Assignment_11

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24.

- a) is not equivalence relation
- b) is equivalence relation
- c) is equivalence relation

30.

- a) $[010]_R=a\in A|The\ first\ three\ bits\ of\ s\ are\ 010$
- b) $[1011]_R=a\in A|The\ first\ three\ bits\ of\ s\ are\ 101$
- c) $[11111]_R = a \in A|The\ first\ three\ bits\ of\ s\ are\ 111$
- d) $[01010101]_R=a\in A|The\ first\ three\ bits\ of\ s\ are\ 010$

36.

- a) $[4]_R \{x | x \ mod \ 2 = 0\}$
- **b)** $[4]_R \{x | x \ mod \ 3 = 1\}$
- c) $[4]_R \{x | x \mod 6 = 2\}$
- d) $[4]_R \{x | x \ mod \ 8 = 4\}$

- (a) A partition
- (b) Not a partition
- (c) A partition
- (d) Not a partition

44.

- (a) A partition
- (b) Not a partition
- (c) A partition
- (d) A partition
- (e) Not a partition
- 4. Multigraph
- 8. Directed Multigraph

12.

Proof:

Symmetric

Let $(a,b) \in R$

So there is an edge betwween a and b.

We know the edge is undirectied.

$$(b,a)\in R$$

Reflexive

There is a loop at every vertex,

So
$$orall a, (a,a) \in R$$

 ${\cal R}$ is symmetric and reflexive.

22.

