Scientific calculation often needs to operate values with many digits or with high precision. However, the built-in data types only provide a fixed size for representing values. A common way to address the issue is to provide a class for big integer, which can manipulate integers with arbitrary number of digits.

Your goal is to provide a class BigInt for representing the big integer with a string of digits and a sign. The class BigInt should provide the following functionalities:

- 1. Overload stream insertion operator (<<) to output the class object.
- 2. Overload stream extraction operator (>>) to input the class object.
- 3. Provide proper constructors to initialize an object from a string, and from an long long integer.
- 4. Provide copy constructor.
- 5. Overload addition operator (+) to add two class objects.
- 6. Overload subtraction operator (-) to subtract two class objects.
- 7. Overload relational operators (> and <), and equality operators (== and !=) to compare two class objects.

The above overloaded operators should behave as if they perform on the built-in integer types.

The implementation of addition and subtraction can be simplified as two cases A + B and A - B, where A and B are both positive integers. For addition, we have:

$$-A + B = B - A, A + (-B) = A - B, -A + (-B) = -(A+B),$$

and for subtraction, we have:

$$-A - B = -(A+B), A - (-B) = A + B, -A - (-B) = B - A$$

Therefore the eight cases of addition and subtraction are reduced to two cases, and the sign of the result is determined by the magnitude.

Requirement: Use the sample main function to complete your program. Provide a class Banker satisfying all of the above conditions and separate the interface (BigInt.h) and the implementation (BigInt.cpp).

# **Prohibited: Use C-style input/output.**

### Input

Each case contains two integers  $n_1$  and  $n_2$ . The input ends with an asterisk (\*).

#### Output

For each case, output the two input big integers, check and output the relation of the two big integers, and output their sum  $(n_1 + n_2)$  and difference  $(n_1 - n_2)$ .

#### **Sample Input**

- -8094882455171152761423221685761892795431233411387427793198650286024865

461821197629520039181953252586772294196982554912508393967

-569357665825441616335532825361862146291503649293440596342887581

## **Sample Output**

Big Integer 1: -8094882455171152761423221685761892795431233411387427793198650286024865

Big Integer 2: -8061389344606618496378829135984076361542097372601657541200146071

Big Integer 1 is less than Big Integer 2.

The sum of them is: -8094890516560497368041718064591028779507594953484800394856191486170936

The difference of them is: -8094874393781808154804725306932756811354871869290055191541109085878794

Big Integer 1: 461821197629520039181953252586772294196982554912508393967

Big Integer 2: -569357665825441616335532825361862146291503649293440596342887581

Big Integer 1 is greater than Big Integer 2.

The sum of them is: -569357204004243986815493643408609559519209452310885683834493614

The difference of them is: 569358127646639245855572007315114733063797846275995508851281548