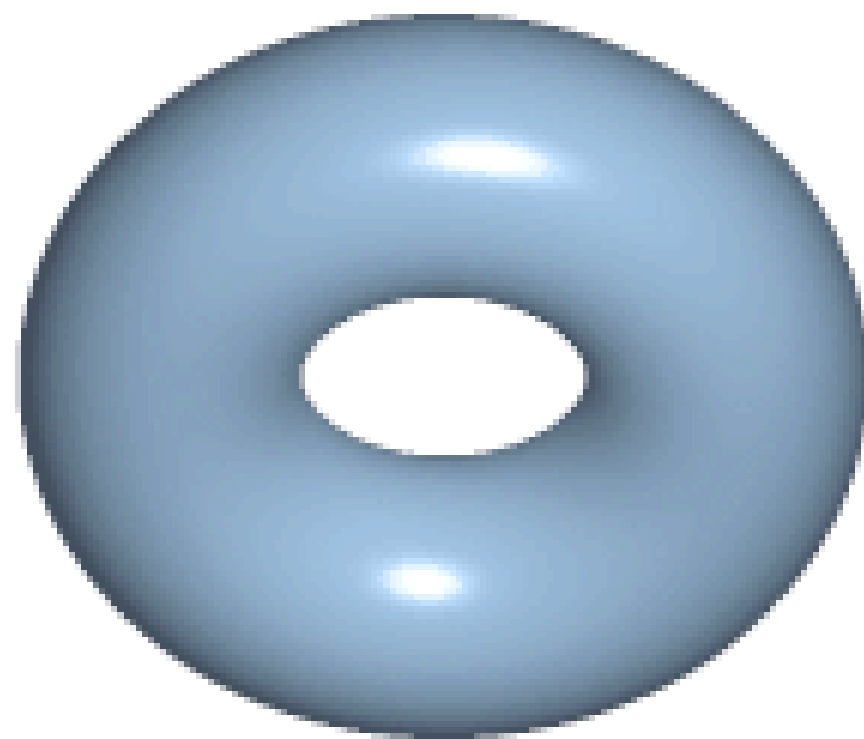
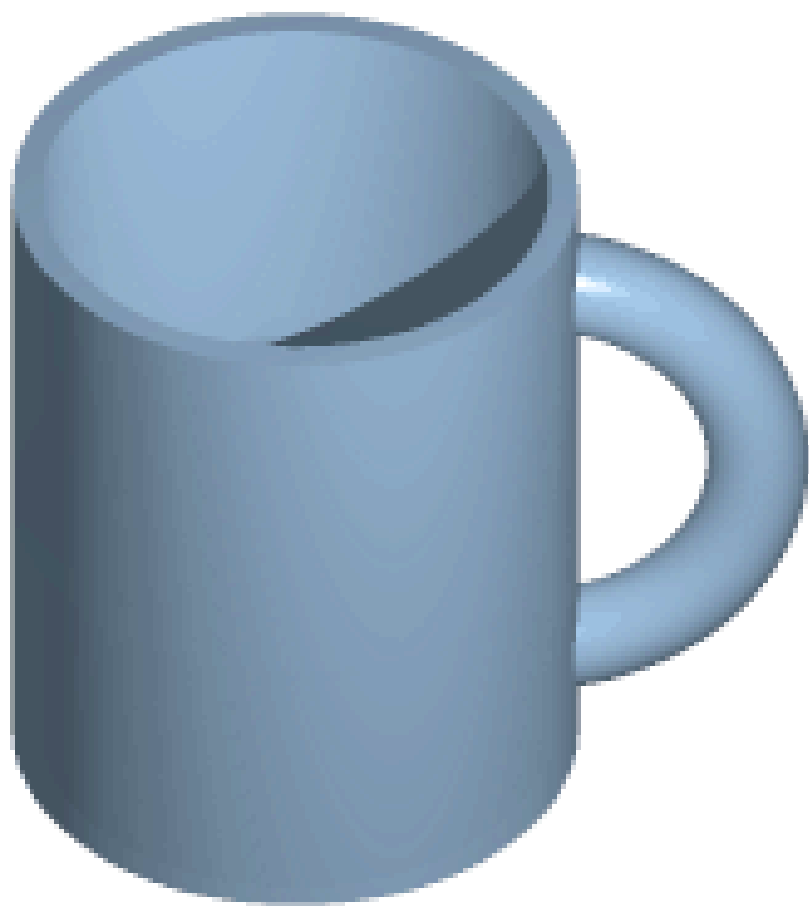
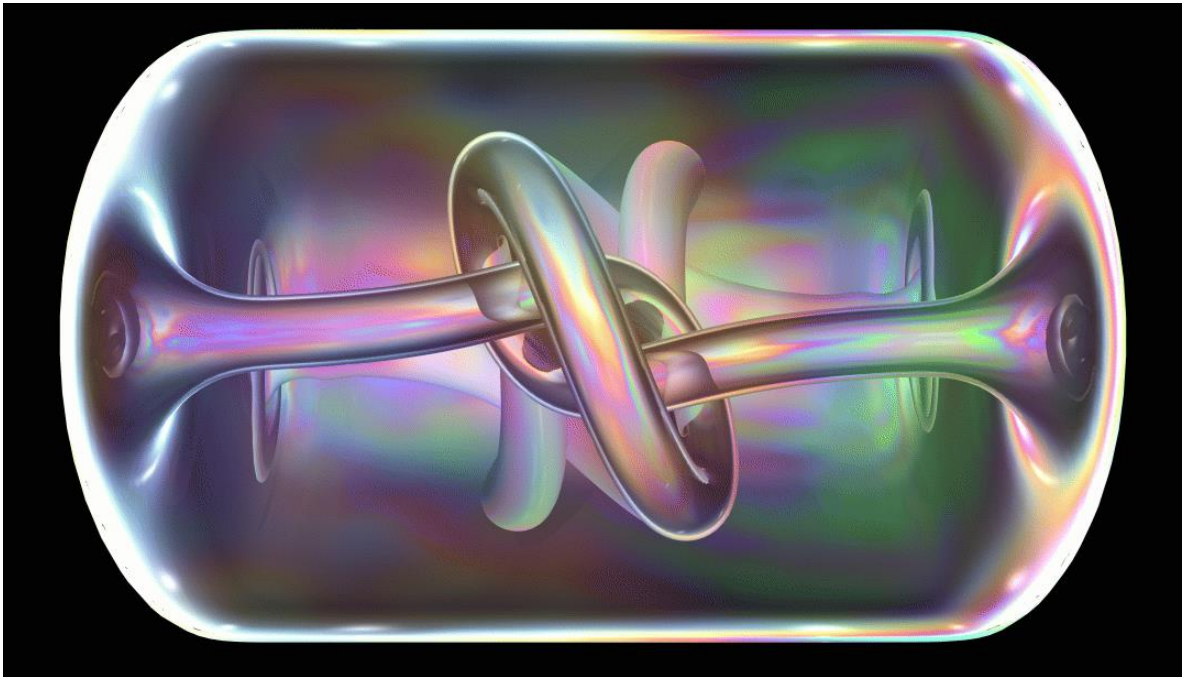
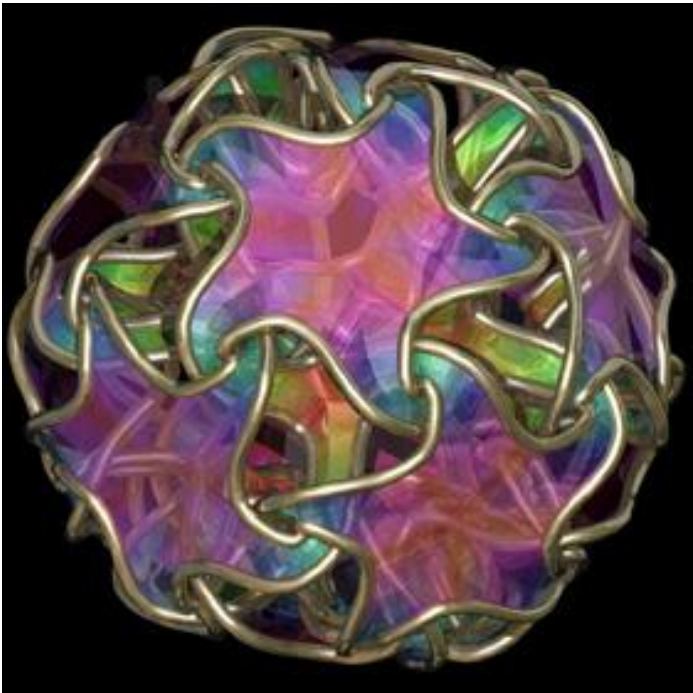
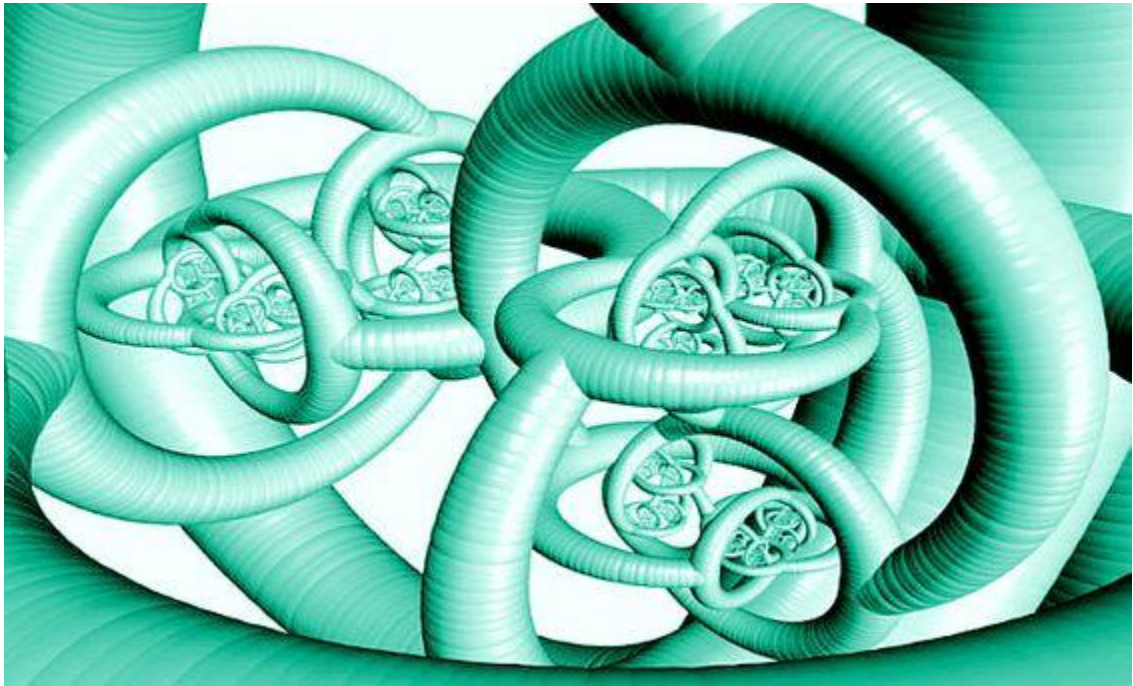


# TRIUMPHS

**Transforming Instruction in  
Undergraduate Mathematics via Primary  
Historical Sources**





**Definition.** A *topology* on a set  $X$  is a collection  $\mathcal{T}$  of subsets of  $X$  having the following properties:

- (1)  $\emptyset$  and  $X$  are in  $\mathcal{T}$ .
- (2) The union of the elements of any subcollection of  $\mathcal{T}$  is in  $\mathcal{T}$ .
- (3) The intersection of the elements of any finite subcollection of  $\mathcal{T}$  is in  $\mathcal{T}$ .

A set  $X$  for which a topology  $\mathcal{T}$  has been specified is called a *topological space*.

- Where does it come from?

- Where does it come from?
- Why THIS definition?

- Where does it come from?
- Why THIS definition?
- Why THESE nuances and subtleties?

- Where does it come from?
- Why THIS definition?
- Why THESE nuances and subtleties?
- Mathematics is less clear and less motivated



TRIUMPHS

# TRIUMPHS

- Design

# TRIUMPHS

- Design
- Write

# TRIUMPHS

- Design
- Write
- Implement

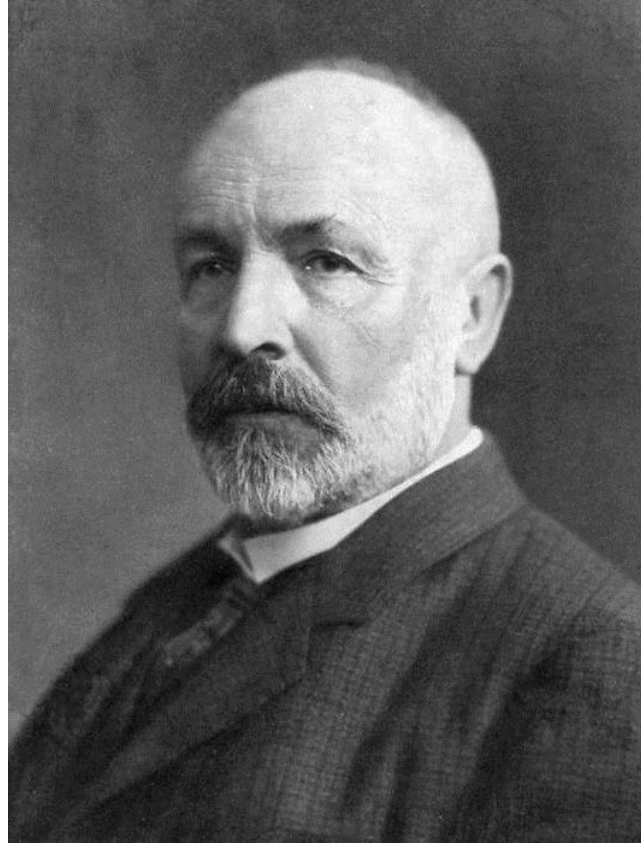
# TRIUMPHS

- Design
- Write
- Implement
- Test

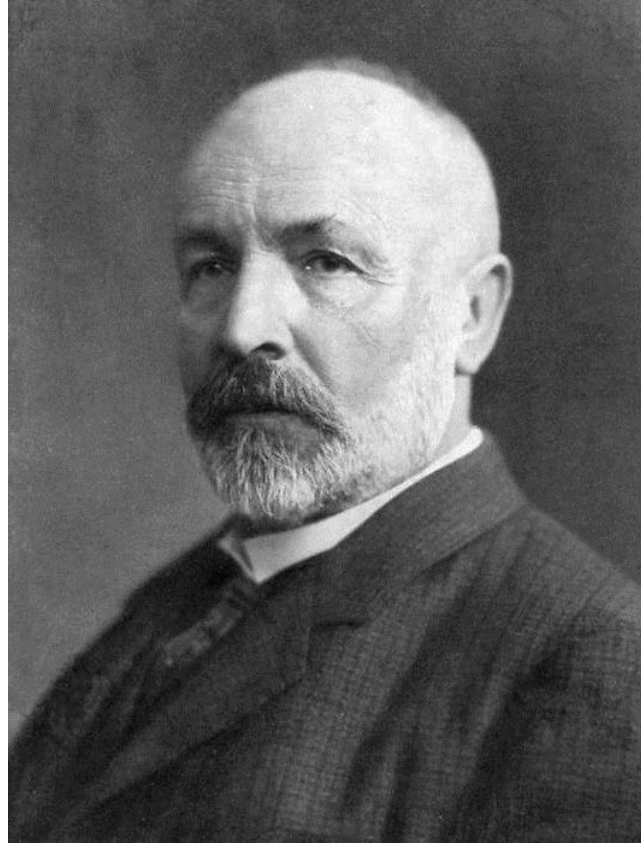












- Exposed to problems and questions in original context

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- Better motivation

- Exposed to problems and questions in original context
- Better motivation
- Guided reading with exercises

- Exposed to problems and questions in original context
- Better motivation
- Guided reading with exercises
- Struggling helps solidify understanding

Learn more at

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