

$[1, 2, 3] =$

$[2, 4, 6] =$

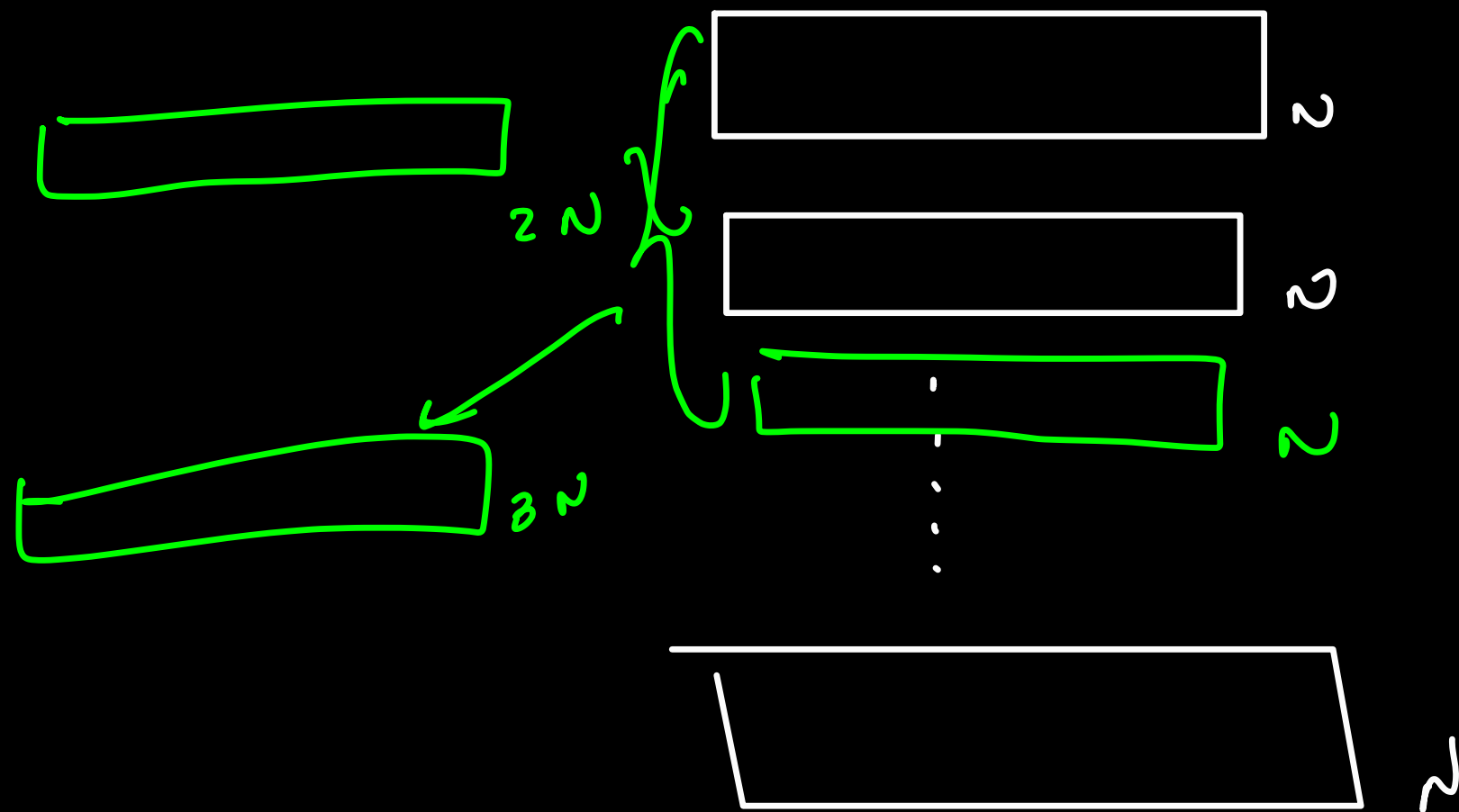
$[0, 9, 10] =$

K → sorted

$[1, 2, 3, 2, 4, 6, 0, 9, 10]_{KN}$

merge sort

$KN \log(KN)$



$$\rightarrow 2N + 3N + 4N + \dots + KN$$

$$\underbrace{KN}_{\text{circled and underlined}}$$

k → smallest
 new heap → $[1, 2, 3] =$
 → $[2, 4, 6] =$
 → $[0, 9, 10] =$

k candidates

element
 row
 index

$[0, 1, 2, 2]$

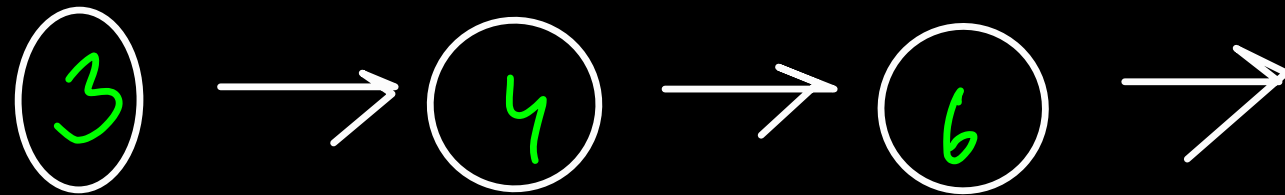
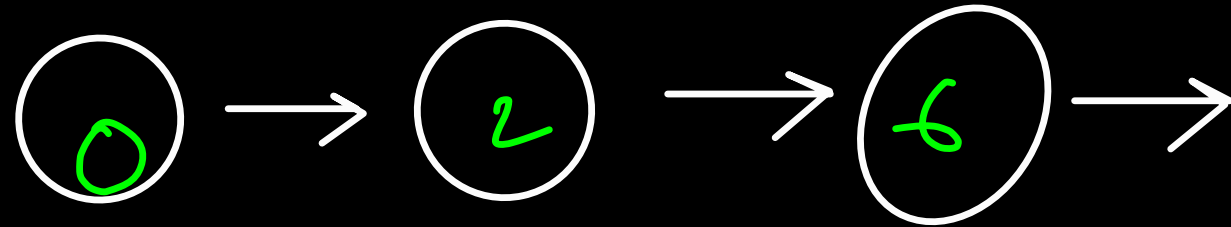
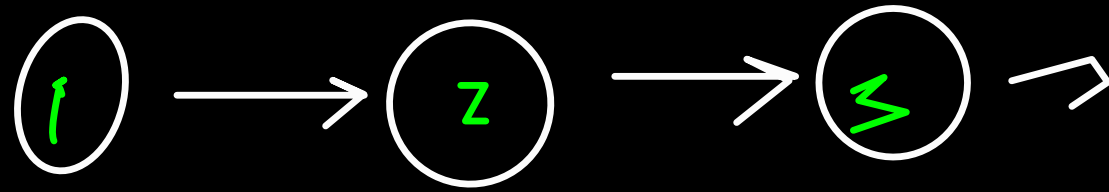
$] \rightarrow \underline{\underline{\text{final}}}$

$O(nk \log k)$

ans = hp.pop()

hp.pop();

hp.push({row: cur.row, index: cur.idx});



keep of nodes

curr - next

$(obj1, obj2) \in$

such $obj1.element < obj2.element$;

3

Brute force → from all possible fractions → by making
all possible pairs.

$$\underline{\underline{O(n^2)}}$$

$\begin{matrix} 0 & 1 & 2 & 3 \\ [1, 2, 3, 5]_n \end{matrix}$

$\left[\frac{1}{2} \quad \frac{2}{3} \quad \frac{3}{5} \right]$

$\left[\frac{1}{3} \quad \frac{2}{5} \right]$
 $\left(\frac{1}{5} \right)$

K smallest

M

$\frac{a \rightarrow arr[0]}{d \quad arr[i]}$
 $i \in [1, n]$

Min heap

fraction
 $n-id \times$
 $d-id \times$

[1, 2, 3, 5] ↘

we don't want to generate all partitions

arrange the partitions in multiple sorted arrays

merge k
sorted arr \Rightarrow
//

$\begin{matrix} 0 & 1 & 2 & 3 \\ [1, & 2, & 3, & 5] \end{matrix}$

$[\cancel{1/5}, \cancel{1/3}, 1/2, 1/1]$

$[2/5, 2/3, 2/2]$

$[3/5, 3/3]$

$[5/5]$

\leftarrow -1 removed
free ~

$(k-1)$

sorted

}

num len

$O(k \log k)$

\swarrow
 \swarrow

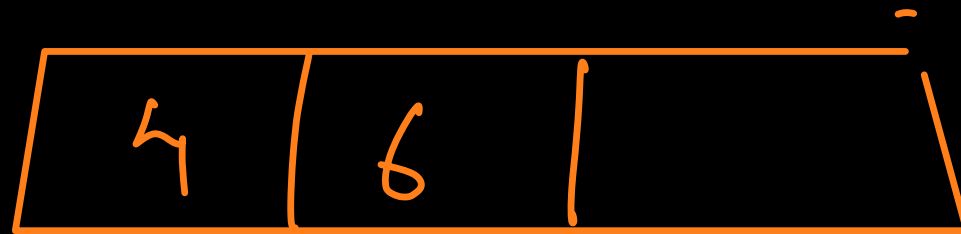
$O(k)$

\swarrow

fraction
num - id
den - id

Queue

[4, -5, 3, -2, -1, 6, -4, 8, -9] k=3



Queue

$O(n)$

$O(k)$

-5
-5
-2

