## Diffusion in Semiconductors via PINNs

## General idea

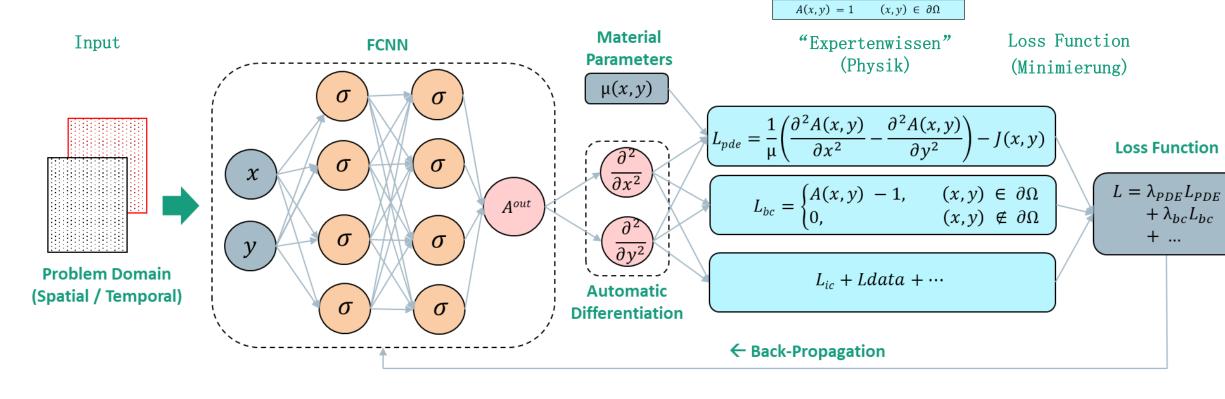
- Diffusion in semiconductors is an extremely relevant topic:
  - Dopants are implanted and annealed and will diffuse during this process
  - During annealing diffusion can repair crystalline damage
  - Silicides are used to create good ohmic contacts, they are created by diffusing metal into semiconuctor material
- Diffusion processes can be simulated by diffusion-reaction equations and appropriate boundary conditions
- Diffusion-reaction equations are partial differential equations (PDEs) that incorporate different ways for different particles to diffuse or react with other kinds of particles



## **Diffusion of Defects via PINNs**

Physics-Informed Neural Networks (PINNs)

• General idea: PDEs and boundary conditions get implemented as a loss function

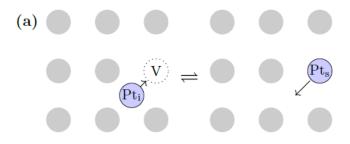


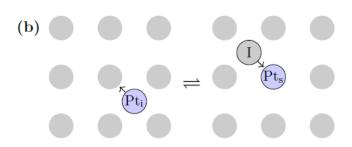
 $1\left(\frac{\partial^2 A(x,y)}{\partial x^2} - \frac{\partial^2 A(x,y)}{\partial x^2}\right) = J(x,y)$ 

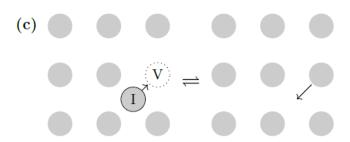
## What has been done

## Diffusion von Pt in Si

- Intrinsic point defects in Si: Vacancies (V) and Self-Interstitials (I)
- Pt can take substitutional (s) or interstitial (i) position
- Different possible processes that can lead to the diffusion of of Pt:
  - Frank-Turnbull Mechanism (a)
  - Kick-out Mechanism (b)
  - Recombination (c)
- In total 4 PDEs for concentrations of Pt<sub>s</sub>, Pt<sub>i</sub>, I und V
- Concentration of Pt shows a characteristic U-Shape during the annealing process









## Reaction-Diffusion Model of SiC Silicidation

#### Basic Model [1]:

$$\frac{\partial C_{Ni}}{\partial t} = \frac{\partial}{\partial x} \left( D^* \frac{\partial C_{Ni}}{\partial x} \right) - k_{11} C_{Ni} C_{SiC} - k_{21} C_{Ni} C_{NiSi}$$

$$\frac{\partial C_{SiC}}{\partial t} = \frac{\partial}{\partial x} \left( D^* \frac{\partial C_{SiC}}{\partial x} \right) - k_{11} C_{Ni} C_{SiC} - k_{12} C_{NiSi} C_{SiC}$$

$$\frac{\partial C_C}{\partial t} = \frac{\partial}{\partial x} \left( D^* \frac{\partial C_C}{\partial x} \right) + k_{11} C_{Ni} C_{SiC} + k_{12} C_{SiC} C_{NiSi}$$

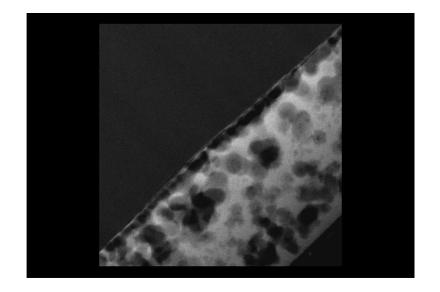
$$\frac{\partial C_{NiSi}}{\partial t} = k_{11}C_{Ni}C_{SiC} - k_{21}C_{Ni}C_{NiSi}$$

$$\frac{\partial C_{NiSi_2}}{\partial t} = k_{12} C_{SiC} C_{NiSi}$$

$$\frac{\partial C_{Ni_2Si}}{\partial t} = k_{21}C_{Ni}C_{NiSi}$$

#### Additional Conditions:

- Boundary conditions
- Initial conditions



[1] Aleksandrov et al., Semiconductors 43, 885 (2009)

# AI - Methods

Physics-Informed Neural Network (PINN) Optimizing a Discrete Loss (ODIL)

Kolmogorov-Arnold Networks (KANs)

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