

Synopsis

Deep learning methods have been developed to estimate quantitative maps from conventional weighted images, which has the potential to improve the availability and clinical impact of quantitative MRI. However, high-resolution labels required for network training are not commonly available in practice. In this work, a hybrid supervised and physics-informed self-supervised loss function was proposed to train parameter estimation networks when only limited low-resolution labels are accessible. By taking advantage of high-resolution information from the input weighted images, the proposed method generated sharp quantitative maps and had improved performance over the supervised training method purely relying on the low-resolution labels.

Introduction

Quantitative MRI has the benefits of improved reproducibility and sensitivity when compared with conventional weighted MRI^{1,2}. Recently, deep learning (DL) methods have been developed to estimate quantitative parameter maps from conventional weighted images commonly used in clinical practice^{3,4}. These approaches do not require the actual acquisition of specialized quantitative MRI sequences and thus may remarkably improve the availability and clinical impact of quantitative MRI. However, high-resolution label maps required for the training of neural networks are hard to obtain. In this study, we propose to use an additional physics-informed self-supervised edge loss to train networks with low-resolution quantitative maps as labels. The proposed method is demonstrated to preserve the high-resolution information from the input weighted images even when only limited, low-resolution labels are accessible.

Methods

Data acquisition

Four healthy volunteers were scanned on a 3T Siemens Biograph mMR scanner. Three subjects (417 slices) were used for training and one subject (133 slices) was used for testing. Three conventional weighted contrasts, including T1w MPRAGE, T2w TSE and T2w FLAIR, were acquired with 1 mm isotropic resolution. An MR Multitasking sequence⁵ was used to obtain co-registered T1, T2, and M₀ maps. For the training cases, label maps were acquired with resolution = 1.0×1.0×3.5 mm³. For the testing case, 1 mm isotropic maps were acquired as the reference for performance evaluation. Imaging parameters are listed in Table 1. To highlight the performance differences, sagittal slices of weighted images (1.0×1.0 mm²) and maps (1.0×3.5 mm², interpolated to 1.0×1.0 mm²) were used as inputs and labels for the network, respectively.

Network and loss function

A U-net-based architecture described previously³ was used to estimate T1, T2 maps and an approximate M₀ map from conventional T1w, T2w and T2w FLAIR images. The outputs of the network were passed to a physics model, which generates synthesized weighted images according to Bloch equations (Figure 1). Aside from the supervised loss computed between the network outputs and the low-resolution label maps, a self-supervised loss calculated between the synthesized weighted images and the input high-resolution weighted images was introduced. L1 loss was selected as the supervised loss. For the self-supervised loss, an edge loss⁶ was used to urge the network to preserve the high-frequency information of the inputs, which are higher-resolution than the labels. Specifically, Sobel filters were applied to generate edge maps from the weighted images. A scaling-invariant L1 loss⁷ was used to calculate the differences between the edge maps. The final loss function is

$$\begin{aligned} L_{\text{total}} &= L_{\text{sup}}(\hat{\mathbf{m}}, \mathbf{m}) + \lambda L_{\text{self-sup}}(\hat{\mathbf{i}}, \mathbf{i}) \\ L_{\text{sup}}(\hat{\mathbf{m}}, \mathbf{m}) &= L_1(\hat{\mathbf{m}}, \mathbf{m}) \\ L_{\text{self-sup}}(\hat{\mathbf{i}}, \mathbf{i}) &= L_1(a \cdot \mathbf{S}\hat{\mathbf{i}}, \mathbf{S}\mathbf{i}) \\ a &= \arg \min_a \|a \cdot \mathbf{S}\hat{\mathbf{i}} - \mathbf{S}\mathbf{i}\|_2^2 \end{aligned}$$

where \mathbf{m} is label map, $\hat{\mathbf{m}}$ is estimated map, $\hat{\mathbf{i}}$ is acquired weighted image, \mathbf{i} is synthesized weighted image, \mathbf{S} is a Sobel operator, and λ is a weighting parameter.

Considering the modeling complexity of T2w FLAIR images in the dataset, which were acquired using a SPACE sequence, only T1w MPRAGE and T2w TSE were used in the self-supervised part. For T2w TSE, a simplified signal model derived from 180° turbo spin echo sequence was used.

Evaluation

The proposed hybrid loss function was compared with the baseline supervised loss. Both methods were evaluated on the testing subject with 1.0×1.0 mm² reference maps. Because the reference M₀ maps are not true quantitative proton density maps, the evaluation was only performed on T1 and T2 maps. Quantitative metrics including mean percentage error (MPE), PSNR, SSIM and high-frequency error norm (HFEN)⁸ were calculated between the DL results and the high-resolution reference. Paired t-tests were performed as statistical analysis.

Results

As shown in Figure 2, the proposed method generated much sharper maps than the supervised-only training and preserved the structure details from the weighted images. For quantitative metrics (Table 2), the proposed method achieved significantly lower MPE and HFEN, and significantly higher PSNR and SSIM than the baseline on T1 maps. It also had significantly lower MPE and higher SSIM on T2 maps. No significant difference was observed between the two methods for HFEN and PSNR on T2 maps.

Discussion

The proposed method generated sharp T1 and T2 maps when trained with limited low-resolution labels and achieved better performance than supervised-only training on most of the quantitative metrics. The similar HFEN and PSNR on T2 maps between the two methods may be associated with the imperfect modeling and imperfect references. In this work, a simplified signal model was used for T2w TSE, and T2w FLAIR was not included in the self-supervised training. While the use of scaling-invariant edge loss may enhance the robustness to model imperfection, more precise models and more contrasts in the self-supervised training may further improve the results. Besides, the reference high-resolution maps used for evaluation can have an effective resolution lower than 1.0×1.0 mm² due to aggressive acceleration. The proposed method should be evaluated using references with higher quality and a larger dataset in the future.

Conclusion

A hybrid supervised and self-supervised loss was proposed to improve the DL-based quantitative parameter estimation from conventional weighted images when only limited low-resolution labels are available. The proposed approach significantly improved the accuracy of the resultant quantitative maps compared with supervised learning alone. With this approach, converting qualitative weighted images to quantitative maps with resolution-mismatched labels is feasible, which facilitates its clinical application.

Acknowledgements

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References

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Figures

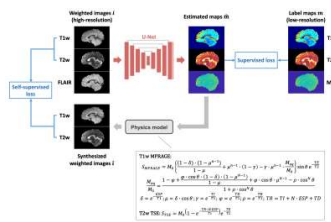


Figure 1. Overview of the proposed approach. The U-net-based network architecture is described in a previous work³. The physics models for T1w MPRAGE and T2w TSE are based on Bloch equations^{9,10}. ESP: echo spacing.

	FOV (mm ³)	Res (mm ³)	TR (ms)	T1 (ms)	TE (ms)	FA (°)
T1w MPRAGE	256×256×160	1.0×1.0×1.0	1900	900	2.93	9
T2w TSE	256×256×176	1.0×1.0×1.0	7010	N/A	93	150
T2w FLAIR	256×256×176	1.0×1.0×1.0	4800	1800	352	variable flip angle
Multitasking	train	240×240×128	1.0×1.0×0.5	r=[14.36,60.40]ms, r ₂ =[113.41,65.91]ms, spin-lock frequency=500Hz, FL=401		
	test	224×224×144	1.0×1.0×1.0	TR/T1=9.4/4.9ms, FA=5°		

Table 1. Imaging parameters

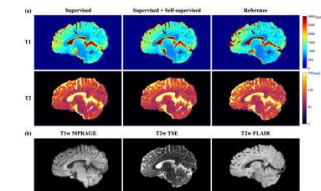


Figure 2. A representative slice of (a) T1, T2 maps from the deep learning results and the reference, (b) input contrast-weighted images. The proposed hybrid supervised and self-supervised training provides much sharper results than the supervised-only training and preserves the structure details from the input weighted images.

		Sup	Sup + Self-sup	P-value
MPE (%)	T1 map	10.36±3.64	10.08±2.96	0.002*
	T2 map	12.33±7.00	11.96±6.71	0.002*
HFEN	T1 map	1.66±0.48	1.58±0.46	<0.001*
	T2 map	0.44±0.13	0.44±0.13	0.176
PSNR	T1 map	30.43±2.61	30.79±2.64	<0.001*
	T2 map	37.52±1.79	37.51±1.78	0.115
SSIM	T1 map	0.962±0.019	0.965±0.017	<0.001*
	T2 map	0.977±0.010	0.977±0.009	<0.001*

Table 2. A summary of quantitative metrics. All metrics were calculated using the direct outputs of the networks, for which both T1 and T2 maps were divided by 3 s. The bold numbers mean better performance than the alternative method in metrics. Asterisks indicate statistically significant differences (P<0.05). MPE: mean percentage error, PSNR: peak signal-to-noise ratio, SSIM: structural similarity index, HFEN: high-frequency error norm.