## Functional and logic programming - written exam -

## **Important:**

- 1. Subjects are graded as follows: By default 1p; A − 2p; B 4p; C 3p.
- 2. Prolog problems will be resolved using SWI Prolog. The following are required: (1) explanation of the code and of the reasoning behind it; (2) recursive model that solves the problem, for all the predicates used; (3) specification of every predicate (parameters and their meaning, flow model, type of the predicate deterministic/non-deterministic).
- 3. Lisp problems will be resolved using Common Lisp. The following are required: (1) explanation of the code and of the reasoning behind it; (2) recursive model that solves the problem, for each function used; (3) specification of every function (parameters and their meaning).
- **A.** Let L be a list of numbers and given the following PROLOG predicate definition with flow model (i, o):

```
f([],-1).

f([H|T],S):-f(T,S1),S1>0,!,S is S1+H.

f([\_|T],S):-f(T,S1),S is S1.
```

Rewrite the definition in order to avoid the recursive call **f(T,S)** in both clauses. Do NOT redefine the predicate. Justify your answer.

**B.** Write a PROLOG program that determines from a list made of integer numbers, the list of subsets with at least 2 elements, composed of numbers in strictly increasing order. Write the mathematical models and flow models for the predicates used. For example for the list  $[1, 8, 6, 4] \Rightarrow [[1,8],[1,6],[1,4],[6,8],[4,8],[4,6],[1,4,6],[1,4,8],[1,6,8],[4,6,8],[1,4,6,8]]$  (not necessarily in this order).

**C.** An n-ary tree is represented in Lisp as ( node subtree1 subtree2 ...). Write a function to replace all nodes on odd levels with a given value **e**. The root level is assumed zero. **A MAP function shall be used.** 

**Example** for the tree (a (b (g)) (c (d (e)) (f))) and e=h => (a (h (g)) (h (d (h)) (h)))