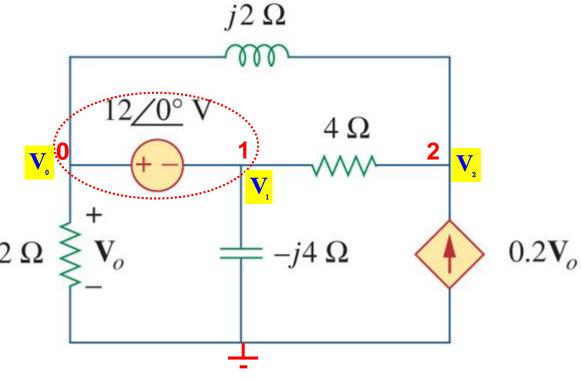
Problem 10.19 P445

Obtain V_o in Fig. 10.68 using nodal analysis.



Solution:

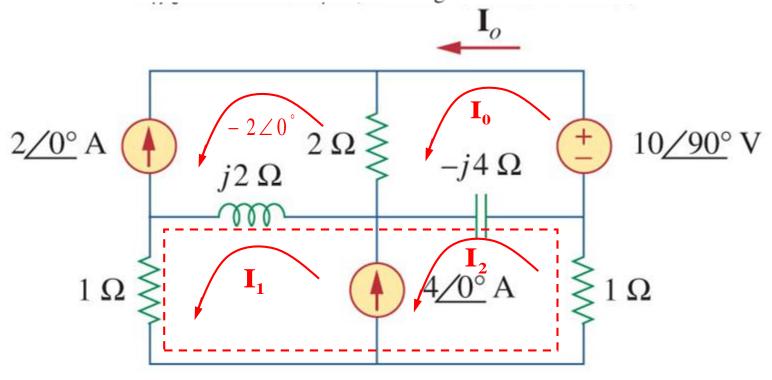
$$V_{0} + V_{1}: \frac{V_{0}}{2} + \frac{V_{0} - V_{2}}{j2} + \frac{V_{1}}{-j4} + \frac{V_{1} - V_{2}}{4} = 0$$

$$V_{0} - V_{1} = 12 \angle 0^{\circ} \qquad \Rightarrow V_{0} = 7.68 \angle 50^{\circ}$$

$$V_{2}: \frac{V_{2} - V_{1}}{4} + \frac{V_{2} - V_{0}}{j2} = 0.2V_{0}$$

Problem 10.38 P447

Using mesh analysis, obtain I_o in the circuit shown in Fig. 10.83.



Solution:

$$I_{0}: \qquad (2-j4)I_{0} + j4I_{2} - 2(-2\angle 0^{\circ}) = 10\angle 90^{\circ}$$

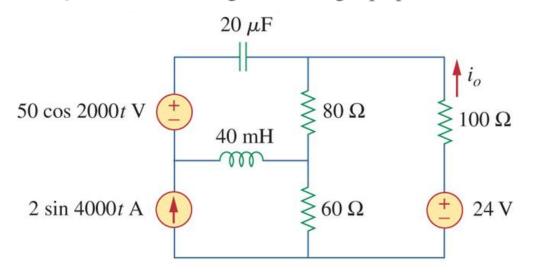
$$I_{1} + I_{2}: (1+j2)I_{1} + (1-j4)I_{2} + j4I_{0} - j2(-2\angle 0^{\circ}) = 0$$

$$I_{1} - I_{2} = 4\angle 0^{\circ}$$

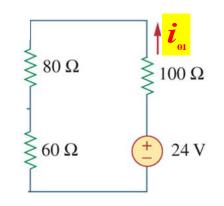
$$\Rightarrow I_{0} = 3.35\angle 174^{\circ}$$

Problem 10.48 P448

Find i_o in the circuit of Fig. 10.93 using superposition.

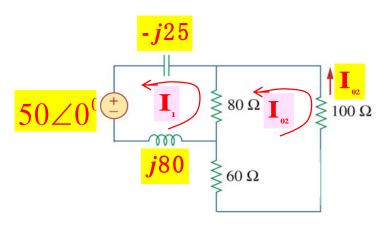


Solution:



24V-source is alone acting:

$$i_{01} = \frac{24}{100 + 80 + 60} = 0.1 \, A$$



50 cos 2000*t*-source is alone acting:

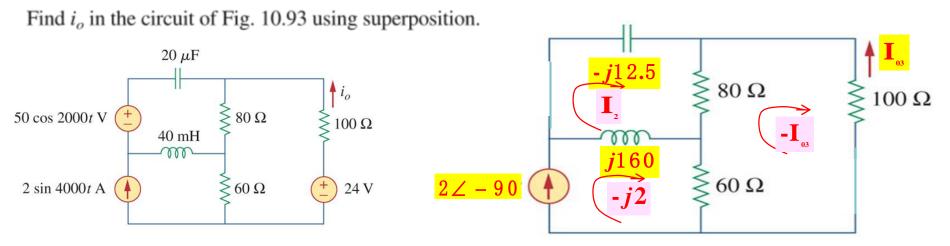
$$I_{1}: (j80+80-j25)I_{1}-80I_{02} = -50\angle 0^{\circ}$$

$$I_{02}: -80I_{1} + (80+60+100)I_{02} = 0$$

$$\Rightarrow I_{02} = 0.22\angle 135^{\circ}$$

So:
$$i_{02}(t) = 0.22\cos(2000t + 135^{\circ})$$

Problem 10.48 P448



2 sin 4000*t*-source is alone acting:

$$I_2: (j160+80-j12.5)I_2-j160(-j2)-80(-I_{03})=0$$

$$-I_{03}: -80I_2+(80+60+100)(-I_{03})-60(-j2)=0$$

$$\Rightarrow I_{03}=1.18\angle 122.5^{\circ}$$
So: $i_{03}(t)=1.18\cos(4000t+122.5^{\circ})$

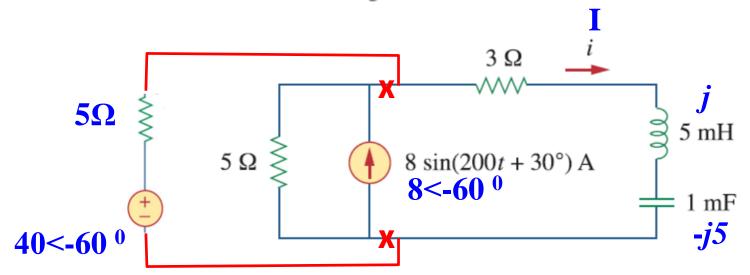
 $=-1.18\sin(4000t+32.5^{\circ})$

Then:
$$i_0 = i_{01} + i_{02}(t) + i_{03}(t)$$

= $0.1 + 0.22\cos(2000t + 135^\circ) - 1.18\sin(4000t + 32.5^\circ)$

Problem 10.49 P448

Using source transformation, find *i* in the circuit of Fig. 10.94.



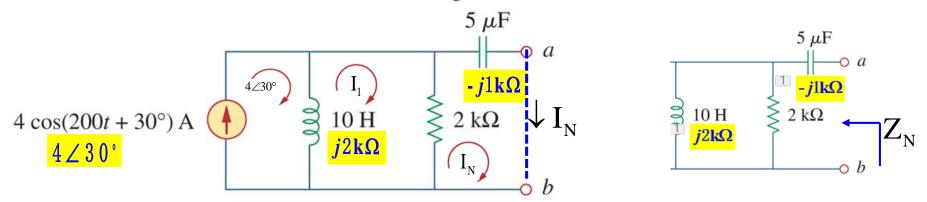
$$I = \frac{40\angle -60^{\circ}}{5+3+j-j5} = 4.46\angle -33.5^{\circ} A$$

So:
$$i = 4.46\cos(200t-33.5^{\circ})$$

= $4.46\sin(200t+56.5^{\circ})$

Problem 10.63 P450

Obtain the Norton equivalent of the circuit depicted in Fig. 10.106 at terminals *a-b*.



Solution:

For
$$Z_N: Z_N = -j + j2 \| 2 = 1 \text{ k}\Omega$$

For I_N

$$I_1$$
: $(2+j2)I_1 - 2I_N - j2 \times 4 \angle 30^\circ = 0$

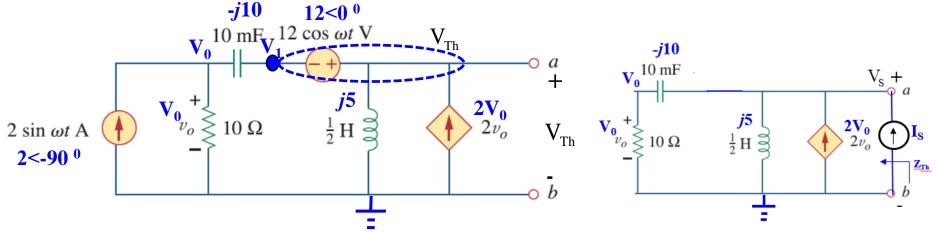
$$I_{N}: -2I_{1} + (2-j)I_{N} = 0$$

$$\Rightarrow I_{N} = 5.66 \angle 75^{\circ}$$

So:
$$i_N = 5.66 \cos(200t + 75^\circ)$$

Problem 10.66 P450

At terminals a-b, obtain Thevenin and Norton equivalent circuits for the network depicted in Fig. 10.109. Take $\omega = 10$ rad/s.



Solution:

For
$$V_{Th}$$
:

For
$$V_{Th}$$
:
$$V_{0}: \left(\frac{1}{10} + \frac{1}{-j10}\right) V_{0} - \frac{1}{-j10} V_{1} = 2 \angle -90^{\circ}$$

$$V_{1} + V_{Th}: \frac{V_{1} - V_{0}}{-j10} + \frac{V_{Th}}{j5} = 2V_{0}$$

$$V_{Th} - V_{1} = 12 \angle 0^{\circ}$$

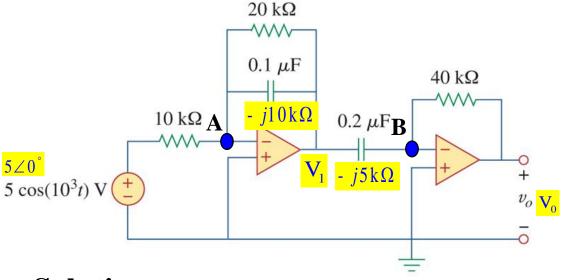
 $\Rightarrow V_{Th} = 29.79 \angle -3.6^{\circ}$

For Z_{Th} :

$$\begin{split} &\left(\frac{1}{10} + \frac{1}{-j10}\right) V_0 - \frac{1}{-j10} V_S = 0 \\ &- \frac{V_0}{-j10} + \left(\frac{1}{j5} + \frac{1}{-j10}\right) V_S = 2V_0 + I_S \\ &\Rightarrow Z_{Th} = \frac{V_S}{I_S} = 0.67 \angle 130^\circ = Z_N \\ &I_N = \frac{V_{Th}}{Z_{Th}} = 44.46 \angle -134^\circ \end{split}$$

Problem 10.79 P453

For the op amp circuit in Fig. 10.122, obtain $v_o(t)$.



Solution:

A:
$$\frac{5\angle 0^{\circ}}{10} + \frac{V_1}{-j10} + \frac{V_1}{20} = 0$$

B: $\frac{V_1}{-j5} + \frac{V_0}{40} = 0$
 $\Rightarrow V_0 = 35.7 \angle 27^{\circ}$

So:
$$v_0(t) = 35.7\cos(10^3 t + 27^\circ)$$