

2.) The grammar of ABA has one both side of it A. A is a right recursive and associative tree which is just a string of 'a' s with a as the terminal character. B as the terminal charters epsilon if there is less then one be in the recursive sequence and if there is one b in the recursive sequence then there is b a c.

a.) one and four are in the languages

baab:

$s ::= AaBb$

because $A \rightarrow b$ which is $baBb$ and $B \rightarrow a$ which is $baab$

bbaab:

$s ::= AaBb$

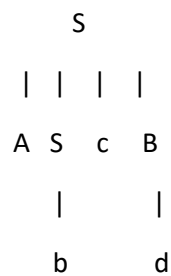
because $A \rightarrow Ab$ which is $AbaBb$ and

$A \rightarrow b$ which is $bbaBb$ and

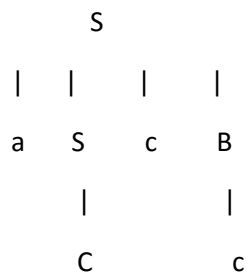
$B \rightarrow a$ which is $bbaab$

C.) 1 and 5

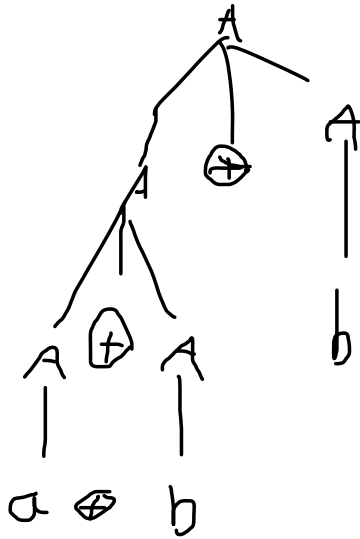
Abcd



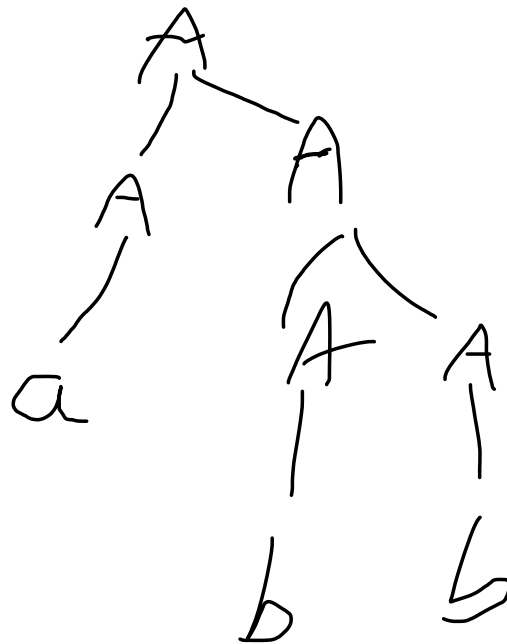
accc



D.)



$(a + b) + b$



$a + (b + b)$

The grammar is ambiguous the graph can reach the end in two different sequences.

3

A.)

a. The first grammar is left recursive with a terminal branch on the right side of the tree.

The second grammar is right recursive because the terminal branch is on the left side of the tree.

b. These grammars do the same thing

B.) $1-3=-2$

$1<<2=4$

$10-9<<2=4$

$(1<<3)-8=0$

$2-(1<<2)=-2$

The $-$ takes precedence over the $<<$

C

N= any number between 0 and infinity

z=zero

Exponent::= $z.nEn \mid -z.nen \mid n.nEn \mid n.zEn \mid -n.zEn$