

BidirectionalDijkstra(G, s, t)

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 $G^R \leftarrow \text{ReverseGraph}(G)$ 
Fill  $\text{dist}, \text{dist}^R$  with  $+\infty$  for each node
 $\text{dist}[s] \leftarrow 0, \text{dist}^R[t] \leftarrow 0$ 
Fill  $\text{prev}, \text{prev}^R$  with None for each node
 $\text{proc} \leftarrow \text{empty}, \text{proc}^R \leftarrow \text{empty}$ 
do:
     $v \leftarrow \text{ExtractMin}(\text{dist})$ 
    Process( $v, G, \text{dist}, \text{prev}, \text{proc}$ )
    if  $v$  in  $\text{proc}^R$ :
        return ShortestPath( $s, \text{dist}, \text{prev}, \text{proc}, t, \dots$ )
     $v^R \leftarrow \text{ExtractMin}(\text{dist}^R)$ 
    repeat symmetrically for  $v^R$  as for  $v$ 
while True
```

Relax($u, v, \text{dist}, \text{prev}$)

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if  $\text{dist}[v] > \text{dist}[u] + w(u, v)$ :  
     $\text{dist}[v] \leftarrow \text{dist}[u] + w(u, v)$   
     $\text{prev}[v] \leftarrow u$ 
```

Process(u , G , dist, prev, proc)

for $(u, v) \in E(G)$:

 Relax(u , v , dist, prev)

proc.Append(u)

ShortestPath($s, \text{dist}, \text{prev}, \text{proc}, t, \text{dist}^R, \text{prev}^R, \text{proc}^R$)

```
 $distance \leftarrow +\infty, u_{best} \leftarrow \text{None}$   
for  $u$  in  $\text{proc} + \text{proc}^R$ :  
    if  $\text{dist}[u] + \text{dist}^R[u] < distance$ :  
         $u_{best} \leftarrow u$   
         $distance \leftarrow \text{dist}[u] + \text{dist}^R[u]$   
 $path \leftarrow \text{empty}$   
 $last \leftarrow u_{best}$   
while  $last \neq s$ :  
     $path.\text{Append}(last)$   
     $last \leftarrow \text{prev}[last]$   
 $path \leftarrow \text{Reverse}(path)$   
 $last \leftarrow u_{best}$   
while  $last \neq t$ :  
     $last \leftarrow \text{prev}^R[last]$   
     $path.\text{Append}(last)$   
return ( $distance, path$ )
```