}$	0.28
	spring fall	w/ cov	yes	1.46	$\frac{0.12}{1.26}$	0.51
Increasing	fall	no cov	no	$\begin{array}{c} 1.40 \\ 1.40 \end{array}$	$\frac{1.20}{1.38}$	0.50
Increasing		no cov	yes			
Increasing	fall	w/ cov	no	0.21	0.23	0.51
Increasing	fall	w/ cov	yes	0.30	0.28	0.50
Decreasing Population				0.11	0.00	2.22
Constant	spring	no cov	no	0.11	0.08	0.23
Constant	spring	no cov	yes	0.12	0.11	0.27
Constant	spring	w/ cov	no	0.07	0.06	0.23
Constant	spring	w/ cov	yes	0.11	0.07	0.27
Constant	fall	no cov	no	0.97	0.81	0.41
Constant	fall	no cov	yes	0.99	1.09	0.37
Constant	fall	w/ cov	no	0.16	0.08	0.41
Constant	fall	w/ cov	yes	0.29	0.18	0.37
Increasing	spring	no cov	no	0.17	0.15	0.22
Increasing	spring	no cov	yes	0.15	0.17	0.26
Increasing	spring	w/ cov	no	0.08	0.07	0.22
Increasing	spring	w/ cov	yes	0.16	0.10	0.26
Increasing	fall	no cov	no	1.17	1.06	0.28
Increasing	fall	no cov	yes	1.14	1.10	0.25
Increasing	fall	w/ cov	no	0.40	0.15	0.28
Increasing	fall	w/ cov	yes	0.40	0.20	0.25
ncreasing Population		/				
Constant	spring	no cov	no	0.46	0.13	0.16
Constant	spring	no cov	yes	0.43	0.21	0.22
Constant	spring	w/ cov	no	0.06	0.06	0.16
Constant	spring	w/ cov	yes	0.08	0.07	0.22
Constant	fall	no cov	no	0.40	0.36	0.34
Constant	fall	no cov	yes	0.38	0.44	0.46
Constant	fall	w/ cov	no	0.11	0.08	0.34
Constant	fall	w/ cov	yes	0.11	$\frac{0.08}{0.17}$	0.46
Increasing			no	0.24	0.17	$\begin{array}{c} 0.40 \\ 0.32 \end{array}$
	spring	no cov		0.16	0.16	0.32 $0.32$
Increasing	spring	no cov	yes			
Increasing	spring	w/ cov	no	0.06	0.07	0.32
Increasing	spring	w/ cov	yes	0.12	0.10	0.32
Increasing	fall	no cov	no	0.71	0.66	0.30
Increasing	fall	no cov	yes	1.03	0.71	0.39
Increasing	fall	w/ cov	no	0.43	0.21	0.30
	fall	w/ cov	yes	0.51		0.30

Table 7: Yellowtail flounder error results with certain strata excluded from calculations. Row colors correspond to the same settings applied in different seasons.

Temperature Scenario Constant Population	Season	Covariate	Noise	VAST A	VAST B	Stratified Me
Constant	spring	no cov	no	0.24	0.19	0.27
Constant	spring	no cov	yes	0.16	0.15	0.22
Constant	spring	w/ cov	no	0.19	0.19	0.27
Constant	spring	w/ cov	yes	0.12	0.14	0.22
Constant	fall	no cov	no	0.30	0.25	0.47
Constant	fall	no cov	yes	0.78	0.36	0.44
Constant	fall	w/ cov	no	0.22	0.19	0.47
Constant	fall	w/ cov	yes	0.24	0.17	0.44
Increasing	spring	no cov	no	0.23	0.17	0.31
Increasing	spring	no cov	yes	0.25	0.19	0.29
Increasing	spring	w/ cov	no	0.17	$\begin{array}{c} 0.13 \\ \hline 0.17 \end{array}$	0.31
Increasing	spring	w/ cov	yes	0.62	$\frac{0.17}{0.15}$	0.29
Increasing	fall	no cov		2.22	0.75	0.64
Increasing	fall		no	1.75	0.75	0.59
	fall	no cov	yes			
Increasing		w/ cov	no	0.24	0.20	0.64
Increasing	fall	w/ cov	yes	0.59	0.13	0.59
ecreasing Population				0.01	0.10	0.05
Constant	spring	no cov	no	0.31	0.19	0.25
Constant	spring	no cov	yes	0.27	0.16	0.27
Constant	spring	w/ cov	no	0.19	0.19	0.25
Constant	spring	w/ cov	yes	0.15	0.16	0.27
Constant	fall	no cov	no	0.53	0.24	0.55
Constant	fall	no cov	yes	0.53	0.36	0.53
Constant	fall	w/ cov	no	0.18	0.23	0.55
Constant	fall	w/ cov	yes	0.16	0.24	0.53
Increasing	spring	no cov	no	0.18	0.14	0.32
Increasing	spring	no cov	yes	0.37	0.15	0.29
Increasing	spring	w/ cov	no	0.21	0.22	0.32
	spring	w/ cov	yes	0.16		0.29
Increasing	fall	no cov	no	0.90	0.60	0.54
Increasing	fall	no cov	yes	0.84	0.62	0.48
Increasing	fall	w/ cov	no	0.32	0.31	0.54
Increasing	fall	w/ cov	yes	0.36	0.32	0.48
creasing Population						
Constant	spring	no cov	no	0.22	0.15	0.20
Constant	spring	no cov	yes	0.19	0.11	0.22
Constant	spring	w/ cov	no	0.17	0.17	0.20
Constant	spring	w/ cov	yes	0.11	0.13	0.22
Constant	fall	no cov	no	0.19	0.11	0.41
Constant	fall	no cov	yes	0.26	0.21	0.46
Constant	fall	w/ cov	no	0.21	0.22	0.41
Constant	fall	w/ cov	yes	0.17	0.19	0.46
Increasing	spring	no cov	no	0.31	0.33	0.40
Increasing	spring	no cov	yes	0.30	0.26	0.38
Increasing	spring	w/ cov	no	0.30	$\begin{array}{c} 0.20 \\ \hline 0.30 \end{array}$	0.40
Increasing	spring	w/ cov	yes	0.31	$\frac{0.30}{0.25}$	0.38
Increasing	fall	no cov		0.56	0.49	0.70
Increasing	fall	1	no	0.58	0.49	0.70
	fall	no cov	yes			
Increasing		w/ cov	no	0.48	0.53	0.70
Increasing	fall	w/ cov	yes 29	0.47	0.50	0.69

Table 8: Cod error results.

Strata	Noise	Season	VAST NC A	VAST NC B	VAST WC A	VAST WC B	Stratified Mean
Constant Temp.							
all	no	spring	0.11	0.11	0.13	0.12	0.36
all	yes	spring	0.14	0.12	0.09	0.15	0.35
all	no	fall	0.23	0.19	0.09	0.05	0.49
all	yes	fall	0.34	0.30	0.20	0.23	0.41
reduced	no	spring	0.25	0.17	0.22	0.24	0.41
reduced	yes	spring	0.25	0.20	0.14	0.23	0.46
reduced	no	fall	0.16	0.21	0.26	0.33	0.60
reduced	yes	fall	0.16	0.18	0.26	0.31	0.58
Increasing Temp.							
all	no	spring	0.12	0.12	0.16	0.15	0.25
all	yes	spring	0.16	0.19	0.23	0.19	0.27
all	no	fall	0.86	0.76	0.47	0.13	0.45
all	yes	fall	1.13	0.89	0.55	0.33	0.44
reduced	no	spring	0.29	0.26	0.22	0.21	0.34
reduced	yes	spring	0.32	0.19	0.19	0.11	0.33
reduced	no	fall	1.41	0.79	0.37	0.26	0.62
reduced	yes	fall	2.09	1.37	0.40	0.26	0.57

Table 9: Haddock error results.

Strata	Noise	Season	VAST NC A	VAST NC B	$VAST\ WC\ A$	VAST WC B	Stratified Mean
Constant Temp.							
all	no	spring	0.45	0.49	0.13	0.18	0.18
all	yes	spring	0.55	0.73	0.18	0.43	0.14
all	no	fall	0.31	0.28	0.05	0.05	0.26
all	yes	fall	0.45	0.41	0.15	0.06	0.27
reduced	no	spring	0.34	0.34	0.30	0.35	0.45
reduced	yes	spring	0.31	0.30	0.45	0.33	0.44
reduced	no	fall	0.34	0.36	0.46	0.48	0.54
reduced	yes	fall	0.29	0.33	0.41	0.46	0.50
Increasing Temp.							
all	no	spring	0.28	0.25	0.11	0.05	0.26
all	yes	spring	0.35	0.30	0.11	0.06	0.31
all	no	fall	0.82	0.89	0.23	0.23	0.40
all	yes	fall	1.01	1.04	0.29	0.35	0.39
reduced	no	spring	0.35	0.32	0.41	0.40	0.44
reduced	yes	spring	0.33	0.38	0.39	0.37	0.36
reduced	no	fall	0.48	0.44	0.61	0.64	0.72
reduced	yes	fall	0.49	0.42	0.60	0.62	0.70