

A Quick Tour

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Outline

- What is PyTorch?
- Evaluating derivatives with PyTorch
- Maximum likelihood using Gradient Descent
- Feedforward Neural Networks for Face Recognition
- REINFORCE with PyTorch
- Assumptions
 - You haven't used PyTorch before
 - You know basic machine learning
 - You want to know more about writing ML algorithms from scratch and understanding PyTorch/TF code better
- https://github.com/guerzh/pytorch_tutorial
 - git clone https://github.com/guerzh/pytorch_tutorial

What is PyTorch

- Python library
- > Tensor objects
 - Tensors are similar to NumPy n-d array
 - Matrix multiplication is sped up with GPUs
- Variable objects
 - Variables wrap Tensor objects
 - Variables can be operated on similarly to Tensors
 - We can automatically differentiate Variables
- A torch.nn module enable quick and concise definition of neural network architectures
- Nice built-in support for vision applications (e.g., pretrained VGG-16)

Evaluating derivatives with PyTorch

> See The Basics of PyTorch.ipynb

Maximum Likelihood

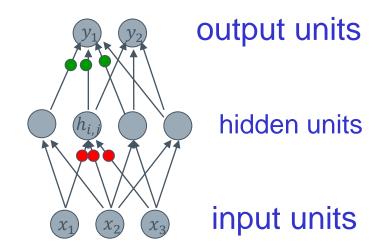
- A biased coin has a probability of θ of coming up Heads (1) and a probability of (1θ) of coming up Tails (0)
- ightharpoonup Likelihood: $P(data|\theta) = \prod_i \theta^{t_i} (1-\theta)^{(1-t_i)}$
 - $\succ t_i$ is 1 if the i-th toss comes up Heads and 0 otherwise
- Maximize the Likelihood (equivalently, the log-Likelihood) to find the θ for which the sample data is as plausible as possible
- See Maximum Likleihood for Bernoulli with PyTorch.ipynb

$$h_{i,j} = g(W_{i,j}x)$$

$$= g\left(\sum_{k} W_{i,j,k}x_k + b_{i,j}\right)$$

g is the activation function

We'll use g = ReLU
$$ReLU(x) = \begin{cases} x, x > 0 \\ 0, otherwise \end{cases}$$



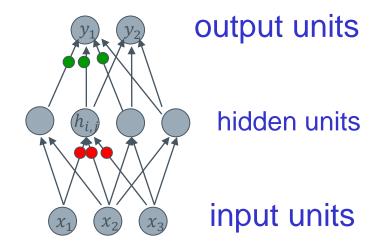
$$\hat{z}_i = \frac{\exp(y_i)}{\sum_j \exp(y_j)}$$

Possible cost function:

$$-\sum_{i} z_{i} \log(\hat{z}_{i})$$

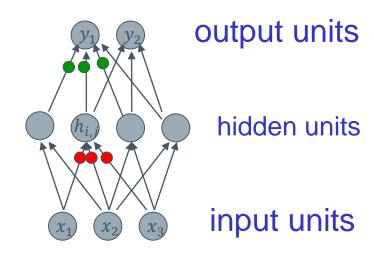
$$z_{i} = \begin{cases} 1, & \text{if } i \text{ is the correct answer} \\ & \text{0, otherwise} \end{cases}$$

For a single case, we are computing the negative log probability of the *correct answer*



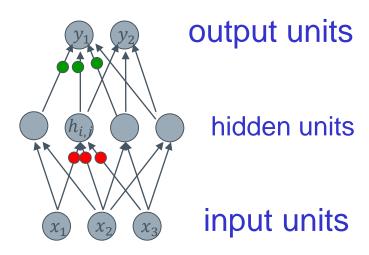
To learn a network:

Minimize the sum of the cost functions for every training case



See

Face Recognition with PyTorch.ipynb
Lower-level Programming with PyTorch.ipynb



Reinforcement Learning with Policy Gradients

- ➤ An agent interacts with the environment
- In an episode, an agent interacts with the environment for n steps
- At time-step t, the observed state is S_t , and an agent takes action A_t with probability $P_{\theta}(A_t|S_t)$
- \blacktriangleright The parameter vector θ determines the policy that the agent follows
- \triangleright We want to learn the policy θ

The Iterated Prisoner's Dilemma

- ➤ Two prisoners are considering whether to give evidence to the police
- Prisoners cooperate with each other: each is penalized by -1
- One prisoners cooperates (stays mum) and one defects (talks): the defector is penalized by 0, the cooperator is penalized by -3
- ➤ Both defect: each is penalized by -2

REINFORCE

Repeat

Generate an episode

For each step of the episode

 $G_t \leftarrow$ return from step t (i.e., total rewards)

$$\theta \leftarrow \theta + \alpha \gamma^t \nabla_\theta \log \pi_\theta(A_t | S_t)$$

- This is gradient descent on the parameters of the policy
 - Pretty remarkable!

REINFORCE

See

REINFORCE with PyTorch.ipynb

Thank you!

Questions?