Fluïdummechanica

Hydrostatica

Brecht Baeten¹

¹KU Leuven, Technologie campus Diepenbeek, e-mail: brecht.baeten@kuleuven.be

28 januari 2015

Inhoud

1 Inleiding

Controle massa's

3 Controle volumes

Voorbeeld



Bron: http://www.nasa.gov/

Inhoud

Inleiding

Controle massa's

3 Controle volumes

Behoud van massa

$$\frac{\mathrm{d}m}{\mathrm{d}t} = 0\tag{1}$$

Behoud van massa

$$\frac{\mathrm{d}m}{\mathrm{d}t}=0\tag{1}$$

Behoud van impuls

$$\frac{\mathrm{d}\mathbf{P}}{\mathrm{d}t} = \mathbf{F} \tag{2}$$

Behoud van massa

$$\frac{\mathrm{d}m}{\mathrm{d}t}=0\tag{1}$$

Behoud van impuls

$$\frac{\mathrm{d}\mathbf{P}}{\mathrm{d}t} = \mathbf{F} \tag{2}$$

Behoud van energie

$$\frac{\mathrm{d}E}{\mathrm{d}t} = \dot{Q} - \dot{W} \tag{3}$$

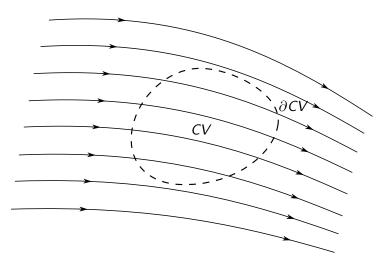
Inhoud

Inleiding

Controle massa's

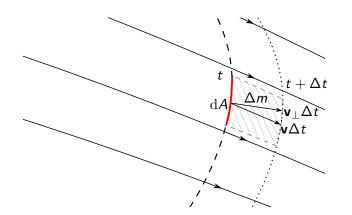
Controle volumes

Controlevolume



Behoud van massa

$$\left[\begin{array}{c} \text{De verandering} \\ \text{van massa in} \\ \text{het controlevolume} \end{array} \right] + \left[\begin{array}{c} \text{De netto} \\ \text{massastroom uit} \\ \text{het controlevolume} \end{array} \right] = 0 \quad (4)$$



$$\Delta m = \rho \Delta x_{\perp} dA \tag{5}$$

$$\Delta m = \rho \Delta x_{\perp} \mathrm{d}A \tag{5}$$

$$\Delta m = \rho v_{\perp} \Delta t dA \tag{6}$$

$$\Delta m = \rho \Delta x_{\perp} \mathrm{d}A \tag{5}$$

$$\Delta m = \rho v_{\perp} \Delta t dA \tag{6}$$

$$\frac{\Delta m}{\Delta t} = \rho v_{\perp} \mathrm{d}A \tag{7}$$

$$\Delta m = \rho \Delta x_{\perp} \, \mathrm{d}A$$

$$\Delta m = \rho v_{\perp} \Delta t dA$$

$$\frac{\Delta m}{\Delta t} = \rho v_{\perp} \mathrm{d}A$$

$$\mathrm{d}\dot{m} = \rho \mathbf{v}_{\perp} \mathrm{d}A$$

Behoud van impuls

$$\begin{bmatrix} \text{De verandering} \\ \text{van impuls} \\ \text{in het} \\ \text{controlevolume} \end{bmatrix} + \begin{bmatrix} \text{De netto} \\ \text{impulsstroom} \\ \text{uit het} \\ \text{controlevolume} \end{bmatrix} = \begin{bmatrix} \text{De totale} \\ \text{kracht} \\ \text{op het} \\ \text{controlevolume} \end{bmatrix}$$

$$(9)$$

Behoud van energie

$$\begin{bmatrix} \text{De verandering} \\ \text{van energie} \\ \text{in het} \\ \text{controlevolume} \end{bmatrix} + \begin{bmatrix} \text{De netto} \\ \text{energiestroom} \\ \text{uit het} \\ \text{controlevolume} \end{bmatrix} = \begin{bmatrix} \text{De warmtesroom} \\ \text{toegevoegd en} \\ \text{arbeidsstroom} \\ \text{onttrokken aan} \\ \text{het controlevolume} \end{bmatrix}$$

$$(10)$$