Lab 4

Q.N. 1) A hospital administrator wished to study the relationship between patients satisfaction (y) and patient's age $(x_1, in years)$, severity of illness $(x_2, an index)$ and anxiety level $(x_3, an index)$. 46 patients are randomly selected and data is collected. The data is as below

```
ID
      X_1 X_2
1
   48 50 51 2.3
2
   70 41 44 1.8
3
   46 42 50 2.2
   77 29 50 2.1
5
   47 38 55 2.2
6
   66 36 49 2.0
7
   60 33 49 2.1
   52 44 58 2.9
   43 47 53 2.5
9
10 72 32 46 2.6
11 59 33 42 2.0
12 47 40 48 2.2
13 82 29 48 2.5
14 42 47 50 2.6
15 37 44 51 2.6
16 92 28 46 1.8
17 57 36 46 2.3
18 89 28 43 1.8
19 54 45 48 2.4
20 89 29 48 2.4
21 51 34 51 2.3
22 79 33 56 2.5
23 49 55 51 2.4
24 60 43 50 2.3
25 34 55 54 2.5
26 57 32 52 2.4
27 83 36 49 1.8
28 36 53 57 2.8
29 64 30 51 2.4
30 66 43 53 2.3
31 68 45 51 2.2
32 66 40 48 2.2
33 36 49 54 2.9
34 26 52 62 2.9
35 67 43 53 2.4
36 57 53 54 2.2
37 88 29 46 1.9
38 77 29 52 2.3
39 86 23 41 1.8
40 63 25 49 2.0
41 55 42 51 2.7
42 76 31 47 2.0
43 80 34 49 2.2
44 37 47 60 2.4
45 83 22 51 2.0
46 59 37 53 2.1
```

a. Fit a multiple linear regression model to the data and state the estimated regression line. How is b_2 interpreted here?

Y=-1.142x1-0.442x2-13.47x3+158.491

B2 is the coefficient of x2, b2=-0.442 here, which means b2 represents the change in the response variable (y) associated with a one-unit increase in the value of the predictor variable (x2)

b. Calculate the coefficient of multiple determination. What does it indicate?

Coefficients:

```
Estimate Std. Error t value Pr(>|t|)
(Intercept) 158.4913
                        18.1259
                                8.744 5.26e-11 ***
x1
             -1.1416
                         0.2148
                                 -5.315 3.81e-06 ***
             -0.4420
                         0.4920
x2
                                 -0.898
                                          0.3741
x3
            -13.4702
                         7.0997
                                 -1.897
                                          0.0647 .
Signif. codes:
Residual standard error: 10.06 on 42 degrees of freedom
Multiple R-squared: 0.6822,
                               Adjusted R-squared:
F-statistic: 30.05 on 3 and 42 DF, p-value: 1.542e-10
```

a multiple R^2 value of 0.6822 means that the predictor variables in the model explain 68.22% of the variance in the response variable.

c. Predict the patient satisfaction score of a 47 years old patient whose severity of illness index is 53 and anxiety level index is 2.5?

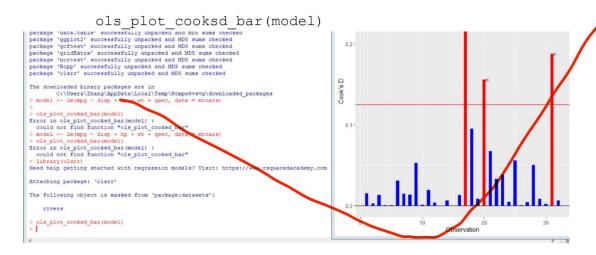
```
> predict(model,data.frame(x1=47,x2=53,x3=2.5))
1
47.73386
```

d. Please provide the 95% confidence interval and prediction interval for the value calculated in part (c).

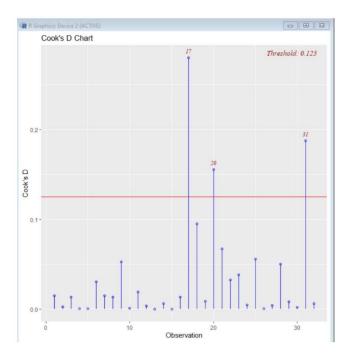
```
> predict(model,data.frame(xl=47,x2=53,x3=2.5),interval="pred")
    fit lwr upr
1 47.73386 27.00058 68.46714
> predict(model,data.frame(xl=47,x2=53,x3=2.5),interval="conf")
    fit lwr upr
1 47.73386 43.50688 51.96085
```

- **Q.N. 2)** The dataset *mtcars* in R was extracted from the 1974 Motor Trend US magazine and comprises fuel consumption and 10 aspects of automobile design and performance for 32 automobiles (1973–74 models).
 - a. Import the data in R and extract the variables included in the dataset.

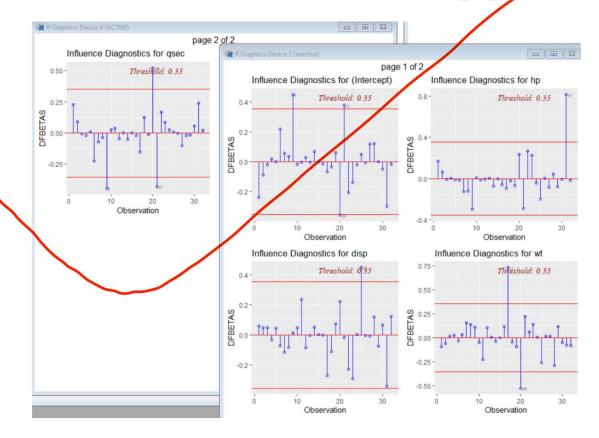
b. Install the olsrr package in R and use R code below to draw the Cook's D bar plot model <- lm(mpg ~ disp + hp + wt + qsec, data = mtcars)</p>



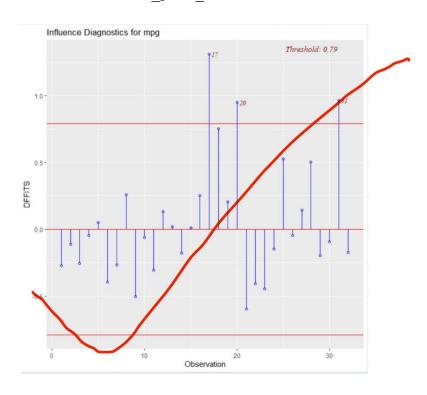
c. Use ols plot cooksd chart (model) to display the Cook's D chart



d. Identify the influence diagnostics for each variable using ols_plot_dfbetas(model)



 $e. \quad Use \ {\tt ols_plot_dffits} \ ({\tt model}) \ to \ check \ the \ difference \ in \ fits.$



 $f. \quad Use \verb"ols_plot_resid_lev" (\verb"model") \quad to \ detect \ and \ display \ the \ influential \ observations.$

