```
function [] = FOEB(z,p,k)
% We declare the transfer function
H = zpk(-z,-p,k);
% We find the number of poles and zeros
np = length(p);
nz = length(z);
\mbox{\%} We count the 0 values from the poles and zeros
cz = 0;
for i = 1:length(z)
    if eq(z(i),0)
        cz = cz + 1;
    end
end
cp = 0;
for i = 1:length(p)
    if eq(p(i),0)
        cp = cp + 1;
    end
end
% We sort the corner w
wcf = sort([z p]);
slope = [];
sum = 0;
phi = "";
for i = 1:length(wcf)
    if ismember(wcf(i),z) == logical(1)
        % We calculate the slope if the wcf is a zero
        sum = sum + 20;
        slope(i) = sum;
        % We calculate the initial gain K if the wcf is a zero
        if(wcf(i)==0)
            k = k * 1;
        else
            k = k * wcf(i);
        end
        % We construct the phase equation for zero
        elem = strcat("+atan(x/",num2str(wcf(i)),")");
    else
        % We calculate the slope if the wcf is a pole
        sum = sum - 20;
```

```
slope(i) = sum;
        % We calculate the initial gain K if the wcf is a pole
        if(wcf(i)==0)
            k = k / 1;
        else
            k = k / wcf(i);
        end
        % We construct the phase equation for pole
        elem = strcat("-atan(x/",num2str(wcf(i)),")");
    end
    % We construct the powers of 10 for the samples
    if wcf(i) == 0
        n(i) = floor(log10(le-5));
        n(i) = floor(log10(wcf(i)));
    end
    % We finish building the phase equation
    phi = string(phi + elem);
end
% We chech to see if we have a pole or zero in origin to initialize the
% slope
if ismember(0,z)
    slope = [20 slope slope(length(slope))];
elseif ismember(0,p)
    slope = [-20 slope slope(length(slope))];
else
    slope = [0 slope];
end
phi = strcat("@(x)", phi);
n = unique(n(:).');
% We construct the logspace to have a "nice plot"
if ismember(0,wcf)
    lsp = logspace(0,(n(length(n))+2),1e2);
else
    lsp = logspace((n(1)-1),(n(length(n))+2),le2);
end
% We construct the general wma vector for both plots
if ismember(0,wcf)
    indices = find(wcf<1);</pre>
    wcf(indices) = [];
    wma = [1 wcf 10^{(n(length(n))+1)} 10^{(n(length(n))+2)}];
else
    wma = [10^{(n(1)-1)} wcf 10^{(n(length(n))+2)}];
end
```

```
% We construct the magnitude vector for the magnitude plot
ma = [];
ma(1) = 20*log10(k);
for i = 2:length(wma)
        ma(i) = ma(i-1) + slope(i-1)*log10(wma(i)/wma(i-1));
end
% We construct the phase vector for the phase plot
fa = [];
for i = 1:length(wma)
    p = str2func(phi) ;
    fa(i) = rad2deg(p(wma(i)));
end
% We plot the real bode plot alongside the Approx. bode plot
[mag,fre] = bode(H,lsp);
mv(1:1e2,1) = mag(:,:,:);
fv(1:1e2,1) = (fre(:,:,:));
subplot(211);
semilogx(lsp,20*log10(mv),'b',wma,ma,'ro-');grid
title('Magnitude characteristics');
xlabel('\omega (rad/sec)'); ylabel('|H(j/omega)|^dB')
subplot(212);
semilogx(lsp,fv,'b',wma,fa,'ro-');grid
title('Phase characteristics');
xlabel('\omega (rad/sec)'); ylabel('\angleH(j\omega) (degrees)');
end
```

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