# Software Verification

Bounded Box

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### Outline



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## Project - Domain



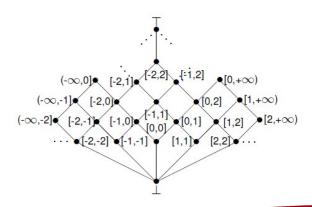
We have chosen the **Bounded Box Domain**, which is a parametric restriction of the interval abstract domain *Int*:

```
Given m, n \in \mathbb{Z} \cup \{-\infty, +\infty\}, then \operatorname{Int}_{m,n} := \{\varnothing, \mathbb{Z}\} \cup \{[k,k] \mid k \in \mathbb{Z}\} \cup \{[a,b] \mid a < b, \ [a,b] \subseteq [m,n]\} \cup \{(-\infty,k] \mid k \in [m,n]\} \cup \{[k,+\infty) \mid k \in [m,n]\}
```

## Project - Domain



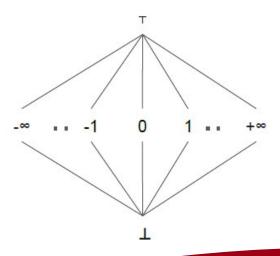
Bounded Box with m = -2, n = 2



# Project - Domain



#### Bounded Box with m > n



### Project - Jandom

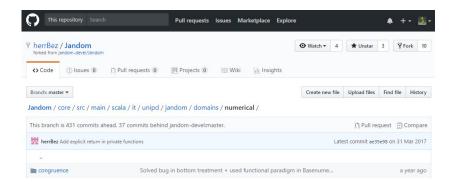


- Static Analyzer for Numerical and Object Domains (forse togliere object)
- Jandom was created at the University of Chieti-Pescara
- It's a buildup of **RANDOM**, which analyzes **R** code
- Jandon is written in Scala
- Jandom analyzes JVM bytecode using **Soot**

### Project - Jandom



We've extended Jandom from this repository created by University of Padua' students



### Our Contribution



#### We have:

- Implemented the Integer Interval Domain
- Implemented Bounded Box Domain specializing the previous domain, because abstract operators of both domains are very similar

### Our Contribution



Abstract sum operator algorithm in Bounded Box Domain.

- **1** Execute sum operator of Interval Domain.  $[a, b] + \frac{\#}{h} [c, d] = [a + c, b + d] = [e, f]$
- [e, f] must be represented as an element of Bounded Box Domain

$$[e,f] = \begin{cases} \top^{\#} & e < m \land f > n \\ [n,+\infty) & e \ge n \land e \ne f \\ [e,+\infty) & e < n \land f > n \\ (-\infty,m] & f \le m \land e \ne f \\ (-\infty,f] & f > m \land e < m \\ [e,f] & otherwise \end{cases}$$

#### Our Contribution



#### Abstract reminder operator algorithm in Box Domain

$$[a,b]\%_b^\#[c,d] = \begin{cases} \top^\# & [c,d] = \top^\# \\ \bot^\# & [a,b] = \bot^\# \lor [c,d] = \bot^\# \lor [c,d] = [0,0] \\ [0,0] & [a,b] = [0,0] \\ [0,d-1] & c \ge 0 \\ [c+1,0] & d \le 0 \\ [c+1,d-1] & \textit{otherwise} \end{cases}$$

#### Our contibution



We have defined a new type, called Inflnt, to:

- 1 model infinity values with Integer type
- 2 overload operations between integer number
- 3 simplify further contribution

#### Example

$$(+\infty) + n = +\infty$$
$$(+\infty) \times (-\infty) = -\infty$$
$$(+\infty) \div (+\infty) = 0$$

# First Example

