

Telescopes & Detectors

Workshop on Introduction to Astronomy and Astrophysics

IIT, Tirupati

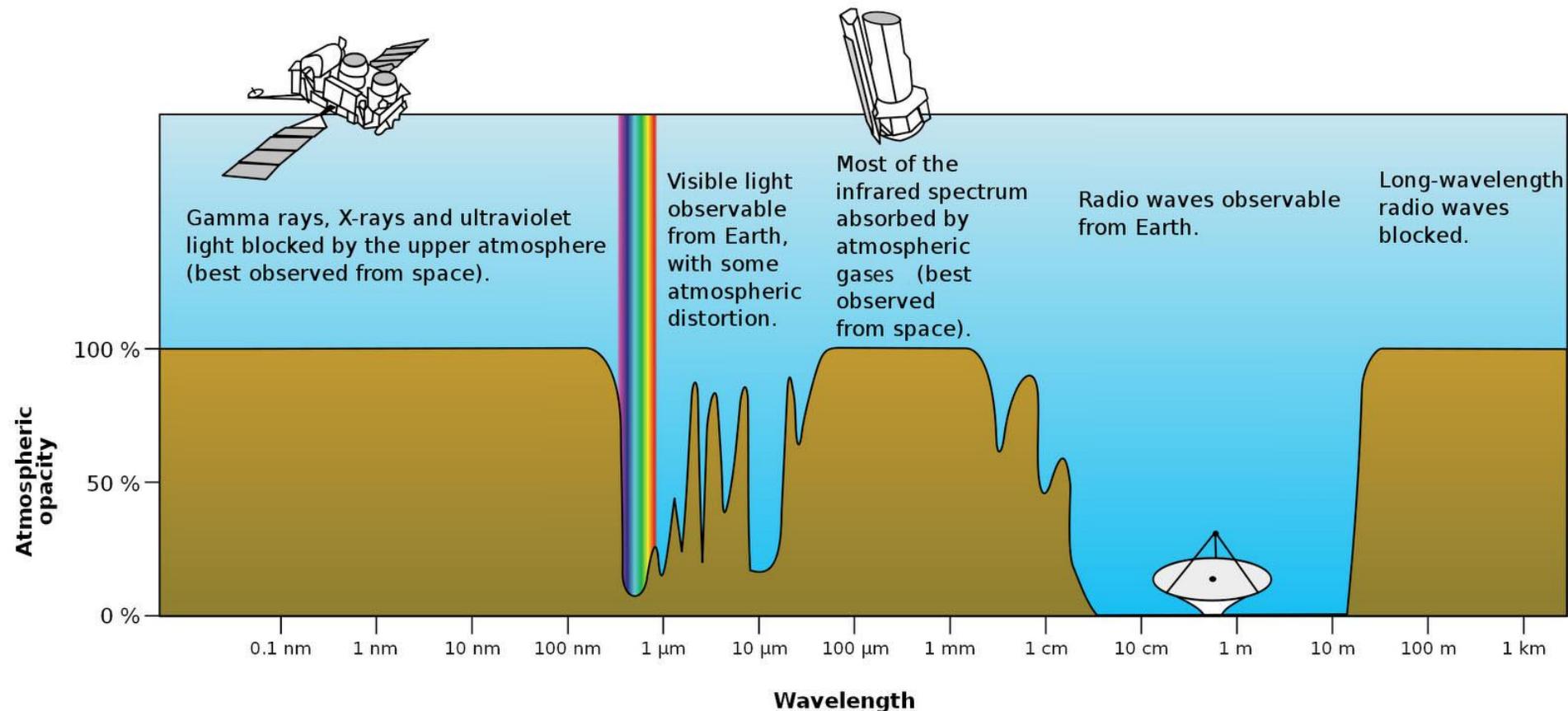
24 January 2026

Rajeshwari Dutta
IUCAA

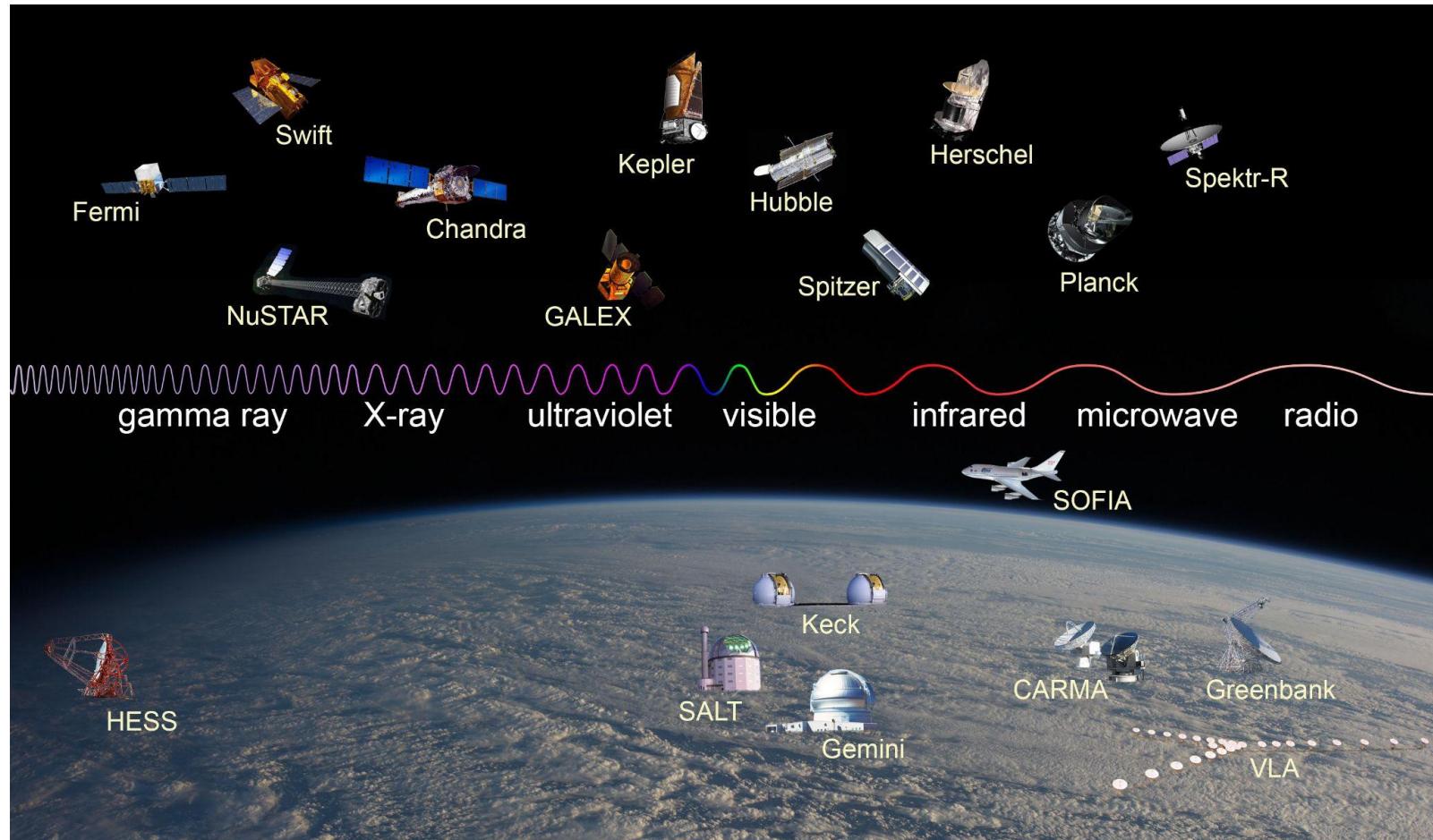
Reference Books

- 1) Astrophysical Techniques - *C. R. Kitchin*
- 2) Astronomical Optics - *Daniel J. Schroeder*
- 3) Observational Astronomy - *D. Scott Birney, Guillermo Gonzalez, David Oesper*
- 4) Optical, Infrared and Radio Astronomy: From Techniques to Observation - *Rosa Poggiani*
- 5) Physical Principles of Astronomical Instrumentation - *Peter A. R. Ade, Matthew J. Griffin, Carole E. Tucker*
- 6) Observational Astrophysics - *Pierre Lena, Daniel Rouan, Francois Lebrun, Francois Mignard, Didier Pelat*

Multiwavelength observations



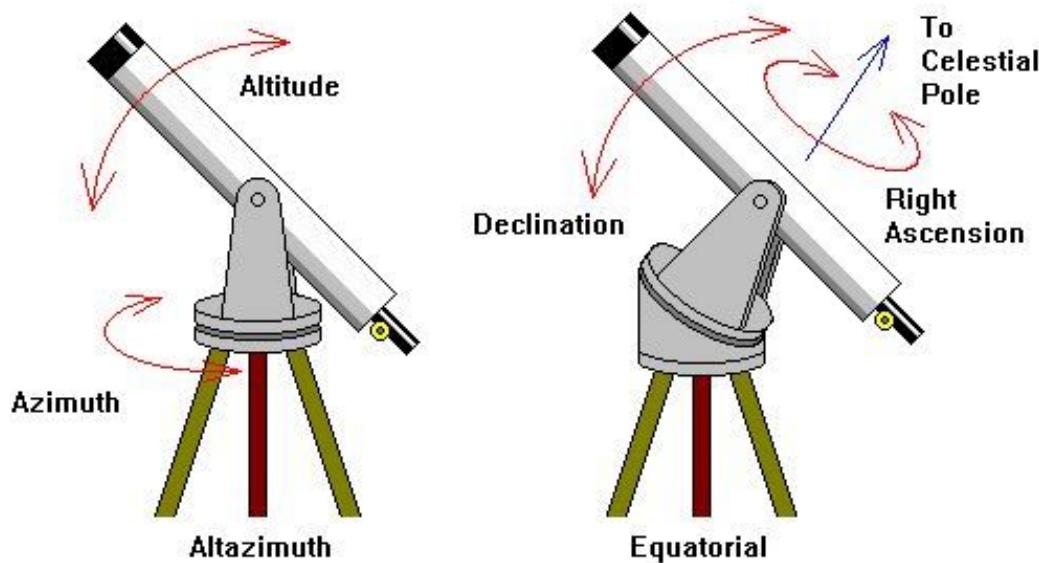
Multiwavelength observations



Telescope Mounts

Equatorial:

- One axis (polar axis) fixed parallel to the Earth's axis of rotation
- Pro: compensates for Earth's rotation, tracks objects across sky
- Con: complicated, expensive

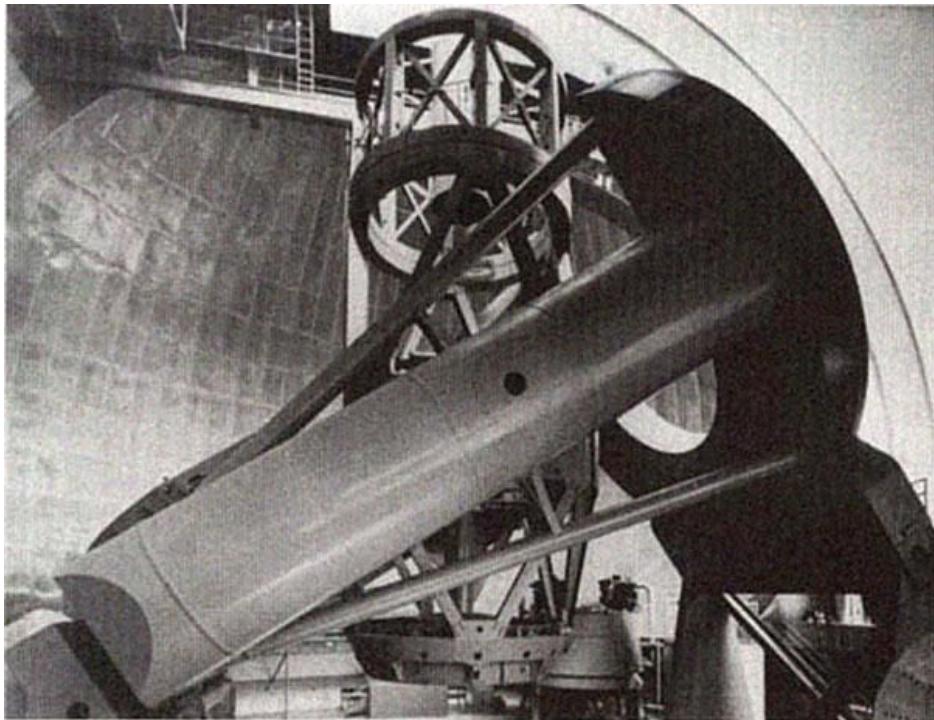


Alt-Azimuth:

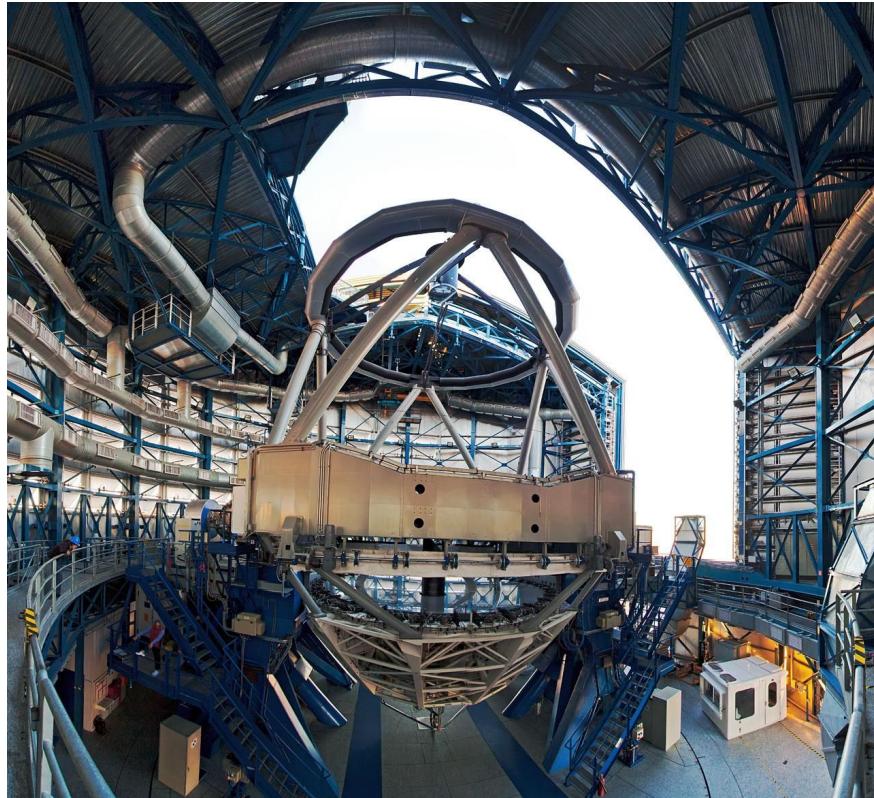
- Two axes of rotation: horizontal and vertical
- Pro: simpler, cheaper
- Con: cannot track objects across sky, rotating field of view

Telescope Mounts

Large modern telescopes have Alt-Az mount



Mt. Palomar's 200-inch Hale Telescope, pointing to the zenith, as seen from the east side.



Very Large Telescope in Chile

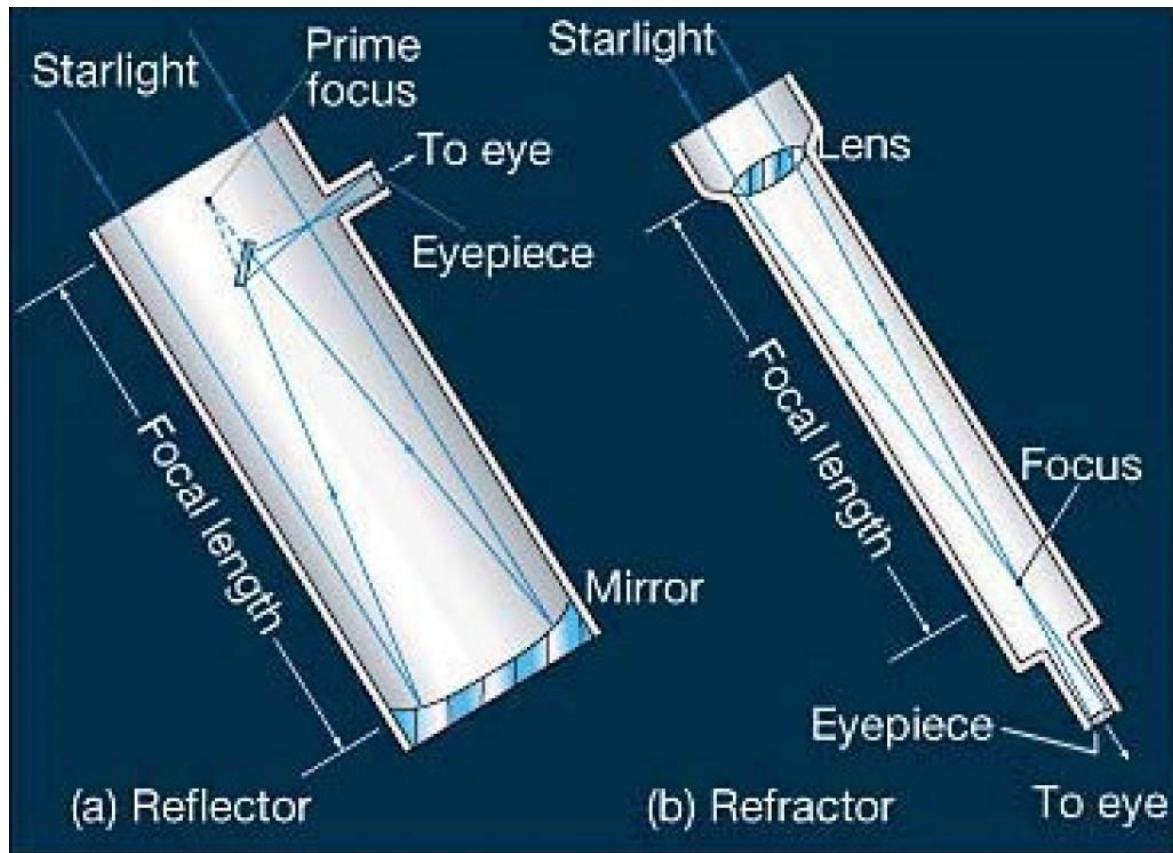
Telescope Types

Refractor

- Uses lenses
- Pros: Closed tube, sharper images
- Cons: Heavy, long tube, expensive, chromatic aberration

Reflector

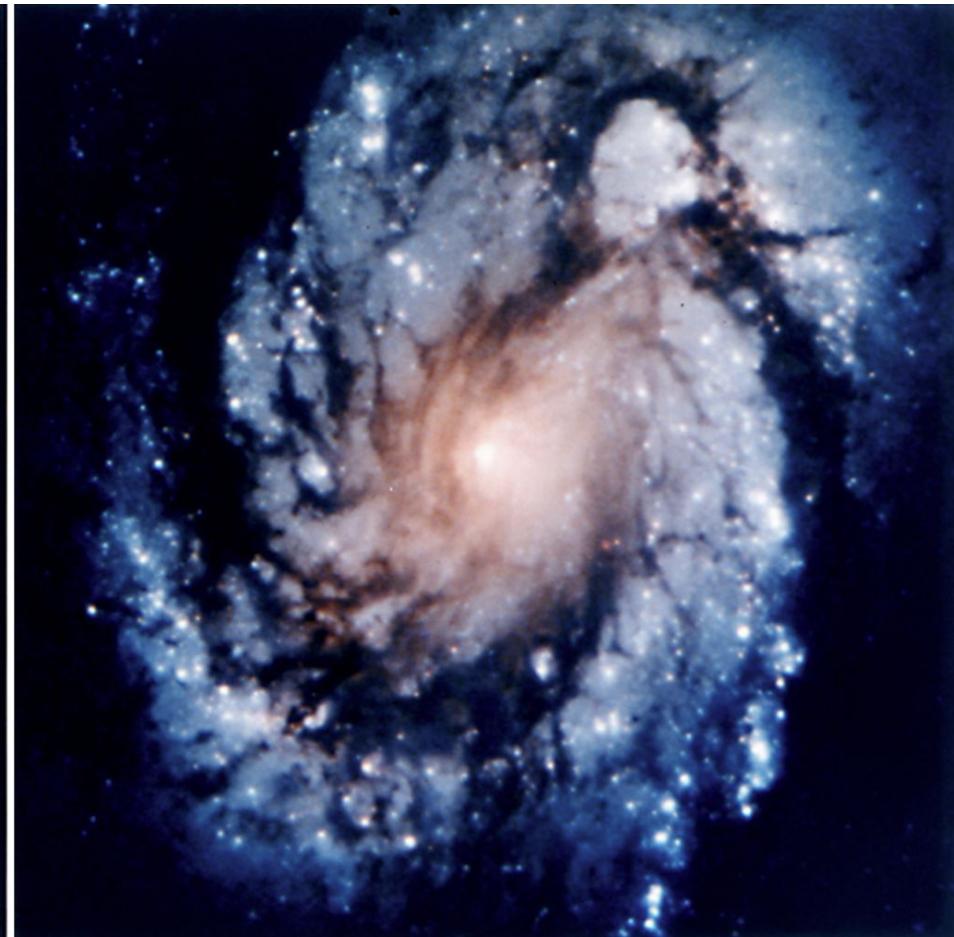
- Uses mirrors
- Pros: Larger size, can be supported at back, cheaper
- Cons: Central obstruction, spherical aberration



Hubble WFPC1 image of M101 before correction

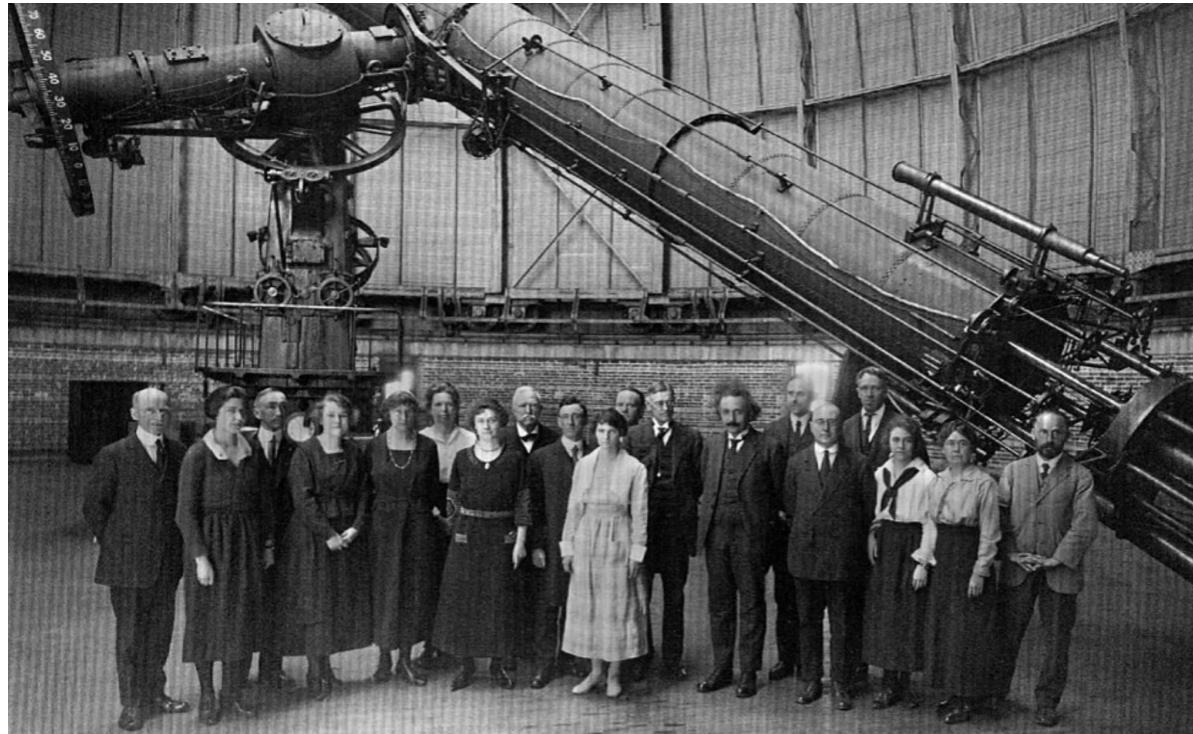


Hubble WFPC2 image of M101 after correction



Telescope Types

Large modern telescopes are reflectors



40 in refractor at Yerkes Observatory

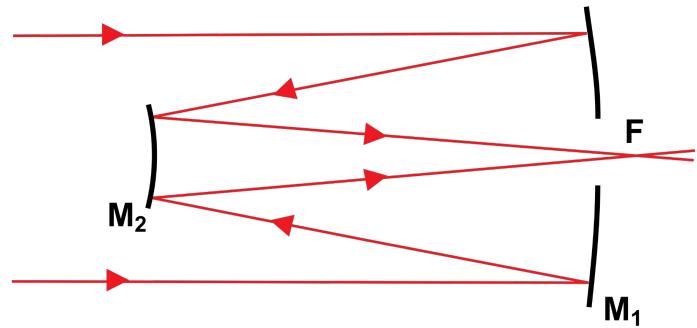
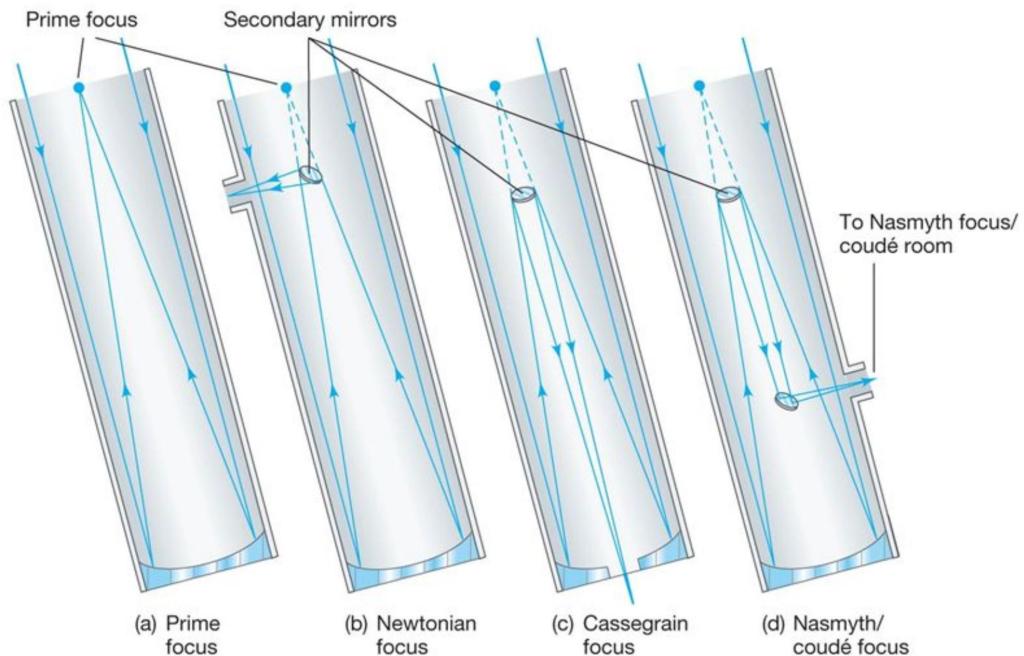


JWST 6.5 m mirror

Telescope Design

Most common reflector type is Ritchey-Chrétien (variant of Cassegrain) with hyperbolic primary and hyperbolic secondary mirrors

Types of reflecting telescopes



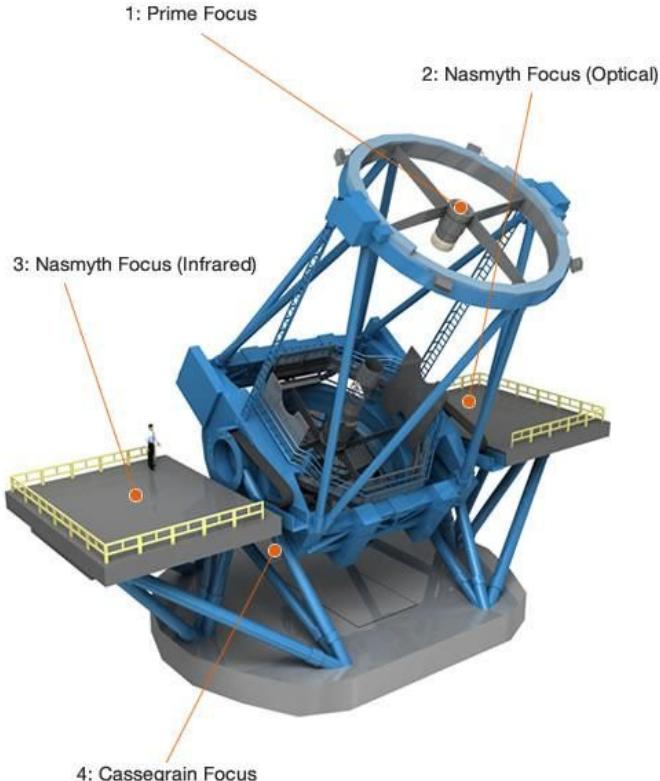
Ritchey-Chrétien

Examples: Hubble Space Telescope,
Keck Telescope, Very Large Telescope

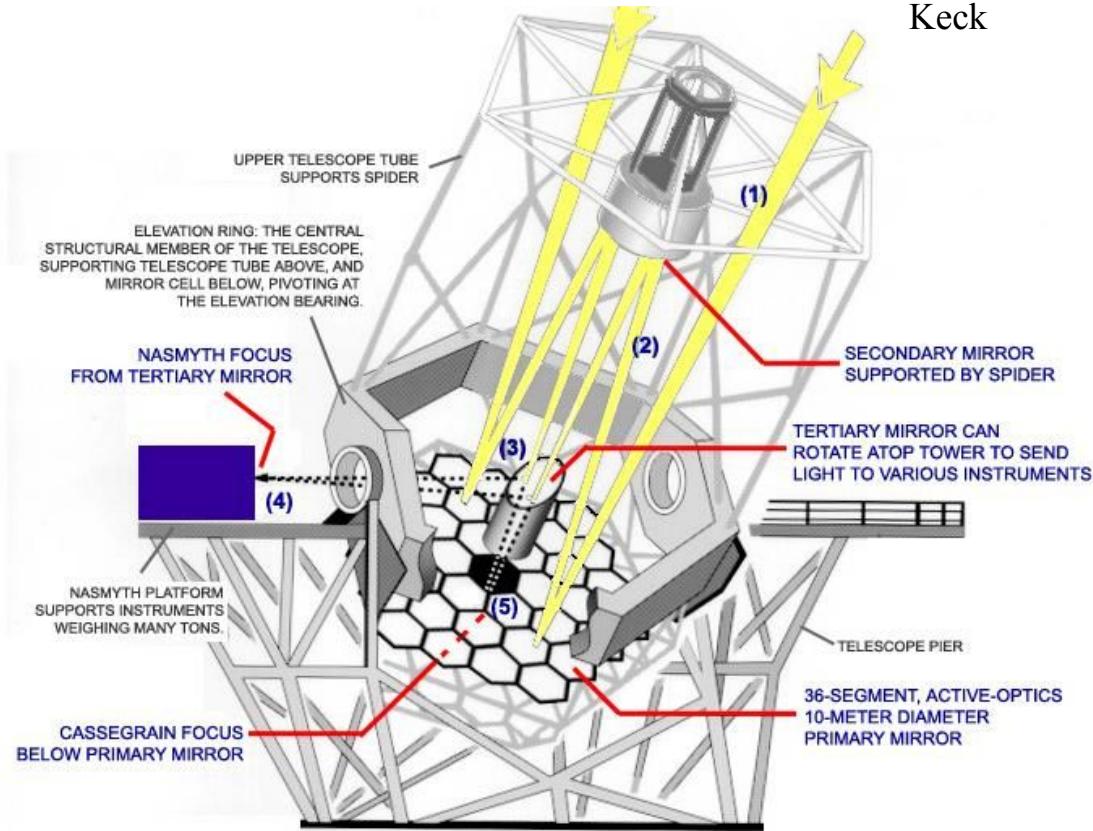
Telescope Design

Large instruments are usually hosted at Nasmyth focii

Subaru

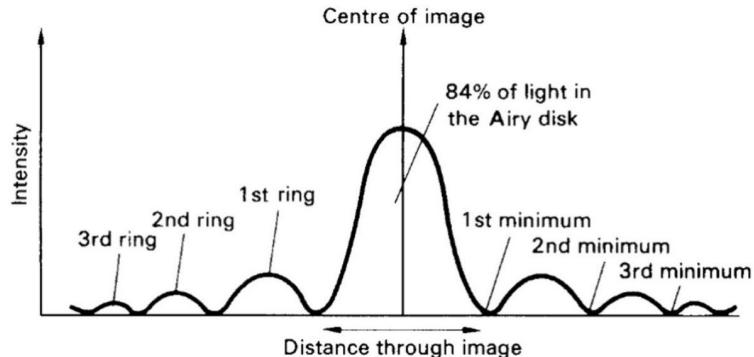
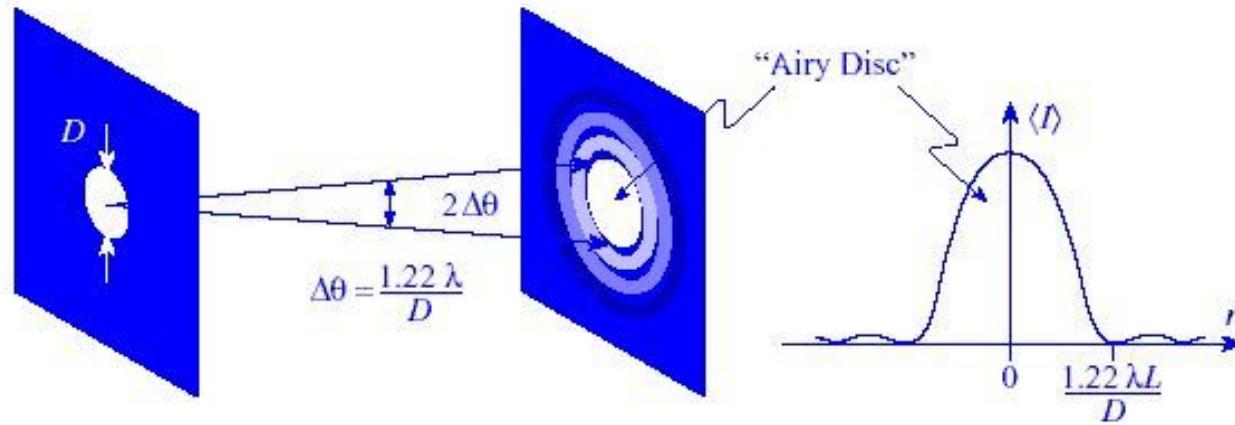


Keck



Airy Profile

Diffraction pattern resulting from a uniformly illuminated, circular aperture (primary mirror of telescope)



First minimum occurs at

$$\sin \theta \approx 1.22 \frac{\lambda}{d}$$

or, for small angles, simply

$$\theta \approx 1.22 \frac{\lambda}{d},$$

Angular Resolution

Rayleigh Criterion: two point sources are said to be just resolved when the principal diffraction maximum (center) of the Airy disk of one image coincides with the first minimum of the Airy disk of the other



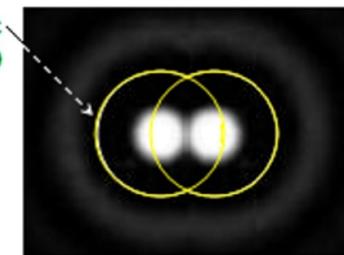
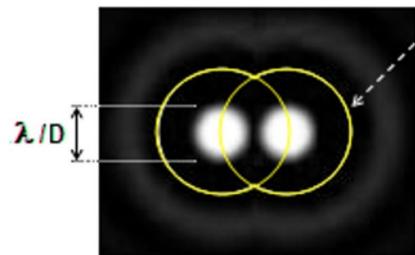
well resolved



just resolved

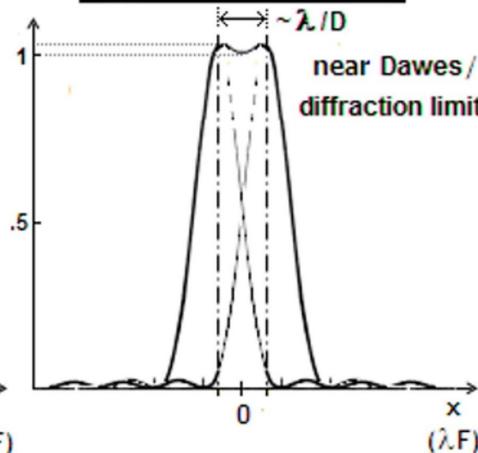
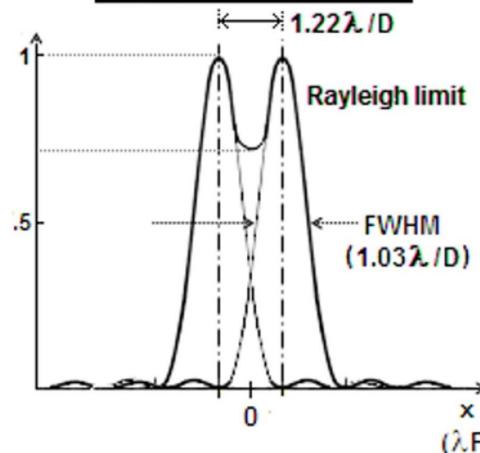


not resolved



Diffraction limit of telescope:

$$\theta \approx 1.22 \frac{\lambda}{D} \quad (\text{considering that } \sin \theta \approx \theta)$$



Angular Resolution

Calculate diffraction limit for VLT (D=8.2 m) and HST (D=2.4 m) in optical band (500 nm)

Angular Resolution

Calculate diffraction limit for VLT (D=8.2 m) and HST (D=2.4 m) in optical band (500 nm)

$$1 \text{ radian} \sim 206265''$$

$$\text{VLT} \sim 0.01'', \text{HST} \sim 0.04''$$

Angular Resolution

Calculate diffraction limit for VLT ($D=8.2$ m) and HST ($D=2.4$ m) in optical band (500 nm)

$$1 \text{ radian} \sim 206265''$$

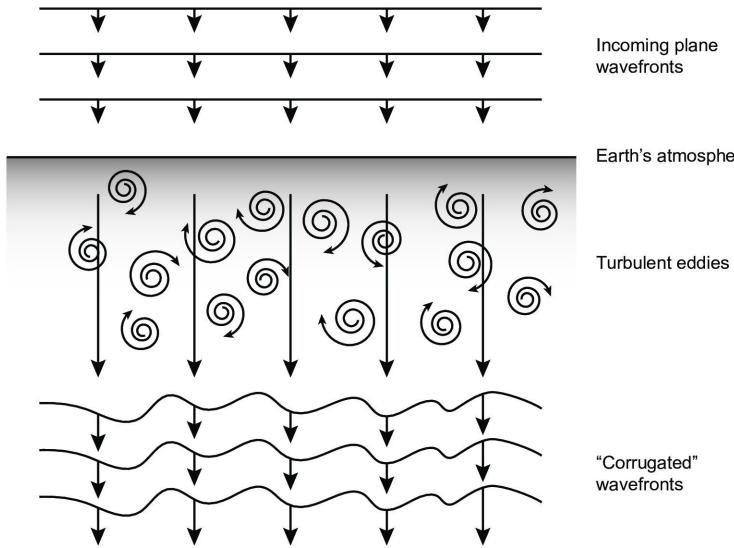
$$\text{VLT} \sim 0.01'', \text{ HST} \sim 0.04''$$

In practice, FWHM of point sources (stars) in VLT images (point spread function or PSF) much larger than diffraction limit... Why?

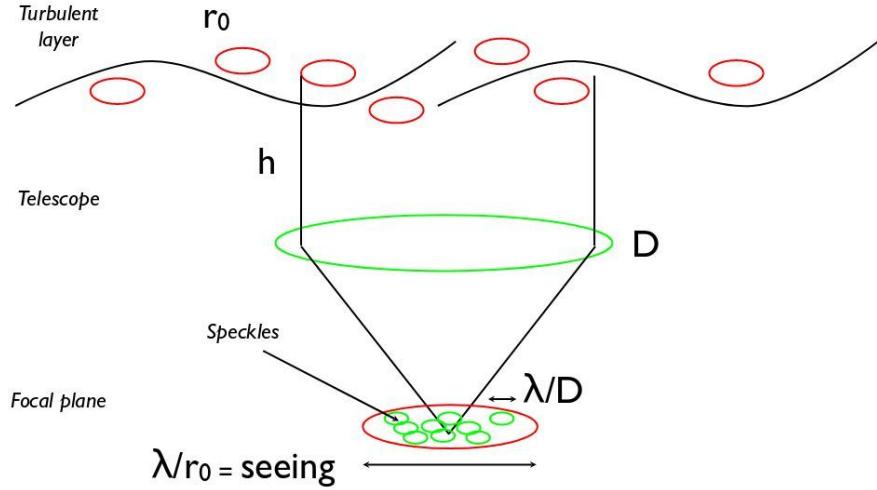
Effects of Earth's Atmosphere

1. Refraction
2. Night sky emission (moonlight, thermal emission, air glow, light pollution, zodiacal light)
3. Extinction - absorption (e.g. by molecules) + scattering (e.g. Rayleigh scattering)
4. Turbulence - scintillation (change in brightness) + seeing (change in position)

Seeing

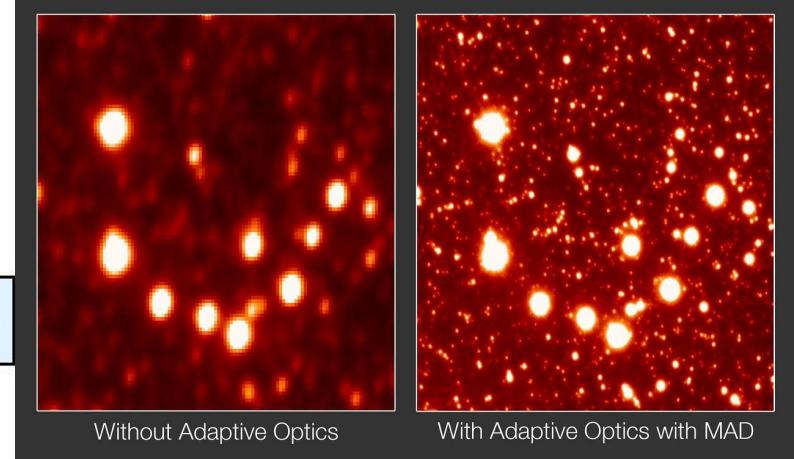
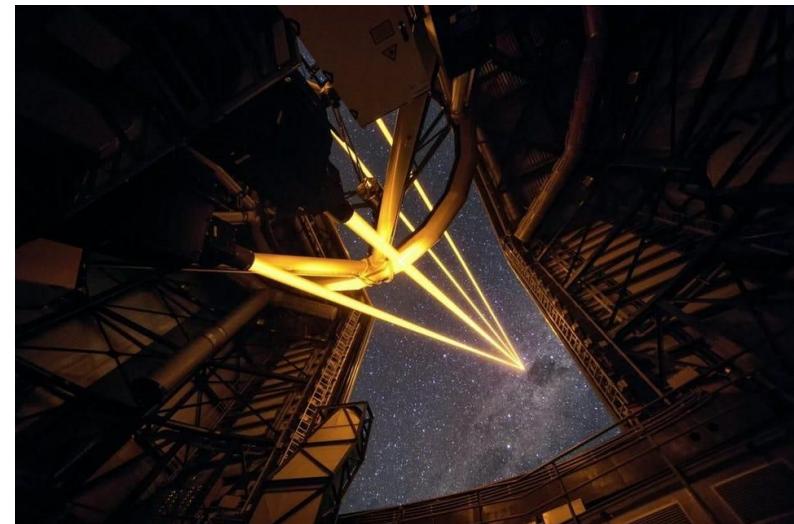
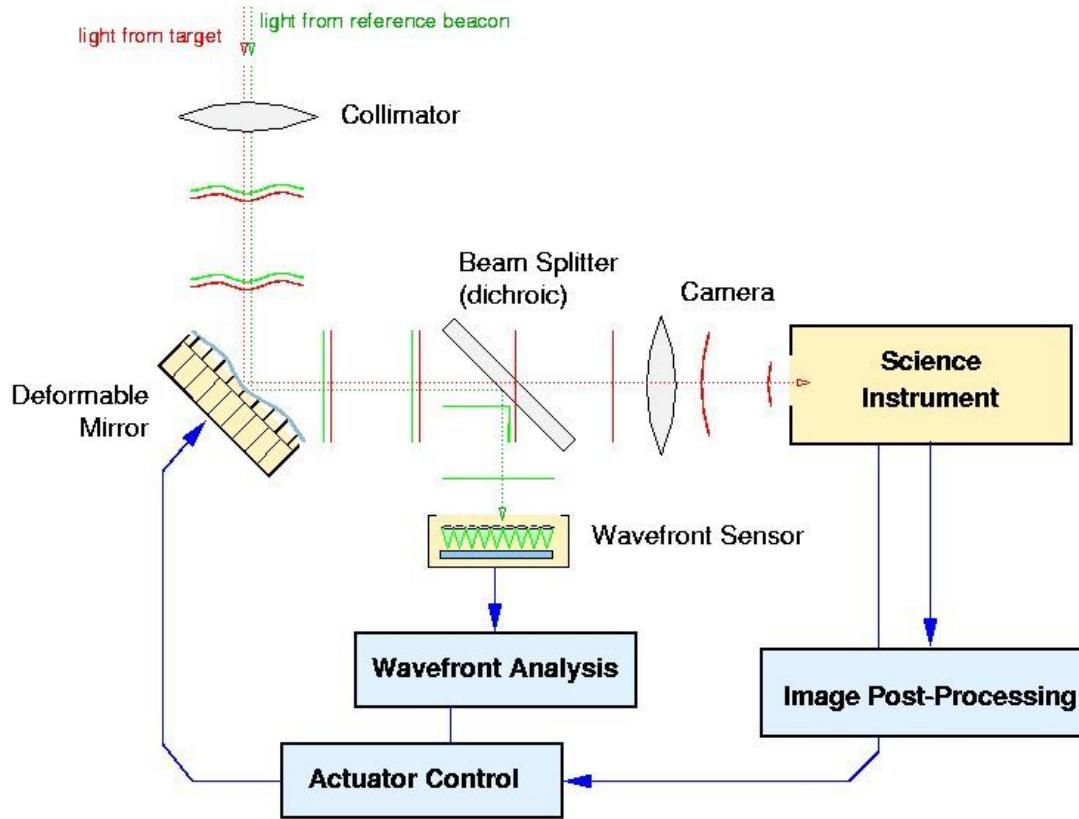


Speckles and seeing halo



Fried's parameter or coherence length (r_0) is defined as the diameter of a circular area over which the rms wavefront error due to passage through the atmosphere is equal to 1 radian. Telescopes with apertures D larger than r_0 will be seeing limited. Larger the r_0 , better the seeing. Best observing conditions (e.g. Paranal, Chile) have $r_0 \sim 20$ cm or seeing $\sim 0.6''$ in optical.

Adaptive Optics

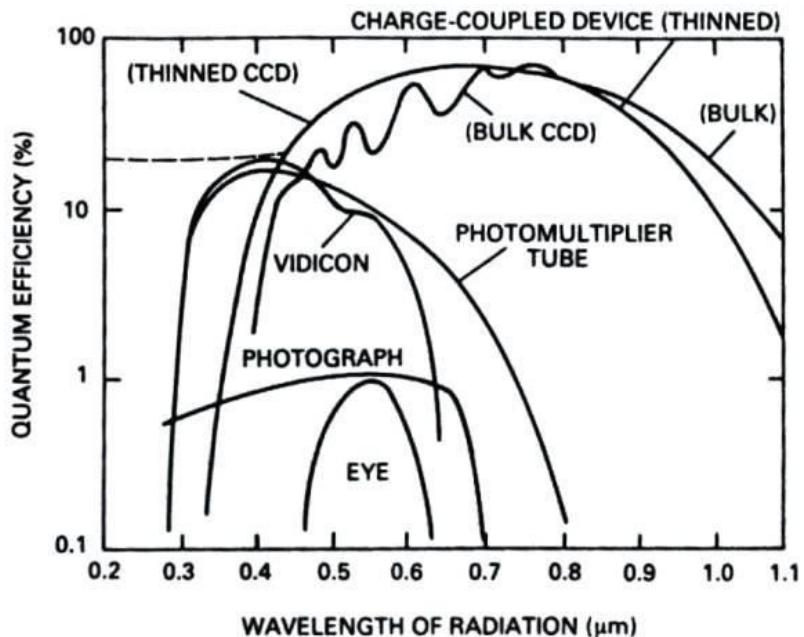


Detectors

Properties of an ideal telescope detector:

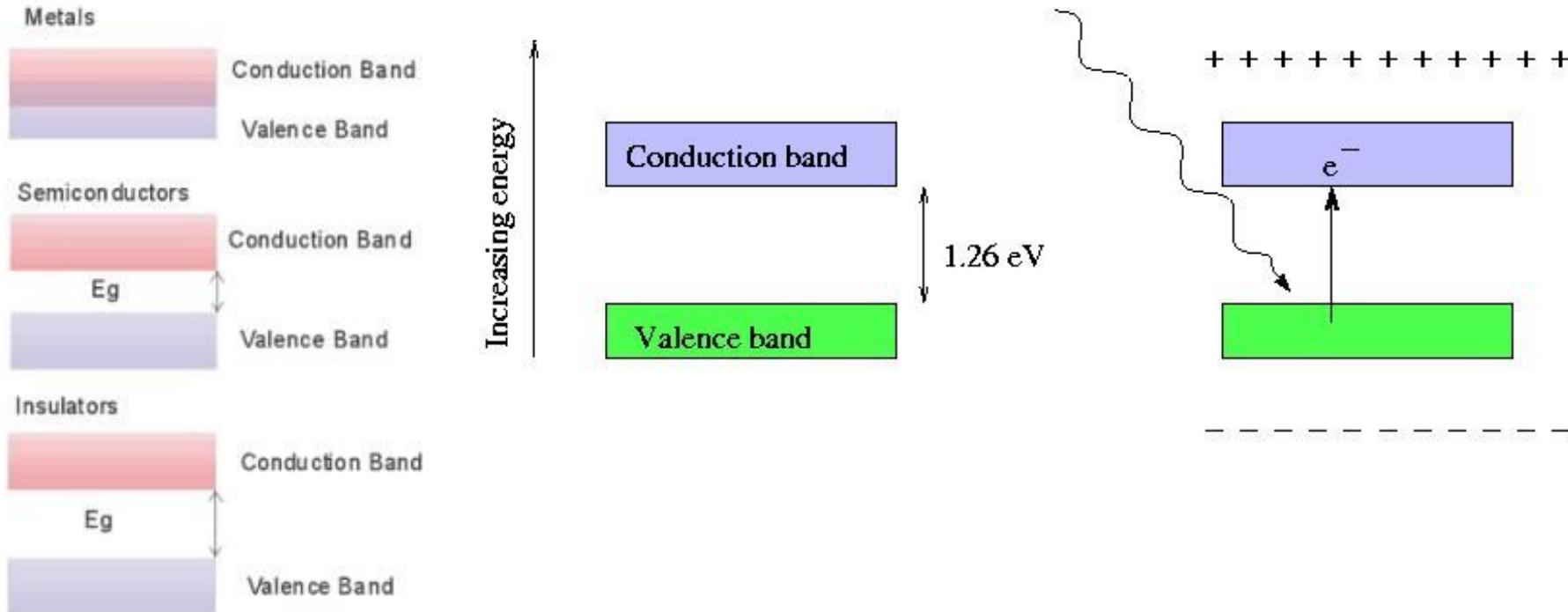
- Counts every photon it receives
- Large dynamic range
- Linear response
- Low noise
- Stable

QE = Detected photons / Incoming photons



Charged Coupled Device (CCD)

Basic principle: Photoelectric effect in semiconductors



Charged Coupled Device (CCD)

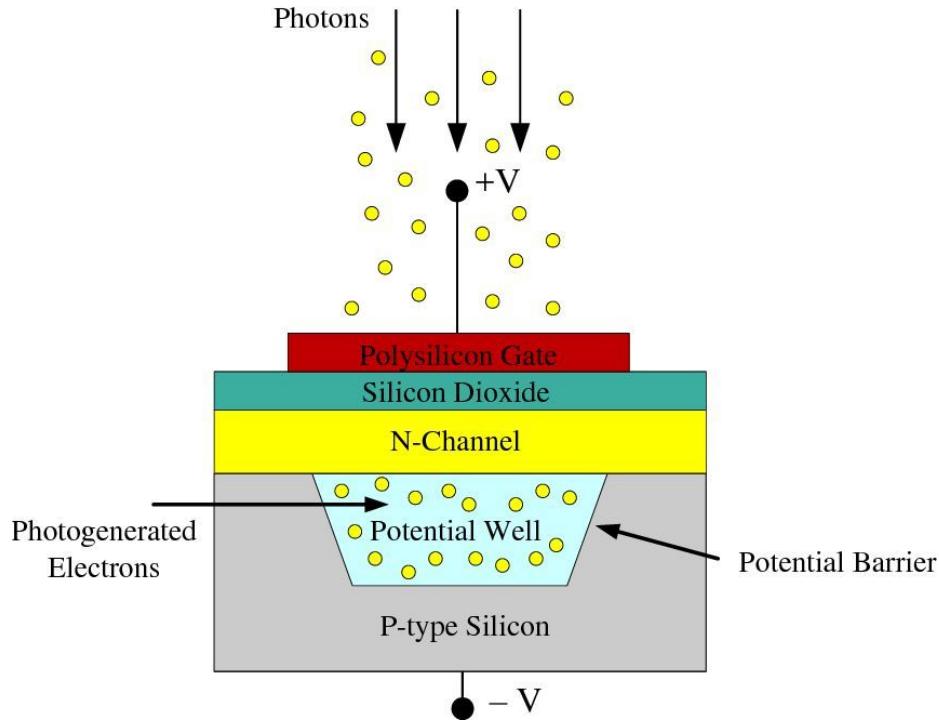
Only photons above a minimum energy (or below cut-off wavelength) will be absorbed and detected

$$\lambda_{co} = \frac{hc}{E_g} = \frac{1240 \text{ nm}}{E_g(\text{eV})}$$

Material	Bandgap	λ_{\max}
Silicon	1.1 eV	11,000 Å (1.1μ)
Germanium	0.67 eV	18,000 Å (1.8μ)
InSb	0.18 eV	6.7μ

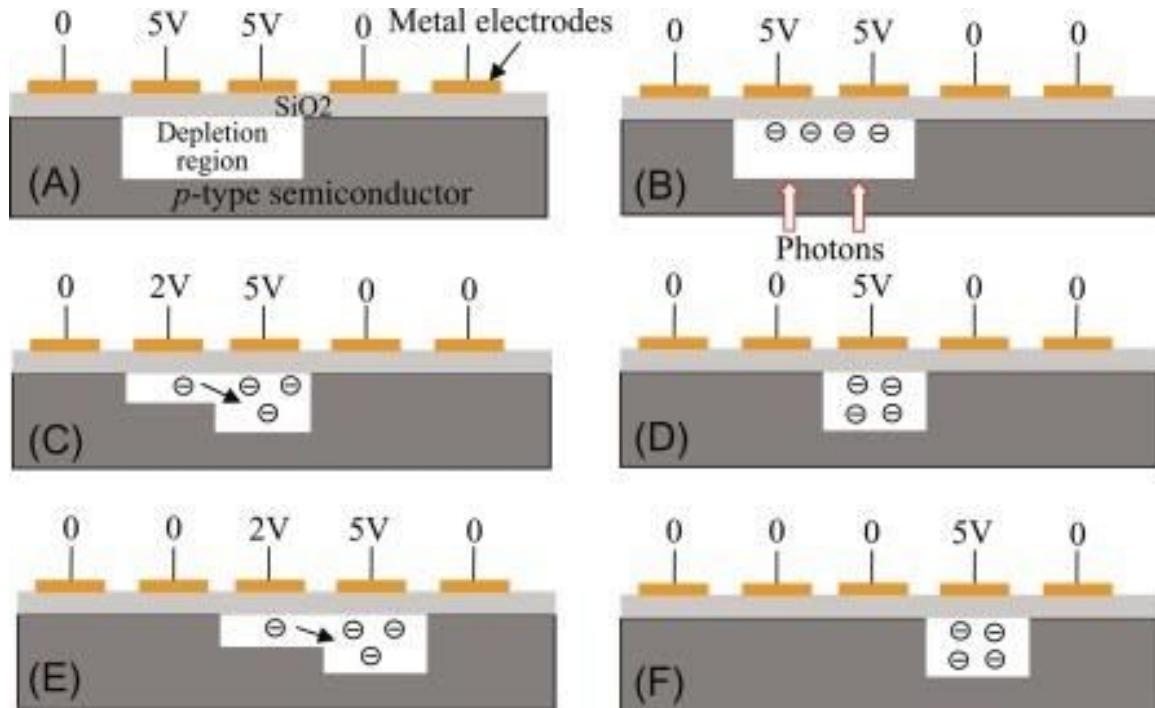
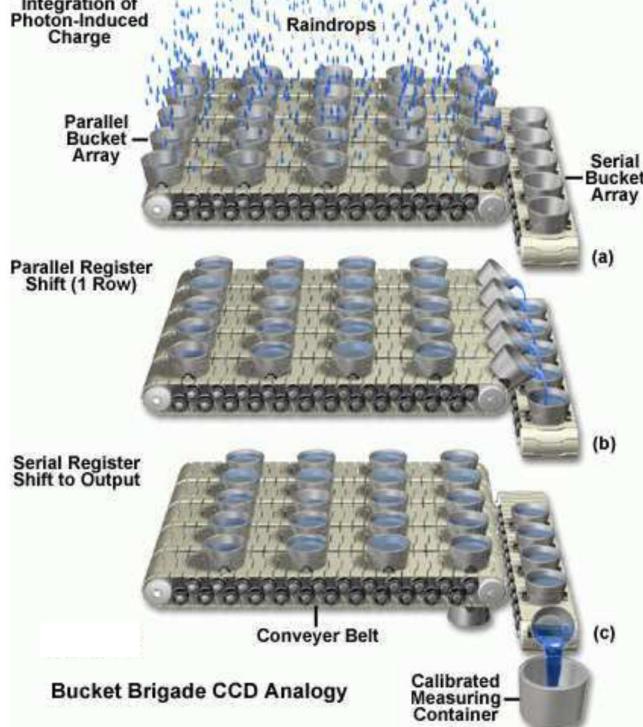
Charged Coupled Device (CCD)

Every pixel in a CCD is a p-n junction diode reverse biased



Charged Coupled Device (CCD)

Principle of operation: Charge Transfer (Conveyor Belt Analogy)



Charge transfer efficiency CTE ~ 99.999 %

Noise Sources

1. Shot noise (Poisson noise)
 - i. Object
 - ii. Sky
 - iii. Thermal noise of CCD
2. Read-out noise of CCD

Noise Sources

1. Shot noise (Poisson noise)

i. Object $\sim \sqrt{N_{\text{obj}}} \sim \sqrt{(S_{\text{obj}} * t_{\text{exp}})}$

ii. Sky $\sim \sqrt{N_{\text{sky}}} \sim \sqrt{(S_{\text{sky}} * t_{\text{exp}} * n_{\text{pix}})}$

iii. Thermal noise of CCD $\sim \sqrt{N_{\text{dark}}} \sim \sqrt{(S_{\text{dark}} * t_{\text{exp}} * n_{\text{pix}})}$

2. Read-out noise of CCD $\sim R * \sqrt{n_{\text{pix}}}$

$$\text{Total Noise } N(e^-) = \sqrt{(S_{\text{obj}} * t_{\text{exp}} + n_{\text{pix}} * (S_{\text{sky}} * t_{\text{exp}} + S_{\text{dark}} * t_{\text{exp}} + R^2))}$$

$S_{\text{obj}} = e^-/s$ from object $S_{\text{sky}} = e^-/s/\text{pixel}$ from sky background

$S_{\text{dark}} = e^-/s/\text{pixel}$ due to thermal noise in CCD (Dark current)

t_{exp} = exposure time in s n_{pix} = no. of pixels covered by object R = read noise per pixel in e^-

CCD S/N Equation

$$S/N = (S_{\text{obj}} * t_{\text{exp}}) / \sqrt{(S_{\text{obj}} * t_{\text{exp}} + n_{\text{pix}} * (S_{\text{sky}} * t_{\text{exp}} + S_{\text{dark}} * t_{\text{exp}} + R^2))}$$

Limiting Cases:

1. Object limited

$$S/N = (S_{\text{obj}} * t_{\text{exp}}) / \sqrt{(S_{\text{obj}} * t_{\text{exp}})} = \sqrt{(S_{\text{obj}} * t_{\text{exp}})} \propto D * \sqrt{t_{\text{exp}}}$$

($S_{\text{obj}} \propto D^2$; D = diameter of telescope mirror)

2. Background / Sky limited

$$S/N = (S_{\text{obj}} * t_{\text{exp}}) / \sqrt{(n_{\text{pix}} * S_{\text{sky}} * t_{\text{exp}})} \propto D * \sqrt{t_{\text{exp}}} \quad (S_{\text{obj}} \propto D^2 \text{ and } S_{\text{sky}} \propto D^2)$$

3. Read-noise limited

$$S/N = (S_{\text{obj}} * t_{\text{exp}}) / (R * \sqrt{n_{\text{pix}}}) \propto D^2 * t_{\text{exp}}$$

CCD S/N Equation

General version:

$$S/N = (S_{\text{obj}} * t_{\text{exp}} * G) / \sqrt{(S_{\text{obj}} * t_{\text{exp}} * G + n_{\text{pix}} * (1 + n_{\text{pix}}/n_{\text{sky}}) * (S_{\text{sky}} * t_{\text{exp}} * G + S_{\text{dark}} * t_{\text{exp}} + R^2 + G^2 \sigma_f^2))}$$

ADU = Analog to Digital Unit

S_{obj} = ADU/s from object

S_{sky} = ADU/s/pixel from sky background

S_{dark} = e⁻/s/pixel due to thermal noise in CCD (Dark current)

t_{exp} = exposure time in s

n_{pix} = no. of pixels covered by object

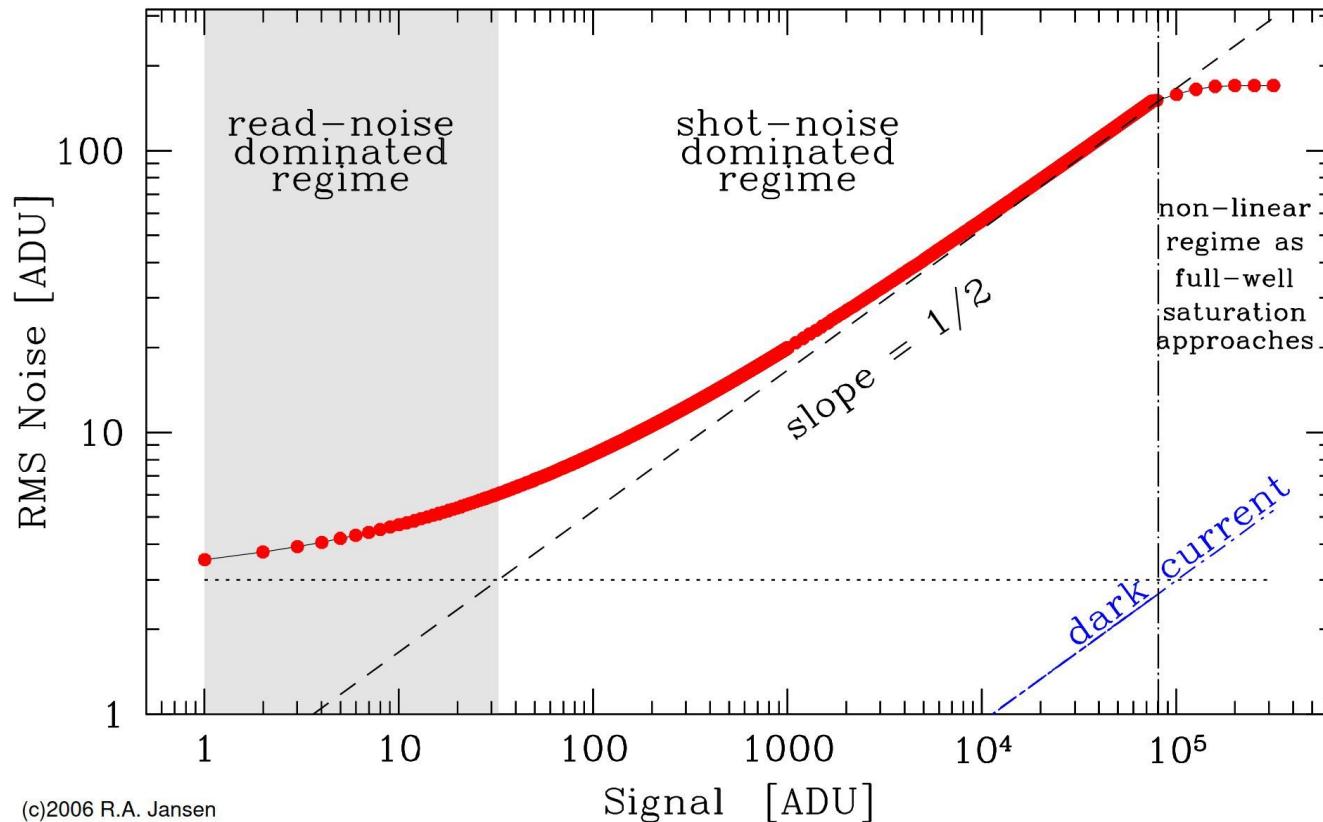
n_{sky} = no. of sky background pixels

R = read noise per pixel in e⁻

G = CCD gain in e⁻/ADU

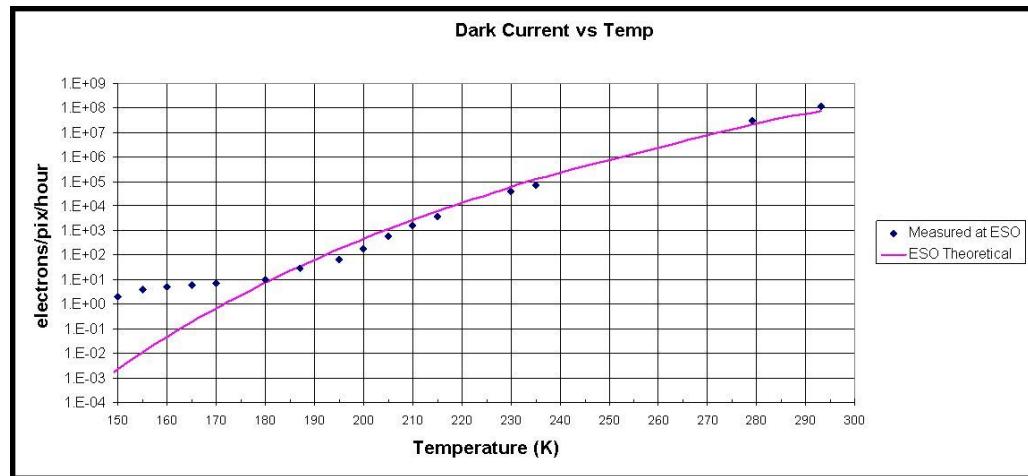
σ_f = A to D conversion or digitization noise

CCD Noise

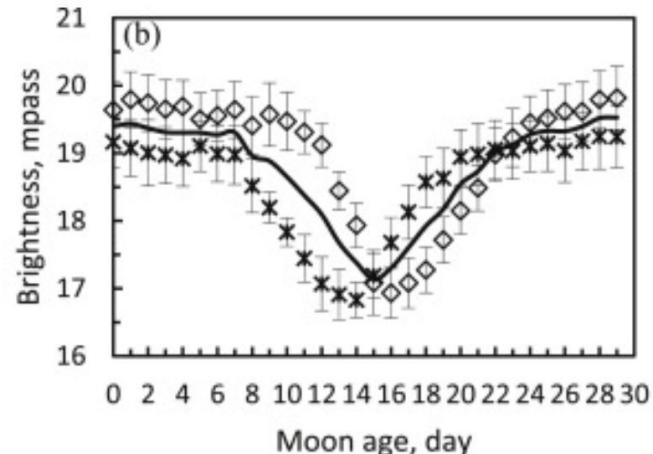


Typical Noise

- Dark current: temperature dependent
 $< 10 \text{ e}^-/\text{pix/hr}$ for $T \sim 150\text{--}170 \text{ K}$
- Read-noise: $\sim 3\text{--}10 \text{ e}^-/\text{pix}$
- Gain: $\sim 1 \text{ e}^-/\text{ADU}$
- A/D noise: $\sigma_f \sim 0.289$
- Sky brightness: depends on moon, location, wavelength

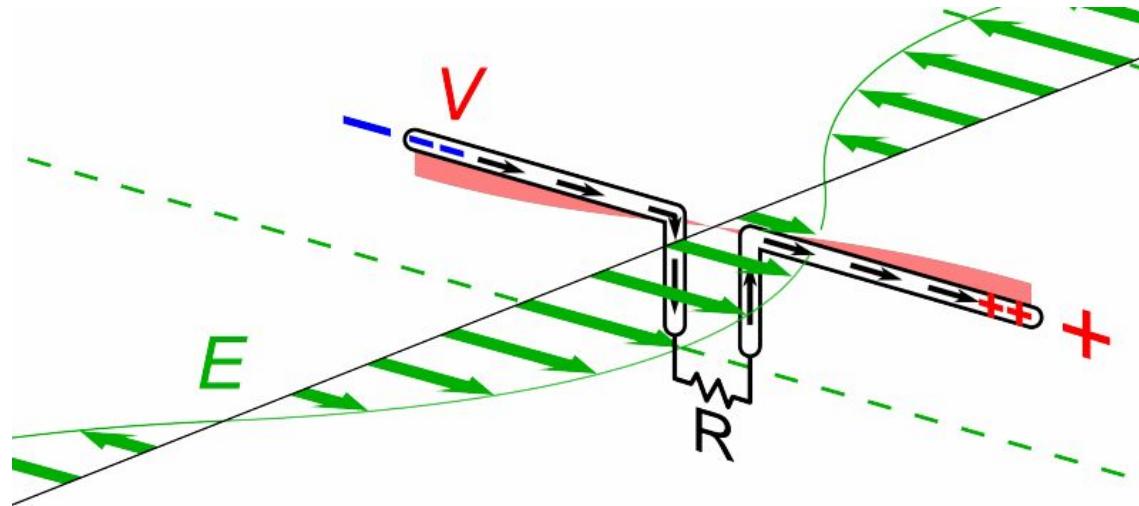


Sky Brightness (mag/arcsec ²)					
lunar age (days)	U	B	V	R	I
0	22.0	22.7	21.8	20.9	19.9
3	21.5	22.4	21.7	20.8	19.9
7	19.9	21.6	21.4	20.6	19.7
10	18.5	20.7	20.7	20.3	19.5
14	17.0	19.5	20.0	19.9	19.2



What do radio telescopes measure?

- Radio photons are too weak, cannot usually detect individual radio photons
- Instead measure the wave nature of EM radiation
- Antenna converts EM radiation into electrical currents in wires (receiving) or vice versa (transmitting)



Radio Antennas



Yagi



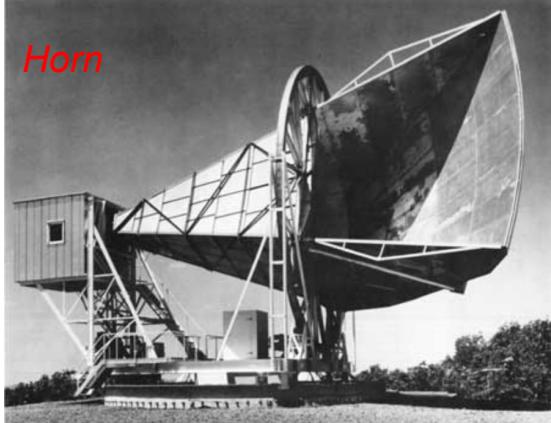
Helix



Log-periodic antenna



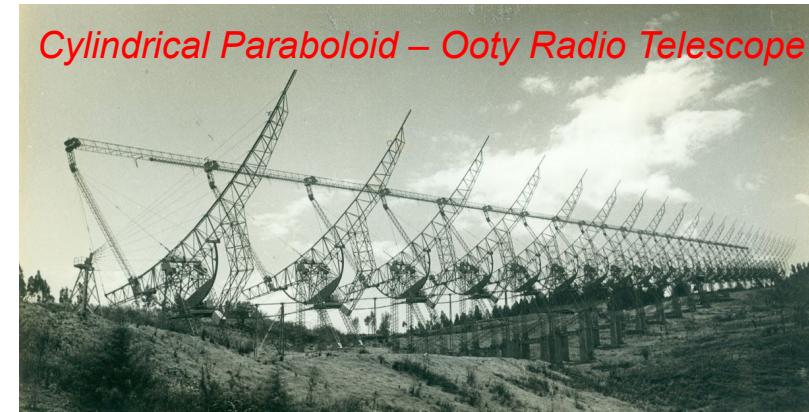
Dipole array



Horn



Parabolic Reflector



Cylindrical Paraboloid – Ooty Radio Telescope

Single Dish

Prime Focus
e.g. GMRT



Cassegrain Focus
e.g. Mopra (AT)



Offset Cassegrain
e.g. VLA and
ALMA



Naysmith
e.g. OVRO



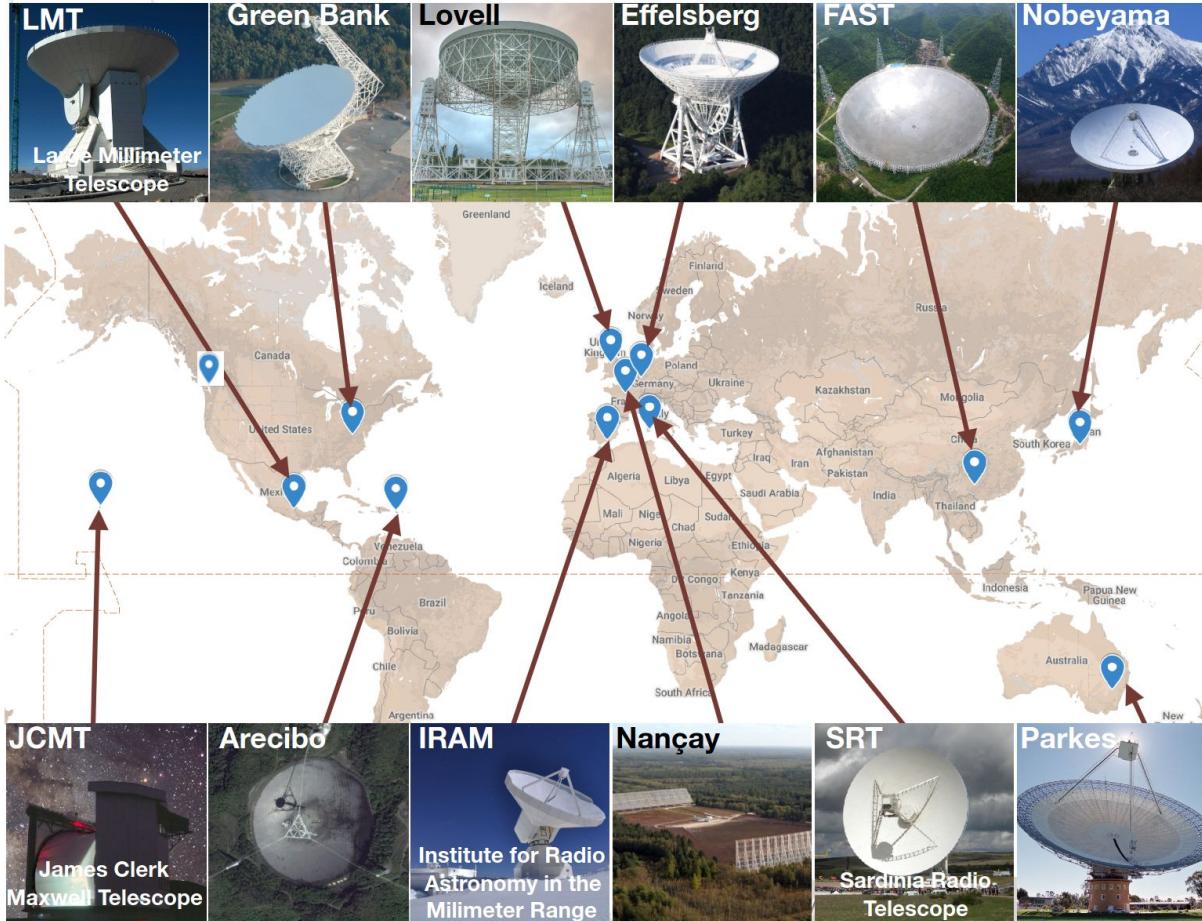
Beam Waveguide
e.g. NRO



Dual gregorian
offset
e.g. ATA



Single Dish



Need for Interferometry

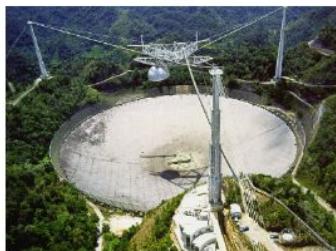
Single Dishes



GBT



Parkes



Arecibo

Interferometers



GMRT



WSRT



LOFAR

SKA



SKA Mid



SKA Low



SKA Aperture Array

Angular Resolution

$$\theta \sim \lambda/D$$

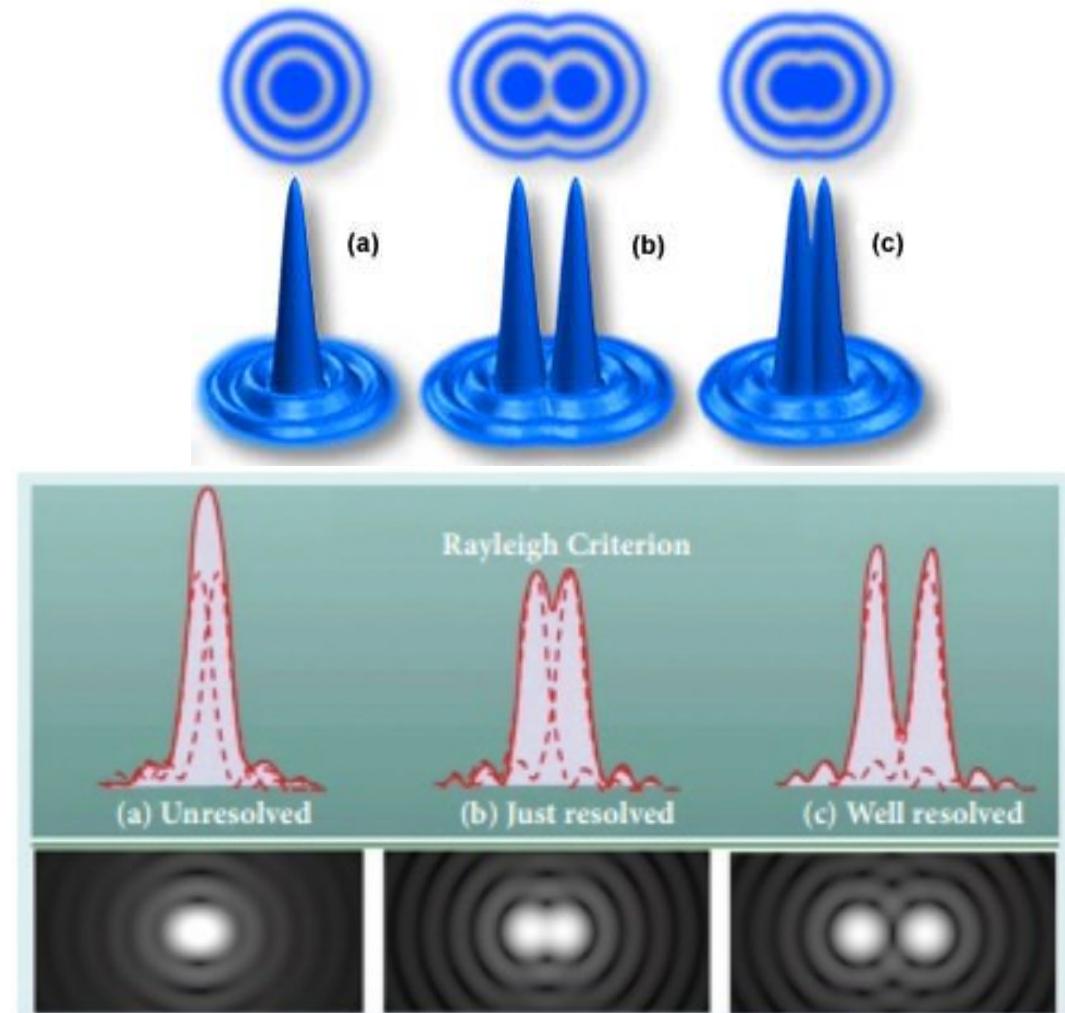
For single dish,

D: diameter of dish

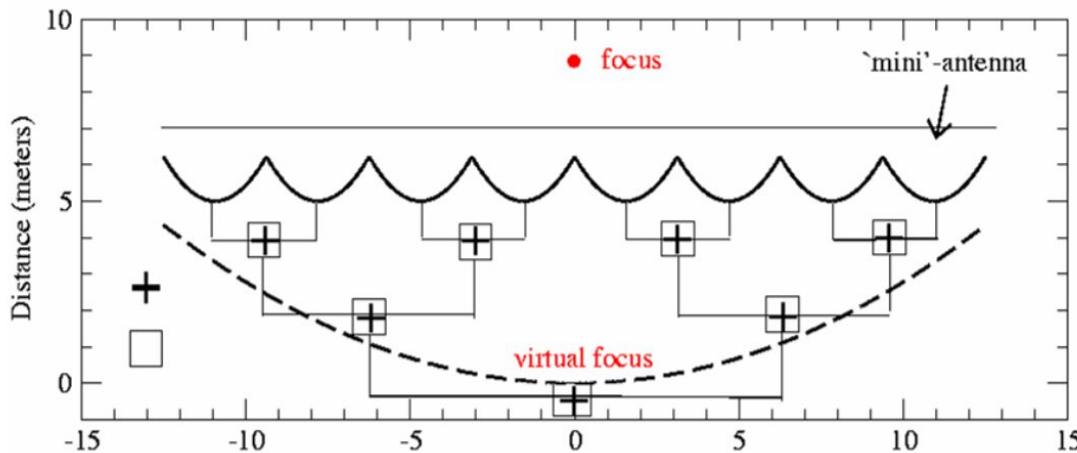
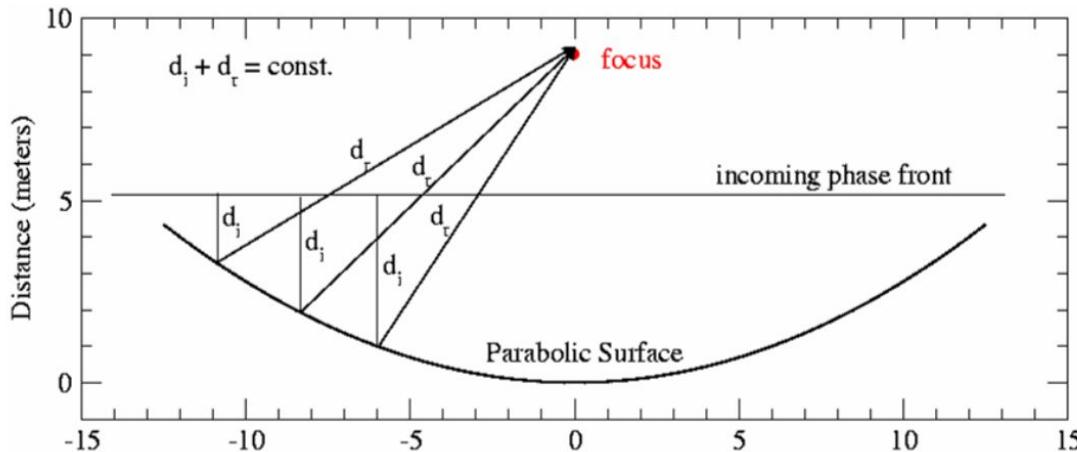
For interferometers,

D: longest baseline or

separation between telescopes



Basic Interferometry

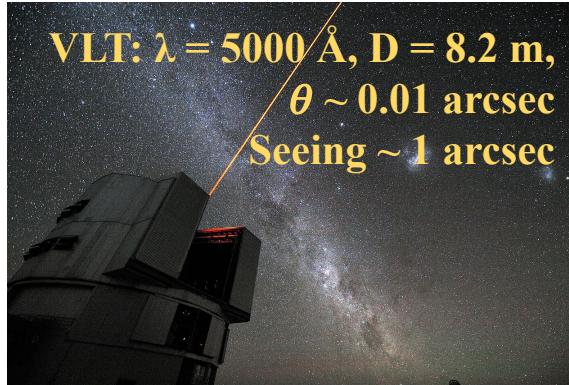


Radio Interferometry

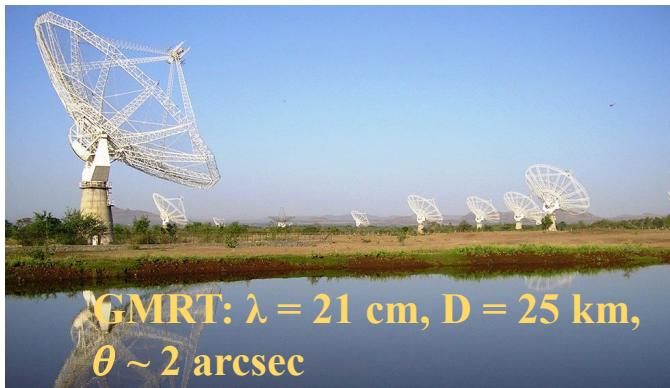
Radio interferometry can achieve extremely high angular resolution ($\theta \sim \lambda/D$)



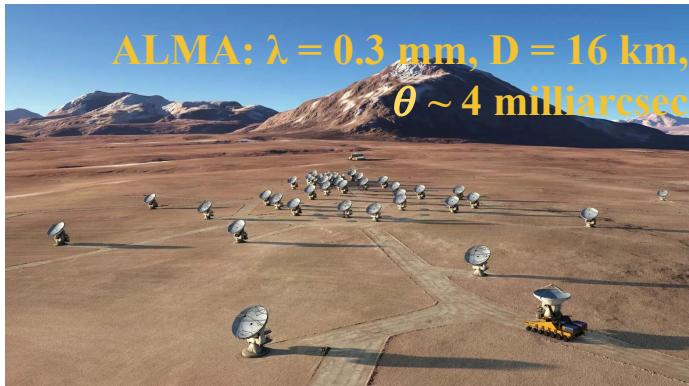
HST: $\lambda = 5000 \text{ \AA}$, $D = 2.4 \text{ m}$,
 $\theta \sim 0.04 \text{ arcsec}$



VLT: $\lambda = 5000 \text{ \AA}$, $D = 8.2 \text{ m}$,
 $\theta \sim 0.01 \text{ arcsec}$
Seeing $\sim 1 \text{ arcsec}$



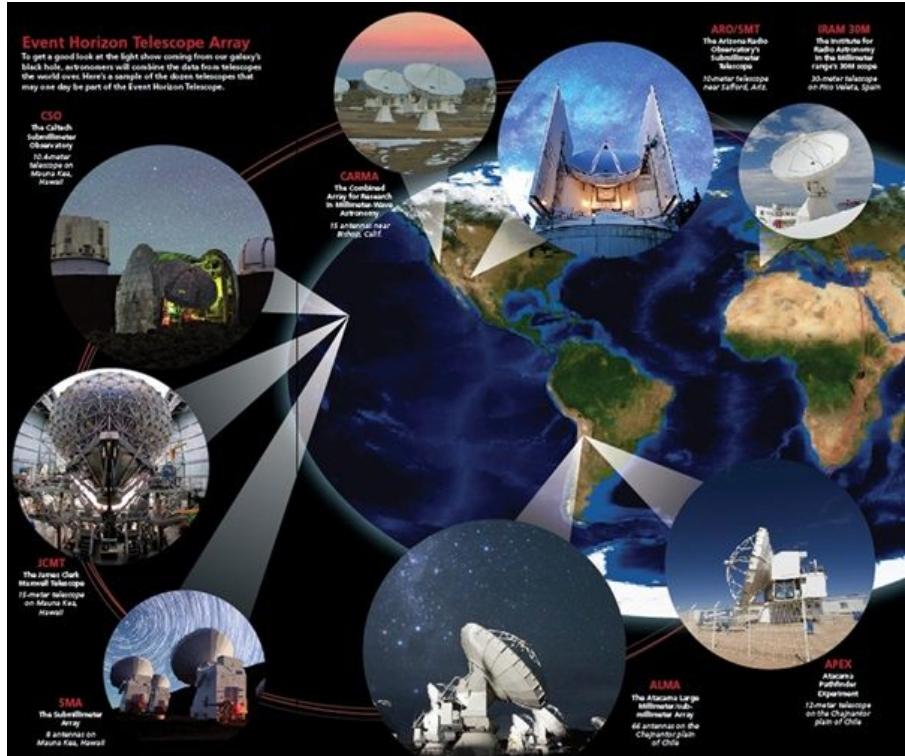
GMRT: $\lambda = 21 \text{ cm}$, $D = 25 \text{ km}$,
 $\theta \sim 2 \text{ arcsec}$



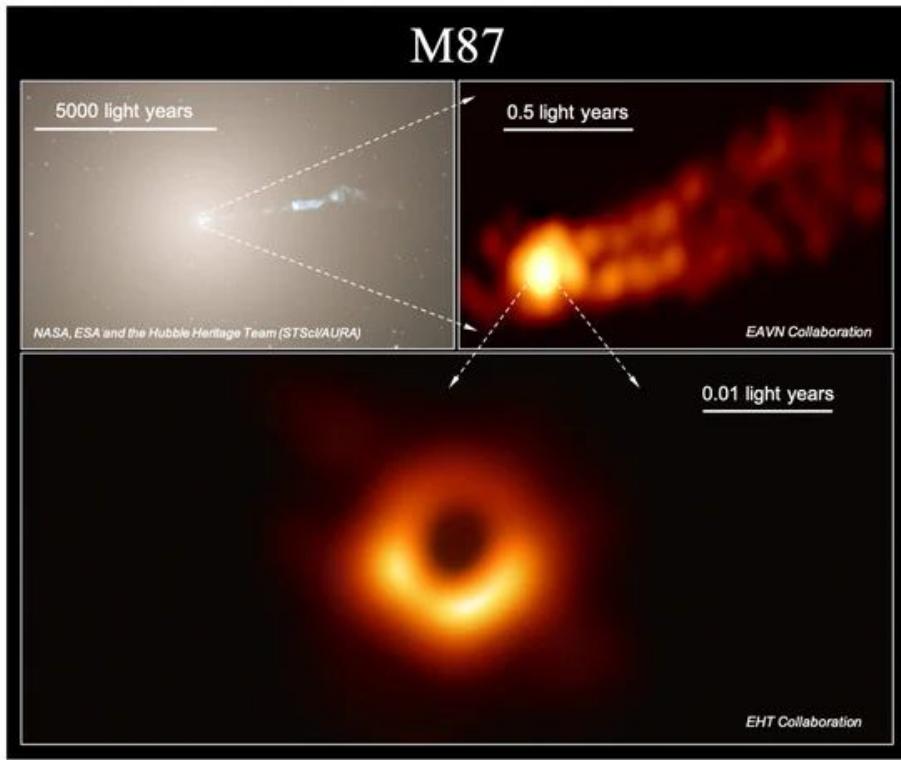
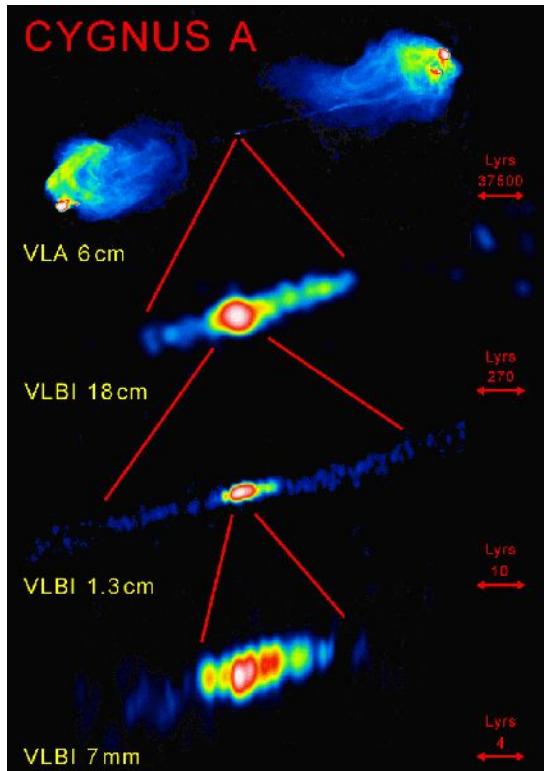
ALMA: $\lambda = 0.3 \text{ mm}$, $D = 16 \text{ km}$,
 $\theta \sim 4 \text{ milliarcsec}$

NASA
ESO
NCRA
NRAO

Very Long Baseline Interferometry (VLBI)



Science with Interferometry



MPIfR, EHT