## Exercise 7

Suppose that A = 45 and B = -13, C = 0 and D is a given number.

Notice: The placeholder for A, B, C and D is one byte (8 bits).

**D** is **unknown** and can be any number in the range of **0** and **255**.

| D7 | D6 | D5 | D4 | D3 | D2 | D1 | D0 |

- 1. Convert A, B and C to binary and hexadecimal
  - a. A = 0b00101101 = 0x2D
  - b.  $B = \sim 13 + 1 = \sim 0b00001101 + 0b00000001 = 0b11110011 = 0xF3$
  - c. C = 0b00000000 = 0x00
- 2. Calculate A + B, A B, C A and B A.
  - a.  $A + B = \mathbf{0b}00101101 + \mathbf{0b}11110011 = \mathbf{0b}00100000$
  - b. A B = 0b00101101 0b11110011 = 0b00111010
  - c. C A = 0b000000000 0b00101101 = 0b11010011
  - d. B A =**0b**11110011 -**0b**00101101 =**0b**11000110
- 3. Perform the following operations.
  - a.  $A \mid B = 0b00101101 \mid 0b11110011 = 0b11111111$
  - b. A & B = 0b00101101 & 0b11110011 = 0b00100001
  - C.  $A \wedge B = 0b00101101 \wedge 0b11110011 = 0b11011110$
  - d. A << 3 = 0b00101101 << 3 = 0b01101000
  - e. B >> 2 = 0b11110011 >> 2 = 0b11111100
  - f. C >> 5 = 0b000000000 >> 5 = 0b000000000
  - g. (A << 3) >> 3 = (0b00101101 << 3) >> 3 = 0b01101000 >> 3 = 0b00001101
  - h.  $(~A \& B) ^ (~C | A) =$ 
    - i.  $(\sim 0b00101101 \& 0b11110011) \land (\sim 0b000000000 | 0b00101101) =$
    - ii. (**0b**11010010 & **0b**11110011) ^ (**0b**11111111 | **0b**00101101) =
    - iii. **0b**11010010 ^ **0b**11111111 = **0b**00101101
- 4. Using bitwise operators and masks
  - a. Set the first and last bits of A: A | 0b10000001 = A | (1 | (1 << 7)) = A | 129
  - b. Toggle (Flip) the third bit of B: B  $^{\circ}$  **0**b00000100 = B  $^{\circ}$  (1 << 2) = B  $^{\circ}$  4

- c. Read the value of 3rd and 4th bits of D (D2 and D3)
  - i.  $(\mathbf{0b}D_7D_6D_5D_4D_3D_2D_1D_0 >> 2) \& \mathbf{0b}00000011 =$
  - ii.  $\mathbf{0b}00D_7D_6D_5D_4D_3D_2 \& \mathbf{0b}00000011 = \mathbf{0b}000000D_3D_2 = (D >> 2) \& 3$
- d. Change the 3rd and 4th bits of D to 10 (D3 to 1 and D2 to 0)
  - i. (D & **0b**11110011) | **0b**0000**10**00 = (D & 243) | 8
  - ii. **0b**11110011 = **~0b**00001100 = **~(0b**00000011 << 2) =  $\sim$ (3 << 2) = 243