| Course and Section: | Nε | ames: |
|--|--|--|
| Date: | TA n | name: |
| ${f L}$ | enses an | d Mirrors |
| Answer all | QUESTIONS FROM TH | HE TEXT ON THE LINES BENEATH. |
| In this experiment you doing so you will study | - | l mirrors by creating images on screens. By hem. |
| 1 Equipment | | |
| • Optical bench | | • Viewing screen |
| • Converging lens, of | liverging lens | • Mirror |
| • Light source (as a | n object) | • Half-screen |
| 2 Procedure | | |
| 2.1 Converging le | ns | |
| | gh it? Could it be use | t thicker or thinner in the center? What do ed as a magnifying glass? Try the lens both |
| | | |
| | | |
| lens to the image is de infinitely remote object | efined to be the focal are essentially parall | ing infinitely far away, the distance from the length. This is because the rays from an el (to the optical axis) and thus converge at ens axis to the focal point is called the <i>focal</i> |
| | | far away". To do this, place the lens on the nch until a sharp image is formed on it. |

 $Focal\ length = \underline{\hspace{1cm}} cm$

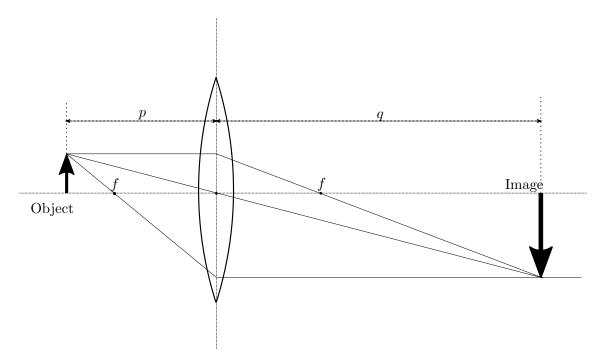


Figure 1: Converging lens: For an object outside of the focal point a *real* inverted image is formed.

The equation relating the image and object distances of a thin lens is

$$\frac{1}{p} + \frac{1}{q} = \frac{1}{f} \,. \tag{1}$$

2.2 Image-Object Relationship of a Converging Lens

In this part, use the light box as the object; the lens will form an image of this box on the screen. Place the object and the screen at opposite ends of the bench such that the distance between them is 110 cm. Place a white sheet of paper in front of the white screen. Move the lens between them until a sharp image is formed on the screen. You should note that there are two positions for the lens which give sharp images. Why is that so?

Take measurements for each of these positions. Repeat these measurements for $L=100\,\mathrm{cm}$ and $L=90\,\mathrm{cm}$. Record the distance p from the lens to the object and the distance q from the lens to the image. Also measure the height h' of the image and the height h of the object.

$$h = \underline{\hspace{1cm}} cm$$

| L (cm) | p (cm) | q (cm) | h' (cm) | f (cm) | h'/h | q/p |
|---------|--------|--------|---------|--------|------|-----|
| 110 | | | | | | |
| 110 | | | | | | |
| 100 | | | | | | |
| 100 | | | | | | |
| 90 | | | | | | |
| 90 | | | | | | |

Use equation (1) to calculate the *focal length* f from each set of data in the table and fill in that part of the table. What f, p and q are is also shown in figure 1.

| _ | D_{0} wou | cot | consistent | 779 11100 | for | tho | focal | lonath | f | 7 |
|---|-------------|-----|------------|-----------|-----|-----|-------|--------|------|---|
| • | Do you | get | Consistent | varues | 101 | une | jocui | iengin | .) : | ٠ |

| • | Do these results | agree wit | h the foca | al length | you | found | in the | first | part c | of the | exper- |
|---|------------------|-----------|------------|-----------|-----|-------|--------|-------|--------|--------|--------|
| | iment? | | | | | | | | | | |

| • Which method | do you think is t | he most accur | rate? | | | |
|---|-------------------|---------------|------------|------------|---------|----------|
| | | | | | | |
| | | | | | | |
| | | | | | | |
| | | | | | | |
| Finally, look at the equal? If so, why? | last two columns | of the table. | Do you fin | d that the | two rat | tios are |
| | | | | | | |
| | | | | | | |
| | | | | | | |

2.3 Diverging Lens

A diverging lens will produce a virtual image of a real object. To observe this, place the lens on the optical bench about 20 cm from the light box. Move the screen on the bench, can you find the image on the screen? Now, look at the light box through the lens, can you see the image?

- Is this image smaller or bigger than the object?
- Is the image you are viewing inverted?
- Is it *virtual*?

• Is it located in *front* or in the *back* of the lens?

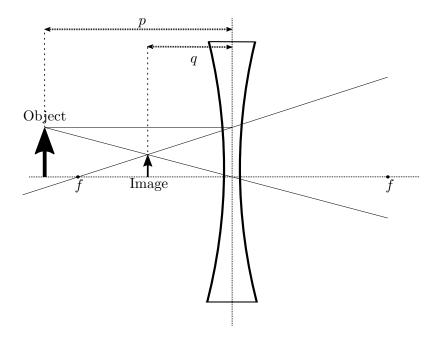


Figure 2: The diverging lens creates a virtual image which we cannot capture on a screen. Thus we have to add a converging lens.

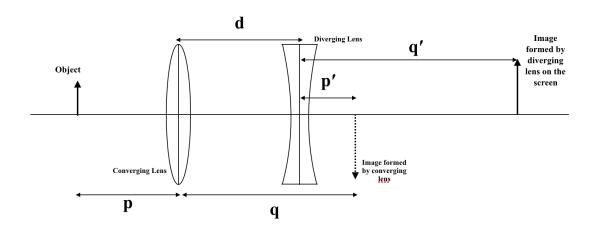


Figure 3: A converging followed by a diverging lens. This way an upright real image is formed that can be captured on a screen.

In order to produce a real image by a diverging lens you also need to use a converging lens, see figure 3.

1. Start by forming a clear image on the screen using only the converging lens. Find the

distance of the object to the lens p. Using the thin lens equation, calculate distance of the image q formed by the converging lens

$$q = \underline{\qquad}$$
cm.

- 2. Insert the diverging lens between the image and the converging lens. Refer to the diagram for help.
- 3. measure the distance d between the two lenses.

$$d = \operatorname{cm}.$$

The image created by the converging lens becomes the object for the diverging lens.

- 4. Move the diverging lens until a real image is produced on the screen.
- 5. Measure the "new" object distance p', with respect to the diverging lens. Take the difference between the two distances q and d.

$$p' = q - d =$$
______ cm.

6. Measure the distance q' between the screen and the diverging lens

$$q' = \underline{\qquad}$$
cm.

7. Finally, find the focal length of the diverging lens using the thin lens equation for p', q' and f'. Note: In equation (2) the sign of p' has to be negative, since the image formed by the converging lens is behind the diverging lens.

$$\frac{1}{p'} + \frac{1}{q'} = \frac{1}{f'} \,, \tag{2}$$

find the focal length f' of the diverging lens,

$$f' = \underline{\qquad} \operatorname{cm}.$$