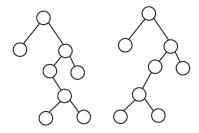
CSC-361: Problem Set for Binary Search Trees

- 1. Indicate true / false for each statement. For these statement, you may assume the *visit* operation prints the key stored at the node.
 - (a) It is possible for a levelorder traversal of a binary search tree to result in an ordered list of keys.
 - (b) It is possible for a levelorder traversal of a binary search tree to result in a reverse-ordered list of keys.
 - (c) A binary search tree can store arbitrary objects as keys.
 - (d) The inorder predecessor of the minimum node in a binary search tree does not exist.
 - (e) For every node except the minimum node in a binary search tree, the inorder predecessor of a node n corresponds to the maximum of the left subtree of n.
 - (f) The search operation for a binary search tree consisting of n > 0 nodes is O(n).
 - (g) In the best case, the search operation in a binary search tree consisting of n > 0 nodes is $\Theta(1)$.
- 2. Show that the maximum number of nodes in a binary tree of height h is $2^{h+1} 1$.
- 3. Suppose T_1 and T_2 are binary search trees with respective roots r_1 and r_2 . Given a node u, let LEFT(u) and RIGHT(u) refer to the respective left and right children of u. We say that T_1 and T_2 are isomorphic if they have the exact same structure (in other words, the drawings of T_1 and T_2 are the same). For example, the two binary search trees below are not isomorphic.



Give pseudocode for $isIsomorphic(T_1, T_2)$ which determines if two binary search trees are isomorphic. Assume ROOT(T) returns the root of a tree T.