

Impact of Elevated Base Stations on the Ultra-Dense Networks

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Keywords

- Elevated BSs
- LoS(Line of Sight)/NLoS
- Stochastic geometry
- Coverage probability

UDN Characteristics

- The distance between BS and UE is small
- The height of BSs cannot be ignored
- The possibilities of having LoS propagation increases.

Former studies models

- Assumption: the probability of LoS propagations decreases as the antenna height of BSs increases -unlikely to be valid in practice
 - BSs with a higher height are more likely to establish the LoS path towards the UEs.
 - Assumption: equal height for all BSs-not realistic.
- heights of buildings should be different and random

System Model

- Single-antenna BSs and single-antenna Ues are randomly distributed.
- Modeled as PPPs(Poisson point processes) respectively(Φ_{BS} and Φ_{UE})
- each BS has at least one UE associated in its coverage for simplicity

System Model-Network Description

- All BSs have their antennas at the height l
- All UEs are on the ground
- Each BS supports one UE using time and frequency with the same transmission power.
- each BS has a LoS/NLoS path to associated UE with probability

$$\mathcal{P}_L(r_i) = \frac{1}{1 + a \exp(-b(\theta(r_i) - a))}$$

$$\mathcal{P}_{NL}(r_i) = 1 - \mathcal{P}_L(r_i)$$

System Model-Network Description

- Consider both fading and path loss
- LoS/NLoS propagation experiences Nakagami-m fading
 - *LoS: Rician fading
 - *NLoS: Rayleigh fading
- Path loss exponent $2 < \alpha_L \leq \alpha_{NL} \leq 4$

BS Association Rule

- the path loss exponents are different for LoS and NLoS propagations
→ the signal strength of the nearest BS is not always the strongest one
- cf) conventional model : the signal strength of the nearest BS is the strongest one
- Consider BS with average strongest received power.

BS Association Rule

- Conventional PDF of the distance between UE and BS cannot be applied to the system.
- Should be consider LoS/NLoS propagation respectively.

BS Association Rule

- The approximated PDFs of r_0
- LOS

$$\begin{aligned}\tilde{f}_{r_0}^L(r) = & 2\pi\lambda_{BS}r \left(1 - \exp(-p_\ell r^2)\right) \exp\left(-\pi\lambda_{BS}r^{\frac{2\alpha_L}{\alpha_{NL}}}\right) \\ & \times \exp\left[\frac{\pi\lambda_{BS}}{p_\ell} \left(\exp(-p_\ell r^2) - \exp\left(-p_\ell r^{\frac{2\alpha_L}{\alpha_{NL}}}\right)\right)\right]\end{aligned}$$

- NLOS

$$\begin{aligned}\tilde{f}_{r_0}^{NL}(r) = & 2\pi\lambda_{BS}r \exp(-p_\ell r^2) \exp(-\pi\lambda_{BS}r^2) \\ & \times \exp\left[-\frac{\pi\lambda_{BS}}{p_\ell} \left(\exp(-p_\ell r^2) - \exp\left(-p_\ell r^{\frac{2\alpha_{NL}}{\alpha_L}}\right)\right)\right]\end{aligned}$$

p_l : tunable value determined by the BS height l

Signal-to-Interference Ratio

- SIR at the typical UE located at the origin

$$\text{SIR}_o = \frac{h_o (r_o^2 + \ell^2)^{-\frac{\alpha}{2}}}{I_L + I_{NL}},$$

- h : channel fading (LoS: $h_0 = h_L$, NLoS: $h_0 = h_{NL}$)
- r : horizontal distance between UE and BS
- α : pathloss exponent
- I_L, I_{NL} : total interference power received from BSs in Φ_L, Φ_{NL}

Coverage Probability analysis

- The coverage probability of the system is

$$\begin{aligned} \text{SIR}_o &= \mathbb{P} [\text{SIR}_o > \zeta] \\ &= \int_0^\infty \mathbb{E} \left[\mathbb{P} \left[h_L > \frac{\zeta I}{(r^2 + \ell^2)^{-\frac{\alpha_L}{2}}} \middle| r, I \right] \right] f_{r0}^L(r) \, dr \\ &\quad + \int_0^\infty \mathbb{E} \left[\mathbb{P} \left[h_{NL} > \frac{\zeta I}{(r^2 + \ell^2)^{-\frac{\alpha_{NL}}{2}}} \middle| r, I \right] \right] f_{r0}^{NL}(r) \, dr, \end{aligned}$$

Coverage Probability Analysis

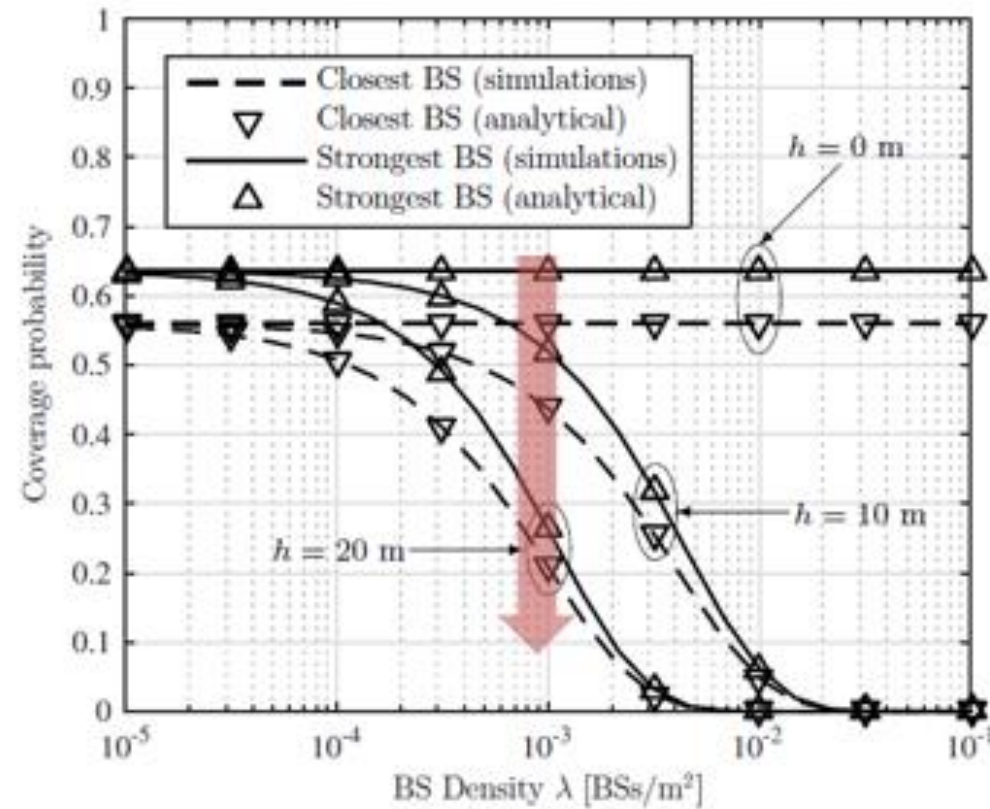
- **Coverage Probability**

- **The coverage probability** when the main link transmitter is in j -tier under channel c is selected with distance d

$$p_j^{(c)}(d) = \mathbb{P} \left[\text{SINR}_j^{(c)}(d) > \beta \right]$$

- β : SINR threshold
- $\text{SINR}_j^{(c)}(d) = P_j^{(c)}(d)/\mathcal{I}$ is SINR when the main link transmitter is in the j -tier under channel c with distance d

Numerical Results



$$P_{\text{cov}}(\theta, \lambda) = P(\text{SIR} > \theta)$$

Numerical Results

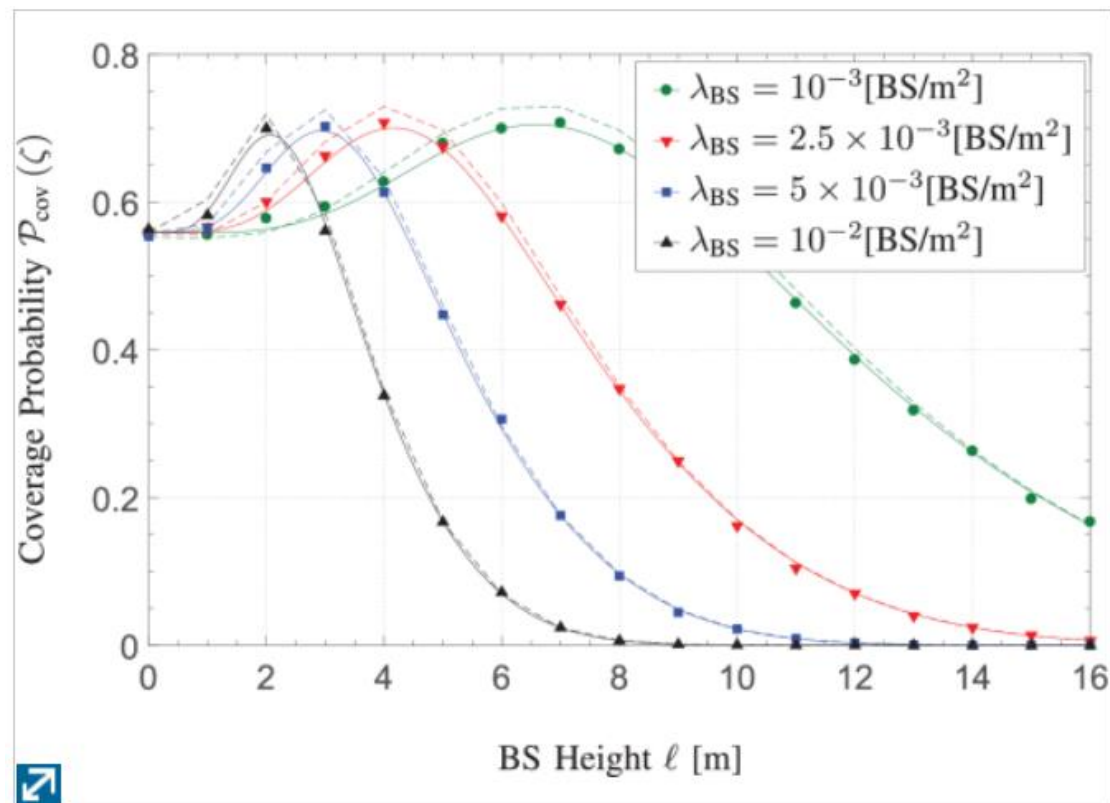


Fig. 2.
 $\mathcal{P}_{\text{cov}}(\zeta)$ versus ℓ for difference values of λ_{BS} with $\zeta = 1$.

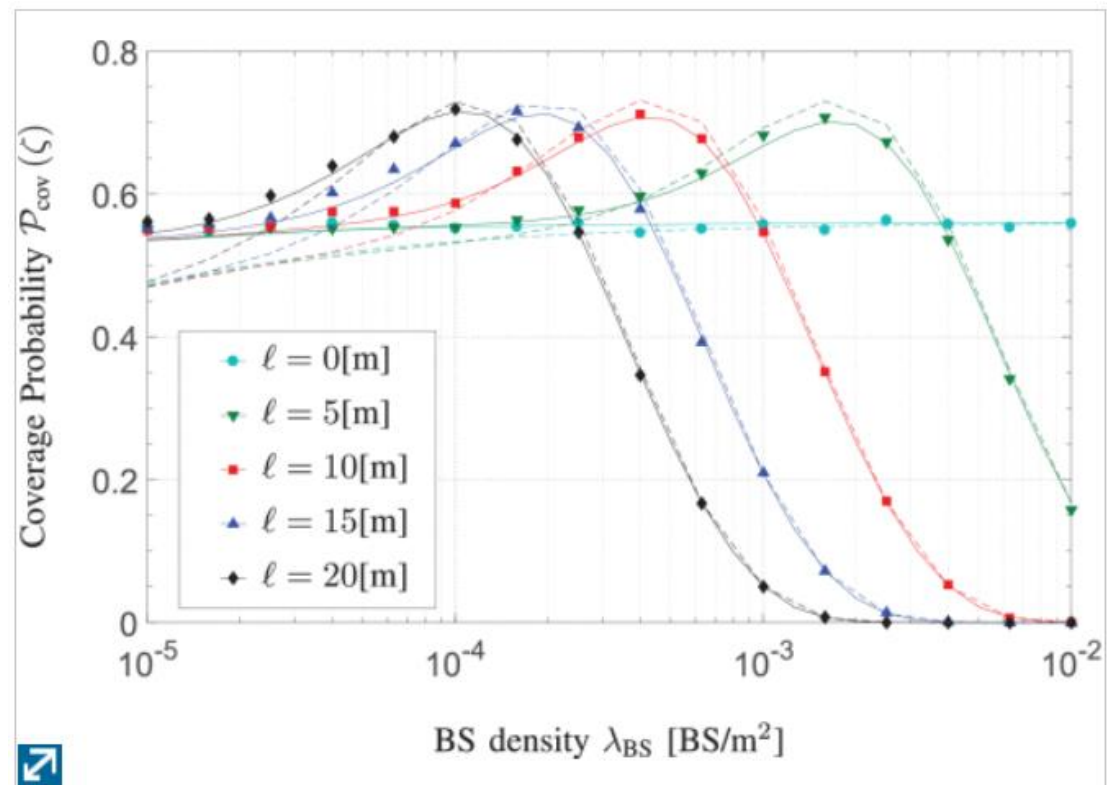


Fig. 3.
 $\mathcal{P}_{\text{cov}}(\zeta)$ versus λ_{BS} for difference values of ℓ with $\zeta = 1$.

Questions?

Thank you