Police Attendance Model

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Setup

The task is to produce a model which will predict whether or not a police officer will attend the scene of a car accident. For this, I am using the 2014 UK government road safety data, available from gov.co.uk.

First I load the required packages and import the data, renaming the columns to make them consistent with R's naming conventions and to make them easier to work with. I also set a seed for random number generation.

```
pkgs <- c("tidyverse", "mlr", "janitor", "lubridate", "here")
invisible(lapply(pkgs, library, character.only = TRUE))
set.seed(1)</pre>
```

```
raw_data <- read_csv(here("DfTRoadSafety_Accidents_2014.csv")) %>%
  clean names()
#> Parsed with column specification:
#> cols(
#>
    .default = col_integer(),
#>
   Accident_Index = col_character(),
#>
    Longitude = col_double(),
#>
    Latitude = col_double(),
#>
    Date = col_character(),
     Time = col_time(format = ""),
#>
     `Local_Authority_(Highway)` = col_character(),
#>
#>
    LSOA_of_Accident_Location = col_character()
#> )
#> See spec(...) for full column specifications.
glimpse(raw data)
#> Observations: 146,322
#> Variables: 32
#> $ accident_index
                                                  <chr> "201401BS70001", "...
#> $ location_easting_osgr
                                                  <int> 524600, 525780, 52...
#> $ location_northing_osgr
                                                  <int> 179020, 178290, 17...
                                                  <dbl> -0.206443, -0.1897...
#> $ longitude
                                                  <dbl> 51.49634, 51.48952...
#> $ latitude
#> $ police_force
                                                  <int> 1, 1, 1, 1, 1, 1, ...
#> $ accident_severity
                                                  <int> 3, 3, 3, 3, 3, 3, ...
#> $ number_of_vehicles
                                                  <int> 2, 2, 2, 1, 2, 3, ...
                                                  <int> 1, 1, 1, 1, 1, 1, ...
#> $ number_of_casualties
                                                  <chr> "09/01/2014", "20/...
#> $ date
#> $ day_of_week
                                                  \langle int \rangle 5, 2, 3, 4, 5, 6, ...
#> $ time
                                                  <time> 13:21:00, 23:00:0...
#> $ local_authority_district
                                                  <int> 12, 12, 12, 12, 12...
                                                  <chr> "E09000020", "E090...
#> $ local_authority_highway
#> $ x1st road class
                                                  <int> 3, 3, 3, 5, 3, 3, ...
#> $ x1st_road_number
                                                  <int> 315, 3218, 308, 0,...
#> $ road type
                                                  <int> 6, 6, 6, 6, 6, 2, ...
#> $ speed_limit
                                                  <int> 30, 30, 30, 30, 30...
```

```
<int> 0, 5, 3, 3, 7, 0, ...
#> $ junction_detail
#> $ junction_control
                                                  <int> -1, 4, 4, 4, 4, -1...
#> $ x2nd_road_class
                                                  <int> -1, 3, 6, 6, 3, -1...
#> $ x2nd road number
                                                  <int> 0, 3220, 0, 0, 4, ...
#> $ pedestrian_crossing_human_control
                                                  <int> 0, 0, 0, 0, 0, 0, ...
#> $ pedestrian_crossing_physical_facilities
                                                  <int> 0, 5, 0, 1, 8, 0, ...
#> $ light_conditions
                                                  <int> 1, 7, 1, 4, 1, 1, ...
#> $ weather conditions
                                                  <int> 2, 1, 1, 1, 1, 1, ...
                                                  <int> 2, 1, 1, 1, 1, 1, ...
#> $ road surface conditions
#> $ special conditions at site
                                                  <int> 0, 0, 0, 0, 0, 0, ...
#> $ carriageway_hazards
                                                  <int> 0, 0, 0, 0, 0, 0, ...
#> $ urban_or_rural_area
                                                  <int> 1, 1, 1, 1, 1, 1, ...
#> $ did_police_officer_attend_scene_of_accident <int> 2, 2, 1, 2, 1, 1, ...
#> $ lsoa_of_accident_location
                                                 <chr> "E01002814", "E010...
```

Three challenges are evident immediately:

- There is a very large number of observations.
- There is a very large number of variables.
- Most variables are categorical, which will necessitate many dummy variables if I choose a logistic-regression-type technique.

Data Preparation

Next, I make sure that the data which should be numerical is in numeric format and that the categorical data is in factor format. In this step, I also remove a few columns:

- accident_index is just an identifier, so there's no meaningful information there
- location_easting_osgr and location_northing_osgr are just different measures of latitude and longitude so I remove them (and keep latitude and longitude)
- x1st_road_number, x2nd_road_class and x2nd_road_number, local_authority_highway and lsoa_of_accident_location are categorical variables with too many levels (relative to the number of samples in the data) for each level to have a significant meaning, so I remove them.
- local_authority_district captures regional information which is highly correlated with that of police force, so I remove local authority district and keep police force.

I do not code time as numeric because this misses the fact that 23:59 is very close to 00:00. Instead I use hour_of_day (categorical variable with 24 levels). For similar reasons, I convert date to month.

```
transformed_data <- raw_data %>%
  transmute(
   longitude = longitude,
   latitude = latitude,
    police_force = as.factor(police_force),
    accident_severity = as.factor(accident_severity),
   number_of_vehicles = number_of_vehicles,
   number_of_casualties = number_of_casualties,
   month = as.factor(month(dmy(date))),
   day_of_week = as.factor(day_of_week),
   hour_of_day = as.factor(hour(hms(time))),
   first_road_class = as.factor(x1st_road_class),
   road_type = as.factor(road_type),
    speed_limit = as.factor(speed_limit),
    junction detail = as.factor(junction detail),
    junction_control = as.factor(junction_control),
```

```
pedestrian_crossing_human_control =
    as.factor(pedestrian_crossing_human_control),
  pedestrian crossing physical facilities =
    as.factor(pedestrian_crossing_physical_facilities),
 light_conditions = as.factor(light_conditions),
  weather_conditions = as.factor(weather_conditions),
 road_surface_conditions = as.factor(road_surface_conditions),
  special_conditions_at_site = as.factor(special_conditions_at_site),
  carriageway hazards = as.factor(carriageway hazards),
  urban_or_rural_area = as.factor(urban_or_rural_area),
 did_police_officer_attend_scene_of_accident =
    as.factor(did_police_officer_attend_scene_of_accident)
 ) %>%
as.data.frame() %>% # mlr prefers data frames to tibbles
removeConstantFeatures() %>%
drop_na() # remove rows with missing values
```

Next, I (randomly) create the indices of the training and test sets.

```
nr <- nrow(transformed_data)
train_indices <- sample.int(nr, nr * (2 / 3))
test_indices <- setdiff(seq_len(nr), train_indices)</pre>
```

The simplest possible model

The simplest possible model would say that a police officer always attends the scene of a traffic accident. I will crudely compare other models to this, in order to get an impression of whether or not those models are effective. I would like to estimate the test error rate of this model. Since there is no fitting (hence no danger of overfitting) I can estimate the test error rate by the training error rate (note that did_police_officer_attend_scene_of_accident is coded as 1 for TRUE and 2 for FALSE.):

```
mean(transformed_data[train_indices, ]$did_police_officer_attend_scene_of_accident == 2)
#> [1] 0.1825665
```

Penalized logistic regression

The first thing I try is a penalized logistic regression. Penalizing is designed to avoid over-fitting, which is a big danger with so many variables. LASSO penalised logistic regression also reduces the number of variables by setting some coefficients to zero.

I use the mlr (Machine Learning with R) package for this.

First I set up the generic machine learning task at hand, with the data and target variable. I also set up a sub-task for tuning the hyperparameter (choosing the best hyperparameter lambda1 for the lasso-penalized logistic regression).

Next I set up the LASSO penalized logistic regression learning procedure, including the possible choices of hyperparameter lambda1 that I want to iterate over in order to choose the best one via 5-fold cross-validation. For the sake of time, I choose a small set of possible values for lambda1, using powers of 2 in order to have values spread over a relatively wide range. I create the learner with makePreprocWrapperCaret(). Creating a learner with makePreprocWrapperCaret() has the following advatnage: when called, such a learner will automatically preprocess the data in the appropriate fashion.

At this point, it is worth acknowledging that I may be missing the most effective values of lambda1. I choose high values of lambda1 because for low values - particularly those below 1 - the code takes a very long time to run. The long runtime is likely at least partially due to the large number of variables and in particular to the large number of categorical variables, many of which have a large number of levels; as such, the regression requires the coding of an extremely large number of dummy variables. This necessitates the fitting of almost two-hundred coefficients, which is inevitably slow and possibly quite unreliable.

Next I do the parameter tuning:

```
tuned_plr <- tuneParams(learner_plr, tune_task, resampling = resamp,</pre>
                        par.set = lambda1_set, control = ctrl)
#> [Tune] Started tuning learner classif.penalized.preproc for parameter set:
                              Constr Reg Tunable Trafo
#>
               Type len Def
#> lambda1 discrete - - 128,64,32
#> With control class: TuneControlGrid
#> Imputation value: 1
#> [Tune-x] 1: lambda1=128
#> [Tune-y] 1: mmce.test.mean=0.1793681; time: 0.5 min
#> [Tune-x] 2: lambda1=64
#> [Tune-y] 2: mmce.test.mean=0.1795116; time: 1.8 min
#> [Tune-x] 3: lambda1=32
#> [Tune-y] 3: mmce.test.mean=0.1791631; time: 5.7 min
#> [Tune] Result: lambda1=32 : mmce.test.mean=0.1791631
```

The best lambda1 is given by tuned_plr\$x\$lambda1 - namely 32 - so I will go with that. The mmce (Mean MisClassification Error) was 0.1791631. So now I can choose the best penalized logistic regression model (subject to the range of possible hyperparameters which I allowed):

```
best_learner_plr <- setHyperPars(learner_plr, par.vals = tuned_plr$x)
model_plr <- train(best_learner_plr, generic_task, subset = train_indices)</pre>
```

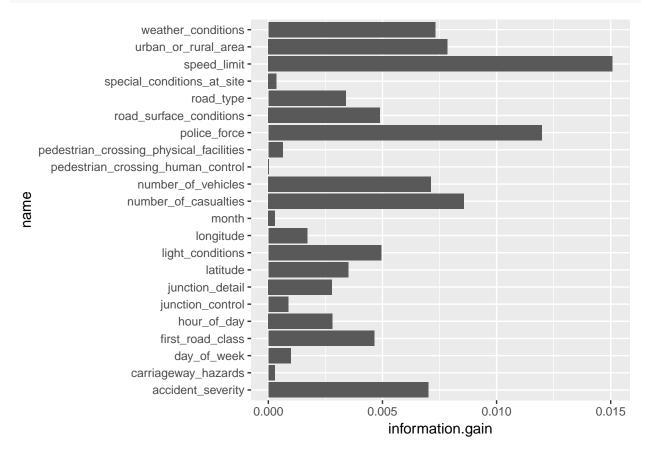
As I said above, the mmce of this model_plr is 0.1791631, which is the estimated test error rate. This does not improve much upon the simplest possible model (which assumes that a police officer always turns up), whose estimated test error rate was computed above to be 0.1825665. Nevertheless, model_plr is slightly better and I may be able to use it for inference. Hopefully, the LASSO model will have set most of the almost-two-hundred fitted coefficients to zero:

```
getLearnerModel(model_plr, more.unwrap = TRUE)
#> Penalized logistic regression object
#> 180 regression coefficients of which 95 are non-zero
```

```
#> Loglikelihood = -41099.84
#> L1 penalty = 718.5474 at lambda1 = 32
```

That still leaves me with a very large number of nonzero regression coefficients and it is difficult to do much inference here. The best I can do is to graph the information gain of each of the variables.

```
generateFilterValuesData(tune_task, method = "information.gain")$data %>%
   ggplot(aes(x = name, y = information.gain)) +
   geom_bar(stat = "identity") +
   coord_flip()
```



Given the limitations of my penalized logistic regression approach and the fact that it is not much better than the model that predicts a police officer always attends, I will now try gradient boosting as an alternative method.

Gradient Boosted Method

In order to choose the best boosted trees method, I will again choose a set of hyperparameters to iterate over in order to choose the best ones via 5-fold cross validation. If I had more time, I would choose greater possible ranges of the hyperparameters.

```
makeDiscreteParam("shrinkage", values = 2 ^ (-3:-4)))
tuned_gbm <- tuneParams(learner_gbm, task = tune_task, resampling = resamp,</pre>
                       par.set = param_set_gbm, control = ctrl)
#> [Tune] Started tuning learner classif.gbm.preproc for parameter set:
#>
                         Type len Def
                                                  Constr Reg Tunable Trafo
#> n.trees
                                    - 50,100,200,400,800
                     discrete
                                                                 TRUE
                                                     1,2
#> interaction.depth discrete
                                                                TRUE
#> shrinkage
                     discrete
                                            0.125, 0.0625
                                                                TRUE
#> With control class: TuneControlGrid
#> Imputation value: 1
#> [Tune-x] 1: n.trees=50; interaction.depth=1; shrinkage=0.125
#> [Tune-y] 1: mmce.test.mean=0.1795424; time: 0.4 min
#> [Tune-x] 2: n.trees=100; interaction.depth=1; shrinkage=0.125
#> [Tune-y] 2: mmce.test.mean=0.1791426; time: 0.6 min
#> [Tune-x] 3: n.trees=200; interaction.depth=1; shrinkage=0.125
#> [Tune-y] 3: mmce.test.mean=0.1787120; time: 1.0 min
#> [Tune-x] 4: n.trees=400; interaction.depth=1; shrinkage=0.125
#> [Tune-y] 4: mmce.test.mean=0.1784557; time: 1.8 min
#> [Tune-x] 5: n.trees=800; interaction.depth=1; shrinkage=0.125
#> [Tune-y] 5: mmce.test.mean=0.1784250; time: 3.4 min
#> [Tune-x] 6: n.trees=50; interaction.depth=2; shrinkage=0.125
#> [Tune-y] 6: mmce.test.mean=0.1784455; time: 0.4 min
#> [Tune-x] 7: n.trees=100; interaction.depth=2; shrinkage=0.125
#> [Tune-y] 7: mmce.test.mean=0.1777894; time: 0.7 min
#> [Tune-x] 8: n.trees=200; interaction.depth=2; shrinkage=0.125
#> [Tune-y] 8: mmce.test.mean=0.1777894; time: 1.4 min
#> [Tune-x] 9: n.trees=400; interaction.depth=2; shrinkage=0.125
#> [Tune-y] 9: mmce.test.mean=0.1776664; time: 2.5 min
#> [Tune-x] 10: n.trees=800; interaction.depth=2; shrinkage=0.125
#> [Tune-y] 10: mmce.test.mean=0.1779739; time: 5.2 min
#> [Tune-x] 11: n.trees=50; interaction.depth=1; shrinkage=0.0625
#> [Tune-y] 11: mmce.test.mean=0.1825665; time: 0.3 min
#> [Tune-x] 12: n.trees=100; interaction.depth=1; shrinkage=0.0625
#> [Tune-y] 12: mmce.test.mean=0.1795526; time: 0.5 min
#> [Tune-x] 13: n.trees=200; interaction.depth=1; shrinkage=0.0625
#> [Tune-y] 13: mmce.test.mean=0.1790401; time: 0.9 min
#> [Tune-x] 14: n.trees=400; interaction.depth=1; shrinkage=0.0625
#> [Tune-y] 14: mmce.test.mean=0.1787633; time: 1.8 min
#> [Tune-x] 15: n.trees=800; interaction.depth=1; shrinkage=0.0625
#> [Tune-y] 15: mmce.test.mean=0.1785275; time: 3.4 min
#> [Tune-x] 16: n.trees=50; interaction.depth=2; shrinkage=0.0625
#> [Tune-y] 16: mmce.test.mean=0.1792246; time: 0.4 min
#> [Tune-x] 17: n.trees=100; interaction.depth=2; shrinkage=0.0625
#> [Tune-y] 17: mmce.test.mean=0.1784660; time: 0.7 min
#> [Tune-x] 18: n.trees=200; interaction.depth=2; shrinkage=0.0625
#> [Tune-y] 18: mmce.test.mean=0.1775946; time: 1.3 min
#> [Tune-x] 19: n.trees=400; interaction.depth=2; shrinkage=0.0625
#> [Tune-y] 19: mmce.test.mean=0.1775536; time: 2.5 min
\# [Tune-x] 20: n.trees=800; interaction.depth=2; shrinkage=0.0625
#> [Tune-y] 20: mmce.test.mean=0.1774921; time: 4.6 min
#> [Tune] Result: n.trees=800; interaction.depth=2; shrinkage=0.0625 : mmce.test.mean=0.1774921
```

I see that the best n.trees, interaction.depth, and shrinkage were respectively 800, 2, and 0.0625, so I'll go with those. The mmce was 0.1774921. So now I can choose the best GBM model (subject to my

hyperparameter choice):

```
best_learner_gbm <- setHyperPars(learner_gbm, par.vals = tuned_gbm$x)
model_gbm <- train(best_learner_gbm, generic_task, subset = train_indices)
#> Distribution not specified, assuming bernoulli ...
```

This is slightly better (in terms of mmce) than my chosen penalized logistic regression model, so I will choose model gbm as my final model. I now check how it performs on the test set:

```
task_pred_gbm <- predict(model_gbm, task = generic_task, subset = test_indices)</pre>
glimpse(as.data.frame(task_pred_gbm))
#> Observations: 48,774
#> Variables: 3
#> $ id
            <int> 3, 4, 5, 9, 10, 16, 18, 20, 23, 25, 31, 32, 34, 35, 4...
#> $ truth
            pred_gbm_df <- as.data.frame(task_pred_gbm) %>%
 mutate(truth = if else(truth == "1", "Y", "N"),
       response = if else(response == "1", "Y", "N"))
head(pred_gbm_df)
    id truth response
#> 1 3
         Y
                  Y
#> 2 4
                  Y
         N
#> 3 5
          Y
                  Y
#> 4 9
          Y
                  Y
#> 5 10
          Y
                  Y
#> 6 16
          Y
                  Y
group_by(pred_gbm_df, response) %>% summarise(n = n())
#> # A tibble: 2 x 2
#>
   response
    <chr>
#>
            \langle int \rangle
#> 1 N
              917
#> 2 Y
            47857
conf_mat <- calculateConfusionMatrix(task_pred_gbm)</pre>
conf mat
         predicted
#>
#> true
              1 2 -err.-
#>
   1
          39567 301
                      301
                     8290
#>
    2
           8290 616
   -err.- 8290 301
                     8591
```

(When interpreting this confusion matrix, recall that did_police_officer_attend_scene_of_accident is coded as 1 for TRUE and 2 for FALSE.)

Conclusion

I can conclude quite a lot from the confusion matrix conf_mat: if I view a positive as a police officer attending an accident, then the model model_gbm is very sensitive - almost every time a police officer attended, this was predicted by the model. However the model is not very specific - almost every time a police officer did not attend, the model failed to predict this. So the model has a poor sensitivity-specificity tradeoff. In spite of its drawbacks, the model is redeemed somewhat by its negative predictive value. It is quite a bold claim to predict that a police officer will not attend the scene of an accident and the model is quite accurate when it makes this claim: it has a negative predictive value of 0.6717557. (Negative predictive value is defined as the proportion of negative predictions which are correct.)

Here is what I think is happening: even though many combinations of the variables can reduce the probability that a police officer will attend the scene of an accident, this probability is almost never below 0.5, so that it is almost always wise to predict that a police officer will attend. Indeed my chosen model model_gbm almost always predicts that a police officer will attend.