

# Consistency-based Semi-supervised Learning for Object Detection

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## Introduction

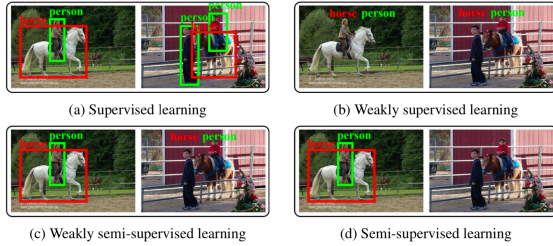


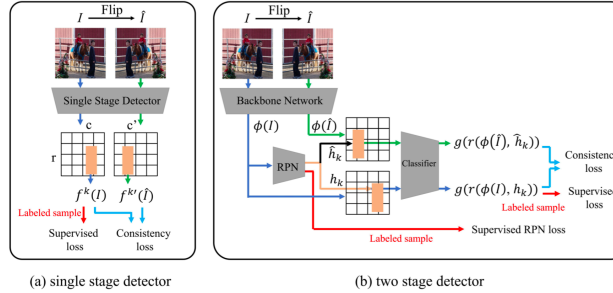
Figure 1: Different types of object detection settings

- Making a precise annotation in a large dataset is crucial to the performance of object detection.
- While the object detection task requires a huge number of annotated samples to guarantee its performance, placing bounding boxes for every object in each sample is time-consuming and costs a lot.
- We propose a novel consistency-based semi-supervised learning algorithm for object detection that can be applied not only to single-stage detectors but also to two-stage detectors.
- The proposed consistency constraints for object detection work well for both the classification of a bounding box and the regression of its location.
- We propose the Background Elimination (BE) method to mitigate the effect of background and show improvement of performance in most cases.

## Related Work

- Semi-supervised learning**
  - Self-training**
    - Training a model using labeled data
    - Predicting unlabeled data with the trained model (sampling and making a pseudo-label)
    - Retraining the model with labeled and sampled unlabeled data
    - Repeating the last two steps until meeting stopping criteria
  - Consistency regularization**
    - Applying perturbations to an input image  $x$  to obtain  $x'$
    - Minimizing the difference between the outputs predictions  $f(x)$  and  $f(x')$

※ It is known to help smooth the manifold (state-of-the-art performance in semi-supervised classification)



## Notations

- $\tilde{I}$  is a horizontally flipped version of  $I$
- $\phi(I)$  is a feature map from backbone network
- $f^{p,r,c,d}(I)$  is corresponding to the  $p^{\text{th}}$  pyramid,  $r^{\text{th}}$  row,  $c^{\text{th}}$  column, and  $d^{\text{th}}$  default box
- $c' = C - c + 1$ ,  $(p,r,c,d) = k$ ,  $(p,r,c',d) = k'$
- $h$  and  $g$  are RoI area and classifier, respectively

## Consistency loss for classification

- The classification consistency loss used for a pair of bounding boxes in our method is given as below.

$$l_{con,cls}(f_{cls}^k(I), f_{cls}^{k'}(\tilde{I})) = JS(f_{cls}^k(I), f_{cls}^{k'}(\tilde{I}))$$

- The overall consistency loss for classification is then obtained from the average of loss values from all bounding box pairs.

$$\mathcal{L}_{con-c} = \mathbb{E}_k[l_{con,cls}(f_{cls}^k(I), f_{cls}^{k'}(\tilde{I}))]$$

## Consistency loss for localization

- Since the flipping transformation makes  $\Delta c \cdot x$  move in the opposite direction, a negation should be applied to correct it.

$$\Delta c \cdot x^k \Leftrightarrow -\Delta c \cdot x^{k'}, \Delta w^k \Leftrightarrow \Delta w^{k'}, \Delta h^k \Leftrightarrow \Delta h^{k'}$$

- The localization consistency loss used for a single pair of bounding boxes in our method is given as below:

$$l_{con,loc}(f_{loc}^k(I), f_{loc}^{k'}(\tilde{I})) = \frac{1}{2}(\|\Delta c \cdot x^k - (-\Delta c \cdot x^{k'})\|^2 + \|\Delta w^k - \Delta w^{k'}\|^2 + \|\Delta h^k - \Delta h^{k'}\|^2)$$

- The overall consistency loss for localization is then obtained from the average of loss values from all bounding box pairs.

$$\mathcal{L}_{con-l} = \mathbb{E}_k[l_{con,loc}(f_{loc}^k(I), f_{loc}^{k'}(\tilde{I}))]$$

- $c' = C - c + 1$ ,  $(p,r,c,d) = k$ ,  $(p,r,c',d) = k'$
- $h$  and  $g$  are RoI area and classifier, respectively

## Application to two-stage detector

- The correspondence matching problem between the region proposals occurs.
- To simplify the problem, the flipped area  $\tilde{h}_k$  is derived by  $h_k$

## Background elimination

- The box which has a high probability of background class is excluded

$$m^k = \begin{cases} 1, & \text{if } \arg\max(f_{cls}^k(I)) \neq \text{background} \\ 0, & \text{otherwise} \end{cases}$$

- Applying the mask to  $\mathcal{L}_{con-c}$  and  $\mathcal{L}_{con-l}$

$$\mathcal{L}_{con-c} = \mathbb{E}_{k \sim m^k}[\mathcal{L}_{con,cls}(f_{cls}^k(I), f_{cls}^{k'}(\tilde{I}))]$$

$$\mathcal{L}_{con-l} = \mathbb{E}_{k \sim m^k}[\mathcal{L}_{con,loc}(f_{loc}^k(I), f_{loc}^{k'}(\tilde{I}))]$$

## Overall loss for object detection

- The total consistency loss is composed of the losses from  $\mathcal{L}_{con-c}$  and  $\mathcal{L}_{con-l}$

$$\mathcal{L}_{con} = \mathcal{L}_{con-c} + \mathcal{L}_{con-l}$$

- The final loss  $L$  is composed of the original object detector and consistency loss

$$L = \mathcal{L}_c + \mathcal{L}_l + w(t) \cdot \mathcal{L}_{con}$$

## Experiments

Table 1: Detection results for PASCAL VOC2007 test set. The first two rows show the performance of each detector by supervised learning. \* is the score from [17, 18]. The following experiments use VOC07 as the labeled data and VOC12 as the unlabeled data, and show the results of the proposed CSD with/without  $\mathcal{L}_{con-c}$  (cls),  $\mathcal{L}_{con-l}$  (loc) and EB. Blue / Red : supervised score (baseline) and Best results. The numbers in the parentheses are the performance enhancement over the baseline.

Labeled data	Unlabeled data	Consistency	Background Elimination	mAP (%)		
		cls	loc	SSD 300	SSD 512	R-FCN
VOC07	-	-	-	68.0*/70.2	71.6*/73.3	73.9
VOC0712	-	-	-	74.3*/77.2	76.8*/79.6	79.5
VOC07	VOC12	-	-	71.6 (1.4)	74.6 (1.3)	74.0 (0.1)
		✓	✓	72.2 (2.0)	74.6 (1.3)	73.9 (0.0)
		✓	-	72.0 (1.8)	74.8 (1.5)	74.0 (0.1)
VOC07	VOC12	✓	✓	71.7 (1.5)	75.4 (2.1)	74.3 (0.6)
		✓	✓	71.9 (1.7)	75.2 (1.9)	74.4 (0.5)
		✓	✓	72.3 (2.1)	75.8 (2.5)	74.7 (0.8)

Table 2: Detection results on PASCAL VOC2007 test set. "COCO": All 80 classes. "COCO+": 20 PASCAL VOC classes.

Labeled data	Unlabeled data	CSD Method (mAP)		
		SSD300	SSD512	R-FCN
VOC07	-	70.2	73.3	73.9
VOC07	VOC12	72.3	75.8	74.7
	VOC12+COCO <sup>§</sup>	71.7	75.1	74.9
	VOC12+COCO <sup>†</sup>	72.6	75.9	75.1

Table 3: Effects of using Background Elimination (BE) on SSD300 performance.

VOC07(L)+VOC12(U)	mAP
without BE	72.0
BE with $m^k$	72.3
BE with $m^k \otimes m^{k'}$	71.7

## Discussion

### Consistency regularization with only labeled data

- The consistency loss does not affect the improvement of performance for labeled data.

### Single-stage detector vs. Two-stage detector

- While we can expect to improve performance in the classifier, it is hard to expect additional performance improvement of RPN.
- As a result, the two-stage detector has less performance improvement than the single-stage detector.

### Background Elimination

- We apply BE to reduce the effect of the background and show that BE is helpful in improving the performance.
- However, getting rid of too many samples is not helpful in learning

### Datasets

- The ratio of labeled/unlabeled class mismatch decides the amount of improvement.

### Self-training vs. Consistency regularization

- As it is an iterative method which cycles training, prediction of unlabeled data and changing the training dataset, it is time-consuming and computationally intensive
- Meanwhile, CR method which trains unlabeled data with an additional loss helps the more common and robust learning.