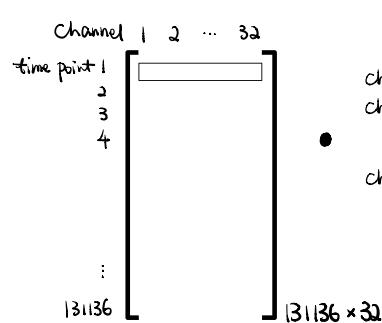
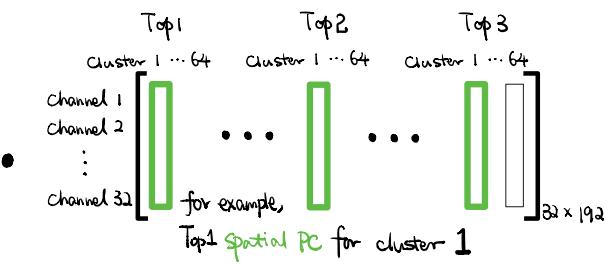


mexMPregrMUCPU.m

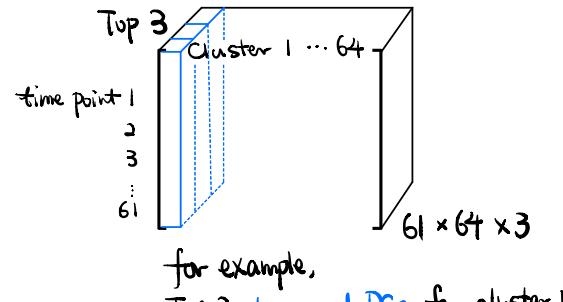
dataRAW



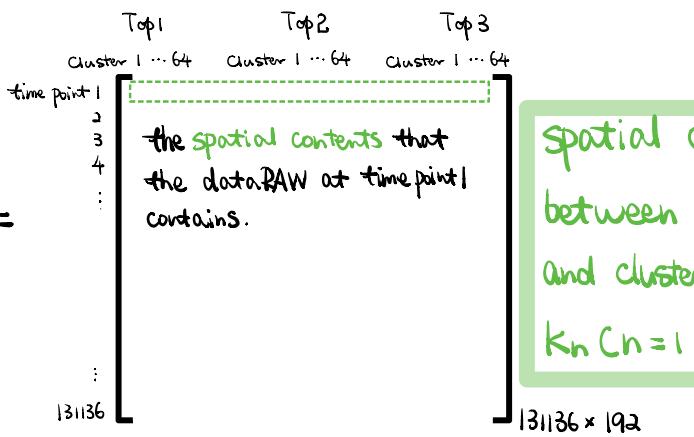
U(:, :, :) Spatial PCs



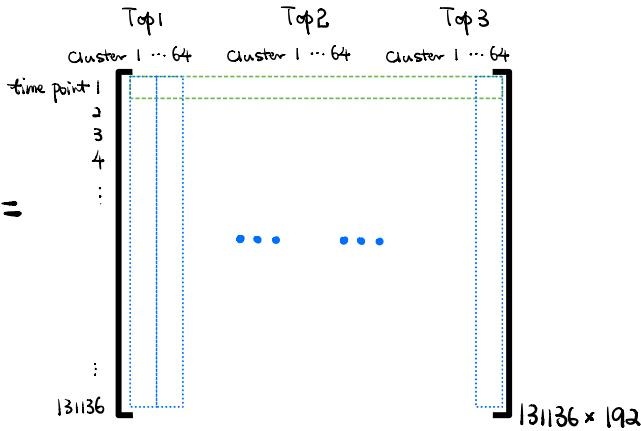
W Temporal PCs



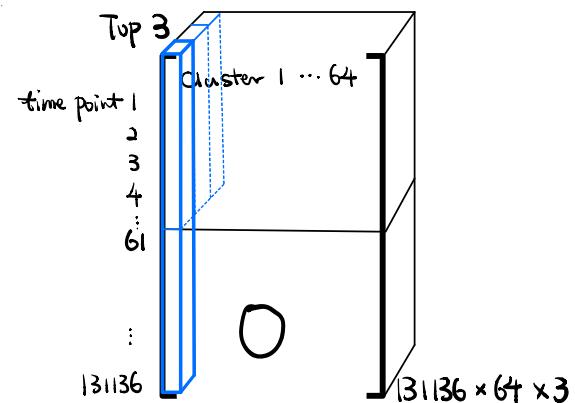
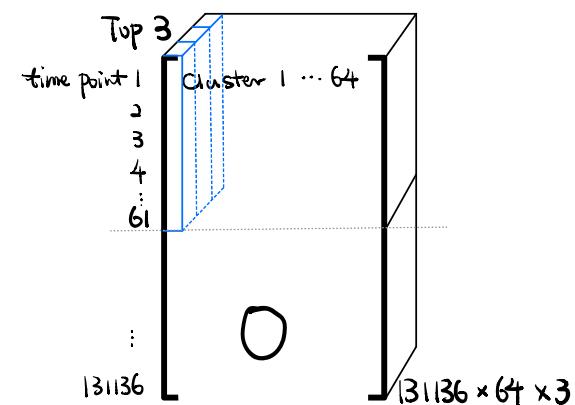
data =



data =

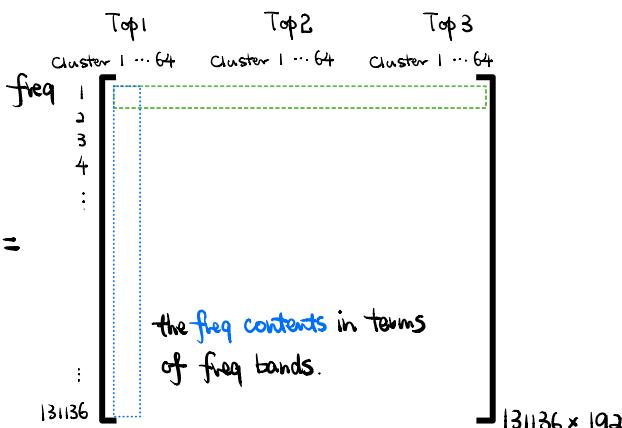


**spatial correlation
between dataRAW
and cluster templates
 $K_n \ (n=1 \dots 64)$**

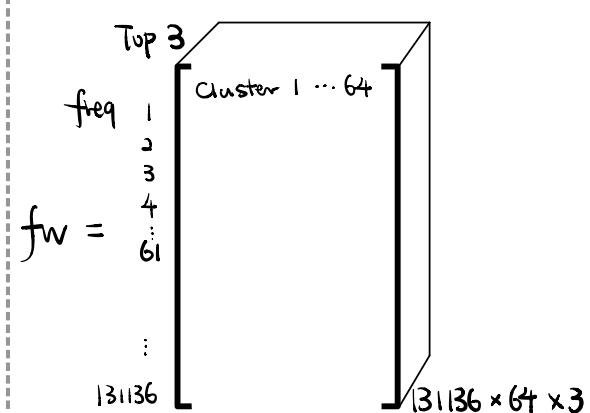


fft across time

fdata =



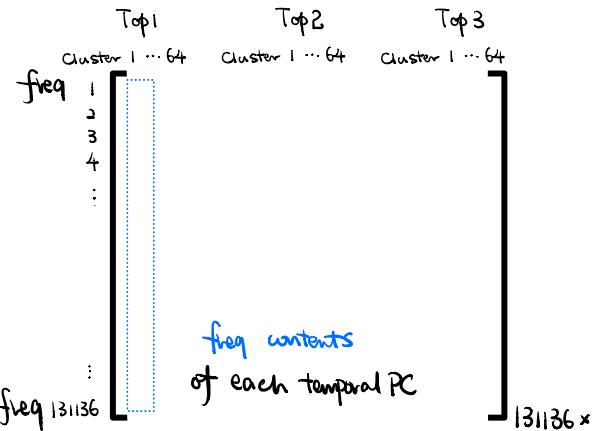
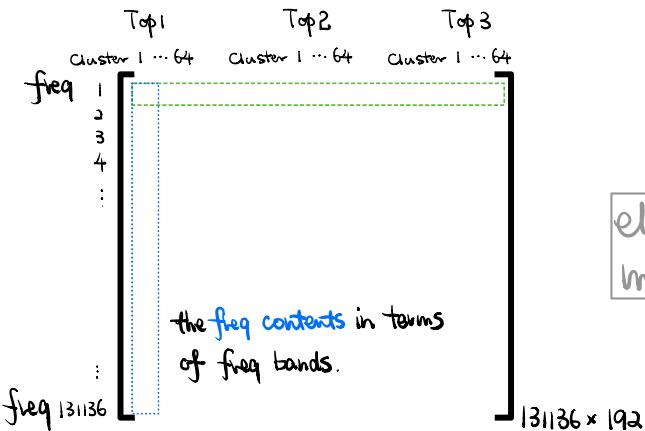
the freq contents in terms
of freq bands.



fft across time

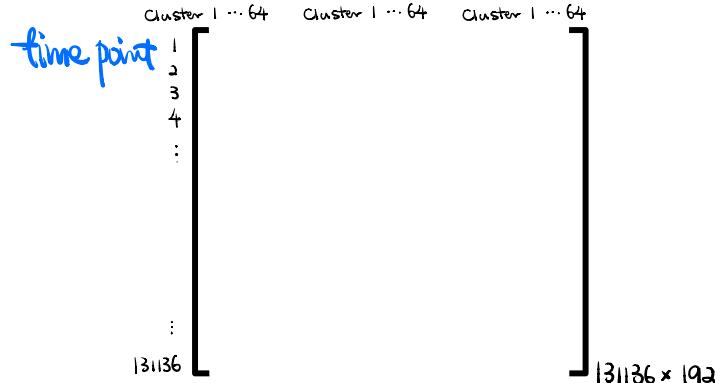
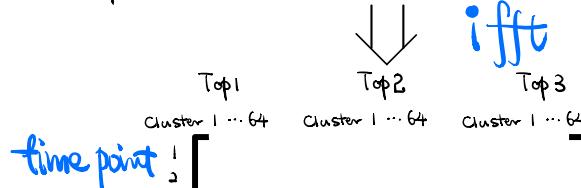
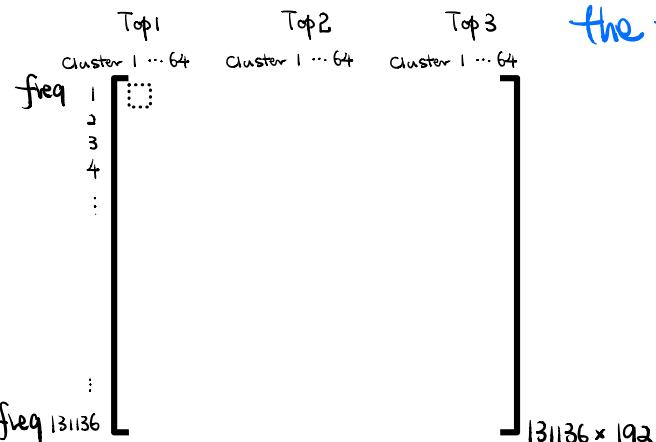
$\downarrow \quad \downarrow$

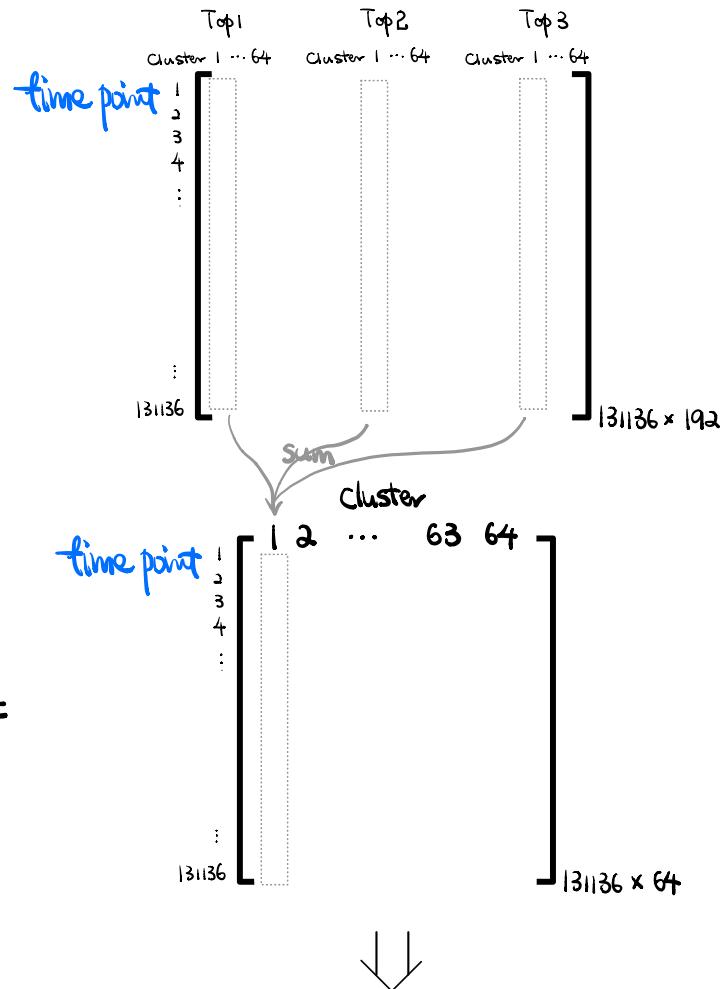
$\text{fdata} \cdot * \text{fw}(:, :, :)$



temporal correlation
between dataRAW
and cluster templates
 $K_n (n = 1 \dots 64)$

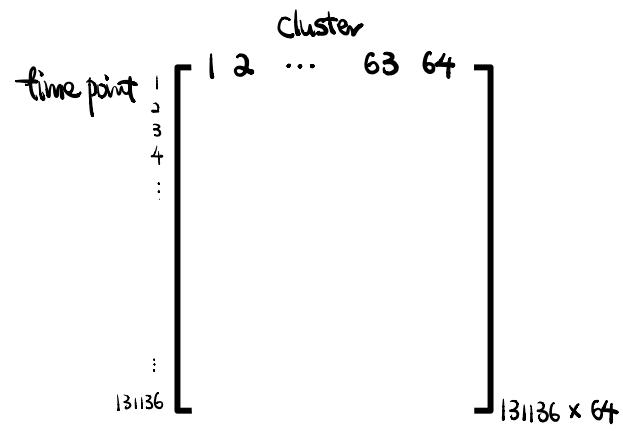
But we do it in the
freq domain, so we
need to get back to
the time domain



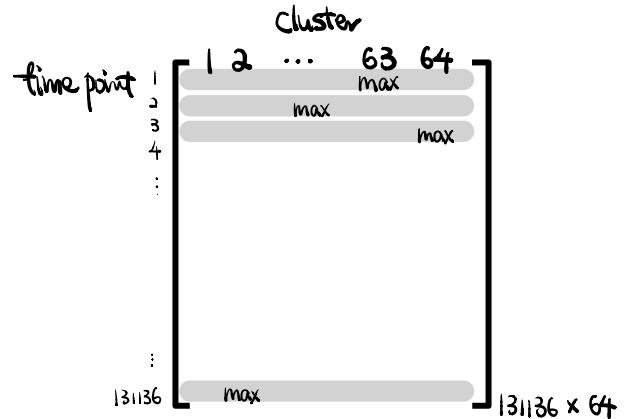


$\text{proj} =$

$$dC(n,t) = \frac{(\text{proj}(t,n) + \mu_n \cdot \lambda_m)^2}{1 + \lambda_m} - \mu_n^2 \cdot \lambda_m$$



$$[mX, id] = \max(dC(n,t), [], 2)$$



$$mX = \begin{bmatrix} \square 7 \\ 2 \\ 3 \\ 4 \\ \vdots \\ 131 136 \end{bmatrix} \quad \begin{array}{l} \text{max value} \\ \text{across clusters} \\ (\text{columns}) \end{array}$$

mX

$131 136 \times 1$

$$id = \begin{bmatrix} \square 7 \\ 2 \\ 3 \\ 4 \\ \vdots \\ 131 136 \end{bmatrix} \quad \begin{array}{l} \text{max value index} \\ \text{corresponding to} \\ \text{a cluster.} \end{array}$$

id

$131 136 \times 1$



$$\max = -\text{my_min}(-mX, 31, 1)$$

means the maximum value across
each 63×1 area in mX



$$mX \quad \max$$

mX

$131 136 \times 1$

\max

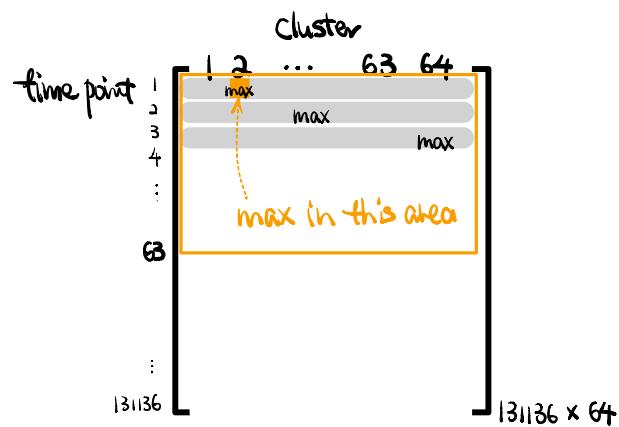
$131 136 \times 1$

max value
across clusters
(columns)

in 1:63 area
in mX , this
is the max

$$mX(1,1) + 1e-3 > \max(1,1)$$

means $mX(1,1)$ is the max
across 63 time sample points.



$$mX > Th^2$$

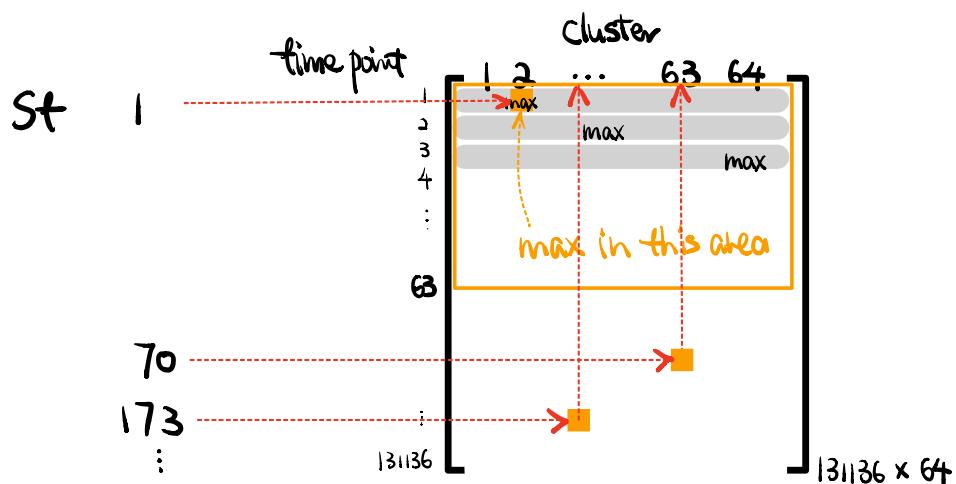
means only the decrease of $dC(n,t)$
is bigger than Th^2 is an effective
fitting

find the index of spike time

$$st = \text{find} (mX + 1e-3 > \text{max} \& mX > Th^2)$$

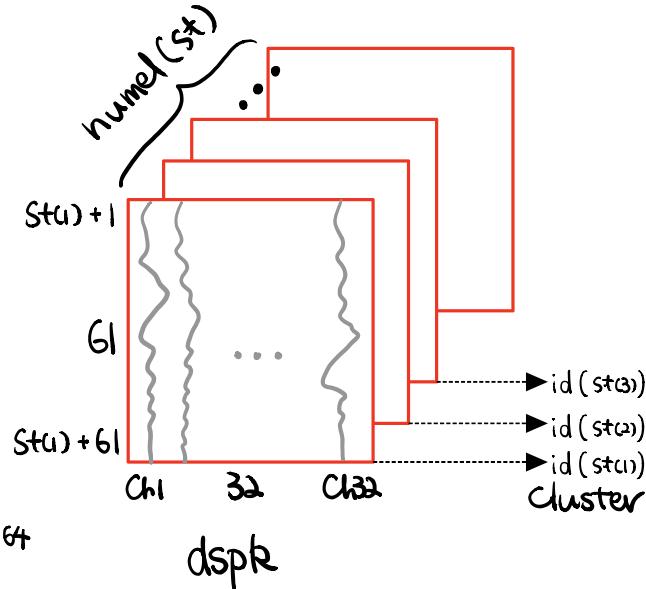
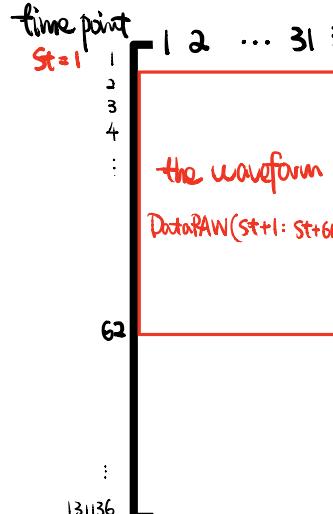
find the cluster of the spike st

$$id = id(st) \leftarrow$$



find the waveform of
the spike st

dataRAW



update the template
for each cluster

```

for j = 1:size(dspk, 3) % dspk.shape = time * channel * NUM of spikes
    % ----- update the corresponding temporal-spatial template of cluster id(j) -----
    % for each detected spike j
    % -> find the assigned cluster, id(j)
    % -> find the corresponding temporal-spatial template of cluster id(j), dWU(:,:,id(j))
    % -> find the temporal-spatial waveform of spike j in raw signal, dspk(:,:,j)
    % -> update the template using a param 'pm'
    %     with the batch num increases, pm increases from 0.9512 to 0.9975
    %     which means, in the later phase of the optimization, the
    %     reference of the waveforms of the new detected spikes becomes
    %     less important.
    dWU(:,:,id(j)) = pm * dWU(:,:,id(j)) + (1-pm) * dspk(:,:,j);

    % ----- find amplitude needed by template id(j), to fit the raw waveform of spike j --
    x(j) = proj(st(j), id(j));
    % now we know, proj can be interpreted as the amplitude

    % ----- find cost decrease when fitting the raw waveform of spike j with x(j)* dWU(:,:,id(j))
    Cost(j) = max(st(j));
    % now we know Max is related to Cost

    % ----- update the number of spikes for cluster id(j) -----
    nsp(id(j)) = nsp(id(j)) + 1;
end

```