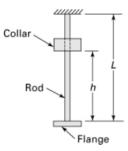
1) A sliding collar of  $m=80\ kg$  falls onto a flange at the bottom of a vertical rod. Calculate the height h through which the mass m should drop to produce a maximum stress in the rod of  $350\ MPa$ . The rod has length L=2m, cross-sectional area  $A=250\ mm^2$ , and modulus of elasticity  $E=105\ GPa$ .

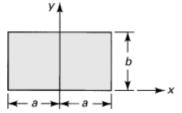


2) If the given stress field acts in the thin plate shown and p is a known constant, determine the values of the constant c's so that edges  $x = \pm a$  are free of shearing stress and no normal stress acts on edge x = a.

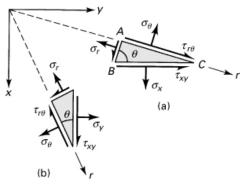
$$\sigma_x = pyx^3 - 2c_1xy + c_2y$$

$$\sigma_y = pxy^3 - 2px^3y$$

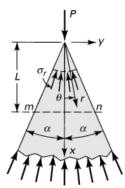
$$\tau_{xy} = -\frac{3}{2}px^2y^2 + c_1y^2 + \frac{1}{2}px^4 + c_3$$



3) Verify that Eqs. (3.37) in the text are determined from the equilibrium of forces acting on the elements shown (below left; Fig. P3.26).

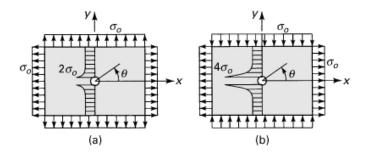


Problem 3

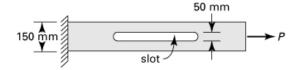


Problem 4

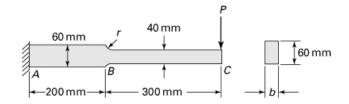
- 4) Consider the pivot (above right) of unit thickness subject to force P=1 N per unit thickness at its vertex. Plot the values of  $\sigma_x$ ,  $\sigma_y$ , and  $\tau_{xy}$  as a function of  $\theta$  (in deg) at section m-n a distance L=1 m from the apex using Eq'ns. (3.37) and (3.43). Also plot  $\sigma_x$  using the elementary (mechanics of materials) approach for comparison. Take  $\alpha=15^{\circ}$ .
- 5) Verify the results shown by employing Eq. (3.55b) and the method of superposition.



6) A  $20 \, mm$ -thick steel bar with a slot ( $25 \, mm$  radii at ends) is subjected to an axial load P, as shown. What is the maximum stress for  $P=180 \, kN$ ? Use Appendix D to estimate the value of the K.



7) The figure depicts a filleted cantilever spring. Find the largest bending stress for two cases: (a) the fillet radius is  $r = 5 \ mm$ ; (b) the fillet radius is  $r = 10 \ mm$ . Given:  $b = 12 \ mm$  and  $P = 400 \ N$ .



8) The shaft shown has the following dimensions: r=20~mm, d=400~mm, and D=440~mm. The shaft is subjected simultaneously to a torque  $T=20~kN\cdot m$ , a bending moment  $M=10~kN\cdot m$ , and an axial force P=50~kN. Calculate at the root of the notch (a) the maximum principal stress, (b) the maximum shear stress, and (c) the octahedral stresses.

