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This branch is [10 commits ahead](#), [9 commits behind](#) master.

lmcm18 fixed learning goals ...

on Oct 28, 2019  14[View code](#) README.md

# The Standard Normal Distribution - Lab

## Introduction

In the previous lesson, you learned about the formula of the  $z$ -score, and looked at a few toy examples to explain an observation's standard score for normally distributed data. In this lab, you'll practice by standardizing and visualize some normal distributions.

## Objectives

You will be able to:

- Calculate and interpret the  $z$ -score (standard score) for an observation from normally distributed data
- Visualize data before and after standardization to visually inspect the results

# Let's get started

A  $z$ -score can help identify how many standard deviations above or below the mean a certain observation is. Every time you obtain a  $z$ -score, use "above" or "below" in your phrasing.

The yields of apple trees in an orchard have been recorded in the file `yield.csv` . Each observation is recorded by weighing apples from trees (in pounds) and adding their weights. There are 5000 observations in total for this data.

## Load, visualize and give general comments about the dataset

Use pandas for loading and inspecting the data.

```
# Import libraries
import numpy as np
import seaborn as sns
import pandas as pd

# Read the yield data as a dataframe
df = pd.read_csv('yield.csv')
df.head()
```

<style scoped> .dataframe tbody tr th:only-of-type { vertical-align: middle; }

```
.dataframe tbody tr th {
    vertical-align: top;
}

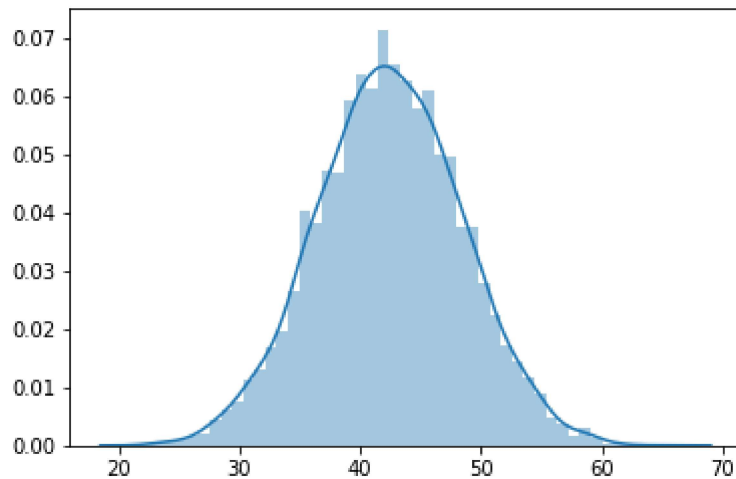
.dataframe thead th {
    text-align: right;
}
```

</style>

	0
0	39.741234
1	39.872055
2	44.331164

	0
3	46.600623
4	40.694984

```
sns.distplot(df);
```



```
# Your comments about the data here
```

```
# The data is normally distributed as shown by the density curve
```

## Briefly explain what each value represents in this data set

```
# Your answer here
```

```
# Each value represents the yield from a single tree in terms of total weight of app  
# that were obtained from this tree
```



## Define the interval bounds which contain 99% of the observations

Hint: Recall the empirical rule related to  $3\sigma$ .

```
# Perform any calculations necessary here  
mean = df.mean()
```

```
sd = df.std()
mean, sd
```

```
(0    42.407624
 dtype: float64, 0    6.003697
 dtype: float64)
```

```
# Write your answer here
```

```
# the mean value is 42.4 and the standard deviation is around 6
# 68% of tree yields have weight between (42.4 - 6) 36.4 and (42.4 + 6) 48.4 pounds;
# 95% between 30.4 and 54.4;
# Almost all between 24.4 and 60.4 pounds
```

---

## Compute and interpret the z-score for a tree yielding 35 pounds of apples

---

```
# Calculate z
z = (35 - mean)/sd
z
```

```
0    -1.233844
 dtype: float64
```

```
# Interpret the result
```

```
# This tree's yield is 1.23 standard deviations below the mean yield.
```

---

## Suppose a tree has a z-score of 1.85. Interpret this z-score. What is the yield of this tree?

---

```
# Interpret the z score
```

```
# This tree's yield is 1.85 standard deviations above the mean
```

```
X = mean + 1.85*sd
```

```
X
```

```
0    53.514462
```

```
dtype: float64
```

```
# What is the yield ?
```

```
# Yield of this tree is 53.5 pounds.
```

## Convert each tree's yield to a z-score so the new variable is the "z-score for weight"

---

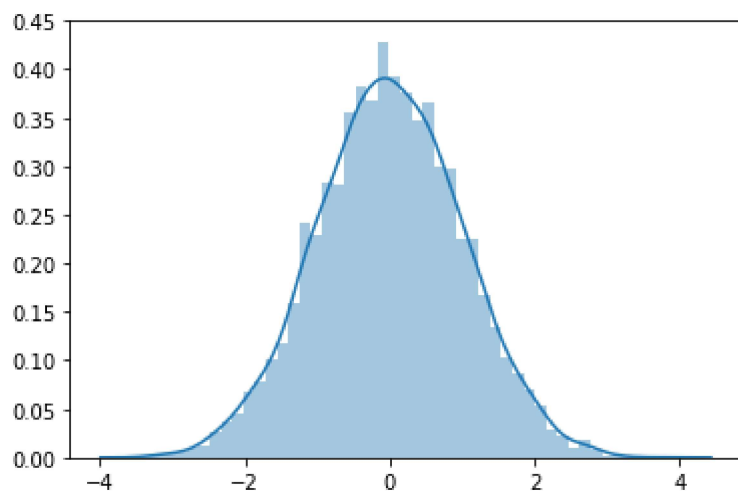
The units are still the apple trees. For the data set of all z-scores:

- What is the shape?
- The mean?
- The standard deviation?

```
z_data = [(x - df['0'].mean())/df['0'].std() for x in df['0']]
sns.distplot(z_data)
mean = np.mean(np.array(z_data))
sd = np.std((np.array(z_data)))
print ('Mean:', round(mean,2))
print ('SD:', round(sd,2))
```

```
Mean: 0.0
```

```
SD: 1.0
```



```
# Your observations

# It is a standard normal distribution
# Mean is 0 (it is a very small figure that rounds off to 0)
# SD is 1
# This is obvious because we standardised the whole distribution
```

## Summary

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In this lab, you practiced your knowledge of the standard normal distribution!

### Releases

No releases published

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### Packages

No packages published

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### Contributors 6



### Languages

● Jupyter Notebook 100.0%