7205 HW5

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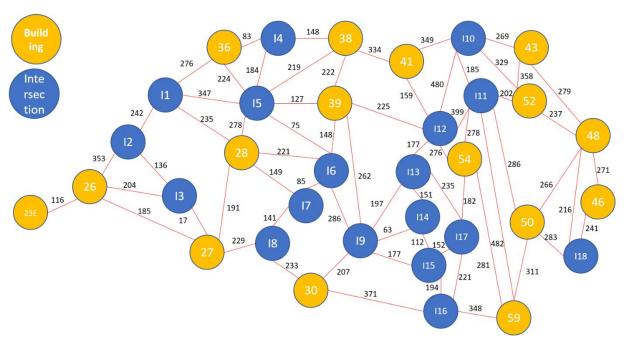
Q1:

Undirected graph drawing

Select 16 buildings which makes the graph has four buildings from each one of the following numbering ranges:

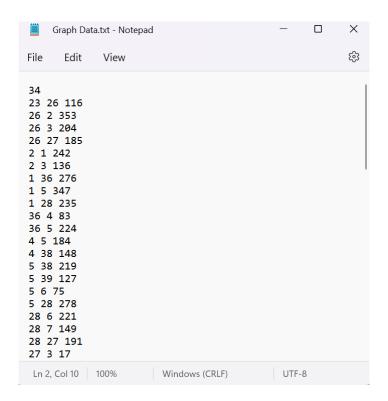
20's: 23, 26, 27, 28 30's: 30, 36, 38, 39 40's: 41, 43, 46, 48 50's: 50, 52, 54, 59

Use yellow color to mark the buildings and blue color to mark the intersections. And the undirected graph is drawn as follows:



Create a text file

The text file includes the total number of vertices followed by the data of the graph edges. For each edge, provide its <vertex1> <vertex2> <distance>. Because the numbers of buildings are all greater than 20, I use the number under 20 to the intersections which making sure that they are different than the used building numbers. And the text file is as follows:



Store the vertices and edges

The program reads the '.txt' file and use an array to map the program indices to the user-friendly building and intersections numbers as stored in the text file. The first number in the file is the total number of the vertices. The remaining integers in groups of three represent an edge. When the program reads the first two integers in a group, first determines whether it is a building or an intersection. Then the program determines whether the vertex has been recorded in the array. If it is already in the array, record the index. Else store the numbers of buildings in the first fifteen positions of the array and store the numbers of intersections in the rest of the array. Then record the index.

```
// Read the next integer
try { inf >> x; }
catch (std::ifstream::failure e){
   break;
}
// Bulidings
if (x >= 20) {
   for (i = 0; i < count1; i++)
       if (x == ver[i]) // If this vertice is already been recorded, jump out
           break;
   if (i == count1) // If it is a new vertice, then record it
       ver[count1++] = x;
   v1 = i; // Record index
else {
    for (j = 16; j < count2; j++)
       if (x == ver[j]) // If this vertice is already been recorded, jump out
   if (j == count2) // If it is a new vertice, then record it
       ver[count2++] = x;
   v1 = j; // Record index
```

▲ € s ver	0x00c394d8 {23, 26, 27, 36, 28, 38, 39, 41, 30, 54, 43, 52, 59, 50, 48, 46, 2, 3, 1, 5, 4, 6, 7, 8,}	int[50]
∅ [0]	23	int
∅ [1]	26	int
€ [2]	27	int
② [3]	36	int
	28	int
€ [5]	38	int
∅ [6]	39	int
● [7]	41	int
€ [8]	30	int
∅ [9]	54	int
② [10]	43	int
② [11]	52	int
② [12]	59	int
② [13]	50	int
 	48	int
○ [15]	46	int
₽ [16]	2	int
№ [17]		int
₽ [18]		int
② [19]	5	int
② [20]	4	int
₽ [21]	6	int
₽ [22]		int
₽ [23]	8	int
● [24]	12	int
② [25]	9	int
② [26]	10	int
② [27]	11	int
② [28]	13	int
€ [29]	17	int
♥ [30]	14	int
② [31]	15	int
② [32]	16	int
	18	int

Store the edges in a two-dimensional array 'edge', such as 'edge[i][j]' represents distance from 'vertice I' to 'vertice j'

```
// Record the distance
edges[v1][v2] = x;
edges[v2][v1] = x;
```

Dijkstra

When calculating the shortest path in the graph by Dijkstra, the starting point 'start' needs to be specified.

Furthermore, three arrays P, S, and D are introduced. The role of P is to record the vertices for which the shortest path has been found (and the corresponding shortest path length), while S is to record the vertices for which the shortest path has not been found. And D is to record the distance from the vertex to the starting point).

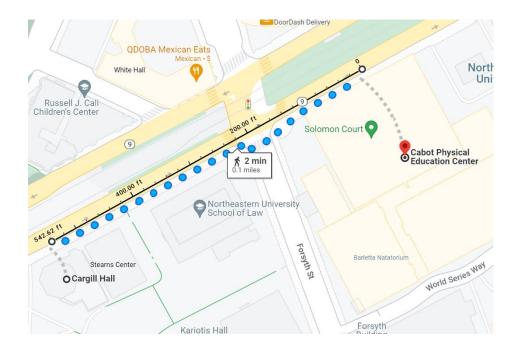
Initially, there is only the starting point 'start' in P; there are vertices other than 'start' in S, and the path of the vertices in D is "the path from the starting point s to this vertex". Then, find the vertex with the shortest path from S and add it to P; then, update the vertex in S and the path corresponding to the vertex. Then, find the vertex with the shortest path from S and add it to P; then, update the vertex in S and the path corresponding to the vertex. ... repeat this operation until all vertices have been traversed.

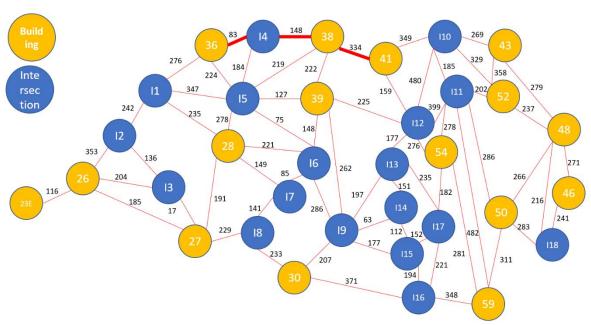
```
for (i = 0; i < n; i++)
    D[i] = C[v1][i];
    if (D[i] != 10000) // There is a path between i and start
       P[i] = start;
    P[i] = -1;
for (i = 0; i < n; i++)
   S[i] = 0;
// Initialize "vertex start" itself
S[v1] = 1;
D[v1] = 0;
for (i = 0; i < n - 1; i++)
    min = inf;
    // Find the current smallest path
    for (j = 0; j < n; j++)
        if ((!S[j]) && (D[j] < min)) // Find a shorter vertice
           min = D[j];
            k = j;
    S[k] = 1; // Mark vertex k as having obtained the shortest path
    // Correct the current shortest path and predecessor vertices
    for (j = 0; j < n; j++)
        if ((!S[j]) && (D[j] > D[k] + C[k][j]))
            D[j] = D[k] + C[k][j];
            P[j] = k;
```

Result

Case1: 41 -> 36

```
Please input the number of start building: 41
Please input the number of destination building: 36
The shortest distance between two buildings: 565
The shortest path between the two buildings is:
36<--4<--38<--41
```





Case2: 28 -> 39

Please input the number of start building: 28
Please input the number of destination building: 39
The shortest distance between two buildings: 369
The shortest path between the two buildings is:
39<--6<--28

