Práctica #5 Perceptrón Multicapa

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1. Introducción

Un perceptrón multicapa es tipo de red neuronal artifical compuesta de varias neuronas y varias capas, puede resolver problemas que un perceptrón simple puede. El clásico ejemplo es el de la compuerta XOR:

En este caso se necesitan dos fronteras de desición, por ende dos neuron y se necesita otra capa para "combinar los resultados". La manera la cual se actualizan los pesos y bías del MLP es usando un algoritmo para propagar los resultados a las neuronas de la capa actual y de las anteriores, es algoritmo es llamado backpropagation, el cual es un algoritmo de minización basado en el descenso en gradiente el cual encuentra los mínimos locales de una función. En esta práctica se usan MLP's para aproximar señales leyendo datos de archivos de texto.

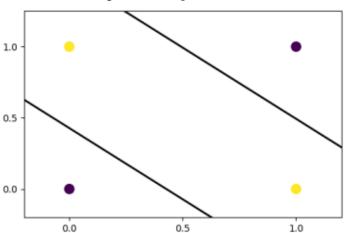
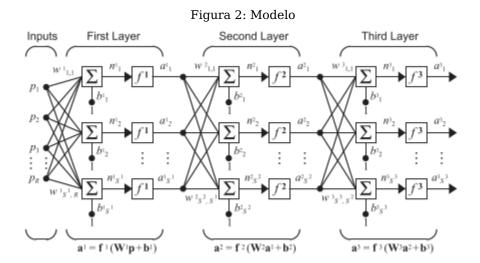


Figura 1: Compuerta XOR

1.1. Modelo



1.1.1. Foward Propagation

$$a^0 = p$$

$$a^{m+1} = f^{m+1}(W^{m+1} \cdot a^m + b^{m+1}), \mathbf{m} = 0, 1, 2, 3, \dots, M-1$$

$$a = a^M$$

donde M es el número de capas.

1.1.2. Foward Propagation

Para poder usar backpropagation se necesita que las funciones de activación en cada capa sean continuas y derivables. El algoritmo es el siguiente:

1. Calcular las sensitividades de cada capa desde la última capa hasta la primera:

$$s^{M} = -2\dot{F}^{M}(n^{M})(t-a)$$
$$s^{m} = \dot{F}^{m}(n^{m})(W^{m+1})^{T}s^{m+1}$$

2. Actualizar los pesos y bias:

$$w^{m}(k+1) = W^{m}(k) - \alpha s^{m}(a^{m} - 1)^{T}$$

 $b^{m}(k+1) = b^{m}(k) - \alpha s^{m}$

2. Diagrama de Flujo

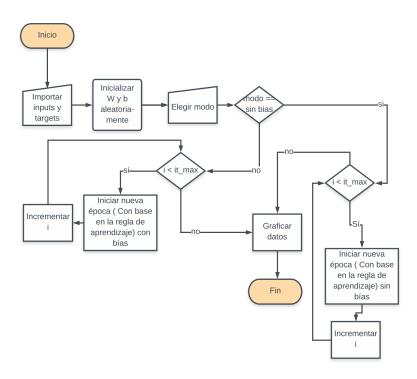


Figura 3: Diagrama de Flujo

3. Resultados

3.1. Polinomio 1

3.2. Inputs

12.0000	270.9600	53. 0.0800	79. 1.1200
21.9600	280.9200	54. 0.1200	80. 1.1600
31.9200	290.8800	55. 0.1600	81. 1.2000
41.8800	300.8400	56. 0.2000	82. 1.2400
51.8400	310.8000	57. 0.2400	83. 1.2800
61.8000	320.7600	58. 0.2800	
71.7600	330.7200	59. 0.3200	84. 1.3200
81.7200	340.6800	60. 0.3600	85. 1.3600
91.6800	350.6400	61. 0.4000	86. 1.4000
101.6400	360.6000	62. 0.4400	87. 1.4400
111.6000	370.5600	63. 0.4800	88. 1.4800
121.5600	380.5200	64. 0.5200	89. 1.5200
131.5200	390.4800	65. 0.5600	90. 1.5600
141.4800	400.4400	66. 0.6000	
151.4400	410.4000	67. 0.6400	91. 1.6000
161.4000	420.3600	68. 0.6800	92. 1.6400
171.3600	430.3200	69. 0.7200	93. 1.6800
181.3200	440.2800	70. 0.7600	94. 1.7200
191.2800	450.2400	71. 0.8000	95. 1.7600
201.2400	460.2000	72. 0.8400	96. 1.8000
211.2000	470.1600	73. 0.8800	97. 1.8400
221.1600	480.1200	74. 0.9200	
231.1200	490.0800	75. 0.9600	98. 1.8800
241.0800	500.0400	76. 1.0000	99. 1.9200
251.0400	51. 0	77. 1.0400	100. 1.9600
261.0000	52. 0.0400	78. 1.0800	101. 2.0000

3.3. Targets

79. 1.6845	53. 1.4818	27. 1.2487	1. 1.0000
80. 1.8443	54. 1.6845	28. 1.4818	2. 1.2487
81. 1.9511	55. 1.8443	29. 1.6845	3. 1.4818
82. 1.9980	56. 1.9511	30. 1.8443	4. 1.6845
83. 1.9823	57. 1.9980	31. 1.9511	5. 1.8443
	58. 1.9823	32. 1.9980	6. 1.9511
84. 1.9048	59. 1.9048	33. 1.9823	7. 1.9980
85. 1.7705	60. 1.7705	34. 1.9048	8. 1.9823
86. 1.5878	61. 1.5878	35. 1.7705	9. 1.9048
87. 1.3681	62. 1.3681	36. 1.5878	10. 1.7705
88. 1.1253	63. 1.1253	37. 1.3681	11. 1.5878
89. 0.8747	64. 0.8747	38. 1.1253	12. 1.3681
90. 0.6319	65. 0.6319	39. 0.8747	13. 1.1253
	66. 0.4122	40. 0.6319	14. 0.8747
91. 0.4122	67. 0.2295	41. 0.4122	15. 0.6319
92. 0.2295	68. 0.0952	42. 0.2295	16. 0.4122
93. 0.0952	69. 0.0177	43. 0.0952	17. 0.2295
94. 0.0177	70. 0.0020	44. 0.0177	18. 0.0952
95. 0.0020	71. 0.0489	45. 0.0020	19. 0.0177
96. 0.0489	72. 0.1557	46. 0.0489	20. 0.0020
97. 0.1557	73. 0.3155	47. 0.1557	21. 0.0489
	74. 0.5182	48. 0.3155	22. 0.1557
98. 0.3155	75. 0.7513	49. 0.5182	23. 0.3155
99. 0.5182	76. 1.0000	50. 0.7513	24. 0.5182
100. 0.7513	77. 1.2487	51. 1.0000	25. 0.7513
101. 1.0000	78. 1.4818	52. 1.2487	26. 1.0000

3.3.1. **Datos**

$$V1 = \begin{bmatrix} 1116101 \end{bmatrix}$$

$$V2 = \begin{bmatrix} 321 \end{bmatrix}$$

epochmax = 10000

Múltiplo para las épocas de validación = 500 numval = 7 alpha=.0701 error de validación = .000000000000001 Configuración: 80-15-15

3.4. Resultado

3.5. Imágenes

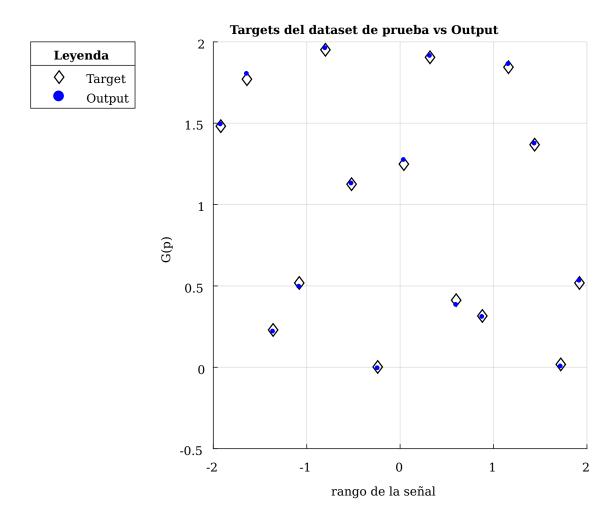


Figura 4: Gráfica 1.1

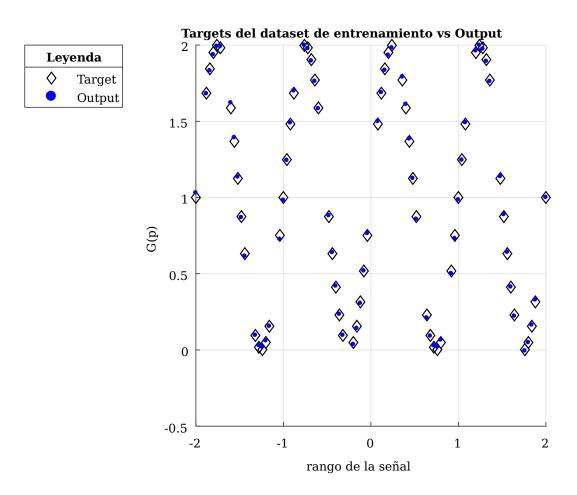


Figura 5: Gráfica 1.2

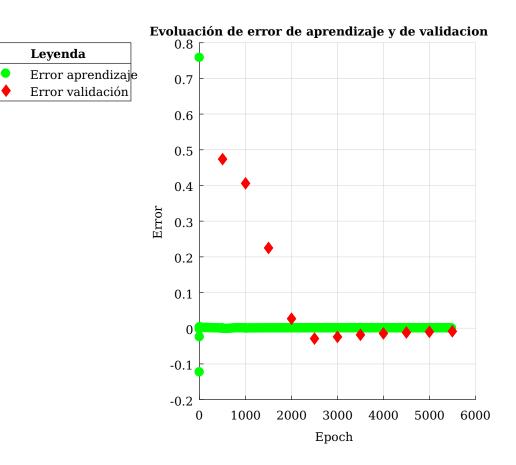


Figura 6: Gráfica 1.3

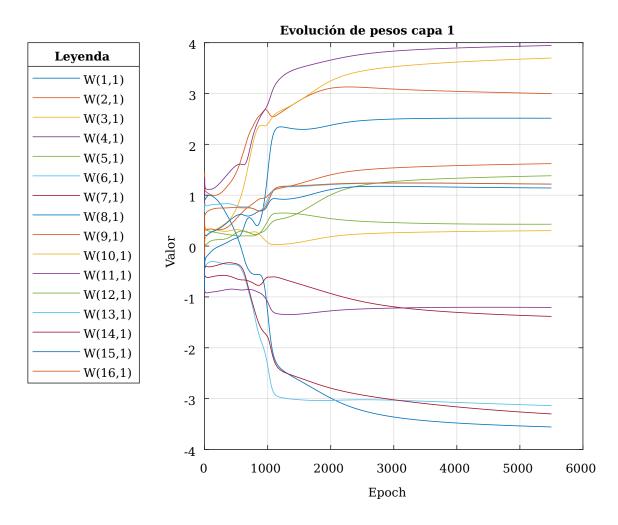


Figura 7: Gráfica 1.4

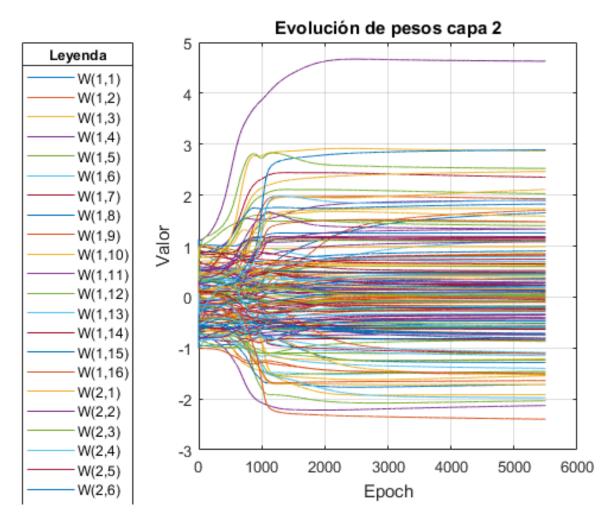


Figura 8: Gráfica 1.5

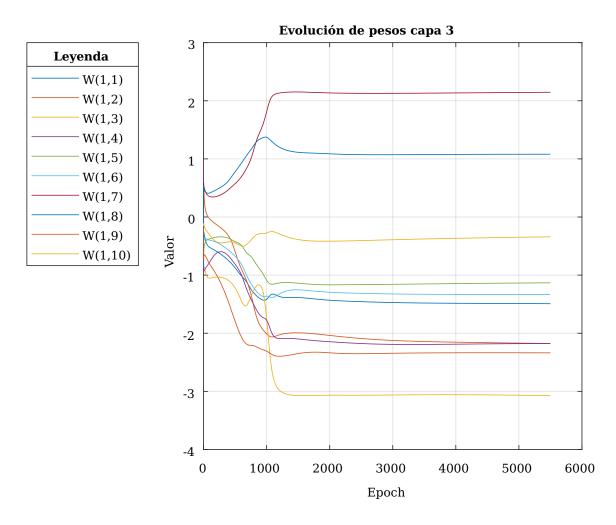


Figura 9: Gráfica 1.6

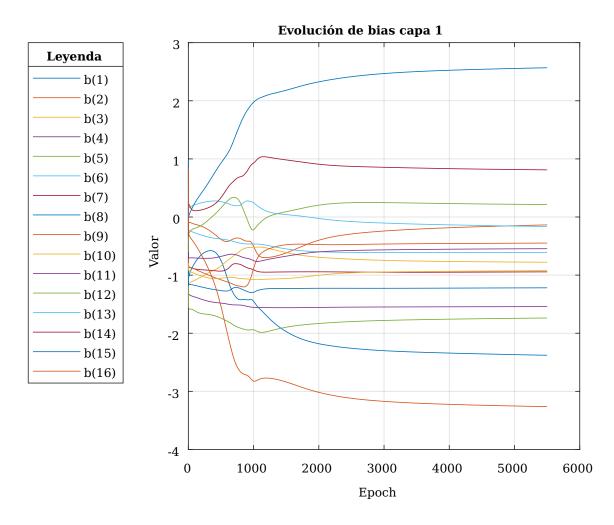


Figura 10: Gráfica 1.7

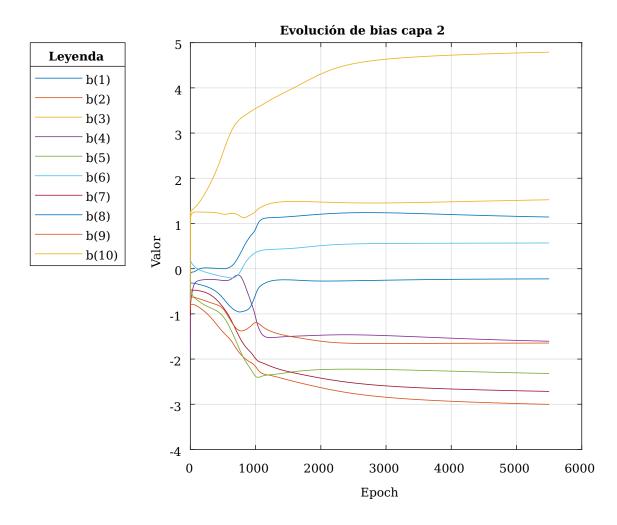


Figura 11: Gráfica 1.8

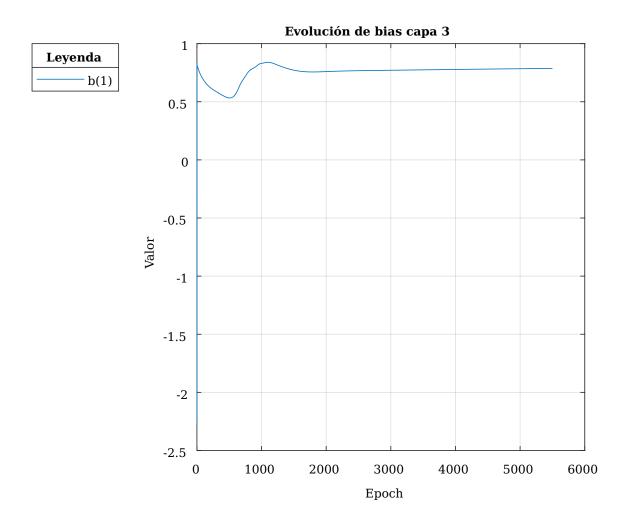


Figura 12: Gráfica 1.9

3.6. Polinomio 2

3.7. Inputs

1. 4.0000	30. 3.0333	59. 2.0667	88. 1.1000
2. 3.9667	31. 3.0000	60. 2.0333	89. 1.0667
3. 3.9333	32. 2.9667	61. 2.0000	90. 1.0333
4. 3.9000	33. 2.9333	62. 1.9667	91. 1.0000
5. 3.8667	34. 2.9000	63. 1.9333	92. 0.9667
6. 3.8333	35. 2.8667	64. 1.9000	93. 0.9333
7. 3.8000	36. 2.8333	65. 1.8667	94. 0.9000
8. 3.7667	37. 2.8000	66. 1.8333	95. 0.8667
9. 3.7333	38. 2.7667	67. 1.8000	96. 0.8333
10. 3.7000	39. 2.7333	68. 1.7667	97. 0.8000
11. 3.6667	40. 2.7000	69. 1.7333	98. 0.7667
12. 3.6333	41. 2.6667	70. 1.7000	99. 0.7333
13. 3.6000	42. 2.6333	71. 1.6667	100. 0.7000
14. 3.5667	43. 2.6000	72. 1.6333	101. 0.6667
15. 3.5333	44. 2.5667	73. 1.6000	102. 0.6333
16. 3.5000	45. 2.5333	74. 1.5667	103. 0.6000
17. 3.4667	46. 2.5000	75. 1.5333	104. 0.5667
18. 3.4333	47. 2.4667	76. 1.5000	105. 0.5333
19. 3.4000	48. 2.4333	77. 1.4667	106. 0.5000
20. 3.3667	49. 2.4000	78. 1.4333	107. 0.4667
21. 3.3333	50. 2.3667	79. 1.4000	108. 0.4333
22. 3.3000	51. 2.3333	80. 1.3667	109. 0.4000
23. 3.2667	52. 2.3000	81. 1.3333	110. 0.3667
24. 3.2333	53. 2.2667	82. 1.3000	111. 0.3333
25. 3.2000	54. 2.2333	83. 1.2667	112. 0.3000
26. 3.1667	55. 2.2000	84. 1.2333	113. 0.2667
27. 3.1333	56. 2.1667	85. 1.2000	114. 0.2333
28. 3.1000	57. 2.1333	86. 1.1667	115. 0.2000
29. 3.0667	58. 2.1000	87. 1.1333	116. 0.1667

1	17. 0.1333	1490.9333	1812.0000	2133.0667
1	18. 0.1000	1500.9667	1822.0333	2143.1000
1	19. 0.0667	1511.0000	1832.0667	2153.1333
1	20. 0.0333	1521.0333	1842.1000	2163.1667
1	21. 0.0000	1531.0667	1852.1333	2173.2000
1	220.0333	1541.1000	1862.1667	
1	230.0667	1551.1333	1872.2000	2183.2333
1	240.1000	1561.1667	1882.2333	2193.2667
1	250.1333	1571.2000	1892.2667	2203.3000
1	260.1667	1581.2333	1902.3000	2213.3333
1	270.2000	1591.2667	1912.3333	2223.3667
1	280.2333	1601.3000	1922.3667	2233.4000
1	290.2667	1611.3333	1932.4000	2243.4333
1	300.3000	1621.3667	1942.4333	2253.4667
1	310.3333	1631.4000	1952.4667	2263.5000
1	320.3667	1641.4333	1962.5000	2273.5333
1	330.4000	1651.4667	1972.5333	
1	340.4333	1661.5000	1982.5667	2283.5667
1	350.4667	1671.5333	1992.6000	2293.6000
1	360.5000	1681.5667	2002.6333	2303.6333
1	370.5333	1691.6000	2012.6667	2313.6667
1	380.5667	1701.6333	2022.7000	2323.7000
1	390.6000	1711.6667	2032.7333	2333.7333
1	400.6333	1721.7000	2042.7667	2343.7667
1	410.6667	1731.7333	2052.8000	2353.8000
1	420.7000	1741.7667	2062.8333	2363.8333
1	430.7333	1751.8000	2072.8667	2373.8667
1	440.7667	1761.8333	2082.9000	
1	450.8000	1771.8667	2092.9333	2383.9000
1	460.8333	1781.9000	2102.9667	2393.9333
1	470.8667	1791.9333	2113.0000	2403.9667
1	480.9000	1801.9667	2123.0333	2414.0000

3.8. Targets

10.01292	310.24440	611.33982	911.33437
20.01451	320.26413	621.38403	921.26546
30.01628	330.28507	631.42719	931.19232
40.01825	340.30725	641.46909	941.11519
50.02043	350.33070	651.50947	951.03433
60.02284	360.35544	661.54811	960.95005
70.02550	370.38150	671.58477	970.86267
80.02844	380.40891	681.61920	980.77252
90.03167	390.43767	691.65116	990.67999 1000.58546
100.03523	400.46778	701.68040	1010.48934
110.03914	410.49926	711.70668	1020.39205
120.04342	420.53210	721.72976	1030.29402
130.04812	430.56628	731.74941	1040.19569
140.05325	440.60178	741.76541	1050.09754
150.05886	450.63858	751.77754	106. 0.00000
			107. 0.09646
160.06497	460.67663	761.78559	108. 0.19138
170.07162	470.71589	771.78938	109. 0.28432
180.07886	480.75630	781.78873	110. 0.37483
190.08671	490.79779	791.78348	111. 0.46247
200.09522	500.84028	801.77349	112. 0.54683
210.10442	510.88368	811.75865	113. 0.62751
220.11437	520.92790	821.73885	114. 0.70412
230.12510	530.97281	831.71402	115. 0.77632
240.13666	541.01829	841.68412	116. 0.84375
250.14909	551.06421	851.64912	117. 0.90613
260.16243	561.11042	861.60902	118. 0.96317
270.17674	571.15676	871.56387	119. 1.01463 120. 1.06030
280.19204	581.20305	881.51372	121. 1.10000
290.20839	591.24912	891.45866	122. 1.13359
300.22583	601.29478	901.39883	123. 1.16097

124.	1.18207	1540.19222	1840.69370	2140.13619
125.	1.19687	1550.25207	1850.67457	2150.12586
126.	1.20536	1560.30943	1860.65456	2160.11614
127.	1.20760	1570.36409	1870.63383	2170.10702
128.	1.20367	1580.41589	1880.61251	2180.09847
129.	1.19368	1590.46467	1890.59073	2190.09048
130.	1.17779	1600.51031	1900.56861	2200.08302
131.	1.15617	1610.55272	1910.54628	2210.07607
132.	1.12905	1620.59180	1920.52384	
133.	1.09666	1630.62752	1930.50140	2220.06961
134.	1.05928	1640.65983	1940.47905	2230.06360
135.	1.01720	1650.68874	1950.45688	2240.05804
136.	0.97075	1660.71424	1960.43498	2250.05288
137.	0.92025	1670.73636	1970.41341	2260.04812
138.	0.86605	1680.75517	1980.39224	2270.04373
139.	0.80854	1690.77072	1990.37153	2280.03969
140.	0.74809	1700.78309	2000.35132	2290.03597
141.	0.68508	1710.79239	2010.33168	2300.03256
142.	0.61990	1720.79871	2020.31262	2310.02943
143.	0.55296	1730.80218	2030.29419	2320.02656
144.	0.48465	1740.80293	2040.27640	2330.02395
145.	0.41536	1750.80109	2050.25928	2340.02156
146.	0.34547	1760.79682	2060.24285	2350.01938
147.	0.27537	1770.79027	2070.22710	
148.	0.20543	1780.78158	2080.21205	2360.01741
149.	0.13599	1790.77093	2090.19770	2370.01561
150.	0.06741	1800.75846	2100.18405	2380.01398
151.	0.00000	1810.74434	2110.17108	2390.01250
152.	-0.06593	1820.72874	2120.15879	2400.01117
153.	-0.13009	1830.71180	2130.14717	2410.00996

3.8.1. Datos

$$V1 = \begin{bmatrix} 1116101 \end{bmatrix}$$

$$V2 = [321]$$

epochmax = 2200 alpha=.0103 Múltiplo para las épocas de validación = 500 numval = 7 error de validación = .000000000001 Configuración: 80-10-10

3.9. Resultado

3.10. Imágenes

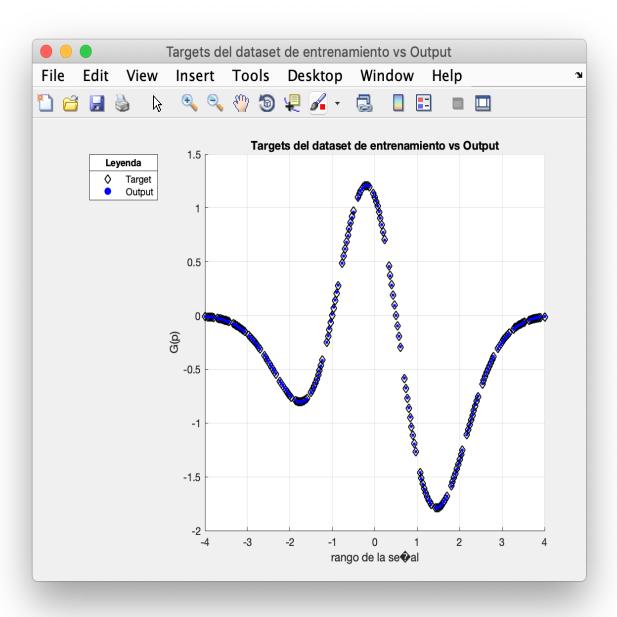


Figura 13: Gráfica 1.1

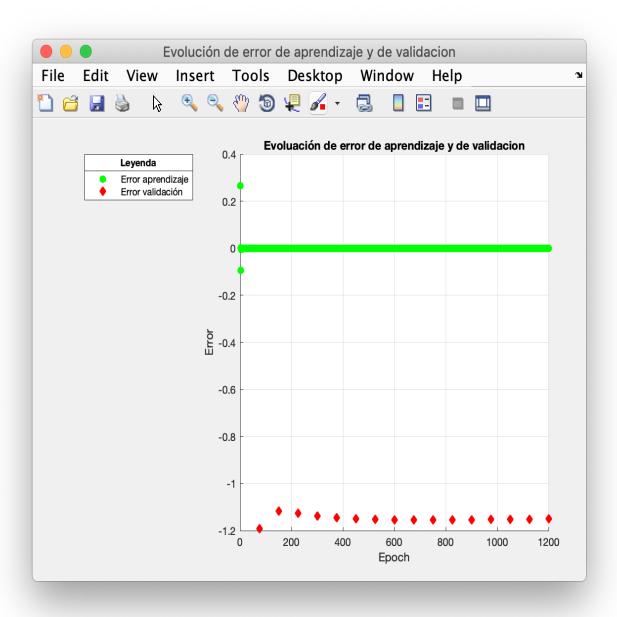


Figura 14: Gráfica 1.2

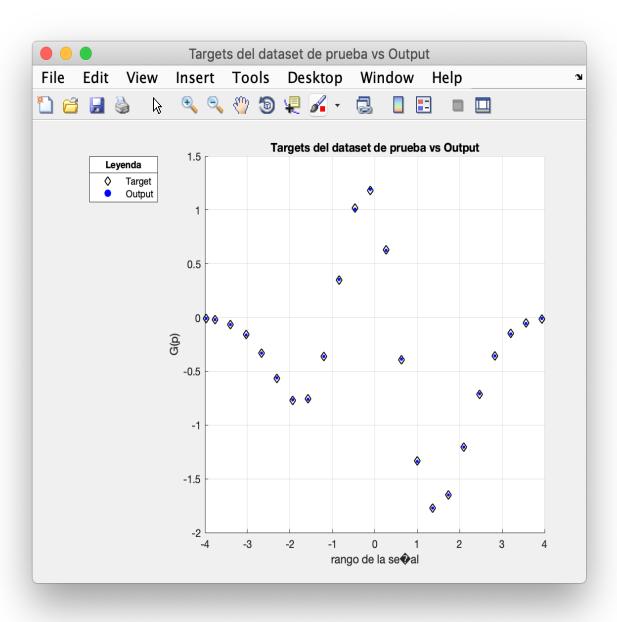


Figura 15: Gráfica 1.3

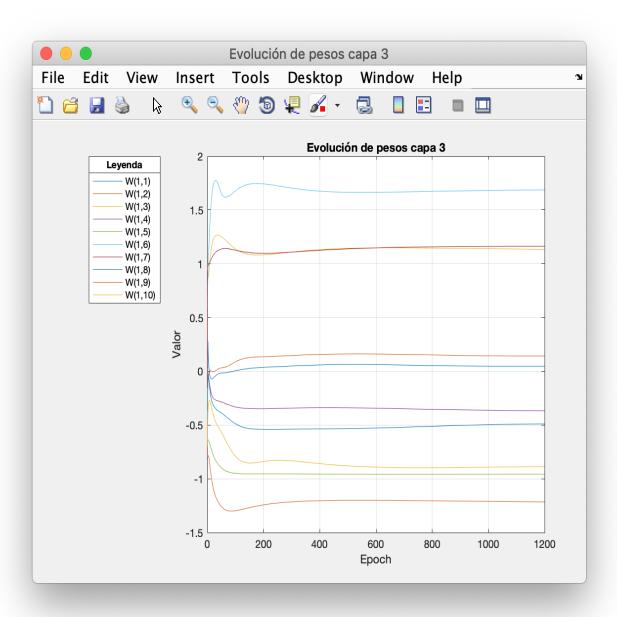


Figura 16: Gráfica 1.4

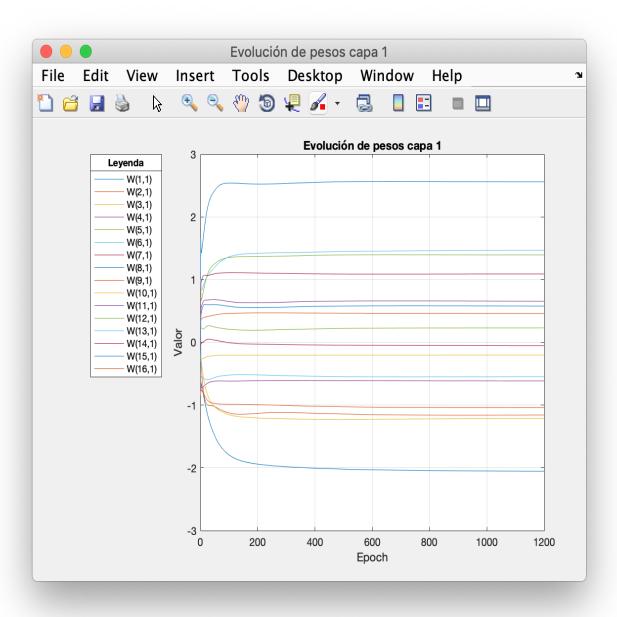


Figura 17: Gráfica 1.5

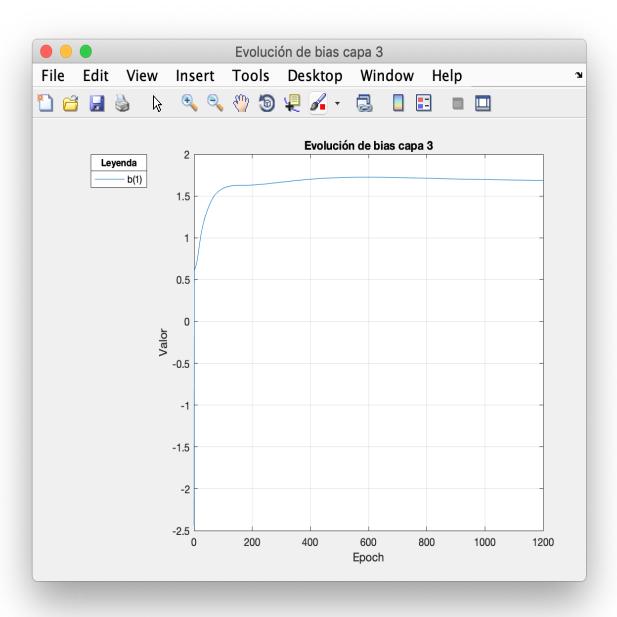


Figura 18: Gráfica 1.6

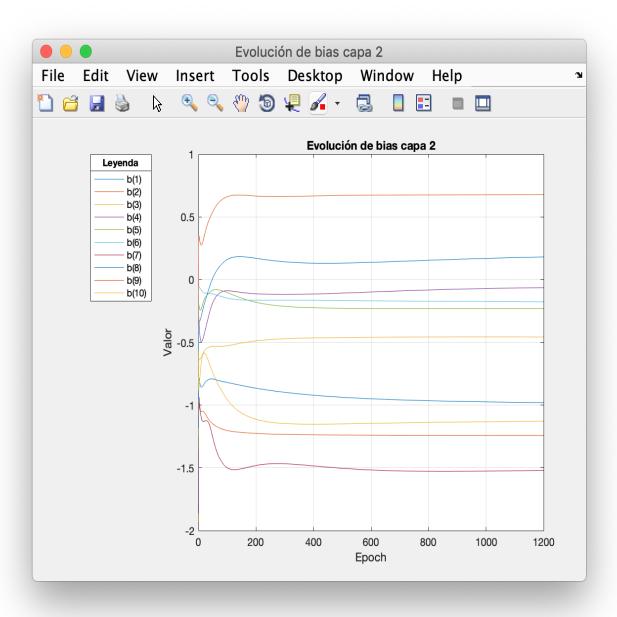


Figura 19: Gráfica 1.7

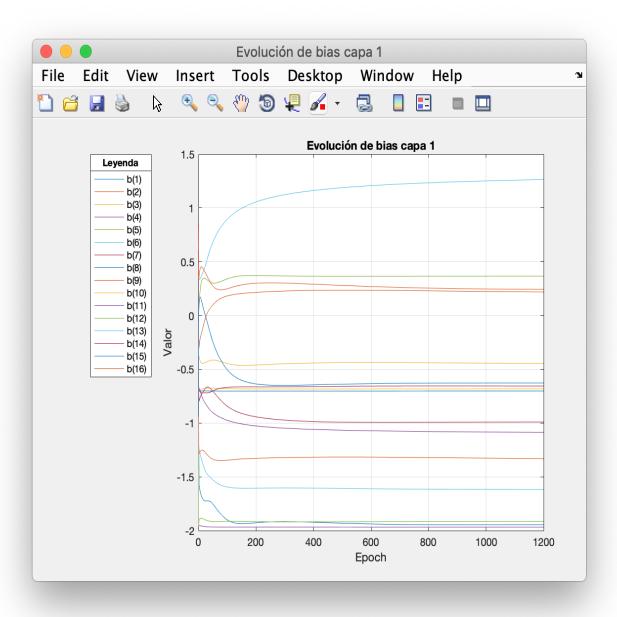


Figura 20: Gráfica 1.8

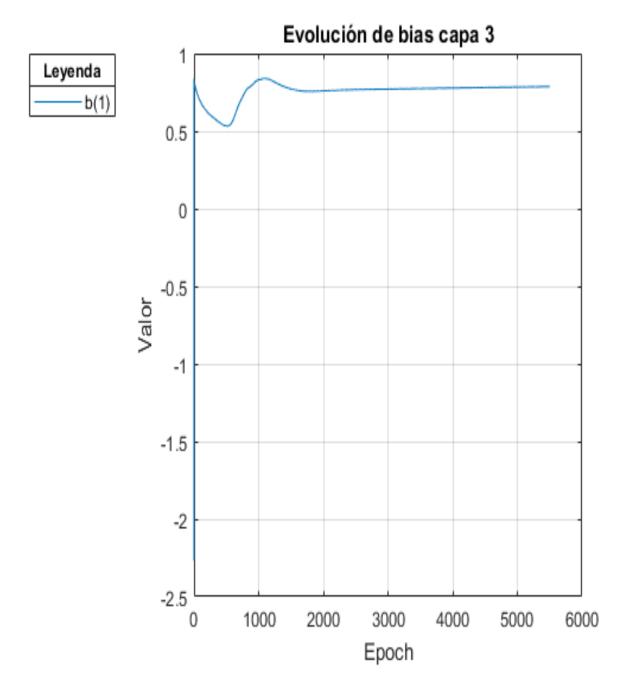


Figura 21: Gráfica 1.9

4. Discusión de Resultados

Para cada uno de los resultados se muestra:

- 1. Los datos con los cuales fue realizado el ejemplo.
- 2. Los pesos y bias iniciales.
- 3. La gráfica del "historial" de la evolución de los parámetros del perceptrón
- 4. La gráfica de los vectores de entrada con su target y la frontera de desición final.

5. Conclusiones

El perceptrón es la unidad básico de las redes neuronales que se usan hoy en día, su creador, Frank Rosenblatt, hizp una muy importante aportación para el campo de las redes neuronales artificiales. La práctica estuvo mucho más corta de lo que esperaba, la regla de aprendizaje es "magia".

6. Referencias

Martin T Hagan. Machine Learning, Neural Network Design (2nd Edition), 2014. https://medium.com/@thomascountz/calculate-the-decision-boundary-of-a-single-perceptron-visualizing

7. Apéndice

Listing 1: Código

```
clc
 1
 2
    clear
 3
 4
    % Read the inputs file
 5
    inputs_path = strcat(input('Ingrese el nombre del archivo de inputs sin la extensión:
        ','s'), '.txt');
    %inputs_path = 'inputs.txt';
 6
 7
    inputs = importdata(inputs_path);
 8
 9
    % Read the targets
    targets_file = strcat(input('Ingrese el nombre del archivo de targets sin la extensión
10
       : ','s'), '.txt');
    %targets_path = 'targets.txt';
11
12
    targets = importdata(targets_path);
13
14
    data_size = size(inputs, 1);
15
16 | % Enter MLP architecture
    architecture = str2num(input('Ingrese el vector de la arquitectura: ','s'));
17
18 | % Calculate layer parameters
19
    %architecture = str2num('1 16 10 1');
20 | num_layers = length(architecture) - 1;
```

```
21 | R = architecture(1);
    functions_vector = str2num(input('Ingrese el vector de las funciones de activación: 1)
         purelin()\n2) logsig()\n3) tansig()\n\n: ','s'));
23 | %functions_vector = str2num('3 2 1');
24
25
    % Enter the learning factor
    alpha = input('Ingresa el valor del factor de aprendizaje(alpha): ');
26
    \alpha = .01;
27
28
29
    epochmax = input('Ingresa el número máximo de épocas: ');
30 \mid \% \text{ epochmax} = 10000;
31 %validation_iter = 500;
32
    %numval = 7;
33
   %error_epoch_validation = .0000000000000001;
    numval = input('Numero maximo de incrementos consecutivos del error de validación (
        numval): ');
35 | error_epoch_validation = input('Ingrese el valor minimo del error de epoca (
        error_epoch_validation): ');
36 | validation_iter = input('Ingrese el múltiplo de épocas para realizar una época de
        validación (validation_iter): ');
37
38 % Dataset Slicing
39 | config_option = input('Elija una configuración de distribución de datasets: \n1:
        80-10-10 \cdot n2: 70-15-15 \cdot n';
40 | %config_option = 2;
41 [training_ds, test_ds, validation_ds] = dataset_slices(config_option, inputs, targets)
42 | validation_ds_size = size(validation_ds, 1);
   test_ds_size = size(test_ds, 1);
44
   training_ds_size = size(training_ds, 1);
45
46 | disp('Dataset de entrenamiento:');
   disp(training_ds);
48 | disp('Dataset de validacion:');
49 | disp(validation_ds);
50 | disp('Dataset de prueba:');
51
   disp(test_ds);
52
53 \% Open the files for weights and bias
54 | total_weight_files = 0;
   total_bias_files = 0;
56 | for i=1:num_layers
    % For neurons
57
58 | for j=1:architecture(i + 1)
   % For weights
60 | for l=1:architecture(i)
   total_weight_files = total_weight_files + 1;
62 end
63 end
```

```
total_bias_files = total_bias_files + 1;
 65
     end
 66
    W_files = zeros(total_weight_files, 1);
 68 | b_files = zeros(total_bias_files, 1);
 69
 70 | current_file = 1;
 71 | for i=1:num_layers
 72 | path = strcat(pwd, '/historico/capa_', num2str(i), '/pesos/');
 73 | if ~exist(path, 'dir')
 74 mkdir(path);
 75 end
 76 | % For layers
 77 | for j=1:architecture(i + 1)
 78 % For neurons
 79 for k=1:architecture(i)
 80 | archivo_pesos = strcat(path, '/pesos', num2str(j), '_', num2str(k),'.txt');
 81 | W_files(current_file) = fopen(archivo_pesos,'w');
 82 | current_file = current_file +1;
 83 end
 84
    end
 85 end
 86
 87 | current_file = 1;
 88 | for i=1:num_layers
 89 | path = strcat(pwd,'/historico/capa_', num2str(i), '/bias/');
 90 | if ~exist(path, 'dir')
 91 mkdir(path);
 92 end
 93 | for j=1:architecture(i+1)
 94 | archivo_bias = strcat(path, '/bias', num2str(j), '.txt');
 95 | b_files(current_file) = fopen(archivo_bias,'w');
 96 | current_file = current_file +1;
 97 end
 98
    end
99
100
    % Initialize MLP parameters and Print them
101
102 | num_w_files = 1;
103 |num_b_files = 1;
104 W = cell(num_layers,1);
105 | b = cell(num_layers,1);
    % Output of each layer
106
107 \mid a = cell(num\_layers + 1, 1);
    % Sentitivities
108
109 | S = cell(num_layers, 1);
110
    % Derivatives of each layer
111 | F_m = cell(num_layers, 1);
112
```

```
113 | % For each layer
114
     for i=1:num_layers
115
    % Random value
116 |W_r_value = 2 * rand(architecture(i + 1), architecture(i)) - 1;
117
    b_r_value = 2* rand(architecture(i + 1), 1) - i;
118 W\{i\} = W_r_value
119 \mid b\{i\} = b_r_value
120 | % For each neuron
121 | for j=1:architecture(i + 1)
122
    %For each weight
123 | for k=1:architecture(i)
124
    % Print wights value
125
    fprintf(W_files(num_w_files), '%f\r\n', W_r_value(j, k));
126
     num_w_files = num_w_files + 1;
    end
127
128
    end
129
    % For each neuron
130 | for j=1:architecture(i + 1)
131
    % print bias value
132 | fprintf(b_files(num_b_files), '%\r\n', b_r_value(j));
133
     num_b_files = num_b_files + 1;
134
    end
135
    end
136
137
    % Learning algorithm
138 | num_validation_epoch = 0;
139
    early_stopping_increment = 0;
140 | validation_error = 0;
141 | learning_error = 0;
142 | early_s_counter = 0;
143
144
    % initialize vectors for printing errors
145
    learning_err_values = zeros(epochmax, 1);
146 | evaluation_err_values = zeros(ceil(epochmax / validation_iter), 1);
147
    for epoch=1:epochmax
148 | l_{error} = 0;
149
    % Reset the values
150 \mid num_w_files = 1;
151
    num_b_files = 1;
152 % if isn't a validation epoch
153
    if(mod(epoch ,validation_iter) ~= 0)
154 | for t_data=1:training_ds_size
155
     % initial condition
156 \mid a\{1\} = training_ds(t_data, 1);
157
    % Foward propagation
158 | for t_p=1:num_layers
159
    W_{aux} = cell2mat(W(t_p));
160 | b_{aux} = cell2mat(b(t_p));
161 \mid a_{aux} = cell2mat(a(t_p));
```

```
162 \mid n_f = W_{aux} * a_{aux} + b_{aux};
163
     a{t_p + 1} = get_activation_function(n_f, functions_vector(t_p));
164
165
    a_aux = cell2mat(a(num_layers + 1));
166 | t_error = training_ds(t_data, 2) - a_aux;
     l_error = l_error + (t_error / data_size);
168
    % Sensitivities calculation
169 | F_m{num_layers} = get_F_matrix(functions_vector(num_layers), architecture(num_layers +
          1), a_aux);
170 | F_m_temp = cell2mat(F_m(num_layers));
171
    S\{num\_layers\} = F_m\_temp * (t\_error)*(-2);
172
    % Backpropagation
173 | for m = num_layers-1:-1:1
174 \mid W_{aux} = cell2mat(W(m+1));
175 \mid s_{aux} = cell2mat(S(m+1));
176 \mid a_{a} = cell2mat(a(m+1));
177
    |F_m{m} = get_F_matrix(functions_vector(m),architecture(m+1),a_aux);
178 \mid F_m_{temp} = cell2mat(F_m(m));
179 S\{m\} = F_m + (W_aux')*s_aux;
180 end
181
    % Learning Rules
182 | for k = num_layers:-1:1
183 W_{aux} = cell2mat(W(k));
184 | b_aux = cell2mat(b(k));
185 \mid s_{aux} = cell2mat(S(k));
186 \mid a_{aux} = cell2mat(a(k));
187
    W\{k\} = W_{aux} - (alpha * s_{aux} * a_{aux});
188 |b\{k\}| = b_{aux} - (alpha * s_{aux});
189 W_{aux} = cell2mat(W(k));
190 b_{aux} = cell2mat(b(k));
191
    end
192 end
193 | learning_error = l_error;
194 | learning_err_values(epoch) = l_error;
195
     % This epoch is a validation one
196 else
197
     val_error = 0;
198 | num_validation_epoch = num_validation_epoch + 1;
199
    for t_data = 1:validation_ds_size
200 % Initial Condition
201
    a{1} = validation_ds(t_data, 1);
202 | % Foward propagation
    for k=1:num_layers
203
204 \mid W_{aux} = cell2mat(W(k));
    a_aux = cell2mat(a(k));
205
206 | b_{aux} = cell2mat(b(k));
     n_f = W_{aux} * a_{aux} + b_{aux};
207
208 | a{k + 1} = get_activation_function(n_f, functions_vector(k));
209 end
```

```
210 | a_aux = cell2mat(a(num_layers+1));
211
     val_error = validation_ds(t_data,2)-a_aux;
212 | val_error = val_error+(val_error/validation_ds_size);
213 end
214 | evaluation_err_values(epoch) = val_error;
215 | if early_stopping_increment == 0
216 | validation_error = val_error;
217
    early_stopping_increment = early_stopping_increment+1;
218 | fprintf('Incremento actual para early stopping = %d\n', early_stopping_increment);
219
    else
220 | if val_error > validation_error
221
    validation_error = val_error;
222 | early_stopping_increment = early_stopping_increment+1;
223 | fprintf('Incremento actual para early stopping = %d\n', early_stopping_increment);
224 | if early_stopping_increment == numval
225 | % Reset the counter
226 | early_s_counter = 1;
227
    fprintf('Early stopping en la época: %d\n', epoch);
228 break;
229 end
230 | else
231 | validation_error = 0;
232 | early_stopping_increment = 0;
233 | fprintf('Incremento actual para early stopping = %d\n', early_stopping_increment);
234
    end
235
    end
236
    end
237
238 | % Print the values on console
239 |num_w_files = 1;
240 |num_b_files = 1;
241 | for k = num_{ayers:-1:1}
242 \mid W_{aux} = cell2mat(W(k));
243 b_aux = cell2mat(b(k));
244 | for j=1:architecture(k+1)
245 | for l=1:architecture(k)
246
    fprintf(W_files(num_w_files), '%f\r\n', W_aux(j,l));
247 | num_w_files = num_w_files +1;
248
    end
249 end
250
    for j=1:architecture(k + 1)
251 | fprintf(b_files(num_b_files), '%f\r\n', b_aux(j));
     num_b_files = num_b_files + 1;
252
253
    end
254
     end
255
256
     % Check stopping calculations
257
    if mod(epoch,validation_iter) ~= 0 && l_error <= error_epoch_validation && l_error >=
```

```
258 | learning_error = l_error;
259
     fprintf('Aprendizaje exitoso en la época %d\n', epoch);
260
     break;
261
    end
262
     end
263
264
    if epoch == epochmax
265
    disp('Se llego a epochmax');
266
    end
267
268
    % Print the las final values
269 if early_s_counter == 1
270 \mid num_w_files = 1;
271
    num_b_files = 1;
272
    for k = num_layers:-1:1
273 \mid W_{aux} = cell2mat(W(k));
274 | b_aux = cell2mat(b(k));
275 \mid for j = 1:architecture(k + 1)
276 | for l=1:architecture(k)
277 | fprintf(W_files(num_w_files), '%f\r\n', W_aux(j, l));
278 | num_w_files = num_w_files + 1;
279
    end
280
    end
281
    for j=1:architecture(k + 1)
282 | fprintf(b_files(num_b_files), '%f\r\n', b_aux(j));
283
     num_b_files = num_b_files + 1;
284
     end
    end
286
    end
287
288
    % Close all files
289 | for i=1:total_weight_files
290 | fclose(W_files(i));
291
    end
    for i=1:total_bias_files
292
293 | fclose(b_files(i));
294
    end
295
296
    % Propagate the test dataset
297 | test_error = 0;
298
    output = zeros(test_ds_size,1);
    for i=1:test_ds_size
299
     % Initial condition
300
301 | a\{1\} = test_ds(i,1);
    for k=1:num_layers
302
303 \mid W_{aux} = cell2mat(W(k));
304
    a_aux = cell2mat(a(k));
305 \mid b_{aux} = cell2mat(b(k));
306 \mid n_f = W_{aux*a_aux+b_aux};
```

```
a{k+1} = get_activation_function(n_f, functions_vector(k));
308
    end
309
    test_data = cell2mat(a(1));
310 | a_aux = cell2mat(a(num_layers + 1));
311 | test_error = test_error + (1 / test_ds_size) * (test_ds(i,2) - a_aux);
312
    output(i) = a_aux;
313
    end
314
315
    % Print last errors
316 | fprintf('Error de aprendizaje = %f\n', learning_error);
    fprintf('Error de validación = %\n', validation_error);
317
318
    fprintf('Error de prueba = %\n', test_error);
319
320
321
    % Output vs test
322 | scatter_output_vs_test(test_ds, output);
323
    % Propagate the training size for ploting
324
325 | output = zeros(training_ds_size,1);
326 | for i=1:training_ds_size
    % Initial Condition
327
328 \mid a\{1\} = training_ds(i, 1);
329 | for k=1:num_layers
330 W_{\text{aux}} = \text{cell2mat}(W(k));
331 \mid a_{aux} = cell2mat(a(k));
332 \mid b_{aux} = cell2mat(b(k));
333 | a{k+1} = get_activation_function(W_aux*a_aux+b_aux,functions_vector(k));
334 end
335 | a_aux = cell2mat(a(num_layers + 1));
336 | test_error = test_error + (1 / training_ds_size) * (training_ds(i,2) - a_aux);
337
    output(i) = a_aux;
338 end
339
340 | scatter_output_vs_training(training_ds, output);
341
342 % Plot the error evolution
343 | error_plot(validation_iter, num_validation_epoch, learning_err_values, epoch,
         evaluation_err_values);
344
     % Plot weight evolution
345 | weight_evolution_plot(architecture, num_layers, epoch);
346
    % Plot bias evolution
347 | bias_evolution_plot(architecture, num_layers, epoch);
348
349 | % Write final values
350 for i=1:num_layers
351 | path = strcat(pwd, '/Valores_finales/capa_', num2str(i), '/');
    if ~exist(path, 'dir')
352
353 mkdir(path);
354 end
```

```
355 W_{aux} = cell2mat(W(i));
    res_pesos = strcat(path, '/pesos.txt');
356
357
    dlmwrite(res_pesos, W_aux, ';');
358
    end
359
360 | for i=1:num_layers
361
    path = strcat(pwd,'/Valores_finales/capa_', num2str(i), '/');
    if ~exist(path, 'dir')
362
363
    mkdir(path);
364
    end
365 | b_aux = cell2mat(b(i));
366 | res_bias = strcat(path, '/bias.txt');
367 | dlmwrite(res_bias, b_aux, ';');
368 end
```